

Web search engine / ...

I saw a cat|

I saw a cat on the chair

I saw a cat running after a dog

I saw a cat in my dream

I saw a cat book

Translation service / mail agent / ...

I saw a ca|

car ←

Translation service / mail agent / ...

I saw a catt

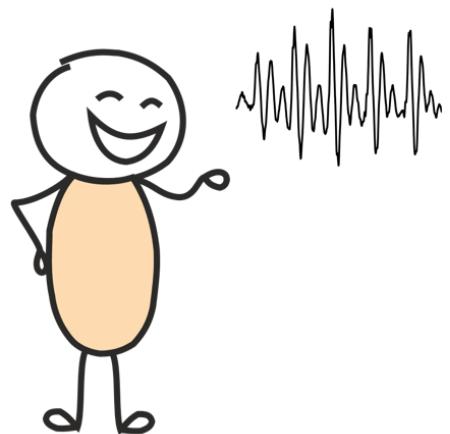
Probably you meant I saw a cat

Keyboard / mail agent / ...

I saw a catt

cat

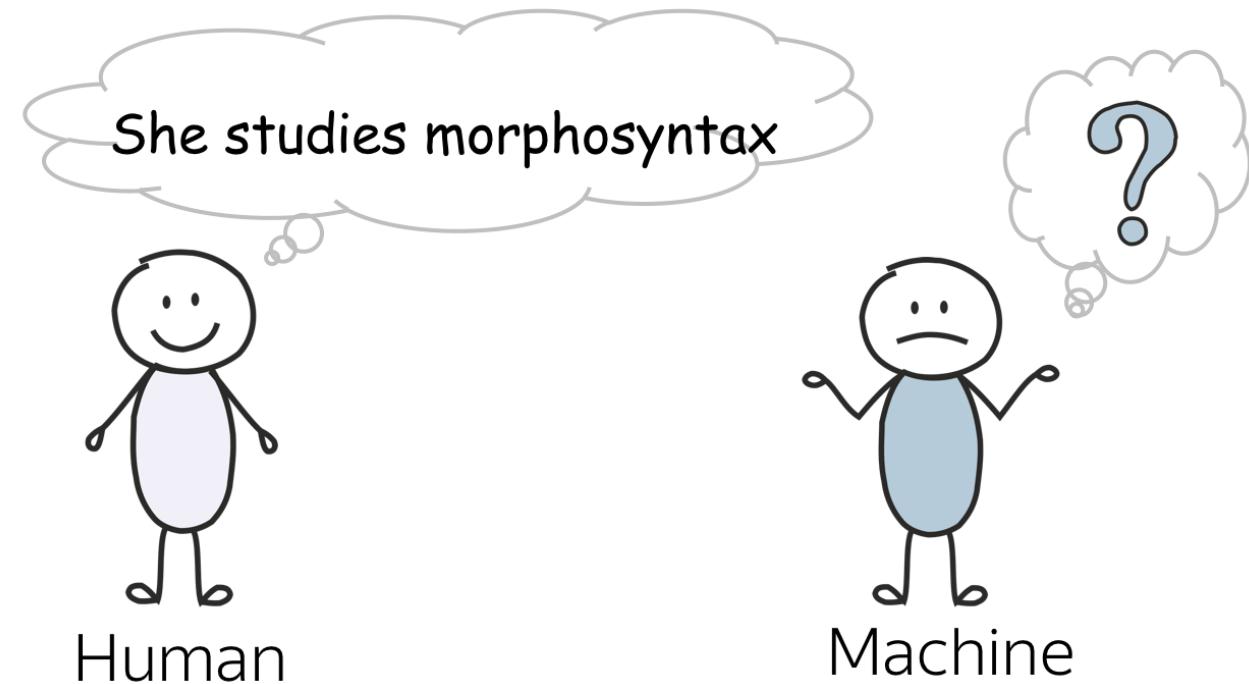
car



Similarly sounding options

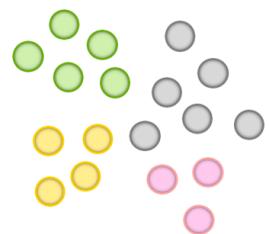
She studies morphosyntax
She studies more faux syntax
She studies morph or syntax

....



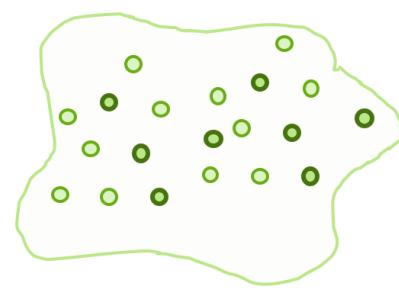
The morphosyntax example is from the slides by Alex Lascarides and Sharon Goldwater, Foundations of Natural Language Processing course at the University of Edinburgh.

What is the probability
to pick a green ball?



$$\frac{5}{5 + 6 + 4 + 3} = \frac{5}{18}$$

Can we do the same for sentences?



Text corpus

$$P(\text{the mut is tinning the tebn}) = \frac{0}{|\text{corpus}|} = 0$$

$$P(\text{mut the tinning tebn is the}) = \frac{0}{|\text{corpus}|} = 0$$

With this approach, sentences that never occurred
in the corpus will receive zero probability

But the first sentence is “more
likely” than the second!
This method is not good!



$P(\mathbf{I}) =$

$P(\mathbf{I})$



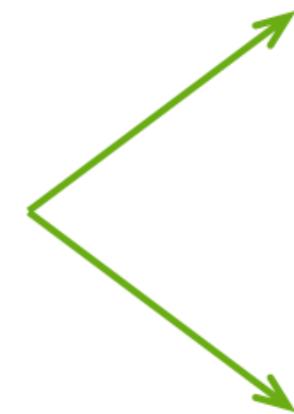
Probability of \mathbf{I}

$$P(y_1, y_2, \dots, y_n) = P(y_1) \cdot P(y_2|y_1) \cdot P(y_3|y_1, y_2) \cdot \dots \cdot P(y_n|y_1, \dots, y_{n-1}) = \prod_{t=1}^n P(y_t|y_{<t}).$$

Need to define:

- how to compute

$$P(y_t | y_1, y_2, \dots, y_{t-1})$$



N-gram models

Neural models

I _____

N-gram Language Models

$$P(y_1, y_2, \dots, y_n) = P(y_1) \cdot P(y_2|y_1) \cdot P(y_3|y_1, y_2) \cdot \dots \cdot P(y_n|y_1, \dots, y_{n-1}) = \prod_{t=1}^n P(y_t|y_{<t}).$$

$$P(y_t|y_1, \dots, y_{t-1}) = \frac{N(y_1, \dots, y_{t-1}, y_t)}{N(y_1, \dots, y_{t-1})},$$

