

Assignment4_Data621

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DATA EXPLORATION

We checked the overview of the dataset's structure while, `summary()` provided statistical summaries for each variable. The dataset contains 26 columns and 8161 rows.

```
# Check the structure of the dataset
str(training_df)
```

```
spc_tbl_ [8,161 x 26] (S3: spec_tbl_df/tbl_df/tbl/data.frame)
$ INDEX      : num [1:8161] 1 2 4 5 6 7 8 11 12 13 ...
$ TARGET_FLAG: num [1:8161] 0 0 0 0 0 1 0 1 1 0 ...
$ TARGET_AMT : num [1:8161] 0 0 0 0 0 ...
$ KIDSDRV    : num [1:8161] 0 0 0 0 0 0 0 1 0 0 ...
$ AGE         : num [1:8161] 60 43 35 51 50 34 54 37 34 50 ...
$ HOMEKIDS   : num [1:8161] 0 0 1 0 0 1 0 2 0 0 ...
$ YOJ         : num [1:8161] 11 11 10 14 NA 12 NA NA 10 7 ...
$ INCOME      : chr [1:8161] "$67,349" "$91,449" "$16,039" NA ...
$ PARENT1    : chr [1:8161] "No" "No" "No" "No" ...
$ HOME_VAL    : chr [1:8161] "$0" "$257,252" "$124,191" "$306,251" ...
$ MSTATUS     : chr [1:8161] "z_No" "z_No" "Yes" "Yes" ...
$ SEX         : chr [1:8161] "M" "M" "z_F" "M" ...
$ EDUCATION   : chr [1:8161] "PhD" "z_High School" "z_High School" "<High School" ...
$ JOB         : chr [1:8161] "Professional" "z_Blue Collar" "Clerical" "z_Blue Collar" ...
$ TRAVTIME    : num [1:8161] 14 22 5 32 36 46 33 44 34 48 ...
$ CAR_USE     : chr [1:8161] "Private" "Commercial" "Private" "Private" ...
$ BLUEBOOK    : chr [1:8161] "$14,230" "$14,940" "$4,010" "$15,440" ...
$ TIF          : num [1:8161] 11 1 4 7 1 1 1 1 1 7 ...
$ CAR_TYPE    : chr [1:8161] "Minivan" "Minivan" "z_SUV" "Minivan" ...
$ RED_CAR     : chr [1:8161] "yes" "yes" "no" "yes" ...
$ OLDCLAIM    : chr [1:8161] "$4,461" "$0" "$38,690" "$0" ...
```

```

$ CLM_FREQ      : num [1:8161] 2 0 2 0 2 0 0 1 0 0 ...
$ REVOKED       : chr [1:8161] "No" "No" "No" "No" ...
$ MVR PTS       : num [1:8161] 3 0 3 0 3 0 0 10 0 1 ...
$ CAR AGE       : num [1:8161] 18 1 10 6 17 7 1 7 1 17 ...
$ URBANICITY : chr [1:8161] "Highly Urban/ Urban" "Highly Urban/ Urban" "Highly Urban/ Urban"
- attr(*, "spec")=
.. cols(
..   INDEX = col_double(),
..   TARGET_FLAG = col_double(),
..   TARGET_AMT = col_double(),
..   KIDSDRV = col_double(),
..   AGE = col_double(),
..   HOMEKIDS = col_double(),
..   YOJ = col_double(),
..   INCOME = col_character(),
..   PARENT1 = col_character(),
..   HOME_VAL = col_character(),
..   MSTATUS = col_character(),
..   SEX = col_character(),
..   EDUCATION = col_character(),
..   JOB = col_character(),
..   TRAVTIME = col_double(),
..   CAR_USE = col_character(),
..   BLUEBOOK = col_character(),
..   TIF = col_double(),
..   CAR_TYPE = col_character(),
..   RED_CAR = col_character(),
..   OLDCLAIM = col_character(),
..   CLM_FREQ = col_double(),
..   REVOKED = col_character(),
..   MVR PTS = col_double(),
..   CAR AGE = col_double(),
..   URBANICITY = col_character()
.. )
- attr(*, "problems")=<externalptr>

```

Preliminary Data Cleaning

In this section, we reformat variable values into numeric and factor formats. Currency values are converted from a string format to a numeric format by removing \$ and commas.

```

# Remove $ and , from currency columns
# Function to clean dollar values
clean_money <- function(x) {
  as.numeric(gsub("[,$]", "", x))
}

money_vars <- c("INCOME", "HOME_VAL", "BLUEBOOK", "OLDCLAIM", "TARGET_AMT")
factor_vars <- c("TARGET_FLAG", "SEX", "PARENT1", "MSTATUS", "URBANICITY", "REVOKE", "RED_CAR")
numeric_vars <- c("TARGET_AMT", "OLDCLAIM", "CLM_FREQ", "MVR_PTS", "CAR_AGE", "BLUEBOOK", "HOME_VAL")

# Apply to relevant columns
clean_df <- function(df) {

  df <- df |>
    mutate(
      JOB = as.factor(ifelse(is.na(JOB), "Unknown", as.character(JOB))),
      RED_CAR = if_else(RED_CAR == "yes", "Yes", "No"),
      URBANICITY = if_else(URBANICITY == "Highly Urban/ Urban", "Rural", "Urban")
    )

  df[money_vars] <- lapply(df[money_vars], clean_money)
  df[factor_vars] <- lapply(df[factor_vars], function(x) { as.factor(x) })
  df[numeric_vars] <- lapply(df[numeric_vars], function(x) { as.numeric(x) })

  return (df |>
    mutate(across(
      .cols = where(is.factor),
      .fns = ~ factor(sub("^z_", "", .))
    )))
}

training_df <- clean_df(training_df) |>
  subset(select=-c(INDEX))
testing_df <- clean_df(testing_df)

```

Summary Statistics

We review the mean, standard deviation, and median for all numeric variables, helping us understand the data distribution and central tendencies.

Summary Stats for Numeric Variables

TARGET_AMT	OLDCLAIM	CLM_FREQ	MVR PTS
Min. : 0	Min. : 0	Min. : 0.0000	Min. : 0.000
1st Qu.: 0	1st Qu.: 0	1st Qu.: 0.0000	1st Qu.: 0.000
Median : 0	Median : 0	Median : 0.0000	Median : 1.000
Mean : 1504	Mean : 4037	Mean : 0.7986	Mean : 1.696
3rd Qu.: 1036	3rd Qu.: 4636	3rd Qu.: 2.0000	3rd Qu.: 3.000
Max. : 107586	Max. : 57037	Max. : 5.0000	Max. : 13.000
CAR AGE	BLUEBOOK	HOME_VAL	INCOME
Min. :-3.000	Min. : 1500	Min. : 0	Min. : 0
1st Qu.: 1.000	1st Qu.: 9280	1st Qu.: 0	1st Qu.: 28097
Median : 8.000	Median : 14440	Median : 161160	Median : 54028
Mean : 8.328	Mean : 15710	Mean : 154867	Mean : 61898
3rd Qu.: 12.000	3rd Qu.: 20850	3rd Qu.: 238724	3rd Qu.: 85986
Max. : 28.000	Max. : 69740	Max. : 885282	Max. : 367030
NA's : 510		NA's : 464	NA's : 445
Y0J	HOMEKIDS	KIDSDRV	AGE
Min. : 0.0	Min. : 0.0000	Min. : 0.0000	Min. : 16.00
1st Qu.: 9.0	1st Qu.: 0.0000	1st Qu.: 0.0000	1st Qu.: 39.00
Median : 11.0	Median : 0.0000	Median : 0.0000	Median : 45.00
Mean : 10.5	Mean : 0.7212	Mean : 0.1711	Mean : 44.79
3rd Qu.: 13.0	3rd Qu.: 1.0000	3rd Qu.: 0.0000	3rd Qu.: 51.00
Max. : 23.0	Max. : 5.0000	Max. : 4.0000	Max. : 81.00
NA's : 454			NA's : 6

Standard Deviations for Numeric Variables

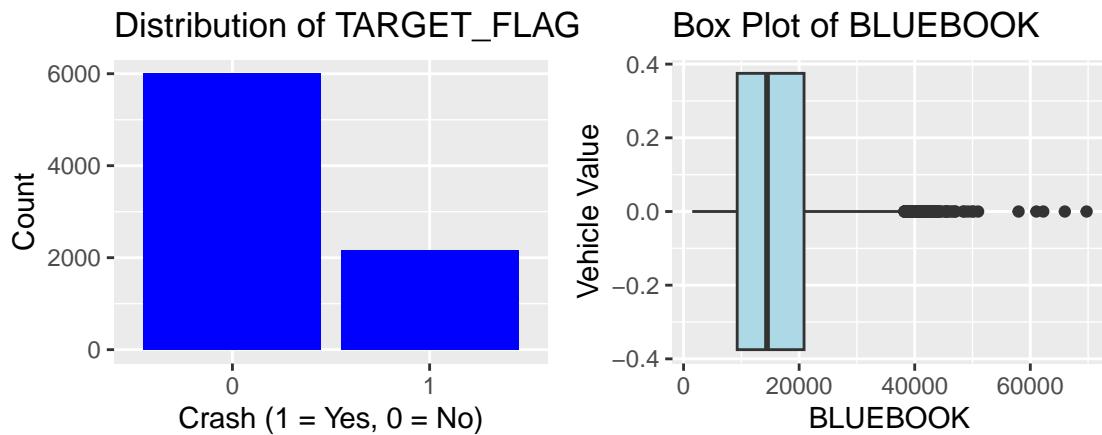
Summary Stats for Categorical Variables

TARGET_FLAG	SEX	PARENT1	MSTATUS	URBANICITY	REVOKE	RED_CAR
0:6008	F:4375	No :7084	No :3267	Rural:6492	No :7161	No :5783
1:2153	M:3786	Yes:1077	Yes:4894	Urban:1669	Yes:1000	Yes:2378

JOB	EDUCATION	CAR_TYPE	CAR_USE
Blue Collar : 1825	<High School: 1203	Minivan : 2145	Commercial: 3029
Clerical : 1271	Bachelors : 2242	Panel Truck: 676	Private : 5132
Professional: 1117	High School : 2330	Pickup : 1389	
Manager : 988	Masters : 1658	Sports Car : 907	
Lawyer : 835	PhD : 728	SUV : 2294	
Student : 712		Van : 750	
(Other) : 1413			

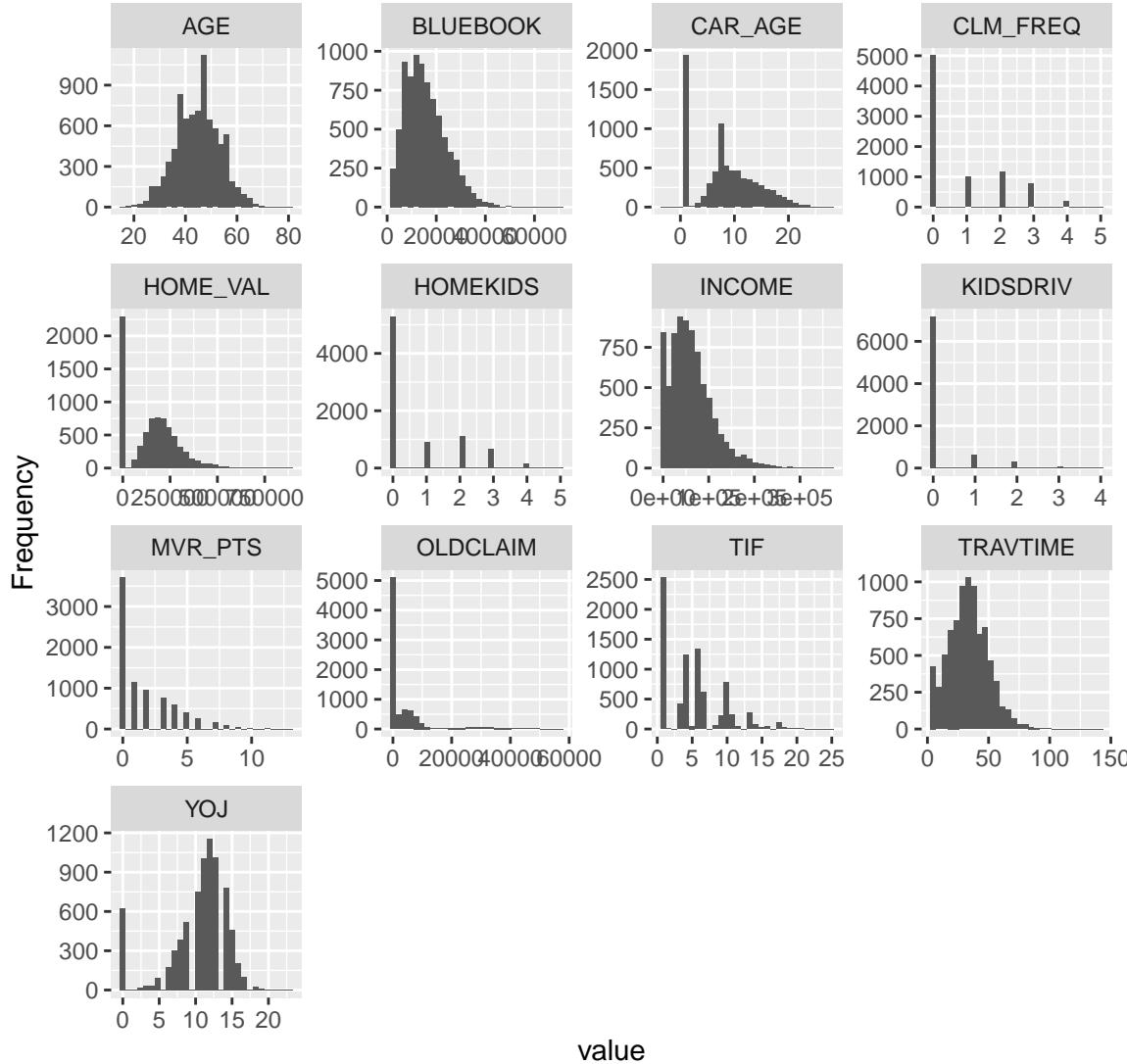
Visualizing Our Data

The first visualization is a bar chart displaying the distribution of TARGET_FLAG, helping to assess the proportion of crashes vs. non-crashes. The second visualization is a box plot for BLUEBOOK, showing the distribution and identifying potential outliers in vehicle values. TARGET_FLAG ratio of having more 0s than 1s indicates that most of the customers in the dataset did not have a crash. It's class imbalance, and it impacts the accuracy of classification models. The BLUEBOOK boxplot indicates that the variable has a strongly dominant majority of values or is long-tailed by outliers. There could be a chance that the data is non-representative, i.e., the majority of the cars have low values with few cars of high value on the tail end of the distribution.

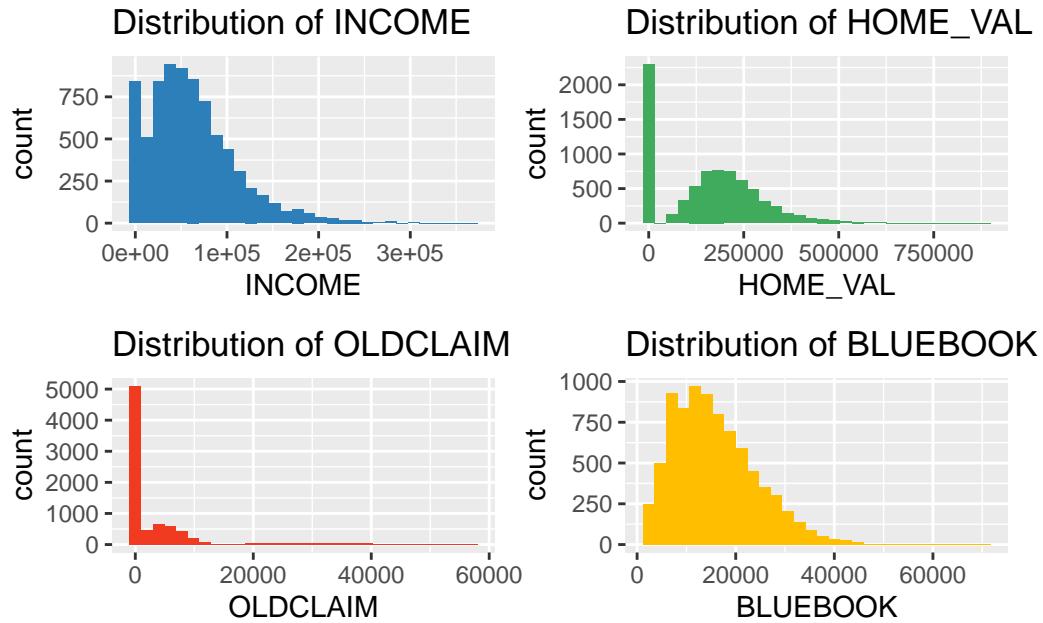


Visualize Distributions

Next we will use DataExplorer for visualize the distributions for our numeric variables. This gives mini-histograms for all numerical variables, so we can quickly spot skewness, check distribution and value ranges, and identify variables with spikes or unusual spread.



Here we focus on four variables that show skewness from their histograms that may benefit from a log transformation for when we apply a linear model. Skewness distorts relationships in regression. Log transformations may reduce skewness by compressing extreme values.



