# data 624 homework four Kevin Kirby

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# 1 Assignment Four for Fall 2024 DATA 624: Preprocessing and Overfitting

**Author: Kevin Kirby** This assignment consists of exercises 3.1 and 3.2 from Applied Predictive Modeling by Max Kuhn and Kjell Johnson. Each question is as provided in the book and has the pandas library required for that section that aren't already imported.

## 1.1 3.1. UC Irvine Machine Learning Repository Glass Identification Review

Information about the dataset can be found here. I imported it using Python code provided by ICU. Per the exercise question, "the data consist of 214 glass samples labeled as one of seven class categories. There are nine predictors, including the refractive index and percentages of eight elements: Na, Mg, Al, Si, K, Ca, Ba, and Fe."

The exercise asks for the following:

- A. Using visualizations, explore the predictor variables to understand their distributions as well as the relationships between predictors.
- B. Do there appear to be any outliers in the data? Are any predictors skewed?
- C. Are there any relevant transformations of one or more predictors that might improve the classification model?

First, import and setup the data:

```
[4]: import pandas as pd
  import matplotlib.pyplot as plt
  import seaborn as sns
  from ucimlrepo import fetch_ucirepo
  import ssl
  from sklearn.impute import SimpleImputer
  import numpy as np
  from scipy.stats import boxcox
  from sklearn.preprocessing import PowerTransformer

ssl._create_default_https_context = ssl._create_unverified_context
  glass_identification = fetch_ucirepo(name='Glass Identification')

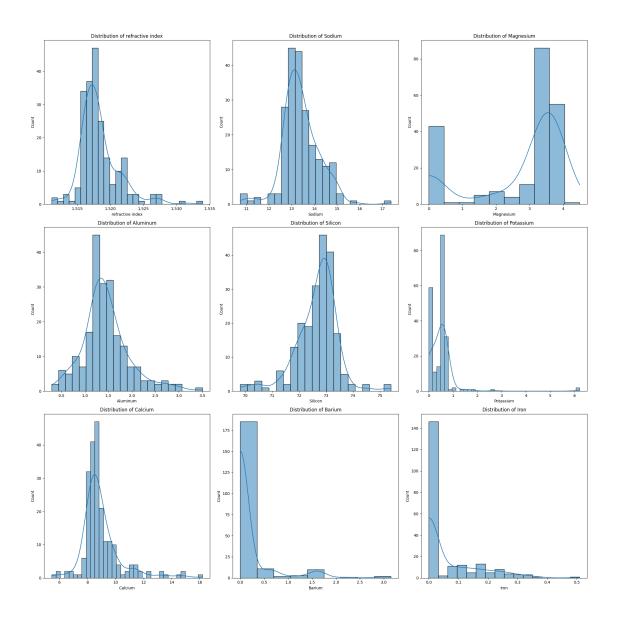
X = glass_identification.data.features
```

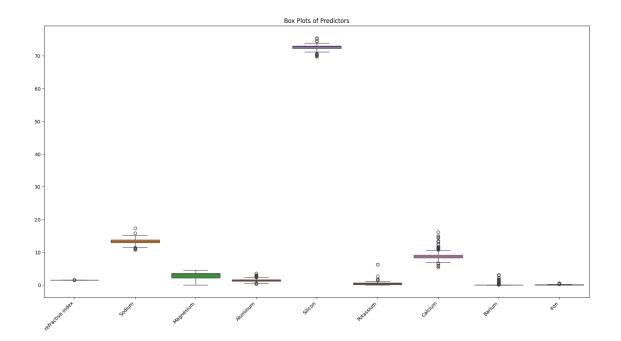
```
y = glass_identification.data.targets
```

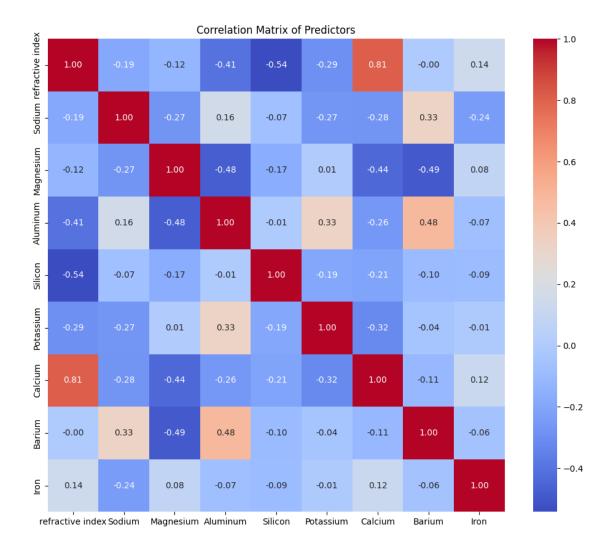
### 1.1.1 A. Exploratory data analysis through visualizations