N-gram Language Models

Formally, n-gram models assume that

$$P(y_t|y_1, \dots, y_{t-1}) = P(y_t|y_{t-n+1}, \dots, y_{t-1}).$$

For example,

- n=3 (trigram model): $P(y_t|y_1, \dots, y_{t-1}) = P(y_t|y_{t-2}, y_{t-1}),$
- n=2 (bigram model): $P(y_t|y_1, \dots, y_{t-1}) = P(y_t|y_{t-1}),$
- n=1 (unigram model): $P(y_t|y_1, \dots, y_{t-1}) = P(y_t).$

N-gram Language Models

Before

$$P(I \text{ saw a cat on a mat}) =$$

- $P(I)$
- $P(saw | I)$
- $P(a | I \text{ saw})$
- $P(cat | I \text{ saw a})$
- $P(on | I \text{ saw a cat})$
- $P(a | I \text{ saw a cat on})$
- $P(mat | I \text{ saw a cat on a})$

After (3-gram)

$$P(I \text{ saw a cat on a mat}) =$$

- $P(I)$ → $P(I)$
- $P(saw | I)$ → • $P(saw | I)$
- $P(a | I \text{ saw})$ → • $P(a | I \text{ saw})$
- $P(cat | I \text{ saw a})$ → • $P(cat | \text{saw a})$
- $P(on | I \text{ saw a cat})$ → • $P(on | a \text{ cat})$
- $P(a | I \text{ saw a cat on})$ → • $P(a | \text{cat on})$
- $P(mat | I \text{ saw a cat on a})$ → • $P(mat | \text{on a})$