Skewness value for INCOME: 1.186317

Skewness value for HOME_VAL: 0.488595

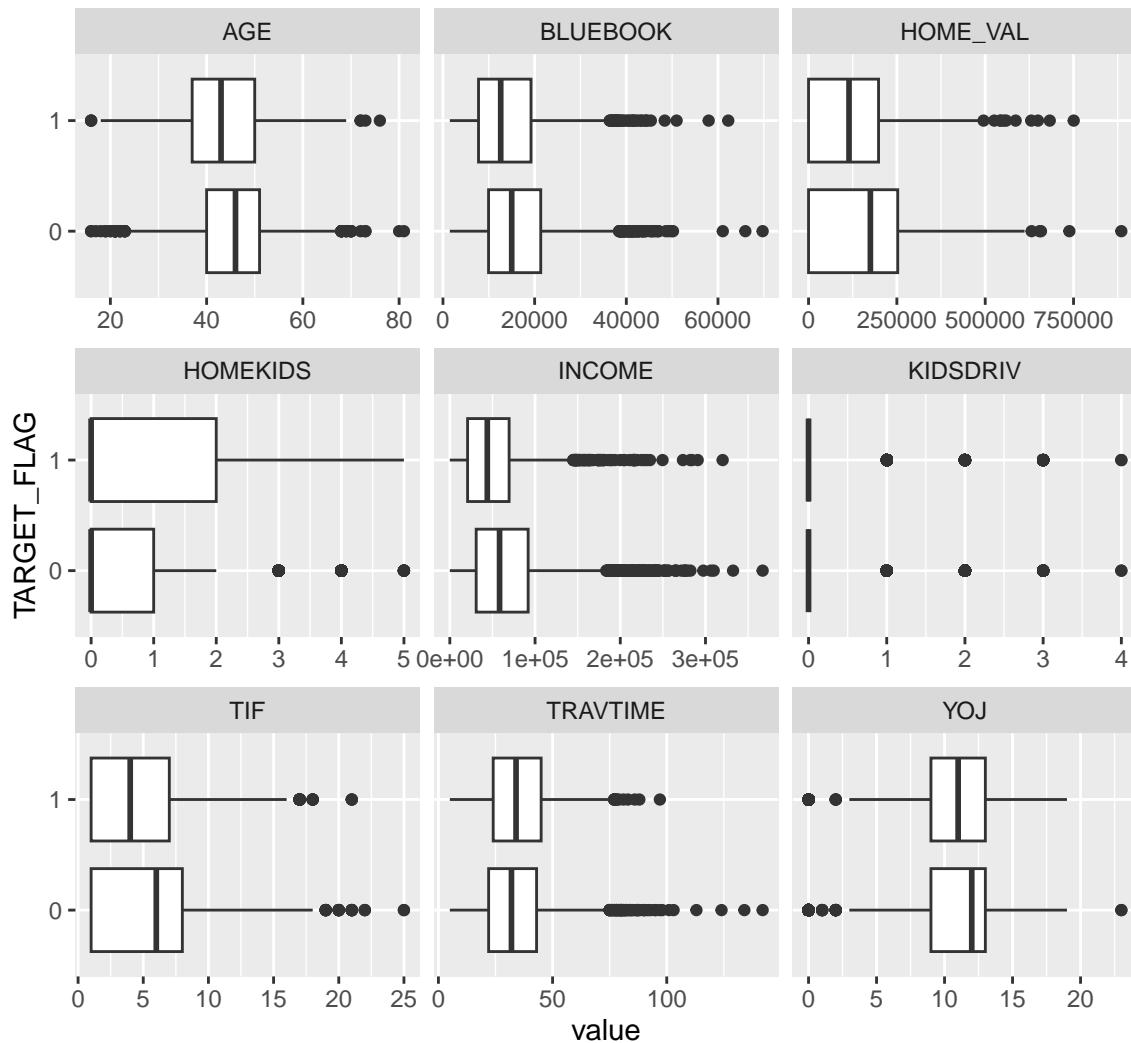
Skewness value for OLDCLAIM: 3.11904

Skewness value for BLUEBOOK: 0.7942141

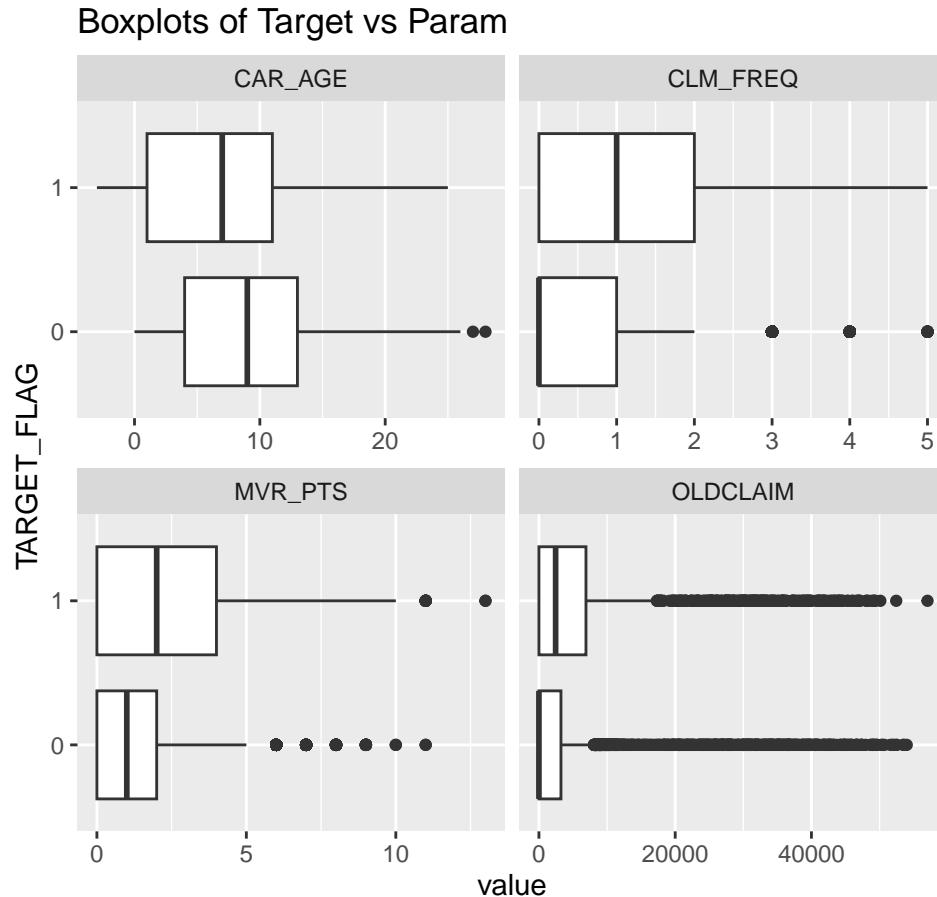
Visualizing Distributions for Numerical Variables

The boxplots on the following pages show the Interquartile Ranges for our numerical variables vs TARGET_FLAG. The IQR helps us visualize how similar/disimilar the ranges are between people who crashed (1) vs those who didn't crash (0) for each given parameter. The plots also give us a sense of potential outliers for each parameter; we will want to look out for observations beyond the whiskers or address transform our data.

Boxplots of Target vs Param

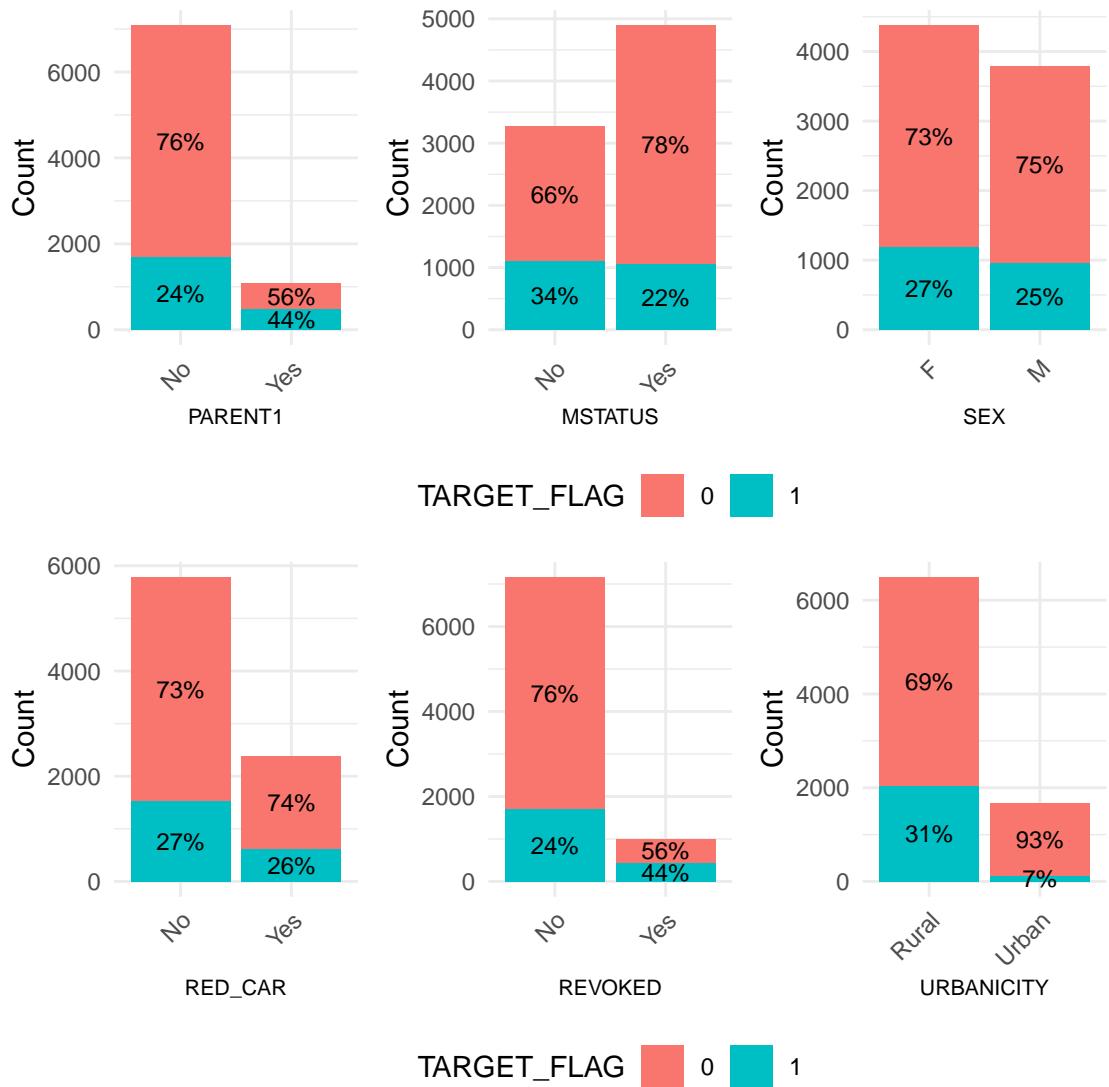


Our boxplots show that there is good difference between the medians for MVR PTS (motor vehicle record points), HOME_VAL (home value), and TIF (time in force) for crashers and non-crashers and moderate differences for INCOME, YOJ (years on Job) and CAR AGE. CLM_FREQ (claim frequency) how high variation but this is likely due to the disproportionate number of claims from crashers versus non-crashers who may be processing other claim types outside of automotive vehicle accidents.



Visualizing Distributions for Categorical Variables

Visualizing the distributions of our categorical variables helps ensure variables are treated as discrete categories, not continuous numbers.



Key takeaways:

PARENT1 - greater percentage of parents crashed their cars vs. non-parents (though smaller total number)

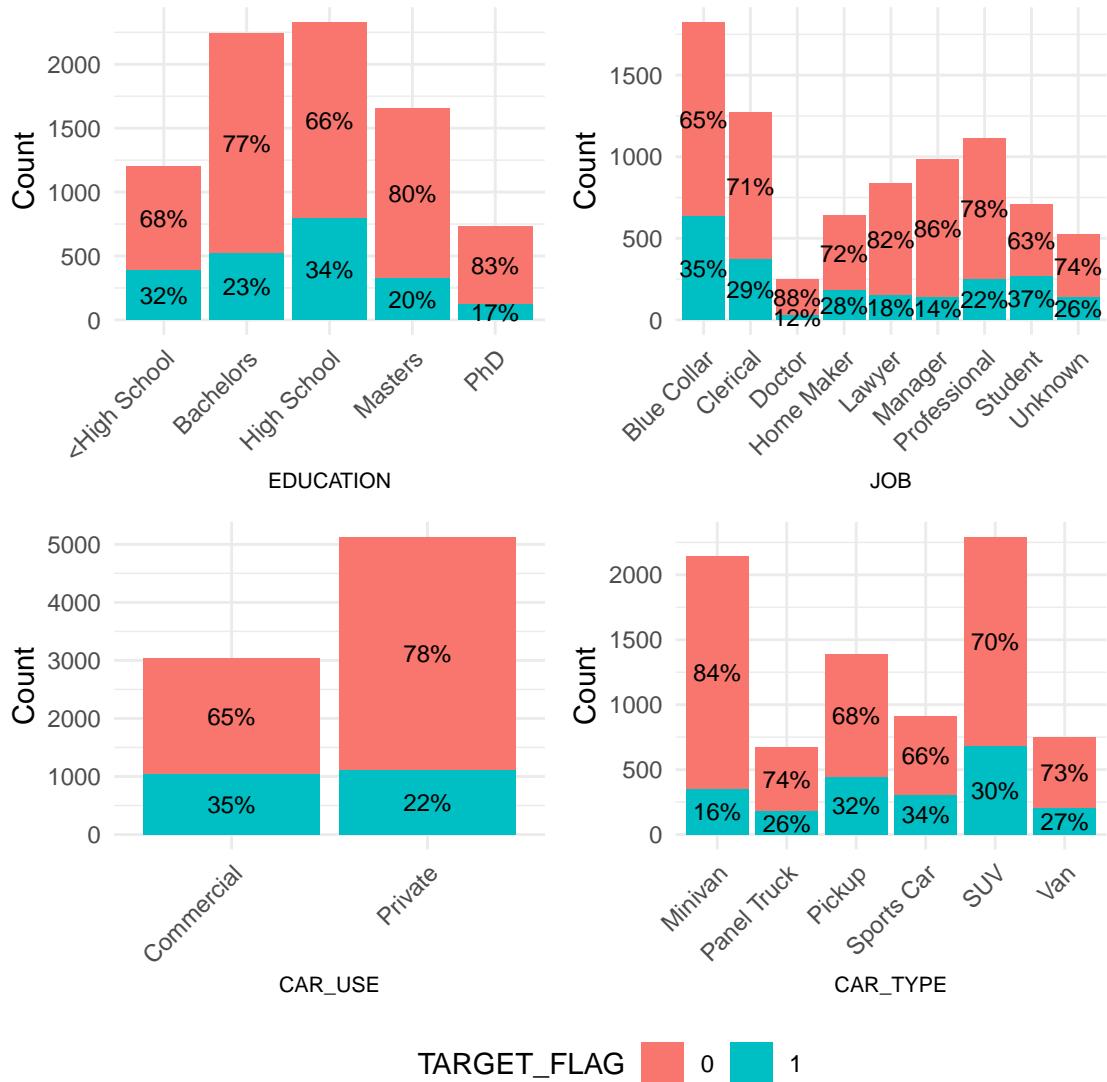
REVOKED - greater percentage of people whose license was revoked in the last 7 years crashed their cars vs. others (though smaller total number)

EDUCATION - High School graduates had the highest number of crashes among all educational groups; a higher percentage of high school graduates were also in a crash when compared to the breakdown of other groups.

JOB - Blue collar workers had the highest number of crashes among all job groups; a higher percentage of blue collar workers were also in a crash when compared to the breakdown of other groups.

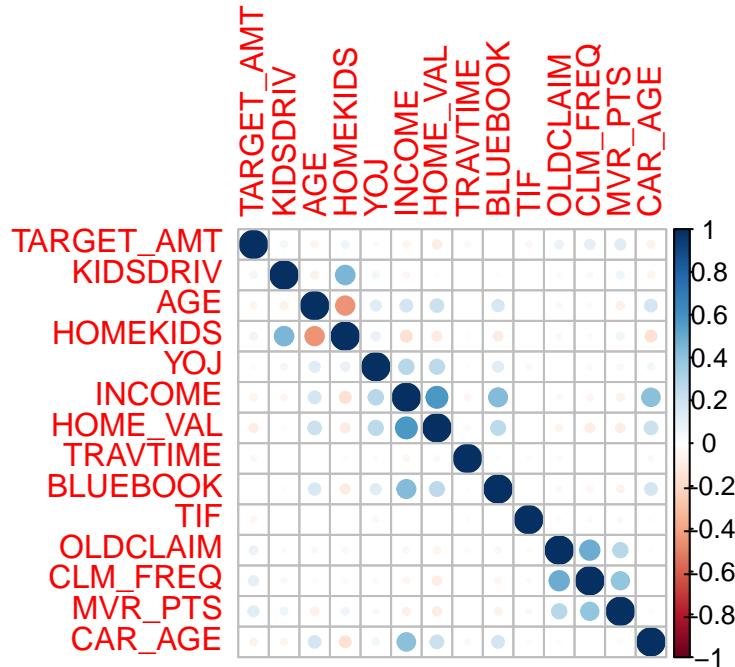
CAR_USE - A similar number of commercial and private policy holders that were involved in a crash, though private policies accounted for a smaller percentage of crashes within that group.

CARTYPE - SUV's had highest total number of crashes among all vehicle types and the second highest percentage when compared to other groups



Correlation Analysis

The correlation plot provides a graphical impression of the relationship between different numerical variables of the data set. The size and color of the circles convey the strength of the relationship. Dark blue circles indicate strong positive relationships, which predict that if one variable is increasing, so will the other. Dark red circles on the other hand produce negative high correlations, where the rise of one variable is accompanied by a fall in the other. Light-colored circles show weak or no correlation.



Plots suggest that TARGET_FLAG is not strongly correlated with most of the numeric features. Hence, no numeric feature is particularly useful to a customer to make a claim. What it says is perhaps claims will be predicted more accurately with a more advanced method, i.e., interactions, categorical features, or non-linear models.

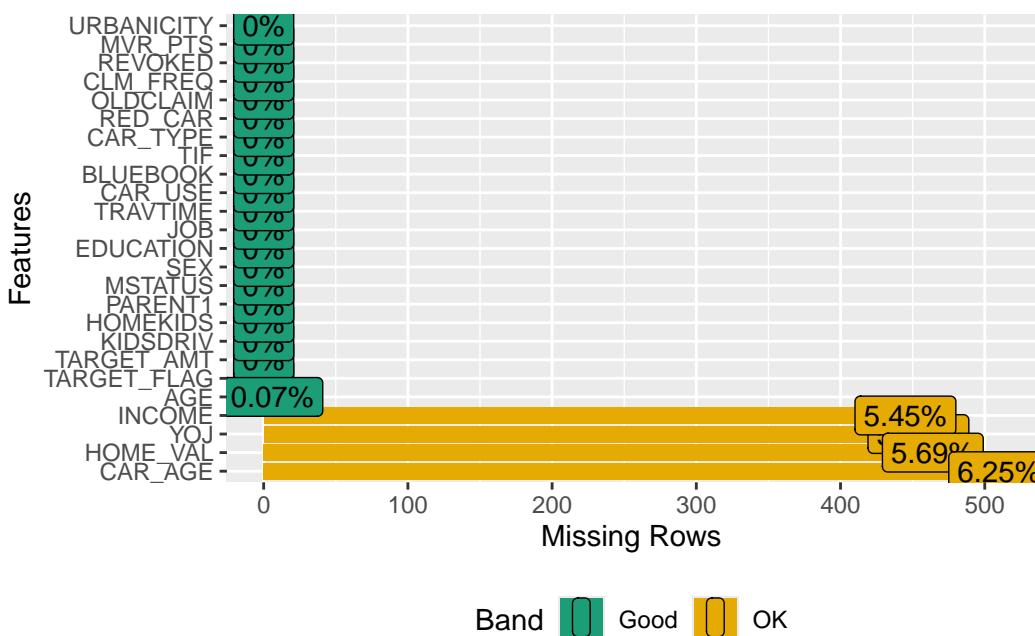
Moreover, some variables such as MVR PTS (Motor Vehicle Record Points) and CLM_FREQ (Claim Frequency) show high positive correlation. As would be expected—more holders of violations file more claims. Also, correlations such as AGE and HOMEKIDS or KIDSDRV reflect older people with children at home, a typical demographic pattern.

Knowledge of such relationships is helpful in model building and data preparation. Correlated variables cause multicollinearity in regression models, necessitating extra work in the form of variance inflation factor (VIF) testing to eliminate redundant information. Target_FLAG correlations also imply that other transformations, engineered features, or other sources of data might be helpful in enhancing predictiveness.

Missing Value Analysis

Missing values show that the data have missing values in relatively high counts of major variables, and most missing values exist in JOB (526 missing), CAR_AGE (510 missing), HOME_VAL (464 missing), INCOME (445 missing), YOJ (454 missing), and AGE (6 missing). Missing values may produce bias or weaken the ability of the model to predict unless appropriately handled.

TARGET_FLAG	TARGET_AMT	KIDSDRV	AGE	HOMEKIDS	YOJ
0	0	0	6	0	454
INCOME	PARENT1	HOME_VAL	MSTATUS	SEX	EDUCATION
445	0	464	0	0	0
JOB	TRAVTIME	CAR_USE	BLUEBOOK	TIF	CAR_TYPE
0	0	0	0	0	0
RED_CAR	OLDCLAIM	CLM_FREQ	REVOKE	MVR_PTS	CAR_AGE
0	0	0	0	0	510
URBANICITY					
0					



Missing values for large numbers for variables like JOB and HOME_VAL mean the work details weren't reported for certain customers or home values weren't reported. Missing values for YOJ and INCOME may be for self-employed or the ones having the wrong job history. For

CAR_AGE, missing values may be for new acquisitions or lease of automobiles where the age wasn't reported.

Depending on the count of missing values, different imputation methods will be needed. Quantitative features like AGE, INCOME, and CAR_AGE can be imputed with median to remove the impact of outliers, while features like JOB may require one extra "Unknown" value. Additionally, making missing value indicators for features like HOME_VAL will enable the model to learn missing value patterns and enhance the predictive power. Closing gaps like these in an efficient way is vital to achieve model reliability and precision.

DATA PREPARATION

Create Flags

```
# Create binary flags for missing values (1 = missing, 0 = not missing)
training_df <- training_df %>%
  mutate(
    YOJ_MISSING = ifelse(is.na(YOJ), 1, 0),
    INCOME_MISSING = ifelse(is.na(INCOME), 1, 0),
    HOME_VAL_MISSING = ifelse(is.na(HOME_VAL), 1, 0),
    CAR_AGE_MISSING = ifelse(is.na(CAR_AGE), 1, 0),
    JOB_MISSING = ifelse(JOB == "Unknown", 1, 0)
  )
```

Handling Missing Values

Missing values in key numeric columns (AGE, YOJ, INCOME, HOME_VAL, and CAR_AGE) are replaced with their respective medians. Data is preserved and no biased. We then convert YOJ, INCOME, HOME_VAL, and CAR_AGE into numeric to make it easier for managing in the list of upcoming transformations.