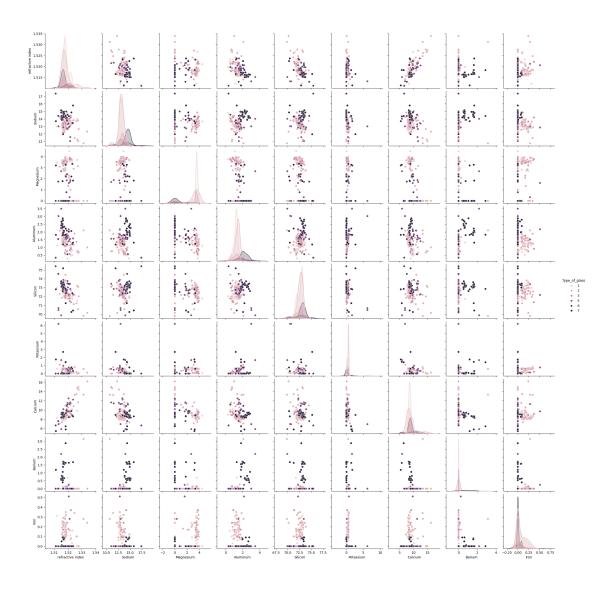
This first part shows the following by predictor: \* Histograms \* Box plots \* Correlation matrix \* Pairplots

```
[5]: full_salts = {row['name']: row['description'] for _, row in__
      ⇒glass identification.variables.iterrows() if row['name'] in X.columns}
     # Rename the columns of X
     X = X.rename(columns=full_salts)
     Glass = pd.concat([X, y], axis=1)
     #histograms
     plt.figure(figsize=(20, 20))
     for i, column in enumerate(X.columns, 1):
         plt.subplot(3, 3, i)
         sns.histplot(X[column], kde=True)
         plt.title(f'Distribution of {column}')
         plt.xlabel(column)
     plt.tight_layout()
     plt.show()
     #boxplots
     plt.figure(figsize=(20, 10))
     sns.boxplot(data=X)
     plt.xticks(rotation=45, ha='right')
     plt.title('Box Plots of Predictors')
     plt.show()
     # correlation matrix
     plt.figure(figsize=(12, 10))
     sns.heatmap(X.corr(), annot=True, cmap='coolwarm', fmt='.2f')
     plt.title('Correlation Matrix of Predictors')
     plt.show()
     # pairplots
     sns.pairplot(Glass, hue=y.columns[0])
     plt.show()
```









#### 1.1.2 B. Do there appear to be any outliers in the data? Are any predictors skewed?

Answer: \* Calcium and Refractivve Index have a strong negative relationship of -.81% \* Potasium, Barium, and Iron have strong right skews \* Silicon has the closest thing to a normal curve \* Silicon is also causing heavy distortions in the box plot charts as its overall values are much higher than the others

# 1.1.3 C. Are there any relevant transformations of one or more predictors that might improve the classification model?

Answer: I went with a box-cox transformation since we've learned a lot about it thus far. I chose it because I wanted to try and normalize the curves a bit and see if I could reduce some of the variance. It had the intended effect, to an extent. Sodium was brough down much closer to where the others had previous been. Refractive Index was exploded in a very weird way, though. going from a normalish curive to just a full colored box.

```
[11]: X_transformed = X.copy()

if (X_transformed <= 0).any().any():
    X_positive = X_transformed + np.abs(X_transformed.min()) + 1

else:
    X_positive = X_transformed

pt = PowerTransformer(method='box-cox', standardize=False)

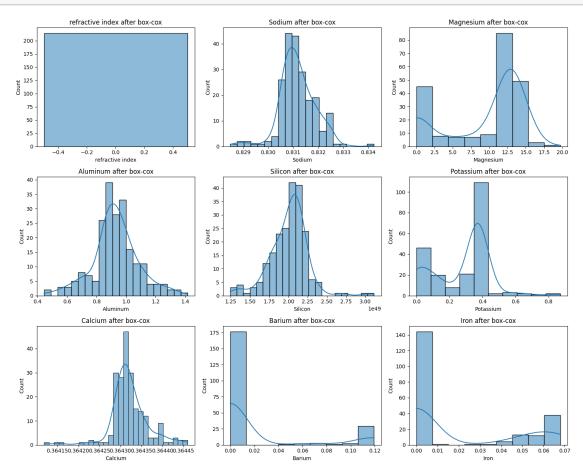
X_boxcox = pd.DataFrame(pt.fit_transform(X_positive), columns=X.columns)

Glass_transformed = pd.concat([X_boxcox, y], axis=1)

plt.figure(figsize=(15, 12))

for i, column in enumerate(X_boxcox.columns, 1):
    plt.subplot(3, 3, i)
    sns.histplot(X_boxcox[column], kde=True)
    plt.title(f"{column} after box-cox")

plt.tight_layout()
plt.show()</pre>
```



### 1.2 3.2 - UC Irvine Machine Learning Repository Soyboy Dataset Review

This exercise is a series of data cleaning questions about the Soybean(Large) dataset from the UCIML.