ignore

use



N-gram Language Models

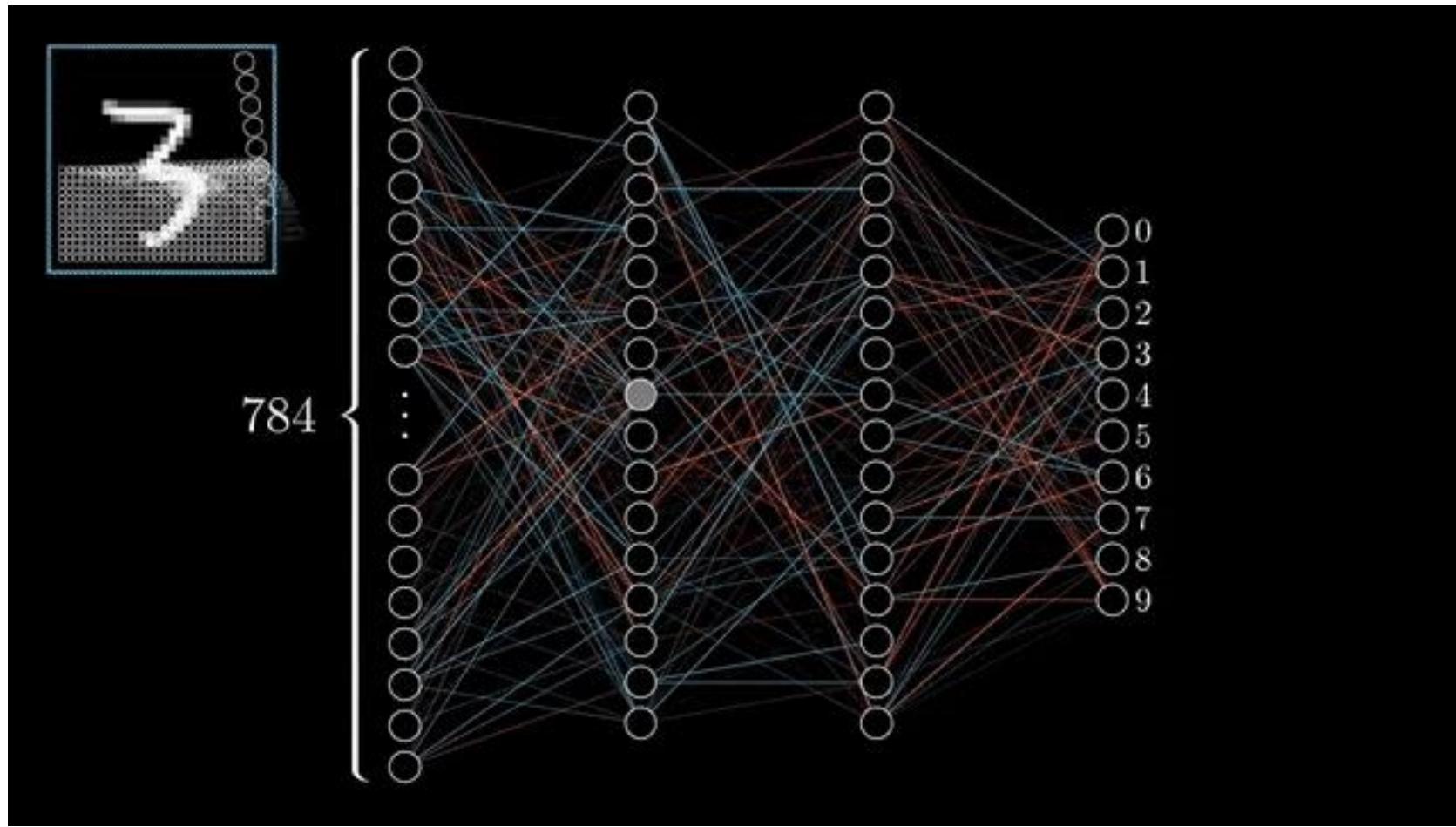
I _____

N-gram Language Models

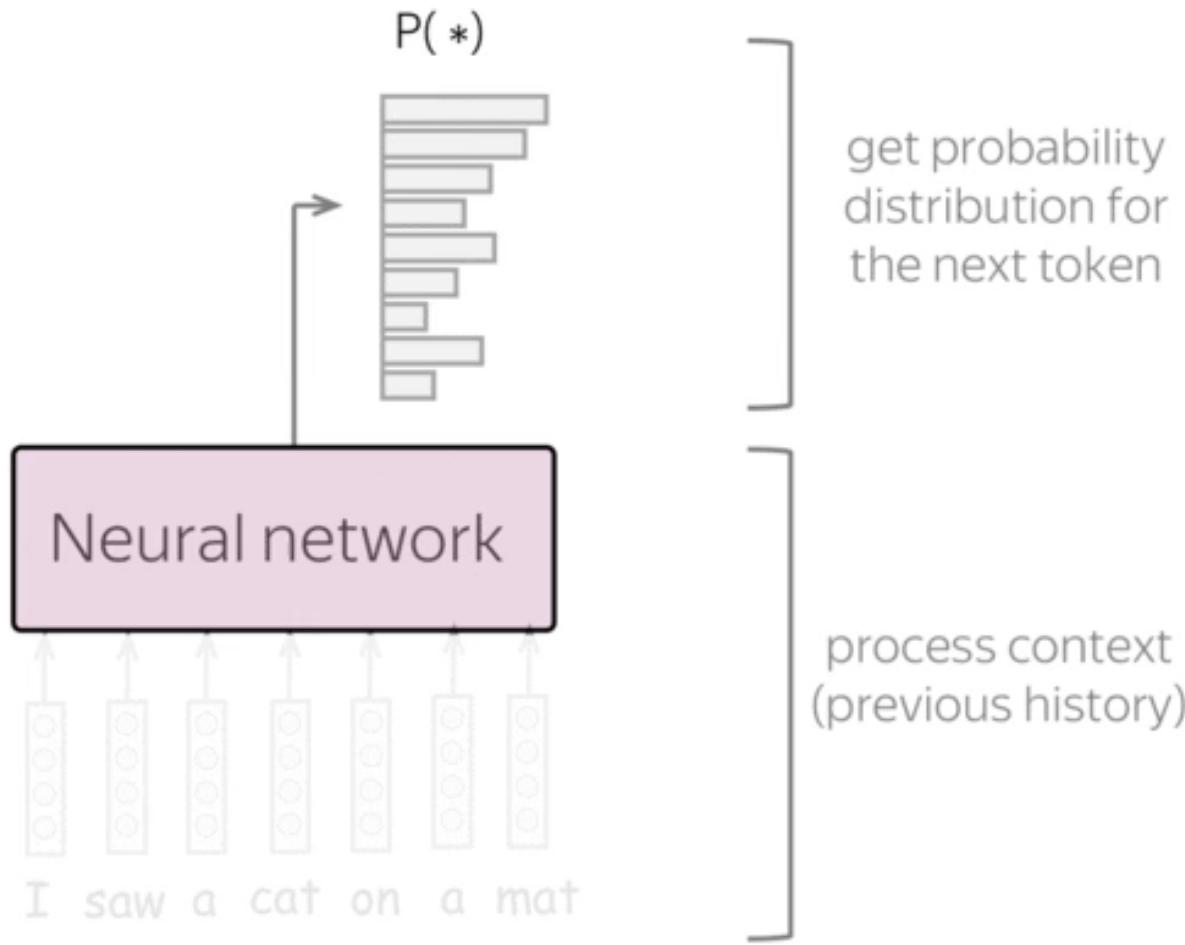
so even when i talk a bit short , there was no easy thing to do different buffer flushing strategies in the future , due to huge list of number - one just has started production of frits in the process and has free wi - fi " operation _eos_

N-gram Language Models

so even if the us , and the united states , the hotel is located in the list of songs , you can add them in our collection by this form . _eos_