In addition, binary flags (YOJ_MISSING, INCOME_MISSING, HOME_VAL_MISSING, CAR_AGE_MISSING, JOB_MISSING) are built to indicate missing values in variables. This allows for models to detect missingness as a predictor.

```
training_df$AGE[is.na(training_df$AGE)] <- median(training_df$AGE, na.rm = TRUE)
training_df$YOJ[is.na(training_df$YOJ)] <- median(training_df$YOJ, na.rm = TRUE)
training_df$INCOME[is.na(training_df$INCOME)] <- median(training_df$INCOME, na.rm = TRUE)
training_df$HOME_VAL[is.na(training_df$HOME_VAL)] <- median(training_df$HOME_VAL, na.rm = TRUE)
training_df$CAR_AGE[is.na(training_df$CAR_AGE)] <- median(training_df$CAR_AGE, na.rm = TRUE)
```

```
colSums(is.na(training_df))
```

TARGET_FLAG	TARGET_AMT	KIDSDRV	AGE
0	0	0	0
HOMEKIDS	YOJ	INCOME	PARENT1
0	0	0	0
HOME_VAL	MSTATUS	SEX	EDUCATION
0	0	0	0
JOB	TRAVTIME	CAR_USE	BLUEBOOK
0	0	0	0
TIF	CAR_TYPE	RED_CAR	OLDCLAIM
0	0	0	0
CLM_FREQ	REVOKE	MVR_PTS	CAR_AGE
0	0	0	0
URBANICITY	YOJ_MISSING	INCOME_MISSING	HOME_VAL_MISSING
0	0	0	0
CAR_AGE_MISSING	JOB_MISSING		
0	0		

Feature Engineering

Some of the new features aim to capture meaningful relationships in the data:

AVG CLAIM: This is the feature that is created by dividing OLDCLAIM by CLM_FREQ so as to be able to interpret average payout per claim.

HIGH_RISK_CAR: Certain types of cars (e.g., “Sports Car”, “Luxury SUV”) are designated as high-risk by encoding them with a binary value of 1.

```
# Convert CAR_AGE and OLDCLAIM to numeric to avoid errors
training_df$CLM_FREQ <- as.numeric(training_df$CLM_FREQ)
training_df$OLDCLAIM <- as.numeric(training_df$OLDCLAIM)

# Ensure no division by zero when creating CLAIMS_PER_YEAR
training_df <- training_df %>%
  mutate(
    AVG_CLAIM = ifelse(!is.na(CLM_FREQ) & CLM_FREQ > 0, OLDCLAIM / CAR_AGE, OLDCLAIM)
  )

# Create a binary flag for high-risk car types
training_df <- training_df %>%
```

```

  mutate(
    HIGH_RISK_CAR = ifelse(CAR_TYPE %in% c("Sports Car", "Luxury SUV"), 1, 0)
  )

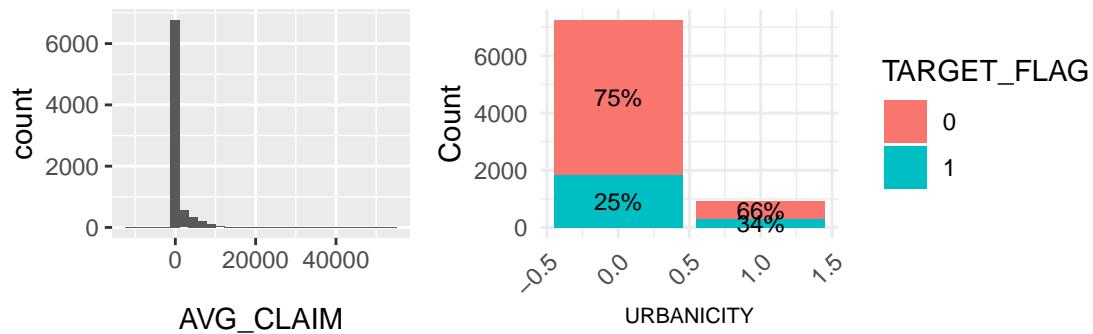
glimpse(training_df$AVG_CLAIM)

```

num [1:8161] 248 0 3869 0 1130 ...

`stat_bin()` using `bins = 30`. Pick better value with `binwidth`.

Warning: Removed 2 rows containing non-finite outside the scale range
(`stat_bin()`).



Transform data

Skewed numerical attributes are log-transformed to stabilize their distributions:

LOG_BLUEBOOK (log-transformed value of the vehicle),

LOG_OLDCLAIM (log-transformed old claims),

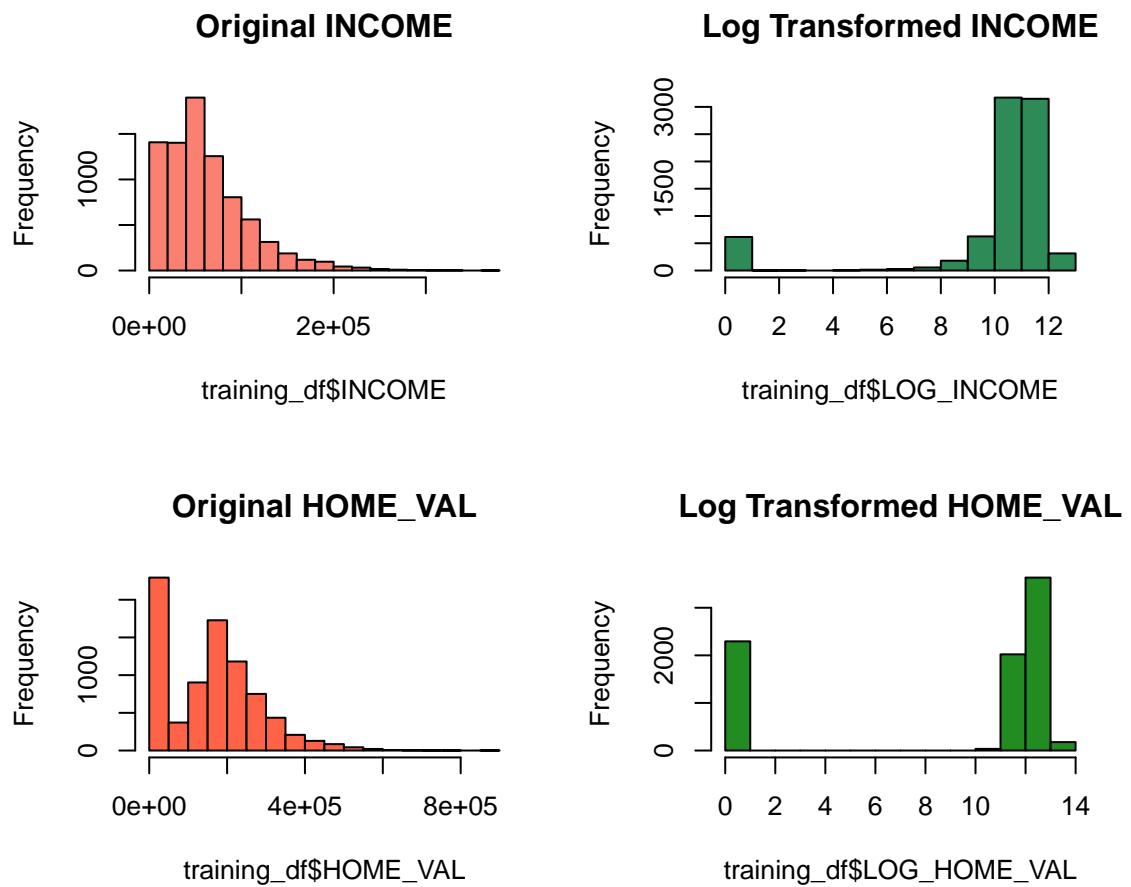
LOG_INCOME (log-transformed income). NA values are substituted with a small positive constant (0.01) before applying the log transformation to prevent computation errors.

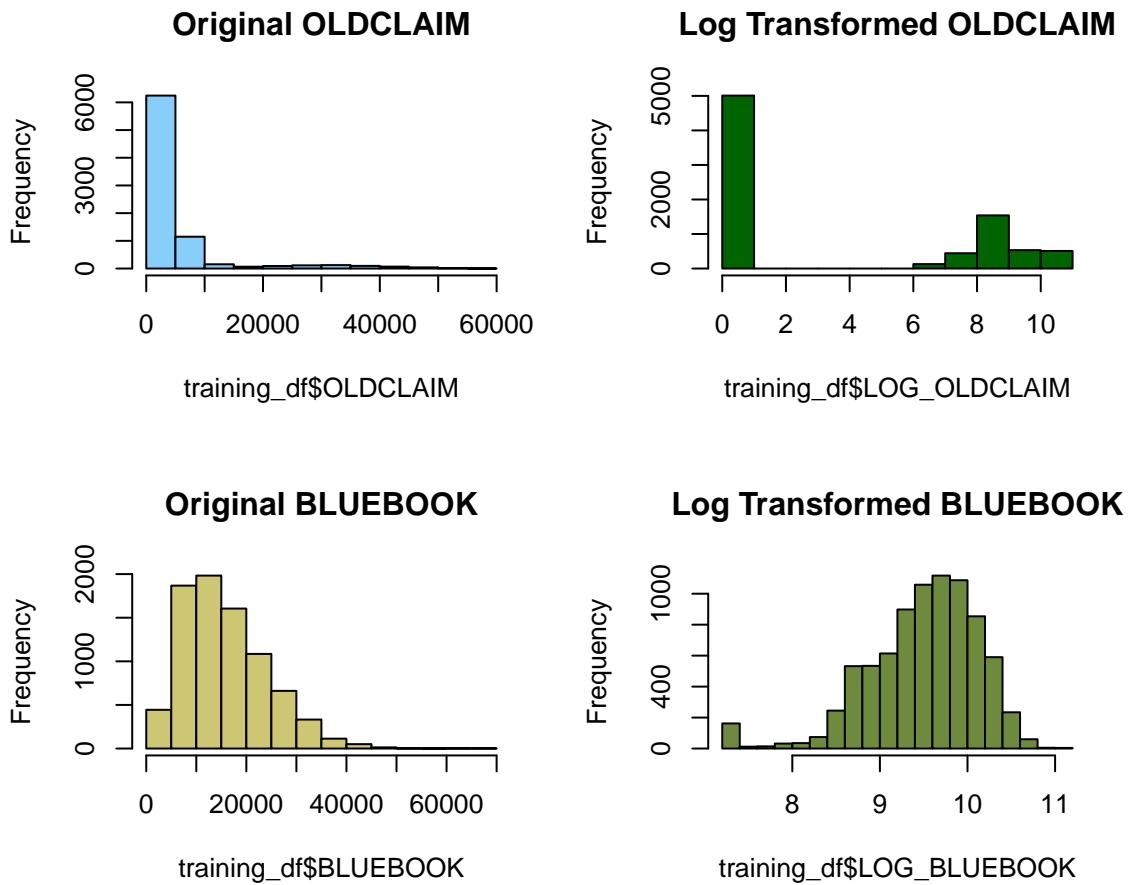
LOG_HOME_VAL (log-transformed home value)

```
# Handle NA values before log transformation
training_df <- training_df %>%
  mutate(
    BLUEBOOK = ifelse(is.na(BLUEBOOK), 0.01, BLUEBOOK),
    OLDCLAIM = ifelse(is.na(OLDCLAIM), 0.01, OLDCLAIM),
    INCOME = ifelse(is.na(INCOME), 0.01, INCOME),
    HOME_VAL = ifelse(is.na(HOME_VAL), 0.01, HOME_VAL),
    LOG_BLUEBOOK = log1p(BLUEBOOK),
    LOG_OLDCLAIM = log1p(OLDCLAIM),
    LOG_INCOME = log1p(INCOME),
    LOG_HOME_VAL = log1p(HOME_VAL)
  )
```

Compare Before and After Transformation

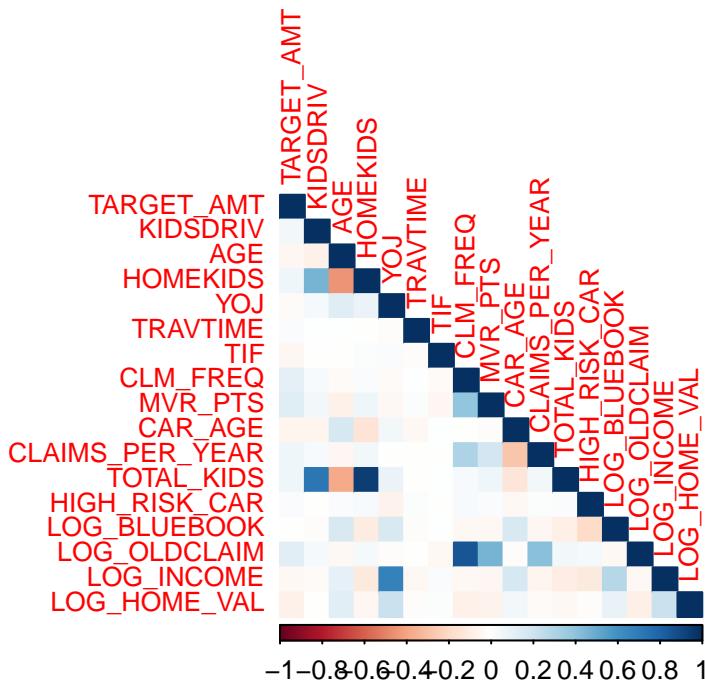
The charts below show the distributions for the values of the INCOME, HOME_VAL, OLD-CLAIM, and BLUEBOOK parameters before and after applying a log transformation.





Check Variable Correlations (Multicollinearity Insight)

This updated Correlation Matrix shows correlation values for all numerical values including our log transformed values and our new variables. The matrix below shows that there is high correlation between LOG_OLDCLAIM and CLM_FREQ (Claim frequency) and LOG_INCOME and YOJ (Years on Job). There is moderate correlation between our HOMEKIDS, KIDSDRV (Kids driving) and AGE.



Categorical Groupings

Categorical groupings are created to reduce numerical variables: AGE_GROUP: Four age groups—Young (25), Adult (26-40), Middle-Aged (41-60), and Senior (>60)—categorize individuals.

INCOME_GROUP: Income is divided into four quantile-based groups (Low, Medium, High, Very High) such that there is an equal share of income levels.

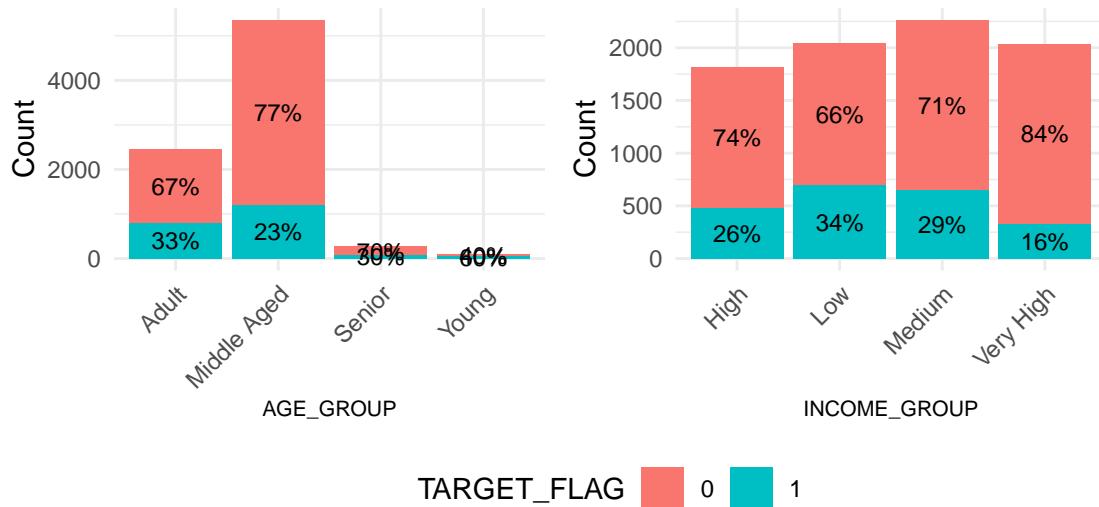
```
# Transform data by putting it into buckets using case_when
training_df <- training_df %>%
  mutate(
    AGE_GROUP = case_when(
      AGE <= 25 ~ "Young",
      AGE > 25 & AGE <= 40 ~ "Adult",
      AGE > 40 & AGE <= 60 ~ "Middle Aged",
      AGE > 60 ~ "Senior",
      TRUE ~ NA_character_ # Handle missing values
    )
  )
```

```

# Fix Income Grouping - Ensure proper quantile calculation
income_quantiles <- quantile(training_df$INCOME, probs = seq(0, 1, 0.25), na.rm = TRUE)

training_df <- training_df %>%
  mutate(
    INCOME_GROUP = case_when(
      INCOME <= income_quantiles[2] ~ "Low",
      INCOME > income_quantiles[2] & INCOME <= income_quantiles[3] ~ "Medium",
      INCOME > income_quantiles[3] & INCOME <= income_quantiles[4] ~ "High",
      INCOME > income_quantiles[4] ~ "Very High",
      TRUE ~ NA_character_
    )
  )

```



Creating New Features:

To capture relationships between features more effectively, new ratio-based features are formed:

CLAIMS_INCOME_RATIO: Indicates the proportion of old claims relative to income.

VEHICLE_VALUE_TO_INCOME: Indicates how cheap the vehicle is relative to income.

CLAIMS_TO_MVR PTS: Prior claims quantity per vehicle record to indicate the severity of prior offenses.

Also an estimated risk score by averaging important risk indicators (MVR PTS, CLM_FREQ, HIGH_RISK_CAR, and REVOKED). The risk score forms a composite measure of the subject's risk level.

```
# Ensure no division by zero when creating ratios
training_df <- training_df %>%
  mutate(
    CLAIMS_INCOME_RATIO = ifelse(INCOME > 0, OLDCLAIM / INCOME, NA),
    VEHICLE_VALUE_TO_INCOME = ifelse(INCOME > 0, BLUEBOOK / INCOME, NA),
    CLAIMS_TO_MVR PTS = ifelse(MVR PTS > 0, OLDCLAIM / MVR PTS, NA)
  )

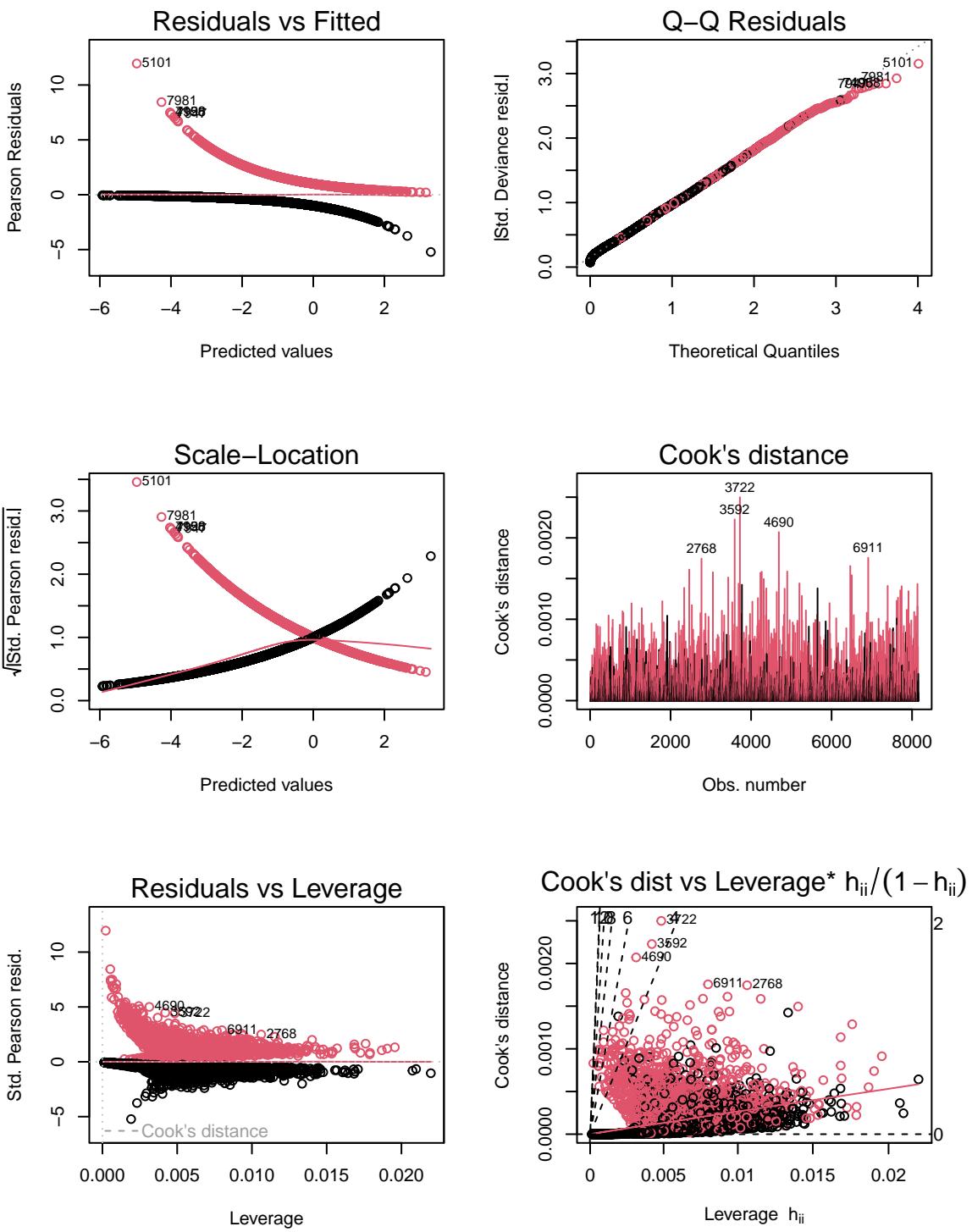
# Create a risk score by combining various indicators
training_df <- training_df %>%
  mutate(
    RISK_SCORE = (as.numeric(MVR PTS) * 0.4) + (as.numeric(CLM_FREQ) * 0.3) + (as.numeric(HIGH_RISK_CAR) * 0.3)
  )
```

Checking for Outliers

We will fit a base model that includes all 23 original variables without any transformations. We will use this model to check for outliers using the Cook's Distance test. Below we see the output of the 10 observations with the highest Cook's Distance values.

```
Rows: 10
Columns: 7
$ index      <int> 3722, 3592, 4690, 6911, 2768, 6465, 2464, 4898, 4265, 3051
$ .fitted     <dbl> -2.966839, -2.994046, -3.217335, -2.104933, -1.810303, -3.2~
$ .resid      <dbl> 2.456430, 2.466948, 2.552103, 2.107090, 1.980821, 2.563574, ~
$ .hat        <dbl> 0.004839881, 0.004203504, 0.003133085, 0.007998736, 0.01061~
$ .sigma       <dbl> 0.9474993, 0.9474961, 0.9474687, 0.9476024, 0.9476355, 0.94~
$ .cooksdi    <dbl> 0.002498889, 0.002227328, 0.002071025, 0.001755391, 0.00174~
$ .std.resid   <dbl> 2.462396, 2.472149, 2.556111, 2.115568, 1.991422, 2.566696, ~
```

The diagnostic plots on the following page show that point 5101 stands out in our Residuals vs. Fitted and Scale Location plots. However, when take a closer look at some our other diagnostic plots and we don't see this point within the 10 highest Cook's distance values. Our Cook's distance values and respective plot shows that none of our points is an extreme outlier. Examining our Cook's distance vs Leverage plot doesn't present evidence of the presence of outliers with high leverage.



MODEL BUILDING

Binary Logistic Regression Models for TARGET_FLAG

We use `glm()` with `family = binomial` for logistic regression. This model predicts the probability of a crash (1). We are predicting TARGET_FLAG (binary: 1 = made a claim, 0 = no claim).

Model 1: Log Transformed Model

The log transformed model includes 19 our original variables and uses four log transformed variables: LOG_BLUEBOOK, LOG_HOME_VAL, LOG_INCOME, LOG_OLDCLAIM.

Call:

```
glm(formula = TARGET_FLAG ~ AGE + LOG_BLUEBOOK + CAR_AGE + CAR_TYPE +  
    CAR_USE + CLM_FREQ + EDUCATION + HOMEKIDS + LOG_HOME_VAL +  
    LOG_INCOME + JOB + KIDSDRIV + MSTATUS + MVR_PTS + LOG_OLDCLAIM +  
    PARENT1 + RED_CAR + REVOKED + SEX + TIF + TRAVTIME + URBANICITY +  
    YOJ, family = binomial, data = training_df)
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z)
(Intercept)	3.0401191	0.6189290	4.912	9.02e-07 ***
AGE	-0.0034867	0.0040448	-0.862	0.388684
LOG_BLUEBOOK	-0.3107452	0.0589589	-5.271	1.36e-07 ***
CAR_AGE	-0.0009956	0.0075215	-0.132	0.894697
CAR_TYPEPanel Truck	0.4874984	0.1501870	3.246	0.001171 **
CAR_TYPEPickup	0.5885180	0.1005952	5.850	4.91e-09 ***
CAR_TYPESports Car	1.0265903	0.1279633	8.023	1.04e-15 ***
CAR_TYPESUV	0.8080301	0.1076172	7.508	5.99e-14 ***
CAR_TYPEVan	0.6195414	0.1251736	4.949	7.44e-07 ***
CAR_USEPrivate	-0.7543996	0.0920903	-8.192	2.57e-16 ***
CLM_FREQ	0.0903450	0.0434843	2.078	0.037742 *
EDUCATIONBachelors	-0.4107709	0.1147459	-3.580	0.000344 ***
EDUCATIONHigh School	0.0265010	0.0954495	0.278	0.781285
EDUCATIONMasters	-0.3611188	0.1777855	-2.031	0.042234 *
EDUCATIONPhD	-0.3871715	0.2067055	-1.873	0.061060 .
HOMEKIDS	0.0241261	0.0374774	0.644	0.519737
LOG_HOME_VAL	-0.0291342	0.0069015	-4.221	2.43e-05 ***
LOG_INCOME	-0.0937313	0.0176949	-5.297	1.18e-07 ***
JOBClerical	0.1404673	0.1056664	1.329	0.183734
JOBDoctor	-0.7776908	0.2861833	-2.717	0.006579 **

JOBHome Maker	-0.2547855	0.1646928	-1.547	0.121855
JOBLawyer	-0.2227525	0.1877111	-1.187	0.235355
JOBManager	-0.9057062	0.1397265	-6.482	9.05e-11 ***
JOBProfessional	-0.1722614	0.1196742	-1.439	0.150031
JOBStudent	-0.3997931	0.1461271	-2.736	0.006220 **
JOBUnknown	-0.3927425	0.1845650	-2.128	0.033342 *
KIDSDRV	0.4036578	0.0612752	6.588	4.47e-11 ***
MSTATUSYes	-0.4812207	0.0866989	-5.550	2.85e-08 ***
MVR_PTS	0.1020655	0.0140545	7.262	3.81e-13 ***
LOG_OLDCLAIM	0.0225774	0.0124662	1.811	0.070128 .
PARENT1Yes	0.3747205	0.1096208	3.418	0.000630 ***
RED_CARYes	-0.0149001	0.0863243	-0.173	0.862961
REVOKEDYes	0.7000443	0.0814072	8.599	< 2e-16 ***
SEXM	0.1102954	0.1081743	1.020	0.307914
TIF	-0.0545220	0.0073385	-7.430	1.09e-13 ***
TRAVTIME	0.0148258	0.0018877	7.854	4.03e-15 ***
URBANICITYUrban	-2.3978262	0.1138054	-21.070	< 2e-16 ***
YOJ	0.0202910	0.0108561	1.869	0.061611 .

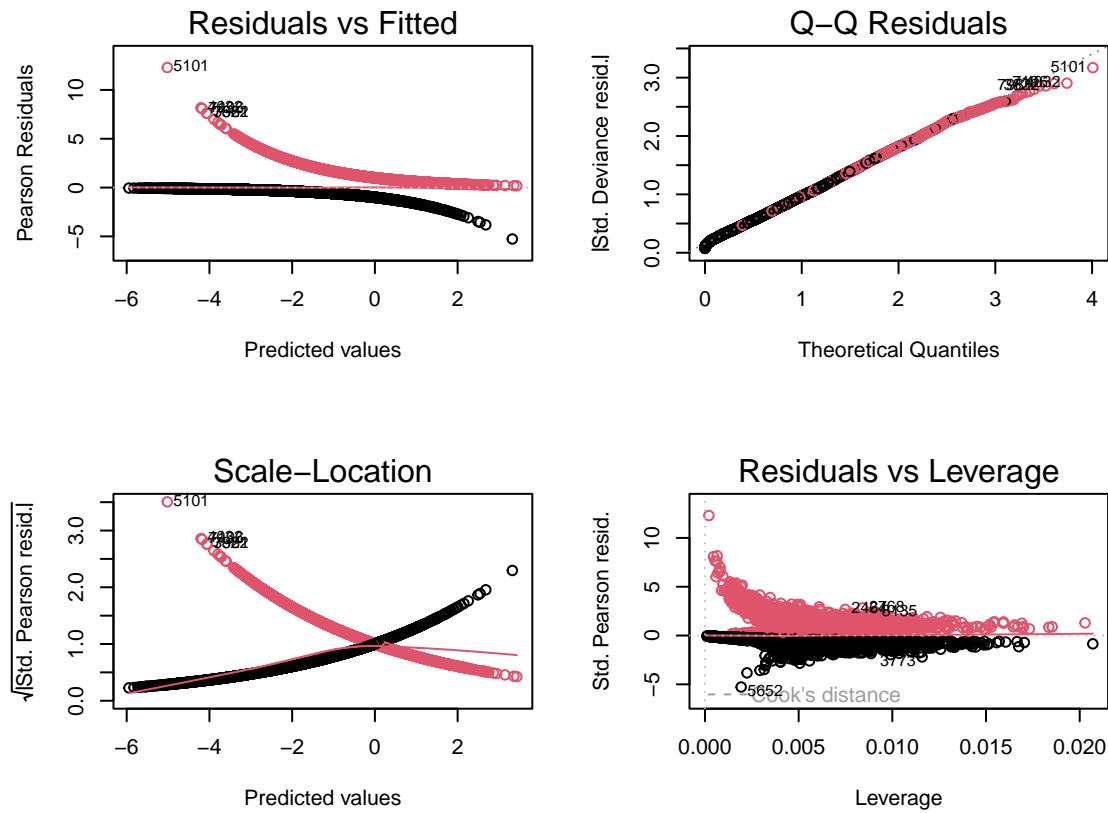
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

Null deviance: 9418 on 8160 degrees of freedom
 Residual deviance: 7289 on 8123 degrees of freedom
 AIC: 7365

Number of Fisher Scoring iterations: 5

Diagnostics Plots



Model 2: Stepwise Selected Log Transformed Model

We applied backward selection to the Log Transformed Model (model 1) to obtain a simplified model that removes the majority of the variables with little statistical significance. while trying to find a low AIC value. The AIC value for model 2 is 7357.7 while our original log transformed model had an AIC value of 7364.97. AIC is just one measure that we will use to evaluate and select our final model in section 4 of this work, but it is worth noting here as a preliminary point of comparison as we build our models.

Start: AIC=7364.97

```
TARGET_FLAG ~ AGE + LOG_BLUEBOOK + CAR_AGE + CAR_TYPE + CAR_USE +
CLM_FREQ + EDUCATION + HOMEKIDS + LOG_HOME_VAL + LOG_INCOME +
JOB + KIDSDRV + MSTATUS + MVR_PTS + LOG_OLDCLAIM + PARENT1 +
RED_CAR + REVOKED + SEX + TIF + TRAVTIME + URBANICITY + YOJ
```

	Df	Deviance	AIC
- CAR_AGE	1	7289.0	7363.0
- RED_CAR	1	7289.0	7363.0
- HOMEKIDS	1	7289.4	7363.4
- AGE	1	7289.7	7363.7
- SEX	1	7290.0	7364.0
<none>		7289.0	7365.0
- LOG_OLDCLAIM	1	7292.2	7366.2
- YOJ	1	7292.5	7366.5
- CLM_FREQ	1	7293.3	7367.3
- PARENT1	1	7300.7	7374.7
- LOG_HOME_VAL	1	7306.9	7380.9
- EDUCATION	4	7314.1	7382.1
- LOG_BLUEBOOK	1	7316.5	7390.5
- LOG_INCOME	1	7317.5	7391.5
- MSTATUS	1	7319.4	7393.4
- KIDSDRV	1	7332.4	7406.4
- MVR_PTS	1	7342.1	7416.1
- TIF	1	7346.2	7420.2
- TRAVTIME	1	7350.9	7424.9
- JOB	8	7366.2	7426.2
- CAR_USE	1	7357.1	7431.1
- REVOKED	1	7361.7	7435.7
- CAR_TYPE	5	7382.7	7448.7
- URBANICITY	1	7926.6	8000.6

Step: AIC=7362.99

```
TARGET_FLAG ~ AGE + LOG_BLUEBOOK + CAR_TYPE + CAR_USE + CLM_FREQ +
EDUCATION + HOMEKIDS + LOG_HOME_VAL + LOG_INCOME + JOB +
```

KIDSDRV + MSTATUS + MVR PTS + LOG_OLDCLAIM + PARENT1 + RED_CAR +
 REVOKED + SEX + TIF + TRAVTIME + URBANICITY + YOJ

	Df	Deviance	AIC
- RED_CAR	1	7289.0	7361.0
- HOMEKIDS	1	7289.4	7361.4
- AGE	1	7289.7	7361.7
- SEX	1	7290.0	7362.0
<none>		7289.0	7363.0
- LOG_OLDCLAIM	1	7292.3	7364.3
- YOJ	1	7292.5	7364.5
- CLM_FREQ	1	7293.3	7365.3
- PARENT1	1	7300.7	7372.7
- LOG_HOME_VAL	1	7306.9	7378.9
- EDUCATION	4	7319.7	7385.7
- LOG_BLUEBOOK	1	7316.5	7388.5
- LOG_INCOME	1	7317.6	7389.6
- MSTATUS	1	7319.4	7391.4
- KIDSDRV	1	7332.4	7404.4
- MVR PTS	1	7342.1	7414.1
- TIF	1	7346.2	7418.2
- TRAVTIME	1	7350.9	7422.9
- JOB	8	7366.2	7424.2
- CAR_USE	1	7357.2	7429.2
- REVOKED	1	7361.7	7433.7
- CAR_TYPE	5	7382.8	7446.8
- URBANICITY	1	7926.6	7998.6

Step: AIC=7361.02

TARGET_FLAG ~ AGE + LOG_BLUEBOOK + CAR_TYPE + CAR_USE + CLM_FREQ +
 EDUCATION + HOMEKIDS + LOG_HOME_VAL + LOG_INCOME + JOB +
 KIDSDRV + MSTATUS + MVR PTS + LOG_OLDCLAIM + PARENT1 + REVOKED +
 SEX + TIF + TRAVTIME + URBANICITY + YOJ

	Df	Deviance	AIC
- HOMEKIDS	1	7289.4	7359.4
- AGE	1	7289.8	7359.8
- SEX	1	7290.2	7360.2
<none>		7289.0	7361.0
- LOG_OLDCLAIM	1	7292.3	7362.3
- YOJ	1	7292.5	7362.5
- CLM_FREQ	1	7293.3	7363.3
- PARENT1	1	7300.8	7370.8

- LOG_HOME_VAL	1	7306.9	7376.9
- EDUCATION	4	7319.8	7383.8
- LOG_BLUEBOOK	1	7316.5	7386.5
- LOG_INCOME	1	7317.6	7387.6
- MSTATUS	1	7319.4	7389.4
- KIDSDRV	1	7332.5	7402.5
- MVR_PTS	1	7342.1	7412.1
- TIF	1	7346.2	7416.2
- TRAVTIME	1	7350.9	7420.9
- JOB	8	7366.4	7422.4
- CAR_USE	1	7357.2	7427.2
- REVOKED	1	7361.7	7431.7
- CAR_TYPE	5	7383.0	7445.0
- URBANICITY	1	7926.6	7996.6

Step: AIC=7359.43

TARGET_FLAG ~ AGE + LOG_BLUEBOOK + CAR_TYPE + CAR_USE + CLM_FREQ +
 EDUCATION + LOG_HOME_VAL + LOG_INCOME + JOB + KIDSDRV +
 MSTATUS + MVR_PTS + LOG_OLDCLAIM + PARENT1 + REVOKED + SEX +
 TIF + TRAVTIME + URBANICITY + YOJ

	Df	Deviance	AIC
- SEX	1	7290.5	7358.5
- AGE	1	7290.9	7358.9
<none>		7289.4	7359.4
- LOG_OLDCLAIM	1	7292.7	7360.7
- CLM_FREQ	1	7293.7	7361.7
- YOJ	1	7293.8	7361.8
- PARENT1	1	7305.9	7373.9
- LOG_HOME_VAL	1	7307.4	7375.4
- EDUCATION	4	7320.2	7382.2
- LOG_BLUEBOOK	1	7317.0	7385.0
- LOG_INCOME	1	7319.4	7387.4
- MSTATUS	1	7319.8	7387.8
- MVR_PTS	1	7342.6	7410.6
- TIF	1	7346.5	7414.5
- KIDSDRV	1	7347.2	7415.2
- TRAVTIME	1	7351.2	7419.2
- JOB	8	7366.8	7420.8
- CAR_USE	1	7357.7	7425.7
- REVOKED	1	7362.4	7430.4
- CAR_TYPE	5	7383.6	7443.6
- URBANICITY	1	7926.8	7994.8

Step: AIC=7358.54

TARGET_FLAG ~ AGE + LOG_BLUEBOOK + CAR_TYPE + CAR_USE + CLM_FREQ +
EDUCATION + LOG_HOME_VAL + LOG_INCOME + JOB + KIDSDRV +
MSTATUS + MVR_PTS + LOG_OLDCLAIM + PARENT1 + REVOKED + TIF +
TRAVTIME + URBANICITY + YOJ

	Df	Deviance	AIC
- AGE	1	7291.7	7357.7
<none>		7290.5	7358.5
- LOG_OLDCLAIM	1	7293.8	7359.8
- CLM_FREQ	1	7294.9	7360.9
- YOJ	1	7294.9	7360.9
- PARENT1	1	7306.9	7372.9
- LOG_HOME_VAL	1	7308.4	7374.4
- EDUCATION	4	7321.4	7381.4
- LOG_INCOME	1	7320.7	7386.7
- MSTATUS	1	7321.0	7387.0
- LOG_BLUEBOOK	1	7326.6	7392.6
- MVR_PTS	1	7343.6	7409.6
- TIF	1	7347.6	7413.6
- KIDSDRV	1	7347.9	7413.9
- TRAVTIME	1	7352.5	7418.5
- JOB	8	7367.7	7419.7
- CAR_USE	1	7358.5	7424.5
- REVOKED	1	7363.8	7429.8
- CAR_TYPE	5	7400.2	7458.2
- URBANICITY	1	7928.3	7994.3

Step: AIC=7357.71

TARGET_FLAG ~ LOG_BLUEBOOK + CAR_TYPE + CAR_USE + CLM_FREQ +
EDUCATION + LOG_HOME_VAL + LOG_INCOME + JOB + KIDSDRV +
MSTATUS + MVR_PTS + LOG_OLDCLAIM + PARENT1 + REVOKED + TIF +
TRAVTIME + URBANICITY + YOJ

	Df	Deviance	AIC
<none>		7291.7	7357.7
- LOG_OLDCLAIM	1	7295.0	7359.0
- YOJ	1	7295.6	7359.6
- CLM_FREQ	1	7296.0	7360.0
- LOG_HOME_VAL	1	7309.9	7373.9
- PARENT1	1	7312.9	7376.9
- EDUCATION	4	7323.0	7381.0

- LOG_INCOME	1	7321.1	7385.1
- MSTATUS	1	7321.4	7385.4
- LOG_BLUEBOOK	1	7329.5	7393.5
- MVR PTS	1	7345.4	7409.4
- TIF	1	7348.6	7412.6
- KIDSDRV	1	7348.8	7412.8
- TRAVTIME	1	7353.2	7417.2
- JOB	8	7370.3	7420.3
- CAR_USE	1	7359.4	7423.4
- REVOKED	1	7365.3	7429.3
- CAR_TYPE	5	7400.6	7456.6
- URBANICITY	1	7931.1	7995.1

Call:

```
glm(formula = TARGET_FLAG ~ LOG_BLUEBOOK + CAR_TYPE + CAR_USE +
CLM_FREQ + EDUCATION + LOG_HOME_VAL + LOG_INCOME + JOB +
KIDSDRV + MSTATUS + MVR PTS + LOG_OLDCLAIM + PARENT1 + REVOKED +
TIF + TRAVTIME + URBANICITY + YOJ, family = binomial, data = training_df)
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z)
(Intercept)	3.215131	0.549675	5.849	4.94e-09 ***
LOG_BLUEBOOK	-0.338298	0.054800	-6.173	6.69e-10 ***
CAR_TYPEPanel Truck	0.533434	0.143997	3.704	0.000212 ***
CAR_TYPEPickup	0.587607	0.100499	5.847	5.01e-09 ***
CAR_TYPESports Car	0.950929	0.107973	8.807	< 2e-16 ***
CAR_TYPESUV	0.739915	0.085747	8.629	< 2e-16 ***
CAR_TYPEVan	0.651315	0.121822	5.346	8.97e-08 ***
CAR_USEPrivate	-0.751293	0.092016	-8.165	3.22e-16 ***
CLM_FREQ	0.089724	0.043461	2.064	0.038973 *
EDUCATIONBachelors	-0.419593	0.107943	-3.887	0.000101 ***
EDUCATIONHigh School	0.023430	0.095139	0.246	0.805470
EDUCATIONMasters	-0.381190	0.160061	-2.382	0.017241 *
EDUCATIONPhD	-0.419251	0.192054	-2.183	0.029037 *
LOG_HOME_VAL	-0.029360	0.006897	-4.257	2.07e-05 ***
LOG_INCOME	-0.093978	0.017465	-5.381	7.41e-08 ***
JOBClerical	0.145110	0.105466	1.376	0.168855
JOBDoctor	-0.783083	0.285877	-2.739	0.006158 **
JOBHome Maker	-0.277361	0.163372	-1.698	0.089560 .
JOBLawyer	-0.235519	0.187401	-1.257	0.208838
JOBManager	-0.916285	0.139426	-6.572	4.97e-11 ***

```

JOBProfessional -0.181549  0.119448 -1.520 0.128537
JOBStudent      -0.392047  0.145675 -2.691 0.007119 **
JOBUnknown      -0.394500  0.184473 -2.139 0.032474 *
KIDSDRV         0.418492  0.055100  7.595 3.08e-14 ***
MSTATUSYes       -0.461593  0.084059 -5.491 3.99e-08 ***
MVR_PTS          0.102545  0.014041  7.303 2.81e-13 ***
LOG_OLDCLAIM    0.022779  0.012461  1.828 0.067558 .
PARENT1Yes      0.435845  0.094725  4.601 4.20e-06 ***
REVOKEDEYes     0.704002  0.081371  8.652 < 2e-16 ***
TIF              -0.054339  0.007335 -7.408 1.29e-13 ***
TRAVTIME         0.014768  0.001886  7.829 4.91e-15 ***
URBANICITYUrban -2.401382  0.113860 -21.091 < 2e-16 ***
YOJ              0.020598  0.010437  1.974 0.048429 *
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

```

(Dispersion parameter for binomial family taken to be 1)

```

Null deviance: 9418.0 on 8160 degrees of freedom
Residual deviance: 7291.7 on 8128 degrees of freedom
AIC: 7357.7

```

Number of Fisher Scoring iterations: 5

[1] 7357.708

Model 3: Using Categorical Groupings

For model 3, we substituted AGE and INCOME with our categorically grouped variables AGE_GROUP and INCOME_GROUP and used all of the other predictors from our Log Transformed model. We again used backward selection to obtain a simplified model. This model yields an AIC value of 7327.1

```

Start:  AIC=7335.06
TARGET_FLAG ~ AGE_GROUP + LOG_BLUEBOOK + CAR_AGE + CAR_TYPE +
CAR_USE + CLM_FREQ + EDUCATION + HOMEKIDS + LOG_HOME_VAL +
INCOME_GROUP + JOB + KIDSDRV + MSTATUS + MVR_PTS + LOG_OLDCLAIM +
PARENT1 + RED_CAR + REVOKEDE + SEX + TIF + TRAVTIME + URBANICITY +
YOJ

```

	Df	Deviance	AIC
- CAR_AGE	1	7251.1	7333.1

- SEX	1	7251.2	7333.2
- HOMEKIDS	1	7251.3	7333.3
- RED_CAR	1	7251.3	7333.3
- YOJ	1	7252.8	7334.8
<none>		7251.1	7335.1
- LOG_OLDCLAIM	1	7254.3	7336.3
- CLM_FREQ	1	7255.3	7337.3
- PARENT1	1	7260.0	7342.0
- EDUCATION	4	7271.5	7347.5
- LOG_HOME_VAL	1	7267.8	7349.8
- INCOME_GROUP	3	7279.6	7357.6
- MSTATUS	1	7279.8	7361.8
- LOG_BLUEBOOK	1	7280.0	7362.0
- AGE_GROUP	3	7284.9	7362.9
- MVR PTS	1	7298.0	7380.0
- JOB	8	7315.1	7383.1
- KIDSDRIV	1	7302.8	7384.8
- TIF	1	7311.0	7393.0
- TRAVTIME	1	7313.2	7395.2
- CAR_USE	1	7322.0	7404.0
- CAR_TYPE	5	7331.3	7405.3
- REVOKED	1	7324.7	7406.7
- URBANICITY	1	7889.9	7971.9

Step: AIC=7333.07

TARGET_FLAG ~ AGE_GROUP + LOG_BLUEBOOK + CAR_TYPE + CAR_USE +
 CLM_FREQ + EDUCATION + HOMEKIDS + LOG_HOME_VAL + INCOME_GROUP +
 JOB + KIDSDRIV + MSTATUS + MVR PTS + LOG_OLDCLAIM + PARENT1 +
 RED_CAR + REVOKED + SEX + TIF + TRAVTIME + URBANICITY + YOJ

	Df	Deviance	AIC
- SEX	1	7251.2	7331.2
- HOMEKIDS	1	7251.3	7331.3
- RED_CAR	1	7251.3	7331.3
- YOJ	1	7252.8	7332.8
<none>		7251.1	7333.1
- LOG_OLDCLAIM	1	7254.3	7334.3
- CLM_FREQ	1	7255.3	7335.3
- PARENT1	1	7260.0	7340.0
- LOG_HOME_VAL	1	7267.8	7347.8
- EDUCATION	4	7274.7	7348.7
- INCOME_GROUP	3	7279.6	7355.6
- MSTATUS	1	7279.8	7359.8

- LOG_BLUEBOOK	1	7280.0	7360.0
- AGE_GROUP	3	7284.9	7360.9
- MVR PTS	1	7298.0	7378.0
- JOB	8	7315.1	7381.1
- KIDSDRV	1	7302.8	7382.8
- TIF	1	7311.1	7391.1
- TRAVTIME	1	7313.2	7393.2
- CAR_USE	1	7322.0	7402.0
- CAR_TYPE	5	7331.4	7403.4
- REVOKED	1	7324.8	7404.8
- URBANICITY	1	7889.9	7969.9

Step: AIC=7331.25

TARGET_FLAG ~ AGE_GROUP + LOG_BLUEBOOK + CAR_TYPE + CAR_USE +
CLM_FREQ + EDUCATION + HOMEKIDS + LOG_HOME_VAL + INCOME_GROUP +
JOB + KIDSDRV + MSTATUS + MVR PTS + LOG_OLDCLAIM + PARENT1 +
RED_CAR + REVOKED + TIF + TRAVTIME + URBANICITY + YOJ

	Df	Deviance	AIC
- RED_CAR	1	7251.4	7329.4
- HOMEKIDS	1	7251.5	7329.5
- YOJ	1	7253.0	7331.0
<none>		7251.2	7331.2
- LOG_OLDCLAIM	1	7254.5	7332.5
- CLM_FREQ	1	7255.4	7333.4
- PARENT1	1	7260.2	7338.2
- LOG_HOME_VAL	1	7268.0	7346.0
- EDUCATION	4	7274.9	7346.9
- INCOME_GROUP	3	7279.9	7353.9
- MSTATUS	1	7280.1	7358.1
- AGE_GROUP	3	7285.5	7359.5
- LOG_BLUEBOOK	1	7284.9	7362.9
- MVR PTS	1	7298.1	7376.1
- JOB	8	7315.2	7379.2
- KIDSDRV	1	7303.0	7381.0
- TIF	1	7311.2	7389.2
- TRAVTIME	1	7313.5	7391.5
- CAR_USE	1	7322.1	7400.1
- REVOKED	1	7325.0	7403.0
- CAR_TYPE	5	7339.0	7409.0
- URBANICITY	1	7890.2	7968.2

Step: AIC=7329.38

TARGET_FLAG ~ AGE_GROUP + LOG_BLUEBOOK + CAR_TYPE + CAR_USE +
 CLM_FREQ + EDUCATION + HOMEKIDS + LOG_HOME_VAL + INCOME_GROUP +
 JOB + KIDSDRV + MSTATUS + MVR_PTS + LOG_OLDCLAIM + PARENT1 +
 REVOKED + TIF + TRAVTIME + URBANICITY + YOJ

	Df	Deviance	AIC
- HOMEKIDS	1	7251.6	7327.6
- YOJ	1	7253.1	7329.1
<none>		7251.4	7329.4
- LOG_OLDCLAIM	1	7254.6	7330.6
- CLM_FREQ	1	7255.5	7331.5
- PARENT1	1	7260.4	7336.4
- LOG_HOME_VAL	1	7268.1	7344.1
- EDUCATION	4	7275.1	7345.1
- INCOME_GROUP	3	7280.0	7352.0
- MSTATUS	1	7280.1	7356.1
- AGE_GROUP	3	7285.6	7357.6
- LOG_BLUEBOOK	1	7285.6	7361.6
- MVR_PTS	1	7298.3	7374.3
- JOB	8	7315.6	7377.6
- KIDSDRV	1	7303.2	7379.2
- TIF	1	7311.3	7387.3
- TRAVTIME	1	7313.6	7389.6
- CAR_USE	1	7322.3	7398.3
- REVOKED	1	7325.1	7401.1
- CAR_TYPE	5	7348.8	7416.8
- URBANICITY	1	7890.2	7966.2

Step: AIC=7327.58

TARGET_FLAG ~ AGE_GROUP + LOG_BLUEBOOK + CAR_TYPE + CAR_USE +
 CLM_FREQ + EDUCATION + LOG_HOME_VAL + INCOME_GROUP + JOB +
 KIDSDRV + MSTATUS + MVR_PTS + LOG_OLDCLAIM + PARENT1 + REVOKED +
 TIF + TRAVTIME + URBANICITY + YOJ

	Df	Deviance	AIC
- YOJ	1	7253.1	7327.1
<none>		7251.6	7327.6
- LOG_OLDCLAIM	1	7254.9	7328.9
- CLM_FREQ	1	7255.7	7329.7
- PARENT1	1	7264.3	7338.3
- LOG_HOME_VAL	1	7268.3	7342.3
- EDUCATION	4	7275.5	7343.5
- INCOME_GROUP	3	7280.1	7350.1

- MSTATUS	1	7280.9	7354.9
- AGE_GROUP	3	7288.0	7358.0
- LOG_BLUEBOOK	1	7285.9	7359.9
- MVR PTS	1	7298.6	7372.6
- JOB	8	7316.0	7376.0
- TIF	1	7311.4	7385.4
- TRAVTIME	1	7313.7	7387.7
- KIDSDRV	1	7318.1	7392.1
- CAR_USE	1	7322.6	7396.6
- REVOKED	1	7325.6	7399.6
- CAR_TYPE	5	7349.2	7415.2
- URBANICITY	1	7890.3	7964.3

Step: AIC=7327.13

TARGET_FLAG ~ AGE_GROUP + LOG_BLUEBOOK + CAR_TYPE + CAR_USE +
CLM_FREQ + EDUCATION + LOG_HOME_VAL + INCOME_GROUP + JOB +
KIDSDRV + MSTATUS + MVR PTS + LOG_OLDCLAIM + PARENT1 + REVOKED +
TIF + TRAVTIME + URBANICITY

	Df	Deviance	AIC
<none>		7253.1	7327.1
- LOG_OLDCLAIM	1	7256.3	7328.3
- CLM_FREQ	1	7257.4	7329.4
- PARENT1	1	7265.3	7337.3
- LOG_HOME_VAL	1	7270.2	7342.2
- EDUCATION	4	7276.8	7342.8
- INCOME_GROUP	3	7282.1	7350.1
- MSTATUS	1	7284.5	7356.5
- AGE_GROUP	3	7289.7	7357.7
- LOG_BLUEBOOK	1	7288.2	7360.2
- MVR PTS	1	7300.8	7372.8
- JOB	8	7317.4	7375.4
- TIF	1	7313.4	7385.4
- TRAVTIME	1	7315.1	7387.1
- KIDSDRV	1	7319.0	7391.0
- CAR_USE	1	7324.8	7396.8
- REVOKED	1	7327.1	7399.1
- CAR_TYPE	5	7351.1	7415.1
- URBANICITY	1	7891.3	7963.3

Call:

```

glm(formula = TARGET_FLAG ~ AGE_GROUP + LOG_BLUEBOOK + CAR_TYPE +
    CAR_USE + CLM_FREQ + EDUCATION + LOG_HOME_VAL + INCOME_GROUP +
    JOB + KIDSDRV + MSTATUS + MVR PTS + LOG_OLDCLAIM + PARENT1 +
    REVOKED + TIF + TRAVTIME + URBANICITY, family = binomial,
    data = training_df)

```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z)
(Intercept)	2.572422	0.557326	4.616	3.92e-06 ***
AGE_GROUPMiddle Aged	-0.232349	0.066678	-3.485	0.000493 ***
AGE_GROUPSenior	0.300307	0.171924	1.747	0.080683 .
AGE_GROUPYoung	0.899643	0.249159	3.611	0.000305 ***
LOG_BLUEBOOK	-0.330860	0.055608	-5.950	2.68e-09 ***
CAR_TYPEPanel Truck	0.567336	0.145279	3.905	9.42e-05 ***
CAR_TYPEPickup	0.574791	0.101034	5.689	1.28e-08 ***
CAR_TYPESports Car	0.888626	0.110084	8.072	6.90e-16 ***
CAR_TYPESUV	0.714288	0.086206	8.286	< 2e-16 ***
CAR_TYPEVan	0.677169	0.122795	5.515	3.50e-08 ***
CAR_USEPrivate	-0.773510	0.092124	-8.396	< 2e-16 ***
CLM_FREQ	0.089701	0.043394	2.067	0.038722 *
EDUCATIONBachelors	-0.392148	0.112751	-3.478	0.000505 ***
EDUCATIONHigh School	0.011398	0.097157	0.117	0.906612
EDUCATIONMasters	-0.283303	0.163842	-1.729	0.083787 .
EDUCATIONPhD	-0.261605	0.196787	-1.329	0.183722
LOG_HOME_VAL	-0.028499	0.006924	-4.116	3.85e-05 ***
INCOME_GROUPLow	0.141398	0.116152	1.217	0.223472
INCOME_GROUPMedium	-0.006093	0.086433	-0.070	0.943804
INCOME_GROUPVery High	-0.437946	0.095255	-4.598	4.27e-06 ***
JOBClerical	0.078247	0.110581	0.708	0.479193
JOBDoctor	-0.677301	0.286587	-2.363	0.018111 *
JOBHome Maker	0.027213	0.155355	0.175	0.860948
JOBLawyer	-0.194872	0.188377	-1.034	0.300912
JOBManager	-0.878295	0.140440	-6.254	4.00e-10 ***
JOBProfessional	-0.148125	0.120502	-1.229	0.218983
JOBStudent	-0.153824	0.141134	-1.090	0.275751
JOBUnknown	-0.351367	0.185572	-1.893	0.058302 .
KIDSDRV	0.450473	0.055226	8.157	3.44e-16 ***
MSTATUSYes	-0.470878	0.083387	-5.647	1.63e-08 ***
MVR PTS	0.097055	0.014099	6.884	5.84e-12 ***
LOG_OLDCLAIM	0.022180	0.012473	1.778	0.075372 .
PARENT1Yes	0.344280	0.098548	3.494	0.000477 ***
REVOKEDYes	0.707333	0.081595	8.669	< 2e-16 ***
TIF	-0.056154	0.007371	-7.618	2.58e-14 ***

```

TRAVTIME          0.014841   0.001890   7.854 4.03e-15 ***
URBANICITYUrban -2.397969   0.113729  -21.085 < 2e-16 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

Null deviance: 9418.0  on 8160  degrees of freedom
Residual deviance: 7253.1  on 8124  degrees of freedom
AIC: 7327.1

Number of Fisher Scoring iterations: 5

[1] 7327.134

```

Model 4: Using One-Hot Encoded Parameters

Building off of the predictors we obtained in model 3, uses one-hot encoded predictors for AGE_GROUP, INCOME_GROUP, EDUCATION, and JOB to remove predictors with little statistical significance from our model. Our AIC value has increased a bit to 7354.6 but our model is slightly simpler.

```

Call:
glm(formula = TARGET_FLAG ~ `AGE_GROUPMiddle Aged` + LOG_BLUEBOOK +
    CAR_AGE + CAR_TYPE + CAR_USE + CLM_FREQ + EDUCATIONBachelors +
    LOG_HOME_VAL + `INCOME_GROUPVery High` + JOBManager + KIDSDRV +
    MSTATUS + MVR_PTS + LOG_OLDCLAIM + PARENT1 + REVOKED + TIF +
    TRAVTIME + URBANICITY + YOJ, family = binomial, data = df_training_one_hot)

Coefficients:
              Estimate Std. Error z value Pr(>|z|)
(Intercept)      2.967478   0.523193   5.672 1.41e-08 ***
`AGE_GROUPMiddle Aged` -0.320530   0.062697  -5.112 3.18e-07 ***
LOG_BLUEBOOK     -0.347126   0.054152  -6.410 1.45e-10 ***
CAR_AGE          -0.022936   0.005723  -4.008 6.13e-05 ***
CAR_TYPEPanel Truck  0.473037   0.135014   3.504 0.000459 ***
CAR_TYPEPickup    0.538859   0.097886   5.505 3.69e-08 ***
CAR_TYPESports Car  0.898541   0.106904   8.405 < 2e-16 ***
CAR_TYPESUV       0.711022   0.084830   8.382 < 2e-16 ***
CAR_TYPEVan        0.610915   0.119539   5.111 3.21e-07 ***
CAR_USEPrivate    -0.800728   0.070734 -11.320 < 2e-16 ***

```

```

CLM_FREQ           0.081032  0.043068  1.881 0.059906 .
EDUCATIONBachelors -0.252133  0.067815 -3.718 0.000201 ***
LOG_HOME_VAL      -0.026950  0.006316 -4.267 1.98e-05 ***
`INCOME_GROUPVery High` -0.630592  0.080374 -7.846 4.30e-15 ***
JOBManager        -0.777864  0.105977 -7.340 2.14e-13 ***
KIDSDRV           0.449855  0.054944  8.187 2.67e-16 ***
MSTATUSYes        -0.433265  0.080233 -5.400 6.66e-08 ***
MVR PTS            0.099115  0.013984  7.088 1.36e-12 ***
LOG_OLDCLAIM      0.025009  0.012395  2.018 0.043617 *
PARENT1Yes        0.391078  0.097158  4.025 5.69e-05 ***
REVOKEYES         0.704209  0.081123  8.681 < 2e-16 ***
TIF                -0.054918  0.007339 -7.483 7.28e-14 ***
TRAVTIME          0.015043  0.001880  8.000 1.25e-15 ***
URBANCITYUrban    -2.333909  0.112827 -20.686 < 2e-16 ***
YOJ               -0.012554  0.007470 -1.681 0.092856 .
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

```

(Dispersion parameter for binomial family taken to be 1)

```

Null deviance: 9418.0 on 8160 degrees of freedom
Residual deviance: 7304.6 on 8136 degrees of freedom
AIC: 7354.6

```

Number of Fisher Scoring iterations: 5

[1] 7354.647

Model 5: Using Selected Features

This model uses a selection of features based on our exploratory charts. In particular, categorical demographic information was selected based on the single group with the highest numerical number of crashes. Additionally, we have added LOG_HOME_VAL, TIF, URBANCITY, HIGH_RISK_CAR, REVOKEYES and an interaction term between CLM_FREQ and MVR PTS. The latter four parameters are used in our weighted RISK_SCORE param, but replacing these paramters with the former results in a higher AIC value.