Per the exercise question from the book, "data were collected to predict disease in 683 soybeans. The 35 predictors are mostly categorical and include information on the environmental conditions (e.g., temperature, precipitation) and plant conditions (e.g., left spots, mold growth). The outcome labels consist of 19 distinct classes."

The questions are:

A. Investigate the frequency distributions for the categorical predictors. Are any of the distributions degenerate in the ways discussed earlier in this chapter?

- B. Roughly 18% of the data are missing. Are there particular predictors that are more likely to be missing? Is the pattern of missing data related to the classes?
- C. Develop a strategy for handling missing data, either by eliminating predictors or imputation.

First, import and setup the data:

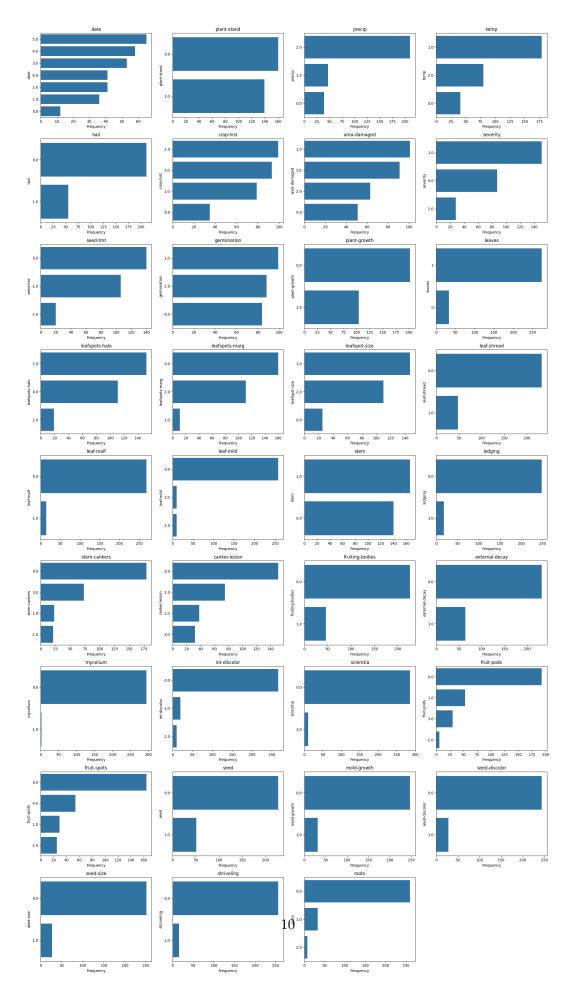
```
[10]: import math
  from matplotlib.ticker import PercentFormatter
  soybean_large = fetch_ucirepo(id=90)
  X = soybean_large.data.features
  y = soybean_large.data.targets
```

## 1.2.1 A. Investigate the frequency distributions for the categorical predictors

Are any of the distributions degenerate in the ways discussed earlier in this chapter?

Answer: More of these categorical predictors are degenerater than I would have initially guessed. For example, Leaf-Malf is very close to being a zero variance predictor, where almost all the values belong to 0 and hardly any to one. Mycelium and Sclerotia are in the same bucket. Compare this against Date, Crop-Hist, or Area-Damages each have healthy distributions across zero to three. This will make them easier to model since they have more data in different variety.

plt.tight\_layout()
plt.show()



## 1.2.2 B. Investing missing 18% of data

Are there particular predictors that are more likely to be missing? Is the pattern of missing data related to the classes?