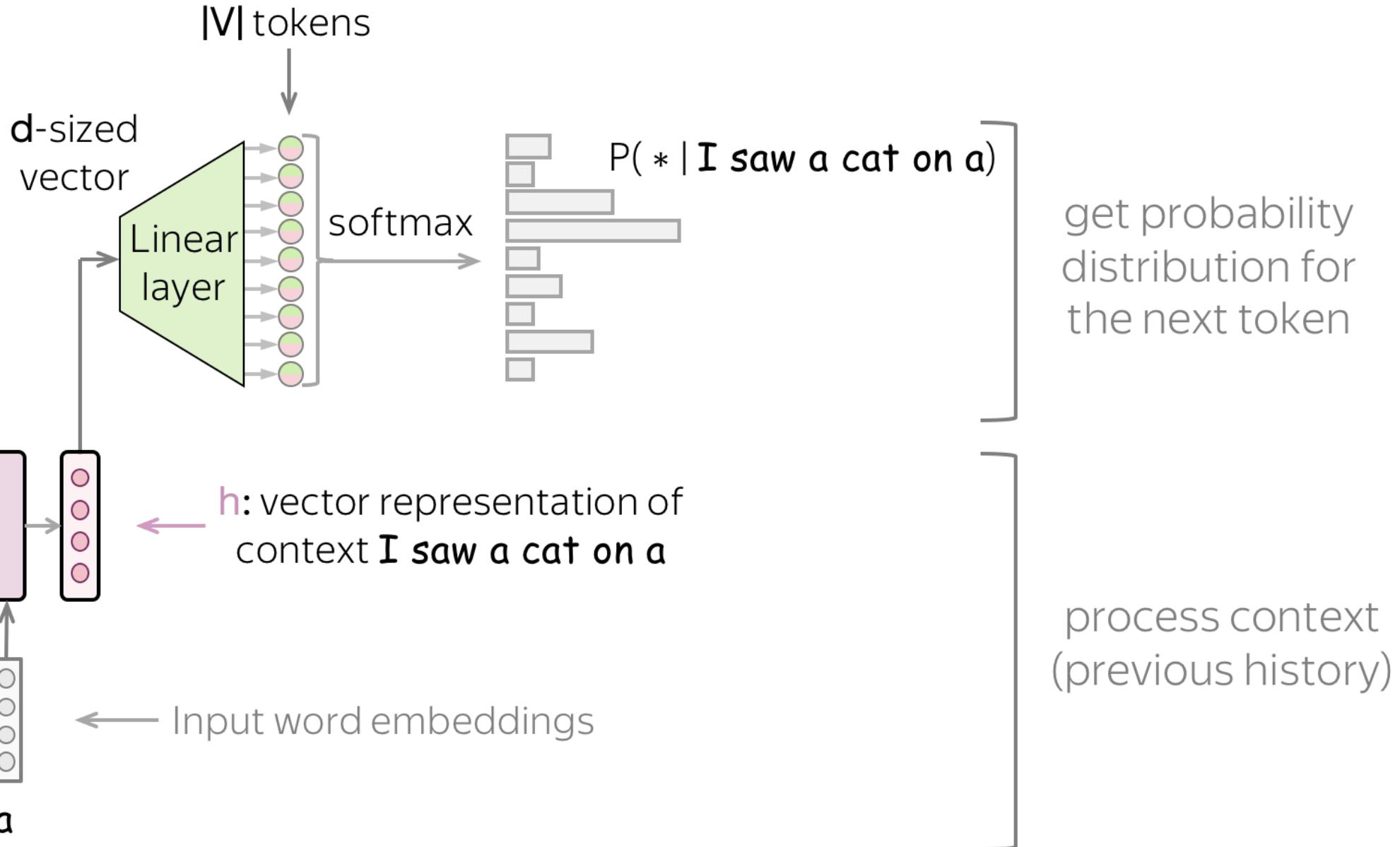


Neural Language Models



Neural Language Models

Transform h linearly from size d to $|V|$ - the vocabulary size

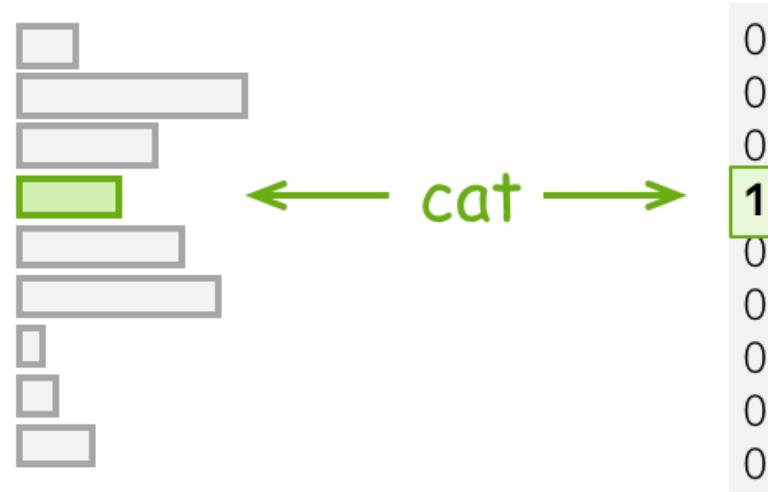


we want the model
to predict this



Training example: I **saw** a **cat** on a mat <eos>

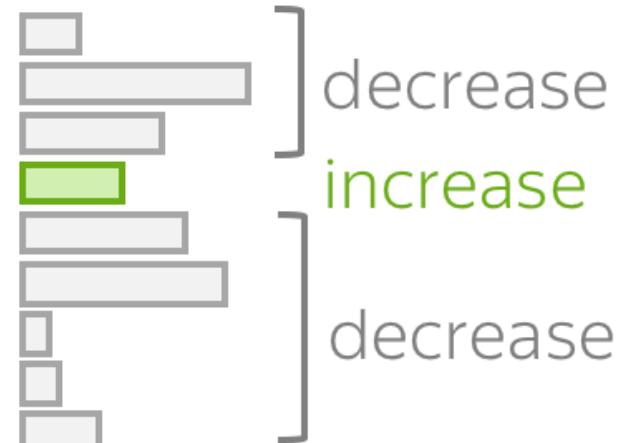
Model prediction: $p(* | \text{I saw a})$



Target



$\text{Loss} = -\log(p(\text{cat})) \rightarrow \min$





Initial
RNN state

Start: do not have
input, want to predict
the first token

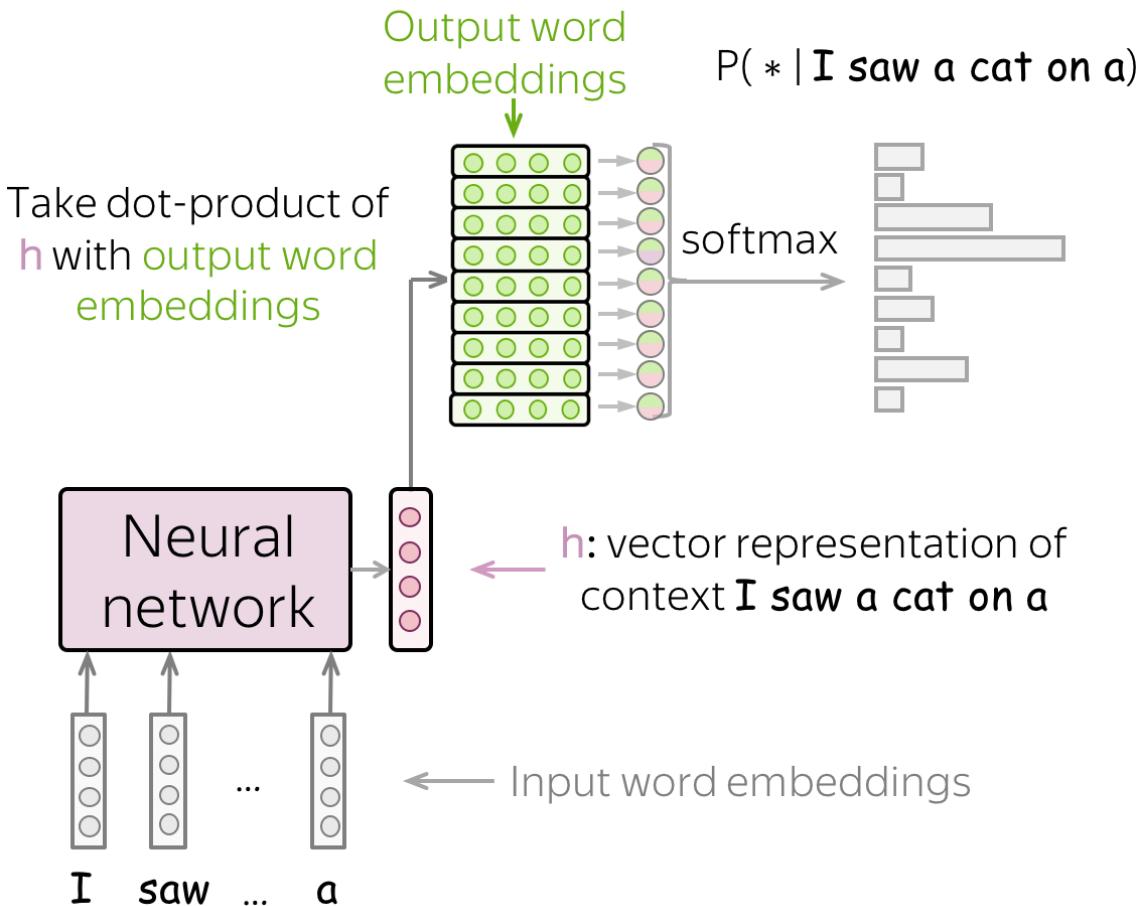
we want the model
to predict this



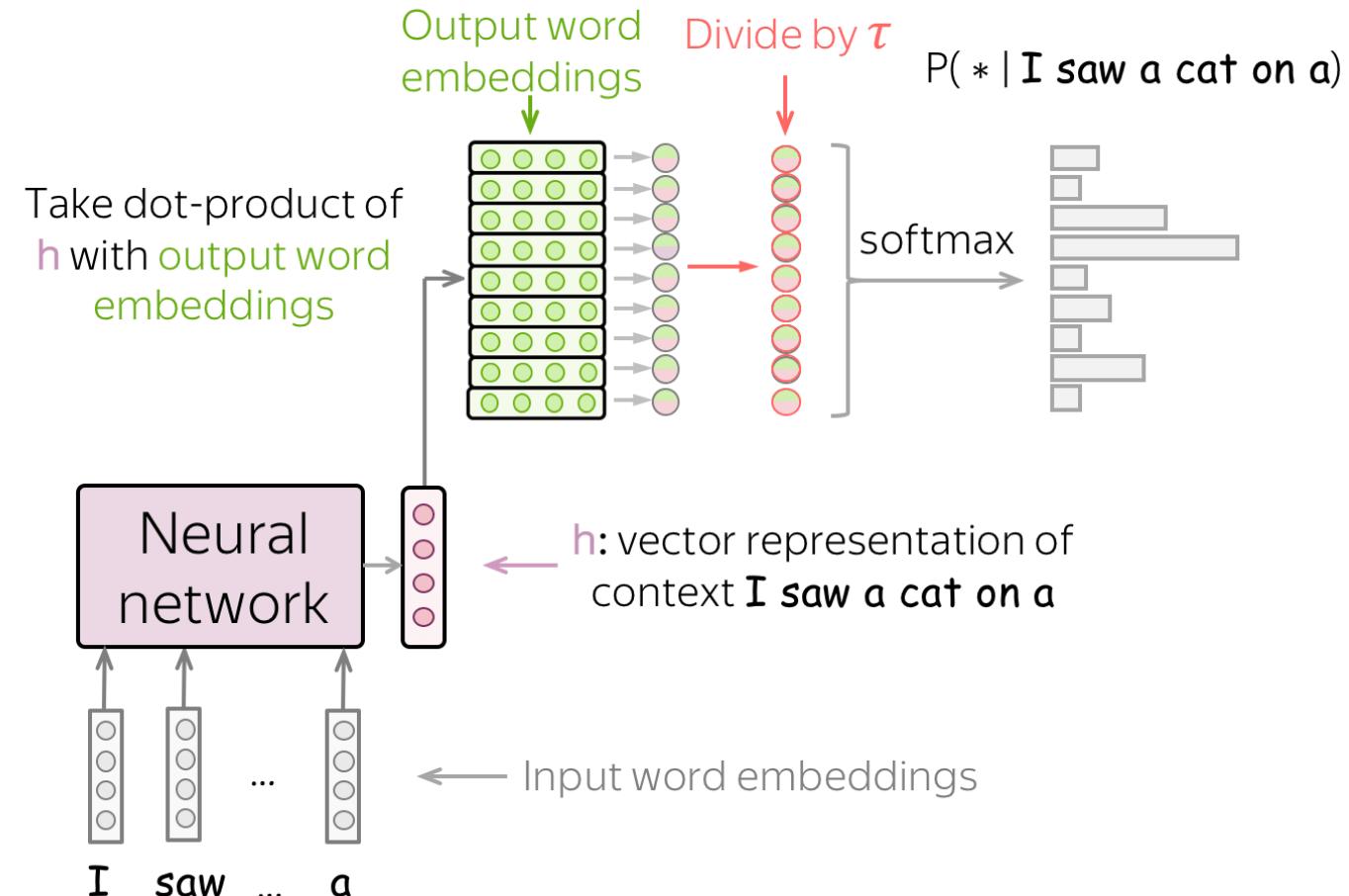
Training example: I saw a cat on a mat <eos>

Sampling with temperature

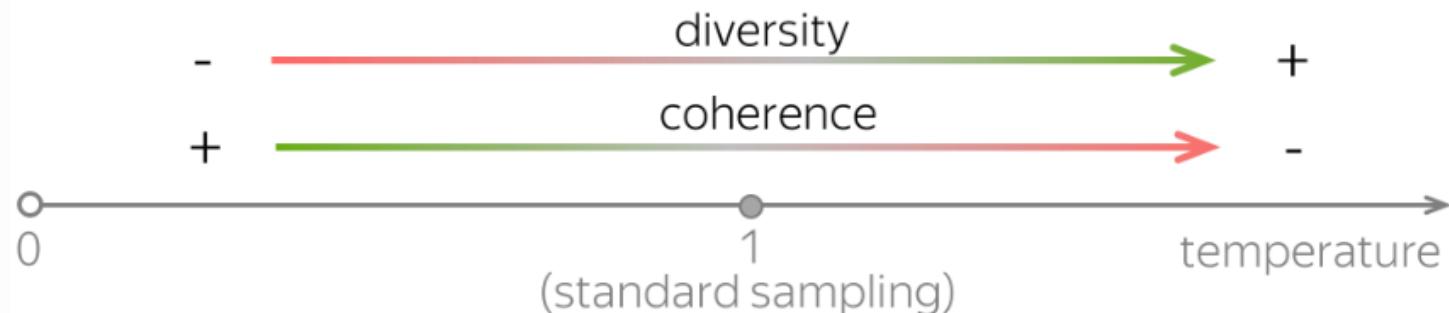
Before



After



paradise sits farms started paint hollow almost unprecedented decisions, care using withdrawal from rebel cis (, saying graphics mongolia official line, greeted agenda victor is exploring anger :) draw testify liberalization decay productive 2 went exchanges of marketing drawing enabling challenging systematic crisis influencing the executive arrangement performs designs



Input Prompt:

Recite the first law of robotics



GPT-3



Output:



Unsupervised Pre-training

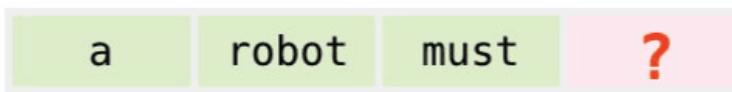


Expensive training on massive datasets

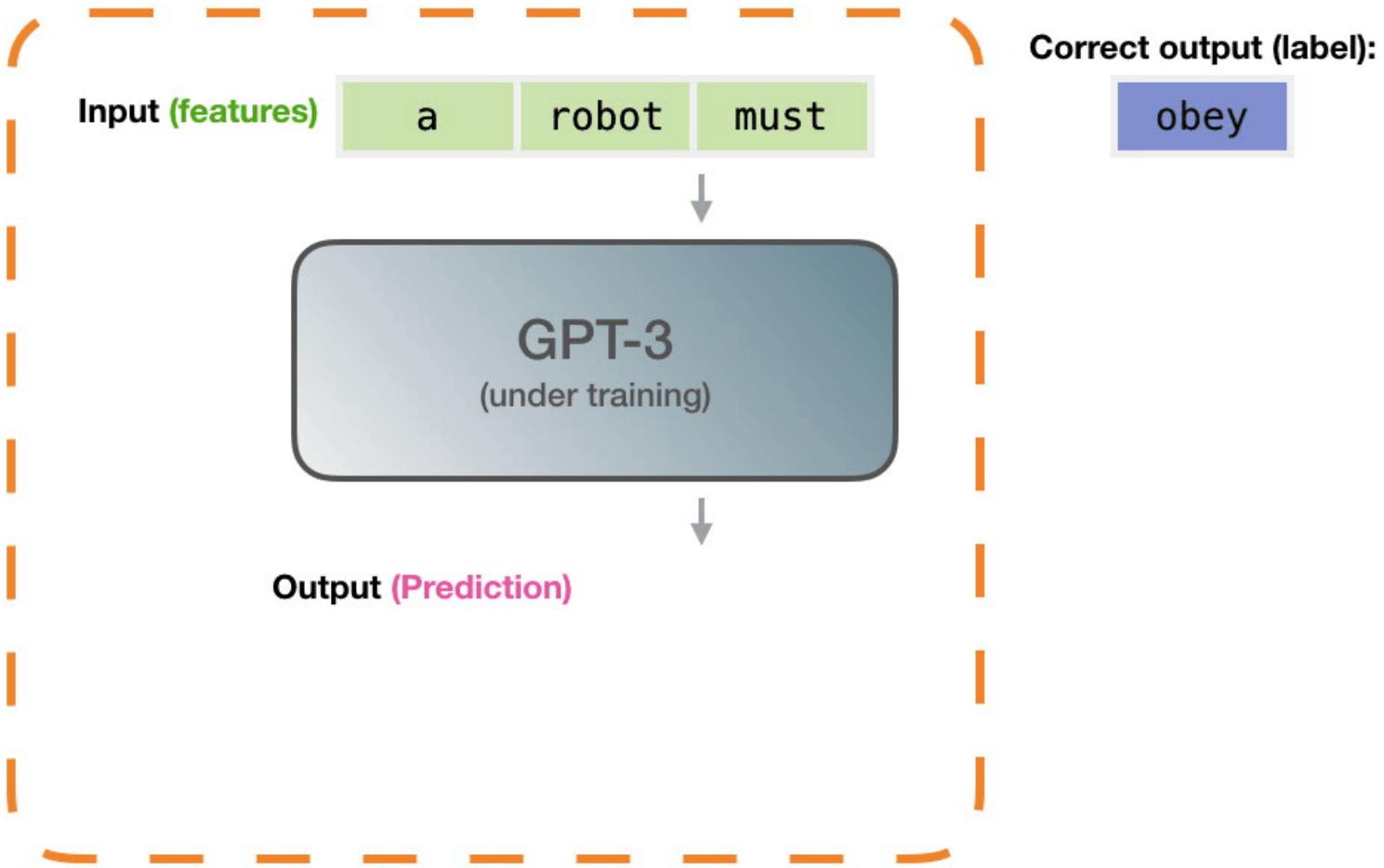
Dataset: 300 billion tokens of text

Objective: Predict the next word

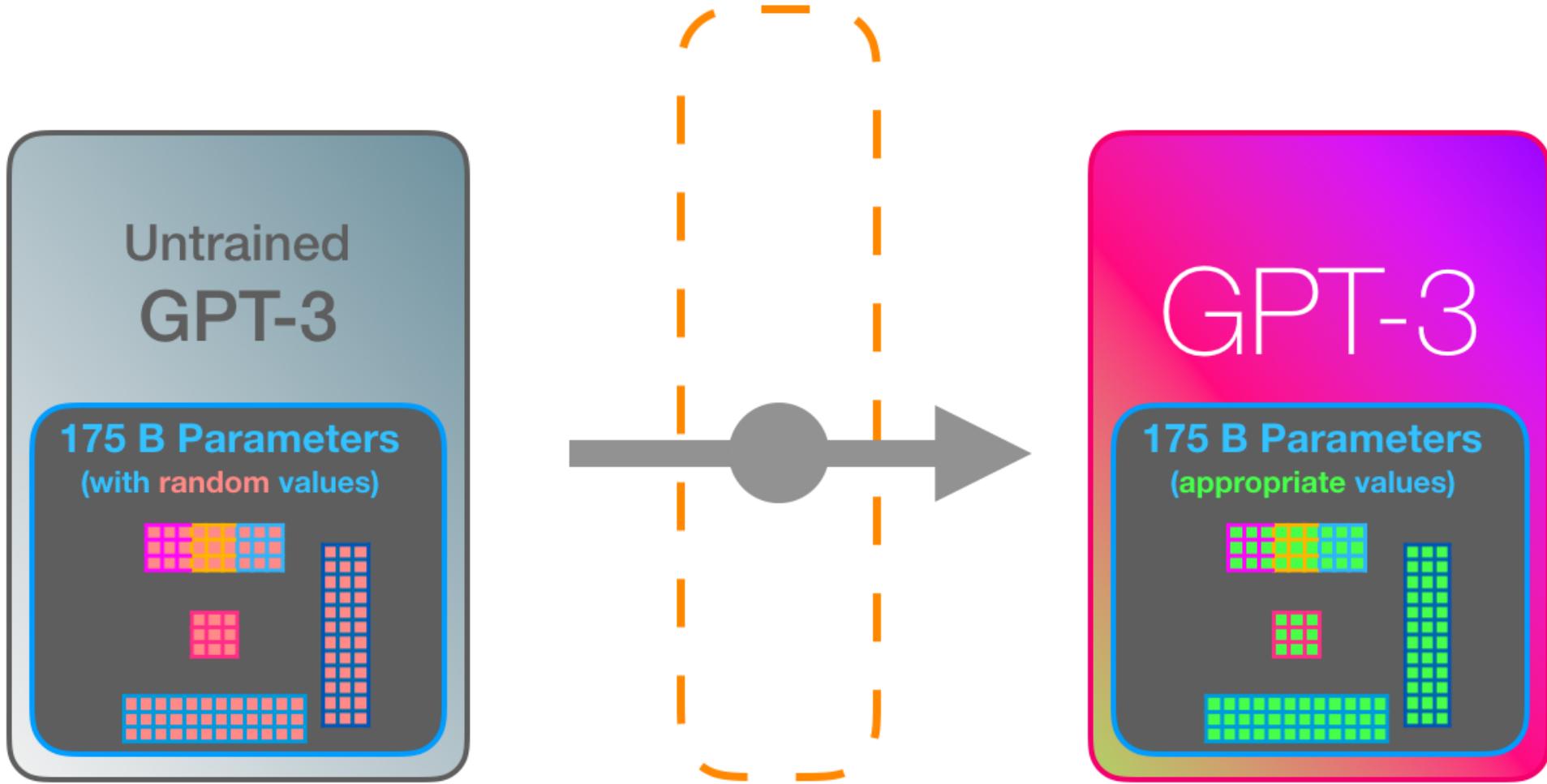
Example:

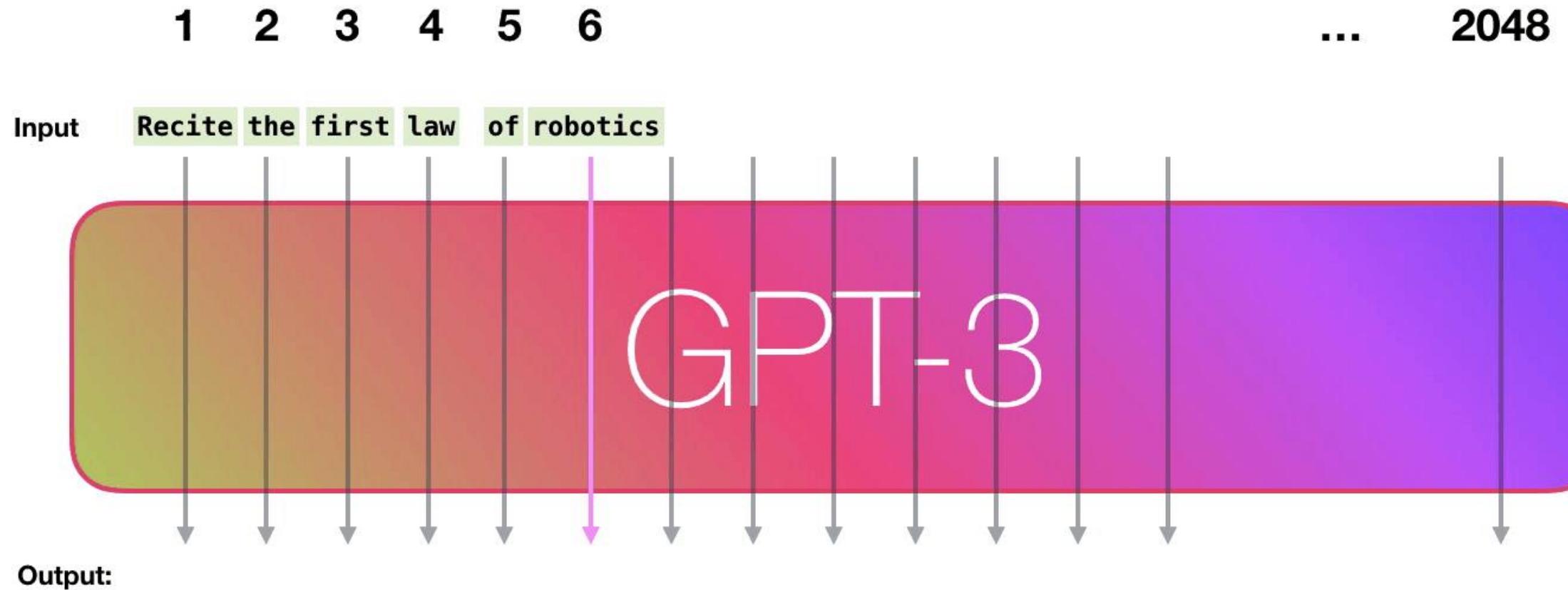


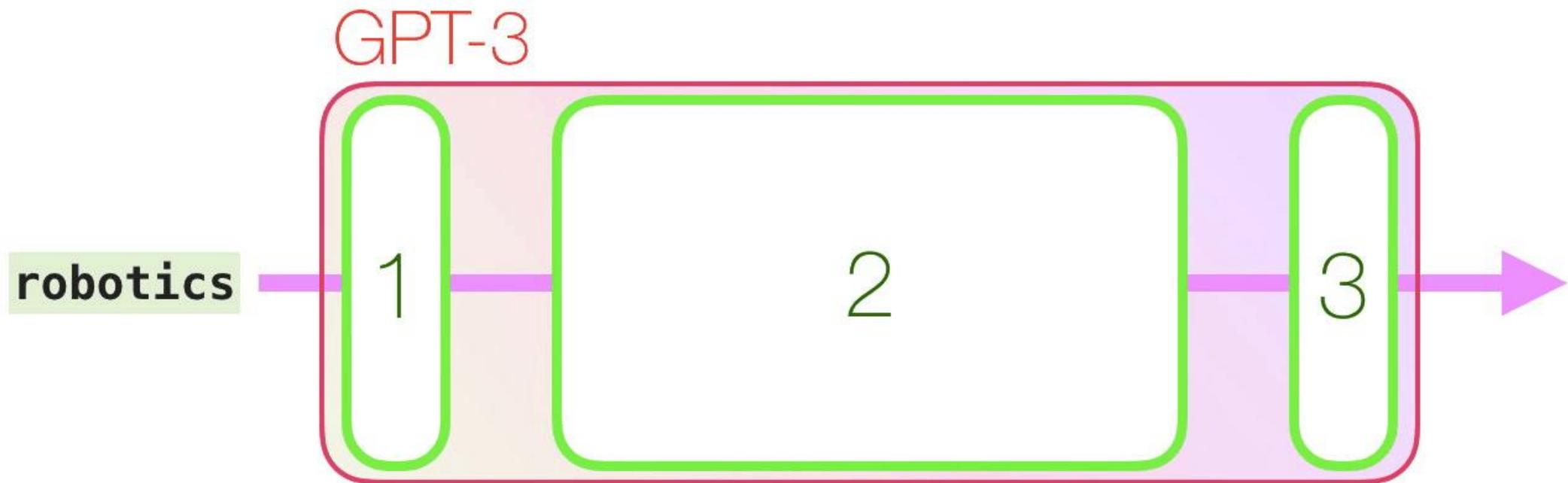
Unsupervised Pre-training



Unsupervised Pre-training







Vector (I think of size 12,288)