Call:

```

glm(formula = TARGET_FLAG ~ HIGH_RISK_CAR + CLM_FREQ * MVR PTS +
    REVOKEYES + LOG_HOME_VAL + TIF + URBANCITY + `AGE_GROUPMiddle Aged` +
    INCOME_GROUPLow + `EDUCATIONHigh School` + `JOBBlue Collar` +

```

```
PARENT1, family = binomial, data = df_training_one_hot)
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z)
(Intercept)	-1.171159	0.096613	-12.122	< 2e-16 ***
HIGH_RISK_CAR	0.355659	0.085846	4.143	3.43e-05 ***
CLM_FREQ	0.285430	0.032681	8.734	< 2e-16 ***
MVR PTS	0.195779	0.020400	9.597	< 2e-16 ***
REVOKEDEYes	0.750040	0.077011	9.739	< 2e-16 ***
LOG_HOME_VAL	-0.045031	0.005247	-8.583	< 2e-16 ***
TIF	-0.049764	0.007093	-7.016	2.28e-12 ***
URBANICITYUrban	-1.981975	0.108175	-18.322	< 2e-16 ***
`AGE_GROUPMiddle Aged`	-0.285416	0.060304	-4.733	2.21e-06 ***
INCOME_GROUPLow	0.602741	0.067671	8.907	< 2e-16 ***
`EDUCATIONHigh School`	0.467429	0.062973	7.423	1.15e-13 ***
`JOBBlue Collar`	0.690839	0.068406	10.099	< 2e-16 ***
PARENT1Yes	0.646915	0.082587	7.833	4.76e-15 ***
CLM_FREQ:MVR PTS	-0.049274	0.010849	-4.542	5.57e-06 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1				

(Dispersion parameter for binomial family taken to be 1)

```
Null deviance: 9418.0 on 8160 degrees of freedom
Residual deviance: 7760.6 on 8147 degrees of freedom
AIC: 7788.6
```

Number of Fisher Scoring iterations: 5

```
[1] 7788.643
```

Model : MQ's Logit model

Call:

```
glm(formula = TARGET_FLAG ~ CAR_TYPE + CAR_USE + EDUCATION +
    INCOME_LOG + JOB + KIDSDRIV + MSTATUS + MVR PTS + OLDCLAIM_LOG +
    PARENT1 + REVOKEDE + TIF + TRAVTIME + URBANICITY + YOJ, family = binomial,
    data = insurance_training_clean)
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z)
(Intercept)	-0.037801	0.209808	-0.180	0.85702
CAR_TYPEPanel Truck	0.294173	0.138090	2.130	0.03315 *
CAR_TYPEPickup	0.638988	0.099535	6.420	1.37e-10 ***
CAR_TYPESports Car	1.050250	0.106206	9.889	< 2e-16 ***
CAR_TYPESUV	0.801973	0.084784	9.459	< 2e-16 ***
CAR_TYPEVan	0.523990	0.119397	4.389	1.14e-05 ***
CAR_USEPrivate	-0.726693	0.091465	-7.945	1.94e-15 ***
EDUCATIONBachelors	-0.460832	0.107359	-4.292	1.77e-05 ***
EDUCATIONHigh School	0.007735	0.094752	0.082	0.93494
EDUCATIONMasters	-0.418406	0.159187	-2.628	0.00858 **
EDUCATIONPhD	-0.476026	0.190371	-2.501	0.01240 *
INCOME_LOG	-0.102679	0.017360	-5.915	3.33e-09 ***
JOBClerical	0.166126	0.104873	1.584	0.11318
JOBDoctor	-0.796151	0.283724	-2.806	0.00501 **
JOBHome Maker	-0.279879	0.162823	-1.719	0.08563 .
JOBLawyer	-0.273406	0.186521	-1.466	0.14270
JOBManager	-0.929191	0.138762	-6.696	2.14e-11 ***
JOBProfessional	-0.202469	0.118749	-1.705	0.08819 .
JOBStudent	-0.143442	0.137864	-1.040	0.29812
JOBUnknown	-0.383798	0.183417	-2.092	0.03639 *
KIDSDRV	0.415107	0.054748	7.582	3.40e-14 ***
MSTATUSYes	-0.651828	0.070222	-9.282	< 2e-16 ***
MVR PTS	0.103963	0.013958	7.448	9.44e-14 ***
OLDCLAIM_LOG	0.044326	0.007301	6.071	1.27e-09 ***
PARENT1Yes	0.435929	0.094070	4.634	3.59e-06 ***
REVOKEDYYes	0.690271	0.080397	8.586	< 2e-16 ***
TIF	-0.054047	0.007303	-7.401	1.35e-13 ***
TRAVTIME	0.014774	0.001877	7.872	3.48e-15 ***
URBANICITYUrban	-2.385583	0.113518	-21.015	< 2e-16 ***
YOJ	0.018746	0.010393	1.804	0.07128 .

Signif. codes:	0 ***	0.001 **	0.01 *	0.05 .
	1			

(Dispersion parameter for binomial family taken to be 1)

Null deviance: 9418.0 on 8160 degrees of freedom
 Residual deviance: 7352.5 on 8131 degrees of freedom
 AIC: 7412.5

Number of Fisher Scoring iterations: 5

Interpreting the Output: Significant p-values (< 0.05) indicate variables that are strong pre-

dictors of making a claim.

Model Significance with Deviance Test

```
null_dev <- logit_model$null.deviance  
resid_dev <- logit_model$deviance  
df_diff <- logit_model$df.null - logit_model$df.residual  
p_val <- 1 - pchisq(null_dev - resid_dev, df_diff)  
  
cat("Model significance p-value:", p_val)
```

Model significance p-value: 0

```
# Check each variable  
anova(logit_model, test = "Chisq")
```

Analysis of Deviance Table

Model: binomial, link: logit

Response: TARGET_FLAG

Terms added sequentially (first to last)

	Df	Deviance	Resid. Df	Resid. Dev	Pr(>Chi)
NULL			8160	9418.0	
CAR_TYPE	5	180.07	8155	9237.9 < 2.2e-16 ***	
CAR_USE	1	179.75	8154	9058.1 < 2.2e-16 ***	
EDUCATION	4	113.92	8150	8944.2 < 2.2e-16 ***	
INCOME_LOG	1	43.86	8149	8900.4 3.530e-11 ***	
JOB	8	48.18	8141	8852.2 9.108e-08 ***	
KIDSDRIV	1	66.54	8140	8785.6 3.435e-16 ***	
MSTATUS	1	175.98	8139	8609.7 < 2.2e-16 ***	
MVR PTS	1	270.65	8138	8339.0 < 2.2e-16 ***	
OLDCLAIM_LOG	1	167.72	8137	8171.3 < 2.2e-16 ***	
PARENT1	1	19.27	8136	8152.0 1.135e-05 ***	
REVOKE	1	94.14	8135	8057.9 < 2.2e-16 ***	
TIF	1	50.13	8134	8007.8 1.439e-12 ***	
TRAVTIME	1	16.43	8133	7991.3 5.041e-05 ***	
URBANICITY	1	635.59	8132	7355.7 < 2.2e-16 ***	
YOJ	1	3.27	8131	7352.5 0.07064 .	

```
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

Run Assumption Tests Using Residuals

Assumption Testing – Logistic

Multicollinearity: Variance Inflation Factor

```
vif(logit_model)
```

	GVIF	Df	GVIF^(1/(2*Df))
CAR_TYPE	1.904825	5	1.066561
CAR_USE	2.458052	1	1.567818
EDUCATION	7.321883	4	1.282560
INCOME_LOG	3.584614	1	1.893308
JOB	27.351174	8	1.229733
KIDSDRIV	1.091199	1	1.044605
MSTATUS	1.462453	1	1.209319
MVR PTS	1.230555	1	1.109304
OLDCLAIM_LOG	1.255965	1	1.120698
PARENT1	1.434180	1	1.197573
REVOKE	1.012436	1	1.006199
TIF	1.008860	1	1.004420
TRAVTIME	1.037331	1	1.018494
URBANICITY	1.151000	1	1.072847
YOJ	2.153507	1	1.467483

Explanation: VIF > 5 or 10 indicates multicollinearity. Remove or combine correlated variables.

ROC Curve + AUC

```
# Step 1: Load the library
library(pROC)

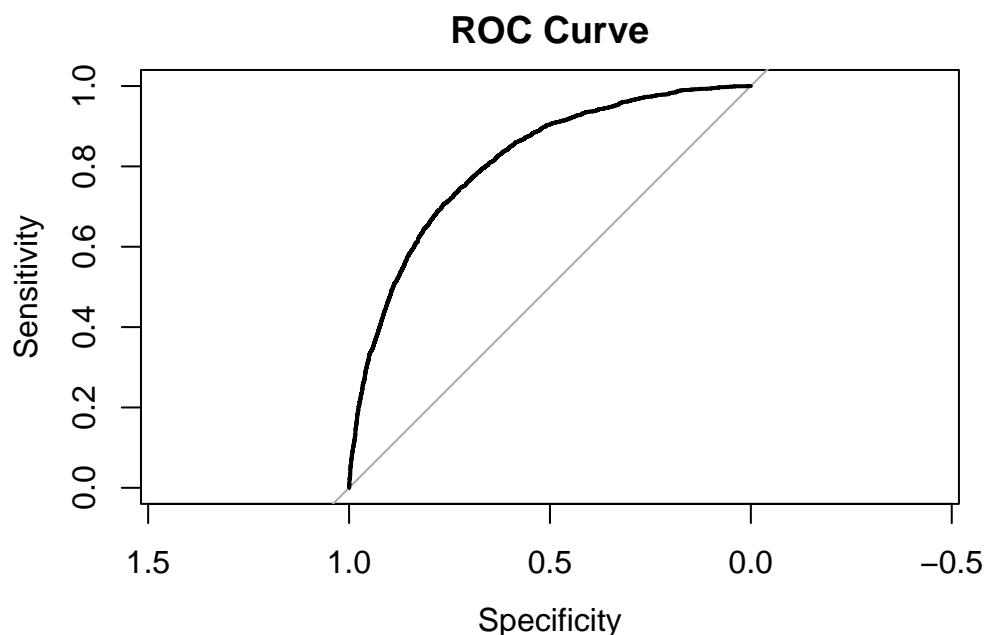
# Step 2: Generate predicted probabilities from your logistic model
pred_probs <- predict(logit_model, newdata = insurance_training_clean, type = "response")
```

```
# Step 3: Create the ROC object
roc_obj <- roc(response = insurance_training_clean$TARGET_FLAG,
                 predictor = pred_probs)
```

Setting levels: control = 0, case = 1

Setting direction: controls < cases

```
# Step 4: Plot the ROC Curve
plot(roc_obj, main = "ROC Curve")
```



```
# Step 5: Get the AUC
pROC::auc(roc_obj)
```

Area under the curve: 0.8104

```
identical(length(pred_probs), length(insurance_training_clean$TARGET_FLAG)) # Should return
```

```
[1] TRUE
```

Explanation: Measures model's ability to distinguish crashers vs. non-crashers. AUC closer to 1 = better.

Confusion Matrix

```
pred_class <- ifelse(pred_probs > 0.5, 1, 0)
confusionMatrix(as.factor(pred_class), as.factor(insurance_training_clean$TARGET_FLAG))
```

Confusion Matrix and Statistics

Reference

Prediction	0	1
0	5547	1288
1	461	865

Accuracy : 0.7857

95% CI : (0.7766, 0.7945)

No Information Rate : 0.7362

P-Value [Acc > NIR] : < 2.2e-16

Kappa : 0.3707

McNemar's Test P-Value : < 2.2e-16

Sensitivity : 0.9233

Specificity : 0.4018

Pos Pred Value : 0.8116

Neg Pred Value : 0.6523

Prevalence : 0.7362

Detection Rate : 0.6797

Detection Prevalence : 0.8375

Balanced Accuracy : 0.6625

'Positive' Class : 0

Explanation: Helps evaluate accuracy, sensitivity, specificity using 0.5 as threshold.

Crash Model comparison

```
library(vcdExtra)
```

Loading required package: vcd

```
Loading required package: grid

Loading required package: gnm

Attaching package: 'gnm'

The following object is masked from 'package:Metrics':

  se

The following object is masked from 'package:lattice':

  barley

Attaching package: 'vcdExtra'

The following object is masked from 'package:carData':

  Burt

The following object is masked from 'package:dplyr':

  summarise

library(pscl)
```

Classes and Methods for R originally developed in the
Political Science Computational Laboratory
Department of Political Science
Stanford University (2002-2015),
by and under the direction of Simon Jackman.
hurdle and zeroinfl functions by Achim Zeileis.

```

stats <- LRstats(model1, model2, model3, model4, model5, logit_model)

stats$McFaddenR2 <- NA
stats$Accuracy <- NA
stats$Precision <- NA
#stats$Recall <- NA
stats$Sensitivity <- NA
stats$Specificity <- NA
stats$F1_score <- NA
stats$AUC <- NA
stats$CV_est_predict_err <- NA
stats$CV_adj_est <- NA

enhanceEvaluationMetrics <- function(df, model_name) {
  model <- get(model_name)

  if (model_name == 'logit_model') {
    model_data <- insurance_training_clean
  } else if (model_name == 'model4') {
    model_data <- df_training_one_hot
  } else {
    model_data <- training_df
  }

  df[model_name, "McFaddenR2"] <- pR2(model)[["McFadden"]]
  #pred_probs <- predict(model, type = "response")
  #pred_probs_factor <- as.factor(ifelse(pred_probs > 0.5, 1, 0))
  #conf_matrix <- confusionMatrix(pred_probs_factor, as.factor(model_data$TARGET_FLAG))
  #df[model_name, "Accuracy"] <- conf_matrix$overall['Accuracy']
  #df[model_name, "Precision"] <- conf_matrix$byClass['Precision']
  #df[model_name, "Recall"] <- conf_matrix$byClass['Recall']
  #df[model_name, "F1_score"] <- conf_matrix$byClass['F1']
  #df[model_name, "Sensitivity"] <- conf_matrix$byClass["Sensitivity"]
  #df[model_name, "Specificity"] <- conf_matrix$byClass["Specificity"]

  #df[model_name, "AUC"] <- MLmetrics::AUC(y_true = model_data$target, y_pred = pred_probs)

  # Cross-Validation using 10 folds
  cv_result <- boot::cv.glm(model_data, model, K= 10)
  df[model_name, "CV_est_predict_err"] <- cv_result$delta[1]
  df[model_name, "CV_adj_est"] <- cv_result$delta[2]
}

```

```

    return(df)
}

# Loop through the list of models and update the dataframe for each
for (model_name in rownames(stats)) {

  #stats <- enhanceEvaluationMetrics(stats, model_name)
}

stats

```

Likelihood summary table:

	AIC	BIC	LR	Chisq	Df	Pr(>Chisq)	McFaddenR2	Accuracy
model1	7365.0	7631.2		7289.0	8123		1.00000	
model2	7357.7	7588.9		7291.7	8128		1.00000	
model3	7327.1	7586.4		7253.1	8124		1.00000	
model4	7354.6	7529.8		7304.6	8136		1.00000	
model5	7788.6	7886.7		7760.6	8147		0.99893	
logit_model	7412.5	7622.7		7352.5	8131		1.00000	
	Precision	Sensitivity	Specificity	F1_score	AUC	CV_est_predict_err		
model1								
model2								
model3								
model4								
model5								
logit_model								
	CV_adj_est							
model1								
model2								
model3								
model4								
model5								
logit_model								

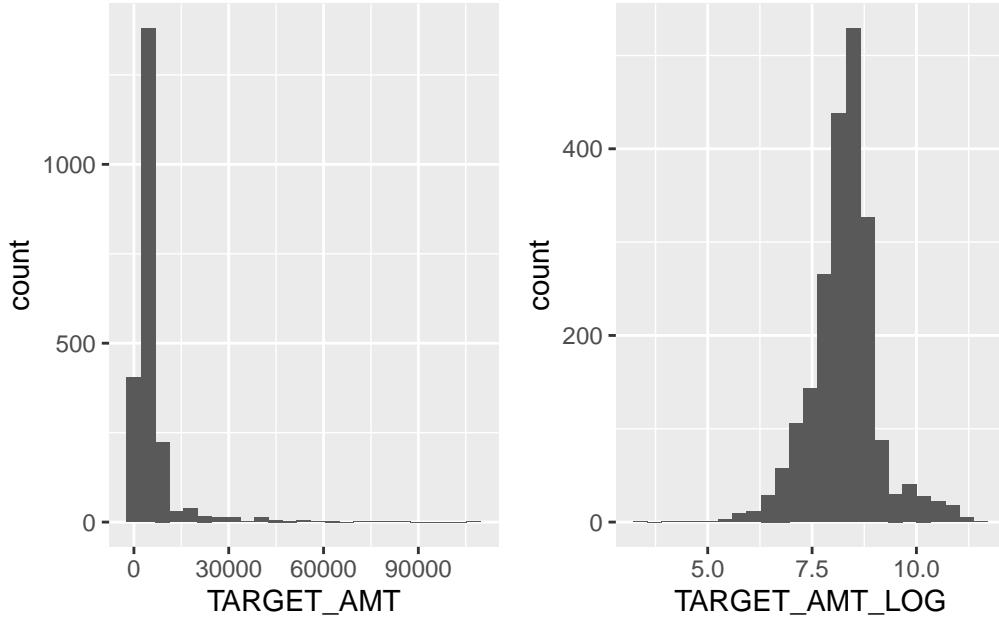
Models for TARGET_AMT

Subset of Crashers

Since payouts can't happen without a crash event, we will create a subset where TARGET_FLAG = 1 to avoid biasing our payout predictions towards zero. We will also look at the distribution and review our IQR values. We see that the payouts are highly skewed to

the right with a long tail to the right. The median payout is \$4,104 and the maximum payout is \$107,586. Applying a log transformation to TARGET_AMT gives a normal distribution.

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
30.28	2609.78	4104.00	5702.18	5787.00	107586.14



Payout Model 1

Since Blue Book values are used to determine the market rate value of a used car, we can assume that it will affect payout amount. Blue Book values are derived from various attributes, including car age, type, mileage and condition. We will use the logged transformed variable BLUEBOOK_LOG since we had identified that the distribution for original BLUEBOOK was right-skewed.

Call:

```
lm(formula = TARGET_AMT ~ BLUEBOOK_LOG, data = claims_only)
```

Residuals:

Min	1Q	Median	3Q	Max
-6907	-3126	-1586	282	101268

```
Coefficients:
            Estimate Std. Error t value Pr(>|t|)
(Intercept) -7792.0     2354.3  -3.310 0.000949 ***
BLUEBOOK_LOG 1439.2      250.5   5.746 1.04e-08 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

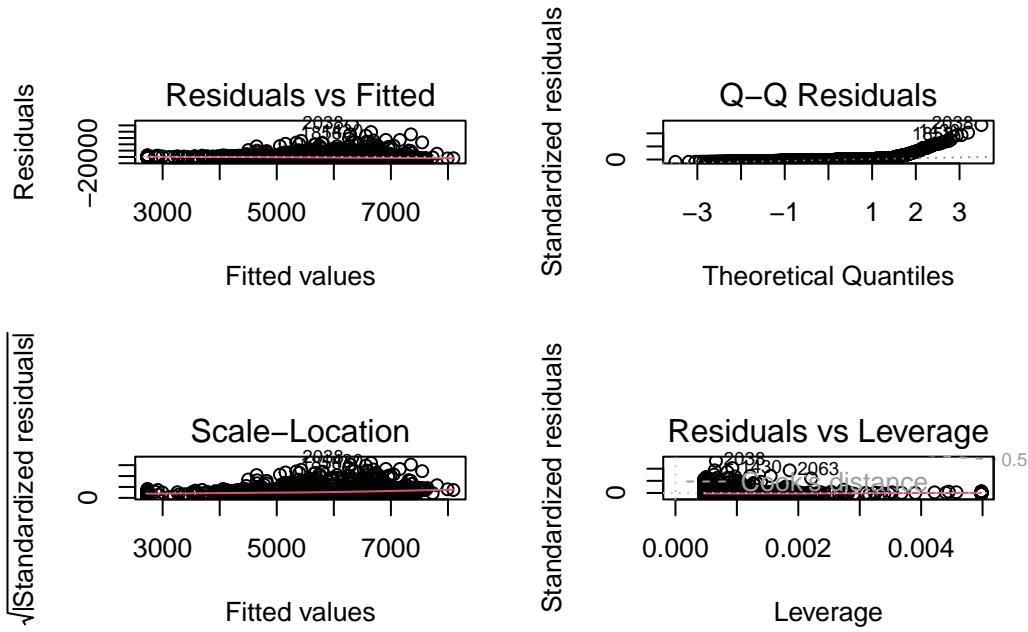
```
Residual standard error: 7686 on 2151 degrees of freedom
Multiple R-squared:  0.01512,    Adjusted R-squared:  0.01466
F-statistic: 33.02 on 1 and 2151 DF,  p-value: 1.044e-08
```

```
[1] 44640.52
```

Our model summary indicates that BLUEBOOK_LOG is statistically significant.

Diagnostic Plots

Out diagnostic plots show that our model fails our assumptions for linear regression. In particular, our Residuals vs. Fitted plot shows possible funneling in the positive values, suggesting that our model fails the linearity assumption. Our Q-Q plot shows clear high skewing on the right tail, suggesting that our model fails the normality assumption. The Scale-Location plot does not show evenly scattered points, suggesting we fail our assumption of Homoscedasticity. Our Residual vs. Leverage plot shows some extreme values but they don't appear to have high leverage. A Durbin-Watson value of 1.9844 suggests that our model meets our independence assumption.



Payout Model 2

As our Target Amount value is highly skewed to the right, we will update our model with a log transformed dependent variable (TARGET_AMT_LOG).

Call:

```
lm(formula = TARGET_AMT_LOG ~ BLUEBOOK_LOG, data = claims_only)
```

Residuals:

Min	1Q	Median	3Q	Max
-4.7568	-0.3908	0.0424	0.3912	3.2413

Coefficients:

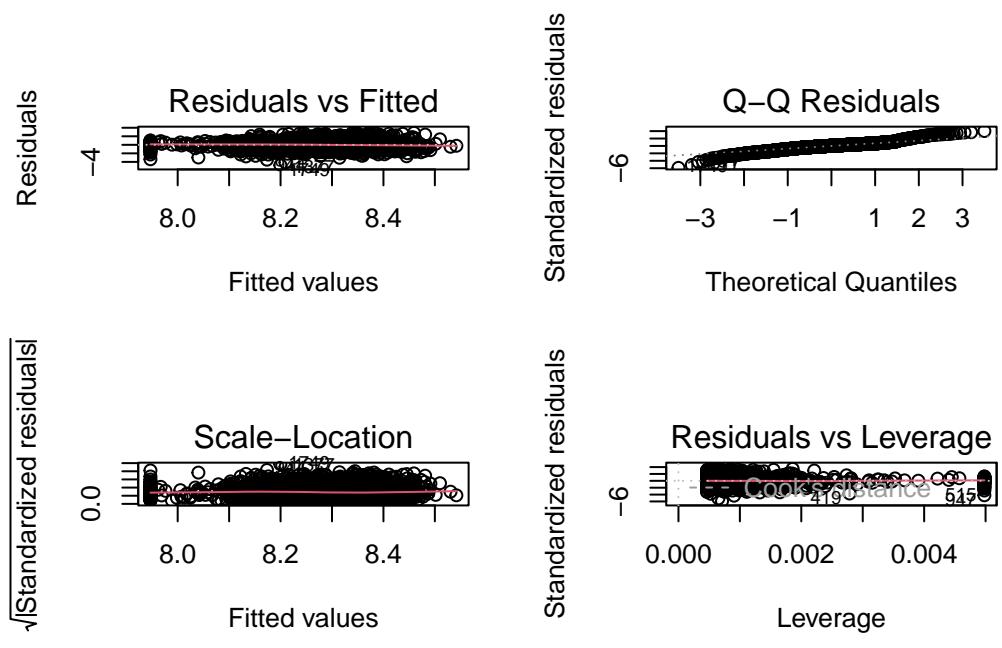
	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	6.77923	0.24669	27.481	< 2e-16 ***
BLUEBOOK_LOG	0.15967	0.02624	6.084	1.38e-09 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.8054 on 2151 degrees of freedom

Multiple R-squared: 0.01692, Adjusted R-squared: 0.01646

F-statistic: 37.01 on 1 and 2151 DF, p-value: 1.384e-09



Durbin-Watson test

```
data: amt_model2
DW = 2.0272, p-value = 0.7356
alternative hypothesis: true autocorrelation is greater than 0
```

studentized Breusch-Pagan test

```
data: amt_model2
BP = 1.2159, df = 1, p-value = 0.2702
```

Shapiro-Wilk normality test

```
data: residuals(amt_model2)
W = 0.95891, p-value < 2.2e-16
```

	df	AIC
amt_model2	3	5181.999
amt_model1	3	44640.523

Using the log transformed dependent variable improves our diagnostic plots. Our Residuals vs. Fitted plot shows points fairly evenly scattered around the y-axis, suggesting that our model meets the linearity assumption. The Scale-Location plot shows a fairly even cloud of points around the horizontal line; while the points above the line have a greater spread than those below, the plot suggests that our model is mostly homoscedastic. A Breusch-Pagan test shows that there is evidence of constant variance, supporting that we meet homoscedasticity assumption. A Durbin-Watson value of 1.9844 suggests that our model meets our independence assumption.

Our Q-Q plot shows skewing at the tails suggesting that our model may not meet our normality assumption. A Shapiro-Wilk normality test with a very low p-value supports this assessment. However, this violation may be acceptable, as we know that our payout values will be right skewed due to lower payouts for lesser accidents such as minor “fender-benders;” there will be some edge cases with higher payouts for accidents with greater damage, such as those involving multiple-vehicles or personal injuries. This is evident in the Residual vs. Leverage plot which shows the presence of extreme values although they don't appear to have high leverage.

Payout Model 3

This model introduces MVR PTS (Motor Vehicle Record Points) as a predictor under the assumption that drivers with MVR PTS may be involved in accidents resulting in greater damage or may face a greater share of the financial liability if insurance companies have policies that restrict payout amounts for drivers with higher MVR PTS. Our corresponding diagnostic plots show similar results as amt_model2.

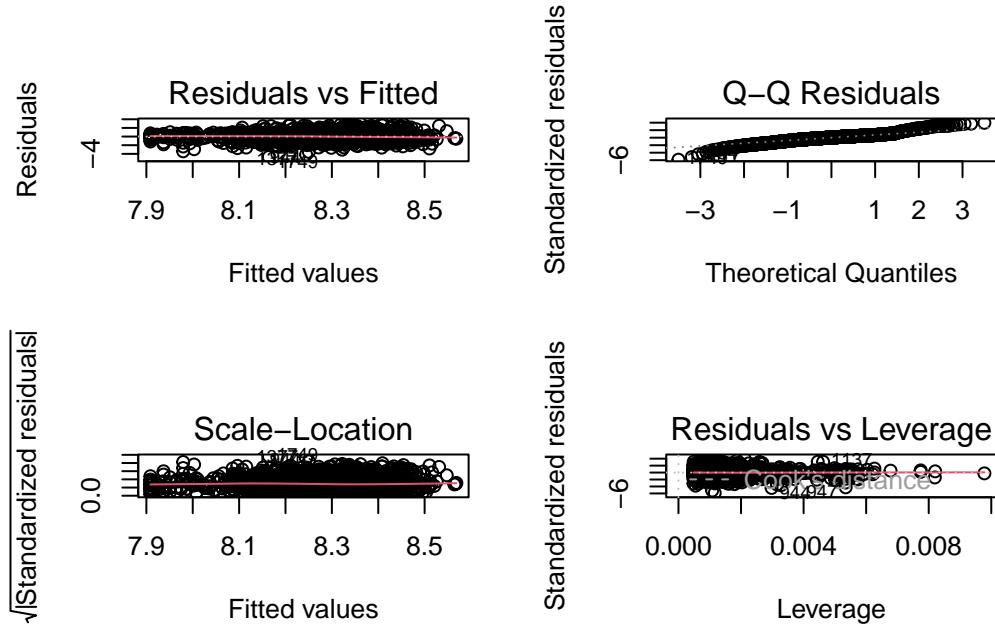
```
Call:
lm(formula = TARGET_AMT_LOG ~ BLUEBOOK_LOG + MVR PTS, data = claims_only)

Residuals:
    Min      1Q      Median      3Q      Max 
-4.7210 -0.3962  0.0424  0.3975  3.1770 

Coefficients:
            Estimate Std. Error t value Pr(>|t|)    
(Intercept) 6.729306  0.247644  27.173 < 2e-16 ***
BLUEBOOK_LOG 0.161265  0.026235   6.147 9.39e-10 ***
MVR PTS     0.014101  0.006729   2.096   0.0362 *  
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.8048 on 2150 degrees of freedom
Multiple R-squared:  0.01892,    Adjusted R-squared:  0.01801
```

F-statistic: 20.73 on 2 and 2150 DF, p-value: 1.207e-09



	df	AIC
amt_model3	4	5179.606
amt_model2	3	5181.999

Payout Model 4

This Model introduces CAR_TYPE as an interaction predictor for BLUEBOOK_LOG to identify if type of car impacts payout amount. Our corresponding diagnostic plots show similar results as amt_model2.

```
Call:
lm(formula = TARGET_AMT_LOG ~ BLUEBOOK_LOG * CAR_TYPE + MVR_PTS,
  data = claims_only)
```

Residuals:

Min	1Q	Median	3Q	Max
-4.7245	-0.4073	0.0389	0.3954	3.1284

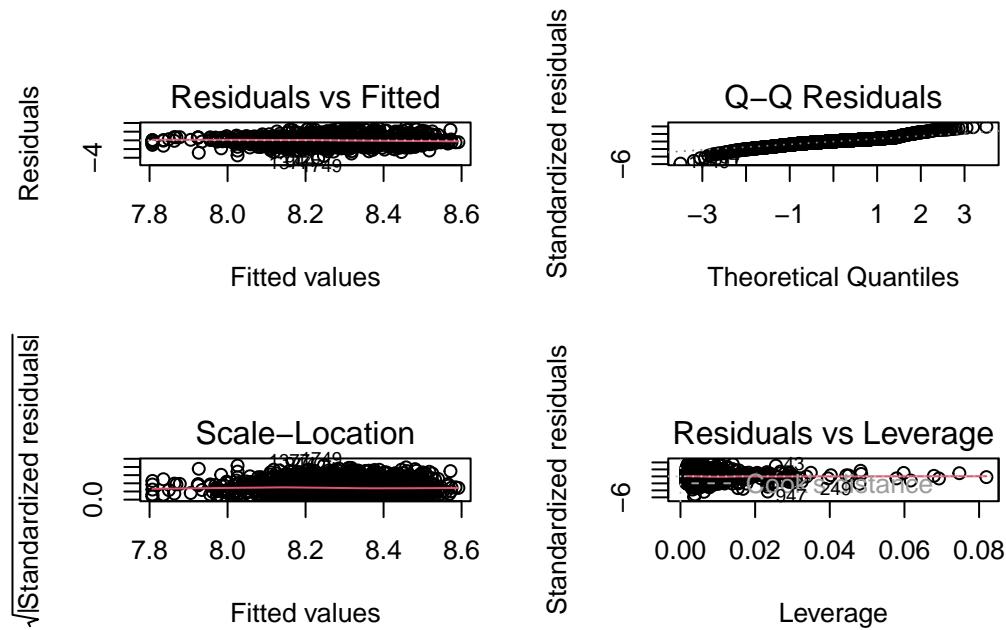
Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	6.319299	0.594755	10.625	< 2e-16 ***
BLUEBOOK_LOG	0.203460	0.063217	3.218	0.00131 **
CAR_TYPEPanel Truck	1.561888	3.011251	0.519	0.60403
CAR_TYPEPickup	0.084950	0.905087	0.094	0.92523
CAR_TYPESports Car	0.716695	0.826611	0.867	0.38602
CAR_TYPESUV	0.739925	0.768180	0.963	0.33555
CAR_TYPEVan	6.343200	3.161910	2.006	0.04497 *
MVR PTS	0.014017	0.006753	2.076	0.03806 *
BLUEBOOK_LOG:CAR_TYPEPanel Truck	-0.149147	0.294372	-0.507	0.61245
BLUEBOOK_LOG:CAR_TYPEPickup	-0.005257	0.097274	-0.054	0.95690
BLUEBOOK_LOG:CAR_TYPESports Car	-0.077733	0.089114	-0.872	0.38315
BLUEBOOK_LOG:CAR_TYPESUV	-0.078511	0.082375	-0.953	0.34065
BLUEBOOK_LOG:CAR_TYPEVan	-0.642343	0.319654	-2.009	0.04461 *
<hr/>				
Signif. codes:	0 '***'	0.001 '**'	0.01 '*'	0.05 '.'
	0.1 '	' 1		

Residual standard error: 0.8054 on 2140 degrees of freedom

Multiple R-squared: 0.02194, Adjusted R-squared: 0.01645

F-statistic: 4 on 12 and 2140 DF, p-value: 3.704e-06



df AIC

```
amt_model4 14 5192.980
amt_model3  4 5179.606
```

Payout Model 5: Gamma GLM

Given that our dependent payout variable TARGET_AMT is highly right skewed and that our OLS models fail the linearity assumption, we can attempt a Gamma GLM with a Log link. This will also mean that we won't need to retransform the predicted payout amounts if we use a Gamma GLM model as our selected model.

```
Attaching package: 'boot'
```

```
The following object is masked from 'package:car':
```

```
logit
```

```
The following object is masked from 'package:lattice':
```

```
melanoma
```

```
Attaching package: 'faraway'
```

```
The following objects are masked from 'package:boot':
```

```
logit, melanoma
```

```
The following object is masked from 'package:gnm':
```

```
wheat
```

```
The following objects are masked from 'package:car':
```

```
logit, vif
```

```
The following object is masked from 'package:mice':
```

```
mammalsleep
```

The following object is masked from 'package:lattice':

melanoma

Call:

```
glm(formula = TARGET_AMT ~ BLUEBOOK_LOG, family = Gamma(link = "log"),
  data = claims_only)
```

Coefficients:

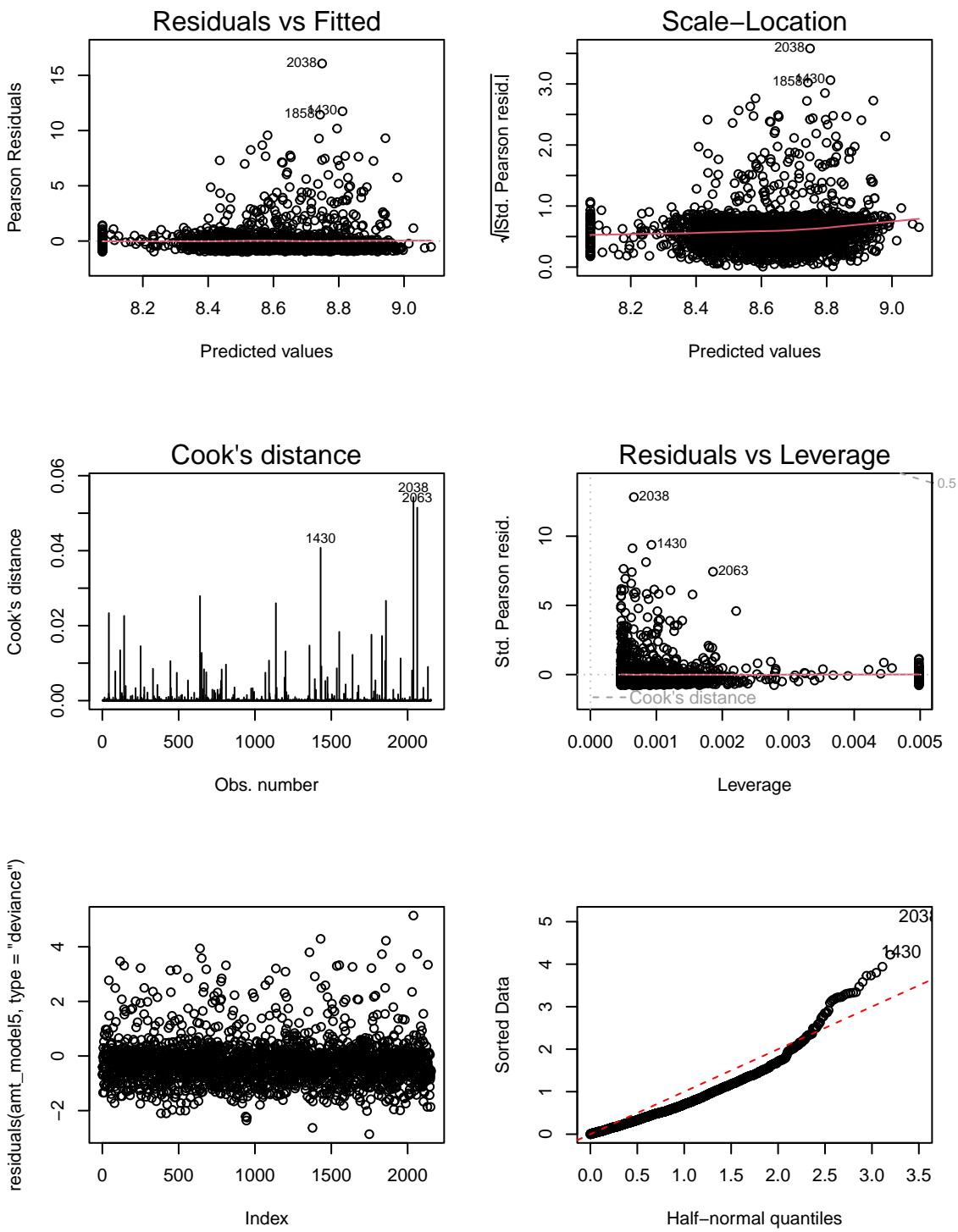
	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	6.10091	0.38378	15.897	< 2e-16 ***
BLUEBOOK_LOG	0.27009	0.04083	6.615	4.67e-11 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for Gamma family taken to be 1.569876)

Null deviance: 1604.5 on 2152 degrees of freedom
Residual deviance: 1538.9 on 2151 degrees of freedom
AIC: 41282

Number of Fisher Scoring iterations: 5



	df	AIC
amt_model5	3	41282.035
amt_model2	3	5181.999

Our Residual vs fitted plot shows some funneling suggesting that our data is heteroschedastic; however, this may be acceptable for our payout predictions when using GLM's. Our Scale-Location plot shows a roughly horizontal plot. Additionally, three observations are moderately influential (2038, 2063, and 1430). Our Residuals vs Leverage highlights the same points but they don't appear to exert much leverage on our model. Our deviance residuals show a random scatter around the 0, which suggests the gamma model is a good fit for our data. Our half-normal plot of the absolute deviance residuals shows points generally following the slope line, though we do see flaring on the right tail and note points 2038 and 1430 deviating from the line.

```
# A tibble: 1 x 36
  TARGET_AMT KIDSDRV AGE HOMEKIDS YOJ INCOME PARENT1 HOME_VAL MSTATUS SEX
    <dbl>      <dbl> <dbl>     <dbl> <dbl> <dbl> <fct>     <dbl> <fct>   <fct>
1     107586.        0     51       0     11   72354 No          213346 Yes       M
# i 26 more variables: EDUCATION <fct>, JOB <fct>, TRAVTIME <dbl>,
# CAR_USE <fct>, BLUEBOOK <dbl>, TIF <dbl>, CAR_TYPE <fct>, RED_CAR <fct>,
# OLDCLAIM <dbl>, CLM_FREQ <dbl>, REVOKED <fct>, MVR PTS <dbl>,
# CAR_AGE <dbl>, URBANICITY <fct>, CLAIMS_PER_YEAR <dbl>, AVG_CLAIM <dbl>,
# BLUEBOOK_LOG <dbl>, OLDCLAIM_LOG <dbl>, INCOME_LOG <dbl>,
# HOME_VAL_LOG <dbl>, AGE_GROUP <chr>, INCOME_GROUP <chr>,
# CLAIMS_INCOME_RATIO <dbl>, VEHICLE_VALUE_TO_INCOME <dbl>, ...
```

Looking closer at point 2038 shows that the policy holder had unusually high payout amount of 107586. However, it is not possible to tell if this is due to a data entry error or is representative of a true payout amount for an accident with greater damage.

