

# Machine Learning

Dr Changjiang He, Dr Kuo-Ming Chao Computer Science | School of Art University of Roehampton



# Lesson 7.2 K-Means

#### Contents



- What is k-means?
- How it works?
- Advantages and disadvantages

#### What is K-means



- Let us understand the K-means clustering algorithm with its simple definition.
- A K-means clustering algorithm tries to group similar items in the form of clusters. The number of groups is represented by K.

#### What is K-means



- Let's take an example. Suppose you went to a vegetable shop to buy some vegetables. There you will see different kinds of vegetables.
- The one thing you will notice there that the vegetables will be arranged in a group of their types. Like all the carrots will be kept in one place, potatoes will be kept with their kinds and so on.
- If you will notice here then you will find that they are forming a group or cluster, where each of the vegetables is kept within their kind of group forming the clusters.

### What is K-means



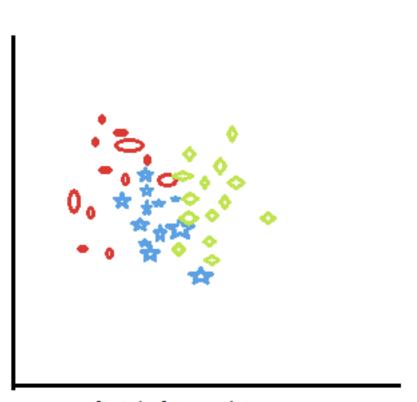
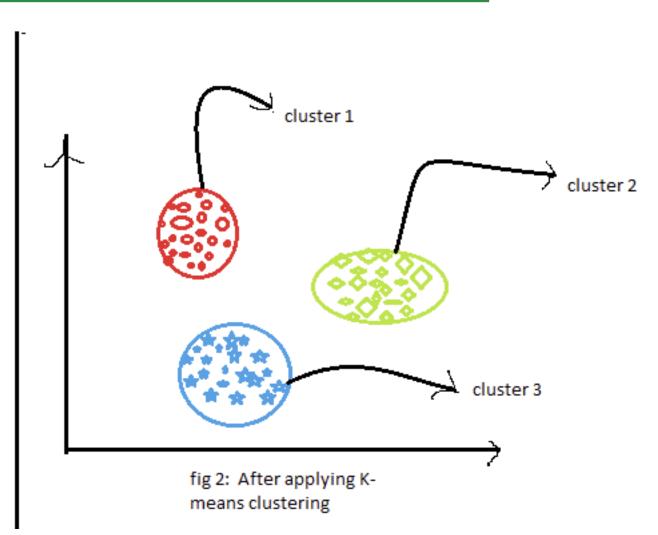


fig 1: before applying k-means clustering

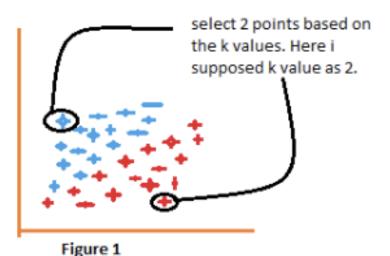


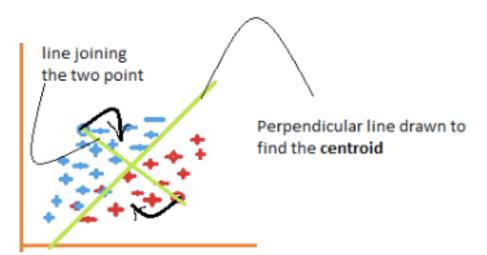
#### How k-means works



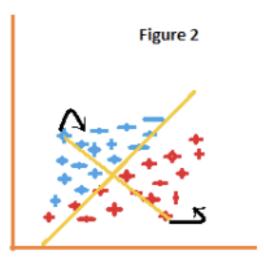
K-means clustering algorithm works in three steps.

- Select the k values.
- Initialize the centroids.
- Select the group and find the average.

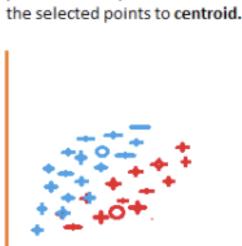




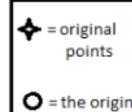
F3: Some of the red points changed to blue points, that means they belong to the group blue now. Again the repeat the same process.



F2: Find the average of all the blue points and red points and move the selected points to centroid.



F4: The same process has been applied here. This process will be continued until we get the two complete different cluster.

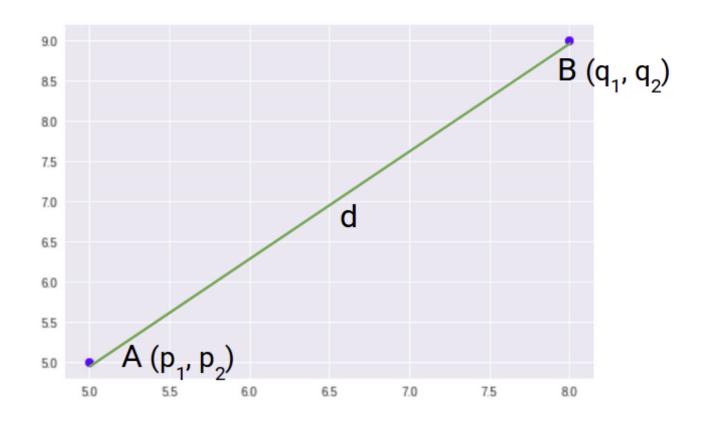


 = the original points moved to centroid.

#### How k-means works



 Please note that the K-means clustering uses the Euclidean distance method to find out the distance between the points.



Here's the formula for Euclidean Distance:

$$d = ((p_1 - q_1)^2 + (p_2 - q_2)^2)^{1/2}$$

#### How k-means works



We use this formula when we are dealing with 2 dimensions. We can generalize this for an n-dimensional space as:

$$D_{e} = \left(\sum_{i=1}^{n} (p_{i} - q_{i})^{2}\right)^{1/2}$$

Where,

- n = number of dimensions
- pi, qi = data points

In seminar and lab session, we will practice how to use K-means

## Advantages & Disadvantages



#### Advantage

- It is very simple to implement.
- It is scalable to a huge data set and also faster to large datasets.
- it adapts the new examples very frequently.
- Generalization of clusters for different shapes and sizes.

#### Disadvantage

- It is sensitive to the outliers.
- Choosing the k values manually is a tough job.
- As the number of dimensions increases its scalability decreases.