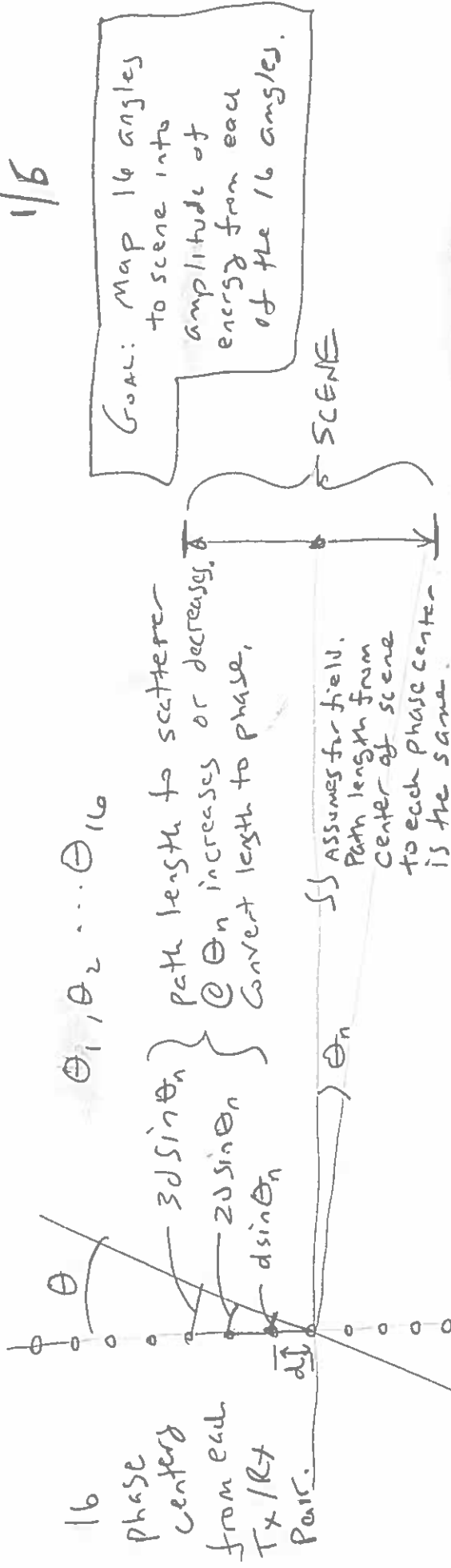


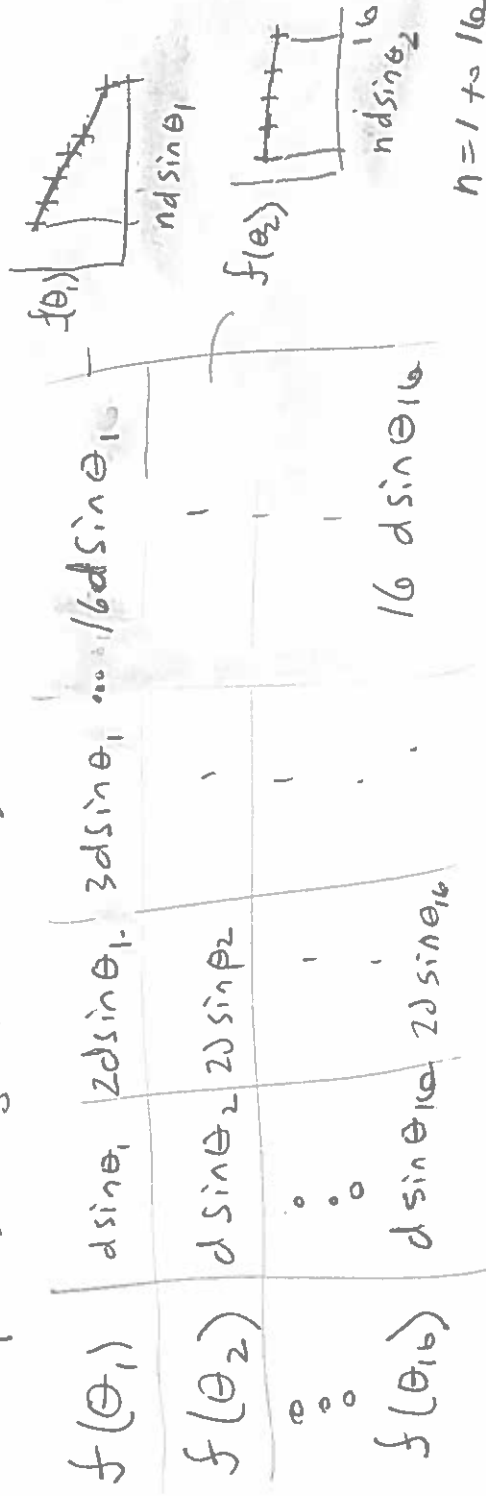
IMAGE FORMATION PROCESSING APPROACH

10/30/14

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For each θ a function with 16 points is generated. Assume amplitude = 1 for each.



Each $f(\theta_n)$ generates a ^{linear} phase slope versus frequency. Evaluate in EXCEL

Then take each $f(\theta_n)$ and break into Real and Imag Parts. 2/6

REAL

$$1 \cos(d \sin \theta_1), 1 \cos(2d \sin \theta_1) \dots 1 \cos(16d \sin \theta_1)$$

$$1 \cos(d \sin \theta_2), 1 \cos(2d \sin \theta_2) \dots 1 \cos(16d \sin \theta_2)$$

...

