

Security Lab - Introduction to Correlation Power Analysis

for

POULPT CODE-BREAKERS



This laboratory involves hands-on experimentation by making use of Correlation Power Analysis (CPA) techniques on an Advanced Encryption Standard (AES) implementation coded in C, running on a STM32 ARM-based microcontroller.

The main goal will be to study the AES algorithm and the STM32 - Nucleo Printed Circuit Board (PCB) and propose a measurement method. Then power traces will be captured with the use of an Oscilloscope. The attack will be completed by performing CPA on the captured traces.

$$\text{Plaintext: } \begin{bmatrix} d_1 \\ \vdots \\ d_D \end{bmatrix} \quad \text{Key Hypotheses: } [k_1 \ \dots \ k_K]$$

$$\text{AES Properties: } (\text{SBOX}(\text{data xor key})) \rightarrow V = \begin{bmatrix} v_{1,1} & \cdots & v_{1,K} \\ \vdots & \ddots & \vdots \\ v_{D,1} & \cdots & v_{D,K} \end{bmatrix}$$

By applying a hypothetical power model on array V we get \rightarrow array H :

$$\text{Hypothetical Power consumption: } H = \begin{bmatrix} h_{1,1} & \cdots & h_{1,K} \\ \vdots & \ddots & \vdots \\ h_{D,1} & \cdots & h_{D,K} \end{bmatrix},$$

$$\text{Measured Power Traces: } T = \begin{bmatrix} t_{1,1} & \cdots & t_{1,T} \\ \vdots & \ddots & \vdots \\ t_{D,1} & \cdots & t_{D,T} \end{bmatrix}$$

By performing a statistical analysis on arrays H and T we get the Correlation Coefficients:

$$R = \begin{bmatrix} r_{1,1} & \cdots & r_{1,T} \\ \vdots & \ddots & \vdots \\ r_{K,1} & \cdots & r_{K,T} \end{bmatrix}$$

$$r_{i,j} = \frac{\sum_{d=1}^D ((h_{d,i} - \bar{h}_i) \cdot (t_{d,j} - \bar{t}_j))}{\sqrt{\sum_{d=1}^D (h_{d,i} - \bar{h}_i)^2 \cdot \sum_{d=1}^D (t_{d,j} - \bar{t}_j)^2}}$$

h_i and t_j refer to columns of the corresponding arrays.

Required Tasks:

Choose and complete one of the provided scripts: Python or MATLAB. The script must correctly implement the Correlation Power Analysis (CPA) to recover the key from the given oscilloscope power traces.

Note: For the MATLAB script, go to the folder

`Security_TP\work_handout_code\MATLAB\aes_stm32\attack_folder`

and copy the file `attack_data.mat` into that folder.

- 1.1. Explain what each of the arrays: **D**, **K**, **V**, **H** and **R** represents.
- 1.2. Complete the missing code in order to perform the Correlation Power Analysis (CPA) attack.
- 1.3. Concerning the hypothetical power model use Hamming Weight.
- 1.4. Perform the CPA attack and try to find only some bytes of the key according to the instructor directions. Include in your report the key you have found.
- 1.5. What is the maximum correlation?
- 1.6. Explain in your report why, in your opinion, Hamming Weight can be used as a hypothetical power model.
- 1.7. Include in your report all the files found in the attack folder after performing the CPA attack, besides the two files: `attack_data.mat` and `constants.mat`.
- 1.8. Explain the content of the file `attack_data.mat` in detail.
- 1.9. Why is array **R** of size **KxT** ?
- 1.10. What is the minimum number of traces necessary to find one byte of the key with each hypothetical power model?
- 1.11. Find the MATLAB function which implements equation.
- 1.12. Shortly explain ways (minimum two ways) with which you can increase the security of the AES, either the Tiny-AES or any AES in general, against CPA attacks.

Optional Tasks (Only after completing the required tasks)

- 2.1. Try another power model. We suggest using the bitget function on a specific bit of each value in the **V** matrix. As a result, the **H** matrix will no longer represent the Hamming Weight but will instead contain only 0 or 1 values corresponding to the selected bit.
- 2.2. Change the bit index (from bit 0 to bit 7) and observe the effect on the results.
- 2.3. For each power model (Hamming Weight and each of the 8 bitget variations), identify which ones lead to the same results. Determine how many traces (out of 10,000) are needed to reach these equivalent results.