MQ: Fit Linear Model

```
lm_model <- lm(
  TARGET_AMT ~ KIDSDRV + YOJ + INCOME_LOG + PARENT1 +
  MSTATUS + EDUCATION + JOB + TRAVTIME + CAR_USE + TIF +
  CAR_TYPE + OLDCLAIM_LOG + REVOKED + MVR PTS + URBANICITY + BLUEBOOK_LOG,
  data = claims_only
)
summary(lm_model)
```

Call:

```
lm(formula = TARGET_AMT ~ KIDSDRV + YOJ + INCOME_LOG + PARENT1 +
    MSTATUS + EDUCATION + JOB + TRAVTIME + CAR_USE + TIF + CAR_TYPE +
    OLDCALL_LOG + REVOKED + MVR_PTS + URBANICITY + BLUEBOOK_LOG,
    data = claims_only)
```

Residuals:

Min	1Q	Median	3Q	Max
-8047	-3180	-1534	418	99702

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	-5227.025	3062.709	-1.707	0.088030 .
KIDSDRV	-41.311	281.816	-0.147	0.883470
YOJ	27.358	59.794	0.458	0.647334
INCOME_LOG	9.931	95.538	0.104	0.917222
PARENT1Yes	392.020	499.892	0.784	0.433004
MSTATUSYes	-369.428	415.710	-0.889	0.374282
EDUCATIONBachelors	-353.569	594.089	-0.595	0.551810
EDUCATIONHigh School	-555.973	514.147	-1.081	0.279664
EDUCATIONMasters	6.239	980.633	0.006	0.994924
EDUCATIONPhD	1053.966	1162.803	0.906	0.364826
JOBClerical	-102.613	578.612	-0.177	0.859256
JOBDoctor	-2591.075	1866.089	-1.389	0.165129
JOBHome Maker	-242.251	933.278	-0.260	0.795220
JOBLawyer	-228.408	1168.487	-0.195	0.845041
JOBManager	-1335.949	902.696	-1.480	0.139034
JOBProfessional	500.802	681.528	0.735	0.462529
JOBStudent	-57.273	764.696	-0.075	0.940304
JOBUnknown	-521.538	1138.629	-0.458	0.646970
TRAVTIME	-0.189	11.076	-0.017	0.986384
CAR_USEPrivate	-370.288	522.525	-0.709	0.478618
TIF	-15.178	42.523	-0.357	0.721174
CAR_TYPEPanel Truck	450.332	849.229	0.530	0.595971
CAR_TYPEPickup	-107.191	596.116	-0.180	0.857315
CAR_TYPESports Car	273.645	619.431	0.442	0.658702
CAR_TYPESUV	-32.331	518.232	-0.062	0.950260
CAR_TYPEVan	525.350	741.739	0.708	0.478857
OLDCALL_LOG	-11.264	41.065	-0.274	0.783881
REVOKEDYes	-766.419	418.191	-1.833	0.066988 .
MVR PTS	123.866	69.900	1.772	0.076530 .
URBANICITYUrban	72.277	755.168	0.096	0.923760

```

BLUEBOOK_LOG           1187.094      307.555     3.860 0.000117 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 7700 on 2122 degrees of freedom
Multiple R-squared:  0.0249,    Adjusted R-squared:  0.01111
F-statistic: 1.806 on 30 and 2122 DF,  p-value: 0.00477

```

Assumption Testing – Linear

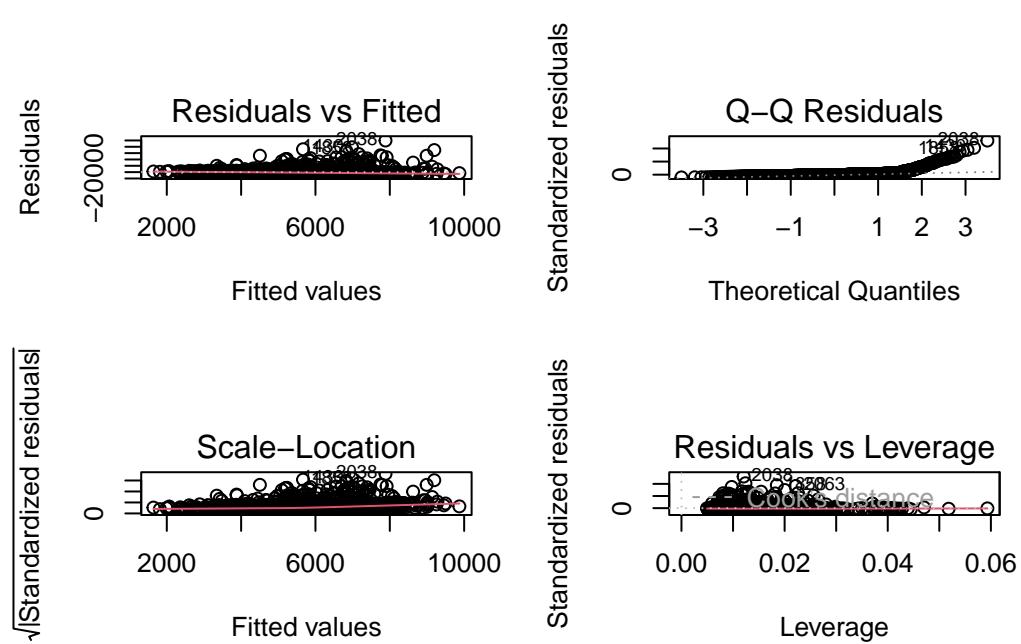
Linearity & Residual Plots

Explanation: $p > 0.05$ = residuals are normally distributed (good!)

```

par(mfrow = c(2,2))
plot(lm_model)

```



Explanation:

Residuals vs. Fitted: should show no pattern (linearity)

Q-Q Plot: points should fall along diagonal (normality)

Normality of Residuals

```
shapiro.test(residuals(lm_model))
```

```
Shapiro-Wilk normality test

data: residuals(lm_model)
W = 0.49786, p-value < 2.2e-16
```

Multicollinearity

```
vif(lm_model)
```

	KIDSDRIV	YOJ	INCOME_LOG
	1.133044	2.497935	4.119877
PARENT1Yes		MSTATUSYes	EDUCATIONBachelors
	1.562654	1.568095	2.357021
EDUCATIONHigh School		EDUCATIONMasters	EDUCATIONPhD
	2.233352	4.498128	2.685101
JOBClerical		JOBDoctor	JOBHome Maker
	1.733914	1.680303	2.423218
JOBLawyer		JOBManager	JOBProfessional
	3.272954	1.763049	1.713003
JOBStudent		JOBUnknown	TRAVTIME
	2.299334	2.785990	1.027964
CAR_USEPrivate		TIF	CAR_TYPEPanel Truck
	2.476775	1.015163	1.986130
CAR_TYPEPickup		CAR_TYPESports Car	CAR_TYPESUV
	2.108785	1.689533	2.103972
CAR_TYPEVan		OLDCLAIM_LOG	REVOKEDEYes
	1.691018	1.179082	1.037816
MVR PTS		URBANICITYUrban	BLUEBOOK_LOG
	1.179704	1.047032	1.502388

Payout Model comparison

```

library(vcdExtra)
library(pscl)

stats <- LRstats(amt_model1, amt_model2, amt_model3, amt_model4, amt_model5, lm_model)

stats$McFaddenR2 <- NA
stats$CV_est_predict_err <- NA
stats$CV_adj_est <- NA

enhanceEvaluationMetrics <- function(df, model_name) {
  model <- get(model_name)
  model_data <- claims_only
  print(model_name)
  head(model)

  df[model_name, "McFaddenR2"] <- pR2(model)[ "McFadden"]
  # Cross-Validation using 10 folds
  cv_result <- boot::cv.glm(model_data, model, K= 10)
  df[model_name, "CV_est_predict_err"] <- cv_result$delta[1]
  df[model_name, "CV_adj_est"] <- cv_result$delta[2]

  return(df)
}

# Loop through the list of models and update the dataframe for each
for (model_name in rownames(stats)) {

  #stats <- enhanceEvaluationMetrics(stats, model_name)
}

stats

Likelihood summary table:
      AIC     BIC    LR Chisq   Df Pr(>Chisq) McFaddenR2 CV_est_predict_err
amt_model1 44641  44658 1.2708e+11 2151          0
amt_model2  5182   5199 1.3950e+03 2151          1
amt_model3  5180   5202 1.3920e+03 2150          1
amt_model4  5193   5272 1.3880e+03 2140          1
amt_model5 41282  41299 1.5390e+03 2151          1
lm_model    44677  44859 1.2581e+11 2122          0
                                         CV_adj_est
```

```
amt_model1
amt_model2
amt_model3
amt_model4
amt_model5
lm_model
```

MODEL SELECTION

Make Predictions on Evaluation Data

```
# Apply same transformations to test dataset
testing_df <- testing_df %>%
  mutate(
    BLUEBOOK = ifelse(is.na(BLUEBOOK), 0.01, BLUEBOOK),
    OLDCLAIM = ifelse(is.na(OLDCLAIM), 0.01, OLDCLAIM),
    INCOME = ifelse(is.na(INCOME), 0.01, INCOME),
    HOME_VAL = ifelse(is.na(HOME_VAL), 0.01, HOME_VAL),
    LOG_BLUEBOOK = log1p(BLUEBOOK),
    LOG_OLDCLAIM = log1p(OLDCLAIM),
    LOG_INCOME = log1p(INCOME),
    LOG_HOME_VAL = log1p(HOME_VAL)
  )

insurance_evaluation_df <- testing_df  %>%
  rename(
    INCOME_LOG = LOG_INCOME,
    HOME_VAL_LOG = LOG_HOME_VAL,
    OLDCLAIM_LOG = LOG_OLDCLAIM,
    BLUEBOOK_LOG = LOG_BLUEBOOK
  )
```

Predict Crash Probability & Classification

```
eval_probs <- predict(logit_model, newdata = insurance_evaluation_df, type = "response")
eval_flag_pred <- ifelse(eval_probs > 0.5, 1, 0)
```

Logistic Regression Model Comparison

```
model_list <- list(
  model1 = model1,
  model2 = model2,
  model3 = model3,
  model4 = model4,
  model5 = model5,
  logit_model = logit_model
)

logit_eval_df <- data.frame(
  Model = character(),
  AIC = numeric(),
  McFaddenR2 = numeric(),
  Accuracy = numeric(),
  Precision = numeric(),
  Recall = numeric(),
  Specificity = numeric(),
  F1 = numeric(),
  AUC = numeric(),
  stringsAsFactors = FALSE
)

for (model_name in names(model_list)) {
  model <- model_list[[model_name]]

  if (model_name == "logit_model") {
    df <- insurance_training_clean
  } else if (model_name %in% c("model4", "model5")) {
    df <- df_training_one_hot
  } else {
    df <- training_df
  }

  probs <- predict(model, newdata = df, type = "response")
  preds <- ifelse(probs > 0.5, 1, 0)

  cm <- confusionMatrix(as.factor(preds), as.factor(df$TARGET_FLAG))

  roc_obj <- roc(df$TARGET_FLAG, probs)
  auc_val <- as.numeric(roc_obj$auc)
```

```
logit_eval_df <- rbind(logit_eval_df, data.frame(
  Model = model_name,
  AIC = AIC(model),
  McFaddenR2 = pR2(model)[ "McFadden" ],
  Accuracy = cm$overall[ "Accuracy" ],
  Precision = cm$byClass[ "Precision" ],
  Recall = cm$byClass[ "Sensitivity" ],
  Specificity = cm$byClass[ "Specificity" ],
  F1 = cm$byClass[ "F1" ],
  AUC = auc_val
))
}
```

```
Setting levels: control = 0, case = 1
```

```
Setting direction: controls < cases
```

```
fitting null model for pseudo-r2
```

```
Setting levels: control = 0, case = 1
```

```
Setting direction: controls < cases
```

```
fitting null model for pseudo-r2
```

```
Setting levels: control = 0, case = 1
```

```
Setting direction: controls < cases
```

```
fitting null model for pseudo-r2
```

```
Setting levels: control = 0, case = 1
```

```
Setting direction: controls < cases
```

```
fitting null model for pseudo-r2
```

```
Setting levels: control = 0, case = 1
```

```
Setting direction: controls < cases
```

```
fitting null model for pseudo-r2
```

```

Setting levels: control = 0, case = 1
Setting direction: controls < cases

fitting null model for pseudo-r2

knitr:::kable(logit_eval_df, caption = "Logistic Regression Model Comparison")

```

Table 1: Logistic Regression Model Comparison

Model	AIC	McFadden R ²	Accuracy	Precision	Recall	Specificity	F1	AUC
McFaddenmodel1	7364.9740	0.2260	0.610.79230490.81755260.92410120.4245239	0.86756780.8143162				
McFaddenmodel2	7357.7080	0.22576580.79279500.81700690.92593210.4212726	0.86806590.8141510					
McFaddenmodel3	7327.1340	0.22986160.79279500.81766000.92476700.4245239	0.86792160.8164172					
McFaddenmodel4	7354.6470	0.22439200.79242740.81646130.92626500.4189503	0.86790390.8130542					
McFaddenmodel5	7788.6430	0.17597430.77380220.79584870.93175770.3330237	0.85845730.7784001					
McFadden5git_model	7412.4730	0.21931380.78568800.81155820.92326900.4017650	0.86381690.8103768					

After evaluating six logistic regression models, we selected model3 as the best binary classification model for predicting TARGET_FLAG. This model achieved the highest AUC (0.816) and highest accuracy (79.3%), while also maintaining a strong balance between precision (0.818) and recall (0.925). It demonstrated the highest McFadden R² (0.2299) and the lowest AIC (7327.13) among all models evaluated. Although model4 had a slightly lower AIC, its predictive metrics were marginally weaker, so model3 was prioritized for its superior performance and interpretability. For predicting TARGET_AMT, we compared six regression models. These included both standard linear models and a gamma GLM. We found that amt_model3, which includes BLUEBOOK_LOG and MVR PTS as predictors for a log-transformed payout amount (TARGET_AMT_LOG), was the strongest overall. It achieved an AIC of 5179.6, the lowest among all linear models, and showed improved explanatory power over simpler versions. Both predictors were statistically significant, and diagnostic plots indicated acceptable performance across key assumptions. While the gamma GLM (amt_model5) handled skewness well, it had a much higher AIC (41282), and thus was not chosen.

Overall, model3 for classification and amt_model3 for payout prediction provide the most reliable, interpretable, and statistically sound results. These models are recommended for deployment, with model3 used to first classify crashers, and amt_model3 used to estimate payout amounts for those predicted to crash.

ROC Curve Comparison

```

# Compare ROC curves visually
plot(roc(training_df$TARGET_FLAG, predict(model1, type="response")), col = "blue", main = "ROC Curve for Model 1")

Setting levels: control = 0, case = 1

Setting direction: controls < cases

lines(roc(training_df$TARGET_FLAG, predict(model2, type="response")), col = "green")

Setting levels: control = 0, case = 1
Setting direction: controls < cases

lines(roc(training_df$TARGET_FLAG, predict(model3, type="response")), col = "orange")

Setting levels: control = 0, case = 1
Setting direction: controls < cases

lines(roc(df_training_one_hot$TARGET_FLAG, predict(model4, type="response")), col = "purple")

Setting levels: control = 0, case = 1
Setting direction: controls < cases

lines(roc(training_df$TARGET_FLAG, predict(model5, type="response")), col = "red")

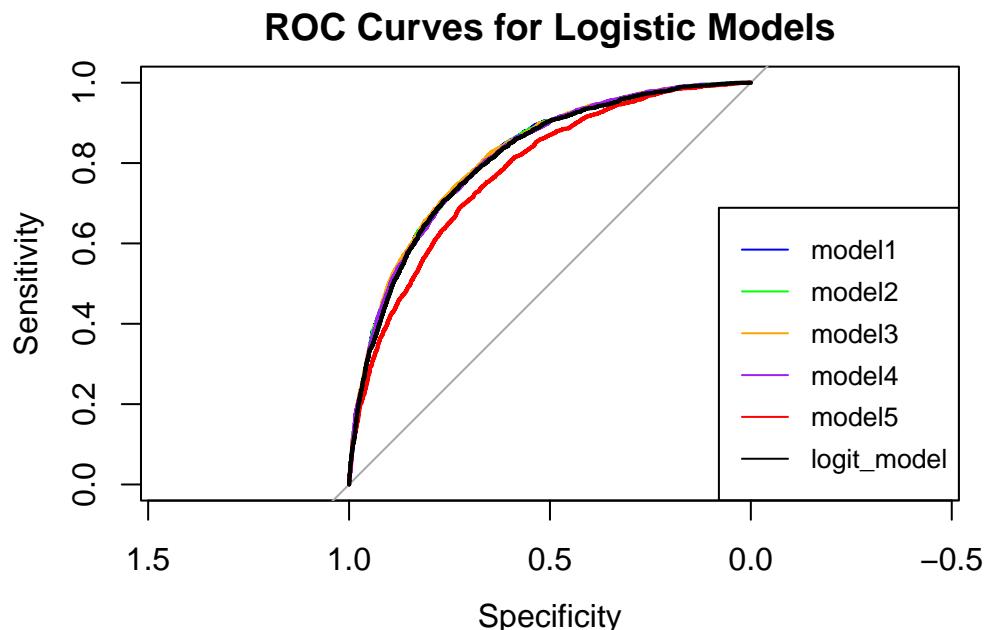
Setting levels: control = 0, case = 1
Setting direction: controls < cases

lines(roc(insurance_training_clean$TARGET_FLAG, predict(logit_model, type="response")), col = "black")

Setting levels: control = 0, case = 1
Setting direction: controls < cases

legend("bottomright", legend = c("model1", "model2", "model3", "model4", "model5", "logit_model"),
       col = c("blue", "green", "orange", "purple", "red", "black"), lty = 1, cex = 0.8)

```



Predict Cost for Crashers Only

```
``{ #eval_amt_pred <- rep(0, nrow(eval)) #eval_crash_idx <- which(eval_flag_pred
== 1) #eval_amt_pred[eval_crash_idx] <- predict(lm_model, newdata =
#insurance_evaluation_df[eval_crash_idx, ])
```

Final Combined Output

... { .cell}

```
```{.r .cell-code}
Transform data by putting it into buckets using case_when
testing_df_clean <- testing_df %>%
 mutate(
 AGE_GROUP = case_when(
 AGE <= 25 ~ "Young",
 AGE > 25 & AGE <= 40 ~ "Adult",
 AGE > 40 & AGE <= 60 ~ "Middle Aged",
 AGE > 60 ~ "Senior",
```

```

 TRUE ~ NA_character_ # Handle missing values
)
)

:::

Fix Income Grouping - Ensure proper quantile calculation
income_quantiles <- quantile(testing_df$INCOME, probs = seq(0, 1, 0.25), na.rm = TRUE)

testing_df_clean <- testing_df_clean %>%
 mutate(
 INCOME_GROUP = case_when(
 INCOME <= income_quantiles[2] ~ "Low",
 INCOME > income_quantiles[2] & INCOME <= income_quantiles[3] ~ "Medium",
 INCOME > income_quantiles[3] & INCOME <= income_quantiles[4] ~ "High",
 INCOME > income_quantiles[4] ~ "Very High",
 TRUE ~ NA_character_
)
)

```

```

testing_df_clean <- testing_df_clean %>%
 mutate(
 BLUEBOOK = ifelse(is.na(BLUEBOOK), 0.01, BLUEBOOK),
 OLDCALL = ifelse(is.na(OLDCALL), 0.01, OLDCALL),
 INCOME = ifelse(is.na(INCOME), 0.01, INCOME),
 HOME_VAL = ifelse(is.na(HOME_VAL), 0.01, HOME_VAL),
 LOG_BLUEBOOK = log1p(BLUEBOOK),
 LOG_OLDCLAIM = log1p(OLDCALL),
 LOG_INCOME = log1p(INCOME),
 LOG_HOME_VAL = log1p(HOME_VAL)
)

```

```

#final_predictions <- eval %>%
select(INDEX) %>%
mutate(
PRED_TARGET_FLAG = eval_flag_pred,
PRED_TARGET_AMT = eval_amt_pred
)

#head(final_predictions)

prediction <- predict(model3, testing_df_clean)

```

```

testing_df_clean$TARGET_FLAG <- prediction

testing_df_clean <- testing_df_clean %>%
 rename(
 INCOME_LOG = LOG_INCOME,
 HOME_VAL_LOG = LOG_HOME_VAL,
 OLDCLAIM_LOG = LOG_OLDCLAIM,
 BLUEBOOK_LOG = LOG_BLUEBOOK
)

predictions_amt <- predict(amt_model3, testing_df_clean)
testing_df_clean$TARGET_AMT <- predictions_amt

head(testing_df_clean)

```

```

A tibble: 6 x 32
INDEX TARGET_FLAG TARGET_AMT KIDSDRV AGE HOMEKIDS YOJ INCOME PARENT1
<dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <fct>
1 3 -1.81 8.37 0 48 0 11 52881 No
2 9 -1.09 8.35 1 40 1 11 50815 Yes
3 10 -1.98 8.13 0 44 2 12 43486 Yes
4 18 -1.15 8.20 0 35 2 NA 21204 Yes
5 21 -1.51 8.34 0 59 0 12 87460 No
6 30 -1.17 8.39 0 46 0 14 0.01 No
i 23 more variables: HOME_VAL <dbl>, MSTATUS <fct>, SEX <fct>,
EDUCATION <fct>, JOB <fct>, TRAVTIME <dbl>, CAR_USE <fct>, BLUEBOOK <dbl>,
TIF <dbl>, CAR_TYPE <fct>, RED_CAR <fct>, OLDCLAIM <dbl>, CLM_FREQ <dbl>,
REVOKED <fct>, MVR PTS <dbl>, CAR_AGE <dbl>, URBANICITY <fct>,
BLUEBOOK_LOG <dbl>, OLDCLAIM_LOG <dbl>, INCOME_LOG <dbl>,
HOME_VAL_LOG <dbl>, AGE_GROUP <chr>, INCOME_GROUP <chr>

```

Explanation:

Everyone gets a binary prediction (crash or not).

Only predicted crashers get a dollar amount predicted.

Others remain at zero.