Answer: to answer this question, I made two charts, both normalized as % missing: \* A basic bar chart showing the distribution of missing data across the entire datset, normalized as percent missing \* A heatmap showing % missing by predictor class

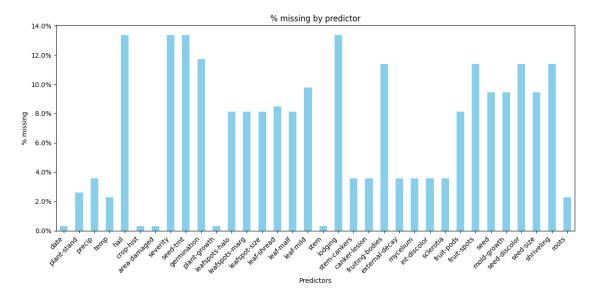
It seems like the highest clustering is around some sort of damage to the seeds themselves, which could mean it's harder data to collect and organize effectively relative to others: \* germination \* fruit-spots \* seed-discolor

```
[28]: soybean_large = fetch_ucirepo(id=90)
X = soybean_large.data.features
y = soybean_large.data.targets

missing_data = X.isnull().mean() * 100
md_filtered = missing_data[missing_data > 0]

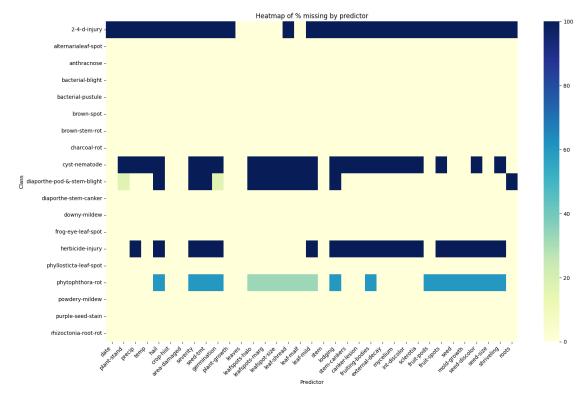
plt.figure(figsize=(12, 6))
md_filtered.plot(kind='bar', color='skyblue')
plt.xlabel('Predictors')
plt.ylabel('% missing')
plt.title('% missing by predictor')
plt.xticks(rotation=45, ha='right')

plt.gca().yaxis.set_major_formatter(PercentFormatter())
plt.tight_layout()
plt.show()
```



```
[39]: y = y.squeeze()
missing_by_class = X.isnull().groupby(y).mean() * 100

plt.figure(figsize=(16, 10))
sns.heatmap(missing_by_class, cmap='YlGnBu', annot=False, fmt=".1f")
plt.title('Heatmap of % missing by predictor')
plt.ylabel('Class')
plt.xlabel('Predictor')
plt.xticks(rotation=45, ha='right')
plt.tight_layout()
plt.show()
```



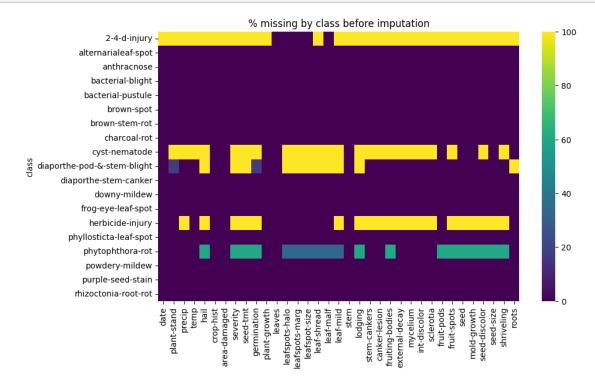
# 1.2.3 C. Strategy for handling missing data

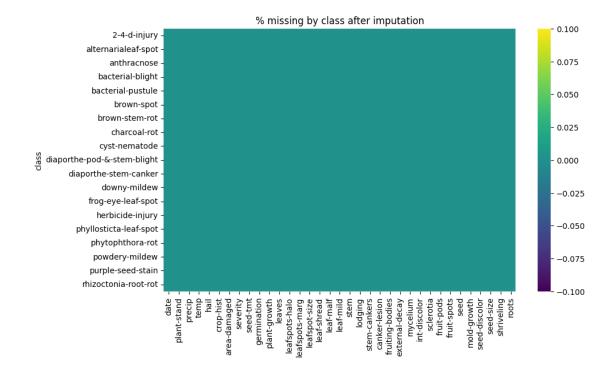
Answer: I'm going to use a simple imputation strategy where the most frequent value is put in place of the missing values. I could do by median or mean as well but I was curious to see what this would do. This change is represented as before and after heatmaps below, showing the missing values being replaced.

```
[38]: imputer = SimpleImputer(strategy='most_frequent')
X_imputed = pd.DataFrame(imputer.fit_transform(X), columns=X.columns)
y = y.squeeze()

missing_before = X.isnull().groupby(y).mean() * 100
plt.figure(figsize=(10, 6))
sns.heatmap(missing_before, annot=False, cmap='viridis', cbar=True)
plt.title('% missing by class before imputation')
plt.show()

missing_after = X_imputed.isnull().groupby(y).mean() * 100
plt.figure(figsize=(10, 6))
sns.heatmap(missing_after, annot=False, cmap='viridis', cbar=True)
plt.title('% missing by class after imputation')
plt.show()
```





[]: