

Chapter 1: Building Abstractions with Procedures

Exercise 1.1

- 10
- $(+ \ 5 \ 3 \ 4) \rightarrow 12$
- $(- \ 9 \ 1) \rightarrow 8$
- $(/ \ 6 \ 2) \rightarrow 3$
- $(+ \ (* \ 2 \ 4) \ (- \ 4 \ 6)) \rightarrow 6$
- `(define a 3)` → Stores 3 into var *a*
- `(define b (+ a 1))` → Stores 4 (+ 3 1) into var *b*
- $(+ \ a \ b \ (* \ a \ b)) \rightarrow 19$
- $(= \ a \ b) \rightarrow \text{NIL}$
- `(if (and (> b a) (< b (* a b)))`
 b
 a)
 $\hookrightarrow 4$
- `(cond ((= a 4) 6)`
 $((= b 4) (+ 6 7 a))$
 $(\text{else } 25))$
 $\hookrightarrow 16$
- $(+ \ 2 \ (\text{if } (> b a) \ b \ a)) \rightarrow 6$
- `(* (cond ((> a b) a)`
 $((< a b) b)$
 $(\text{else } -1))$
 $(+ a 1))$
 $\hookrightarrow 16$

Exercise 1.2

```
(/ (+ 5 4 (- 2  
          (- 3  
          (+ 6  
          (/ 4 5)))))  
(* 3  
  (- 6 2)  
  (- 2 7)))
```

Exercise 1.3

```
(define ex1.3 (x y z)  
  (cond ((> x y)  
    (if (> y z)  
      (+ (* x x) (* y y))  
      (+ (* x x) (* z z))))  
    (t  
      (if (> x z)  
        (+ (* y y) (* x x))  
        (+ (* y y) (* z z))))))
```

Exercise 1.4

The function `a-plus-abs-b` utilizes the `if` condition to change the operation to a sum if *b* is positive or a subtraction otherwise, acting as $|b|$.

Mathematically:

$$\text{a-plus-abs-b}(a, b) = \begin{cases} a+b & \text{if } b > 0 \\ a-b & \text{if } b < 0 \end{cases} \equiv a + |b|$$

Exercise 1.5

With an applicative order evaluation, the test function will not run properly because `(p)` will loop on itself, continuously running `(test 0 (p))`. Using normal order evaluation, because `y` is not utilized on the test function, the `if` clause will be executed and resolve to 0.

Exercise 1.6

The new `if` does not work in the `sqrt-iter` function, it throws a *stack overflow* type error.

This is because the special form `if` runs in applicative order, thus evaluating the predicate and only running then or else when needed. In the case of `new-if`, because of the recursive call, it will be stuck evaluating that.