$n=1$ to 16

$$1 \cos(d \sin \theta_6), 1 \cos(2d \sin \theta_6) \dots 1 \cos(16d \sin \theta_6)$$

IMAG

$$1 \sin(d \sin \theta_1), 1 \sin(2d \sin \theta_1) \dots 1 \sin(16d \sin \theta_1)$$

Each row will plot out as a sinusoidal function of different freq.



These will be 90° out of phase with IMAG.

Plot these in excel

3/6

The real and imag function become
basis functions and they will be
 stored in the VHDL Code. I need to
 convert from decimal to Fixed Point
 so they can be operated on.

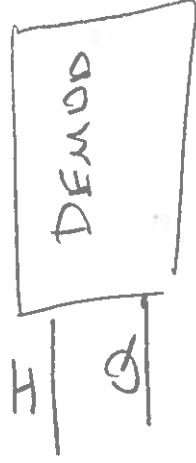
($\cos \sin \theta_1$) from before.

$$\begin{array}{l} \text{We have:} \\ \text{REAL} \end{array} \left[\begin{array}{c} R_{1,\theta_1}, R_{2,\theta_1}, \dots, R_{16,\theta_1} \\ \vdots \\ R_{1,\theta_{16}}, R_{2,\theta_{16}}, \dots, R_{16,\theta_{16}} \end{array} \right]$$

$$\text{IMAG} \left[\begin{array}{c} I_{1,\theta_1} \\ \vdots \\ I_{1,\theta_{16}} \end{array} \right]$$

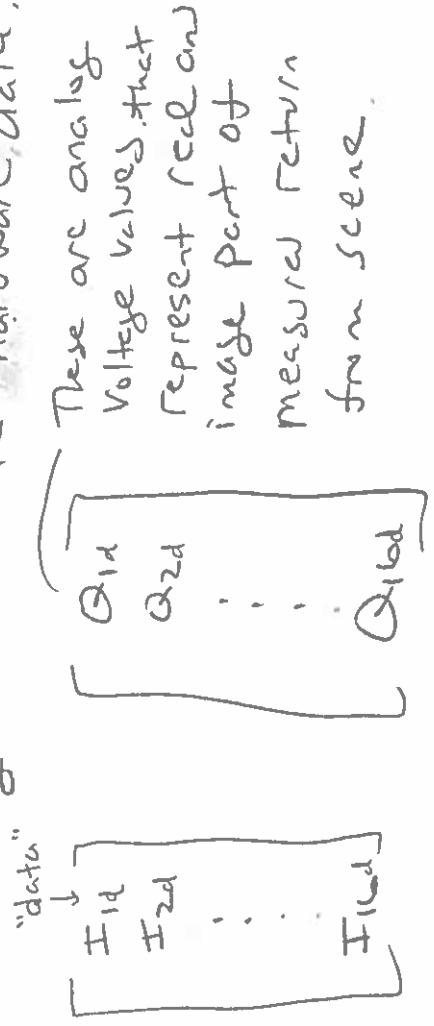
4/6

The hardware provides 16 I and Q values based on measured data from each of 16 phase centers



This generates 16 I's and 16 Q's
 REAL IMAG

These are Real and Imag from the hardware data.



5/6
updated
11/11/14

Next look at case for one angle θ
where we calculate the image energy at θ .

Will explain why this is negative later.

$$\underbrace{\left[\begin{matrix} a \\ (R_{1,\theta_1}) - j(I_{1,\theta_1}) \end{matrix} \right]}_{\text{Basis Function for } \theta_1} \times \underbrace{\left[\begin{matrix} c \\ (I_{1d}) + j(Q_{1d}) \end{matrix} \right]}_{\text{Data}} \rightarrow \begin{matrix} \text{Sum Real parts,} \\ \text{Sum Imag parts,} \end{matrix}$$

$$\sqrt{R^2 + I^2} = A_1$$

This is mag of energy @ θ_1

Repeat this calculation 16 times
with all θ 's, using the same data. ~~set in simulation as typical response.~~

Simplify using $(a-jb)(c+jd) = ac + bd + j(-bc + ad)$
and calculate real part and imag part separately

$$\underbrace{\left[\begin{matrix} a \\ (R_{1,\theta_1}) \end{matrix} \right]}_{a} + \underbrace{\left[\begin{matrix} b \\ (I_{1,\theta_1}) \end{matrix} \right]}_{b} \times \underbrace{\left[\begin{matrix} c \\ (I_{1d}) \end{matrix} \right]}_{c} + \underbrace{\left[\begin{matrix} d \\ (Q_{1d}) \end{matrix} \right]}_{d} - \underbrace{\left[\begin{matrix} b \\ (I_{1,\theta_1}) \end{matrix} \right]}_{b} \times \underbrace{\left[\begin{matrix} c \\ (I_{1d}) \end{matrix} \right]}_{c}$$

6/6

Suggested tasks to generate simulation:

- 1) Build 16 basis functions in EXCEL (1/6),
Should plot as 16 lines with different slopes
- 2) Convert these to REAL and IMAG parts (2/6),
This will yield 32 functions, 16R, 16I that
should graph as sinusoids.
- 3) Set up the data function I and Q. (4/6)
Since there is no data we would make these look like
one of basis functions at a particular θ .
- 4) Do the complex multiply (5/6)
and generate 16 amplitudes each
corresponding to one of 16 angles.
- 5) Plot the 16 amplitudes versus the 16 θ 's.