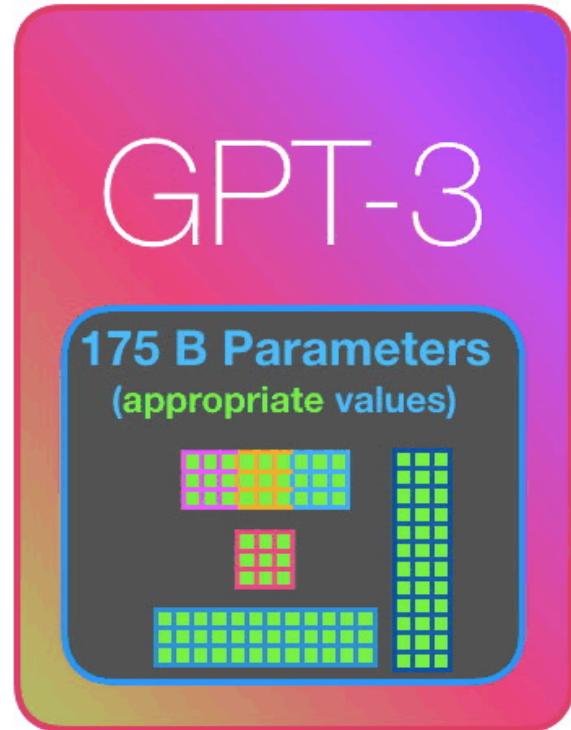
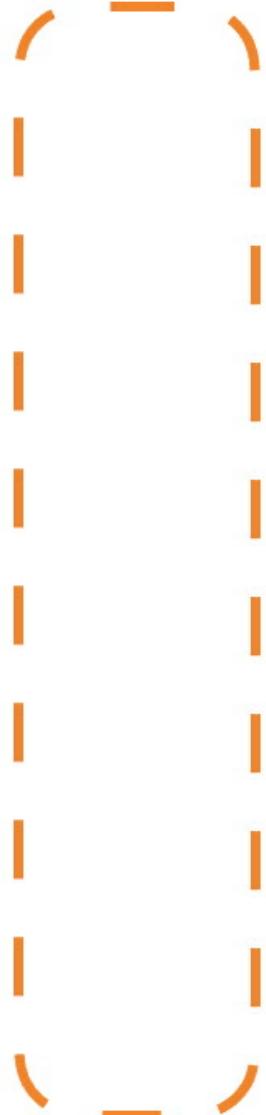
Embedding of robotics + positional encoding for position #6



Vector (I think of size 12,288)

Prediction result

Pre-training



Fine-tuning

Additional training to become better at a certain task

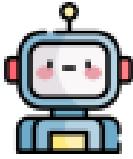
Example: English to French Translation

User Input



Can you recommend a delicious recipe for dinner?

LLM Response



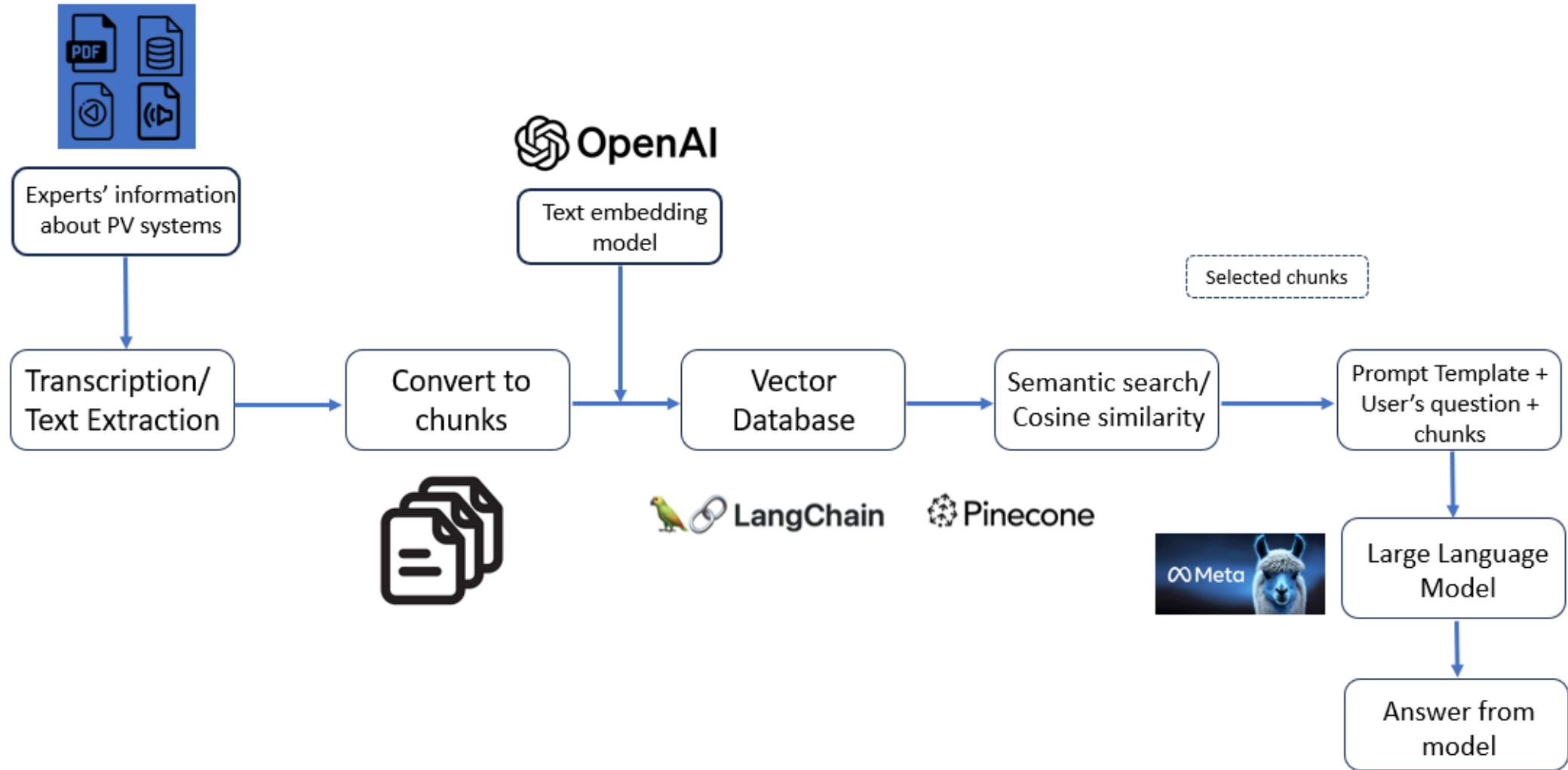
Yes, here is a delicious recipe for lunch. So how about fried chicken with mashed potatoes? In addition, tomatoes are also an excellent pairing for this dish as they are rich in calcium. Enjoy this steak!

Hallucination Explanation

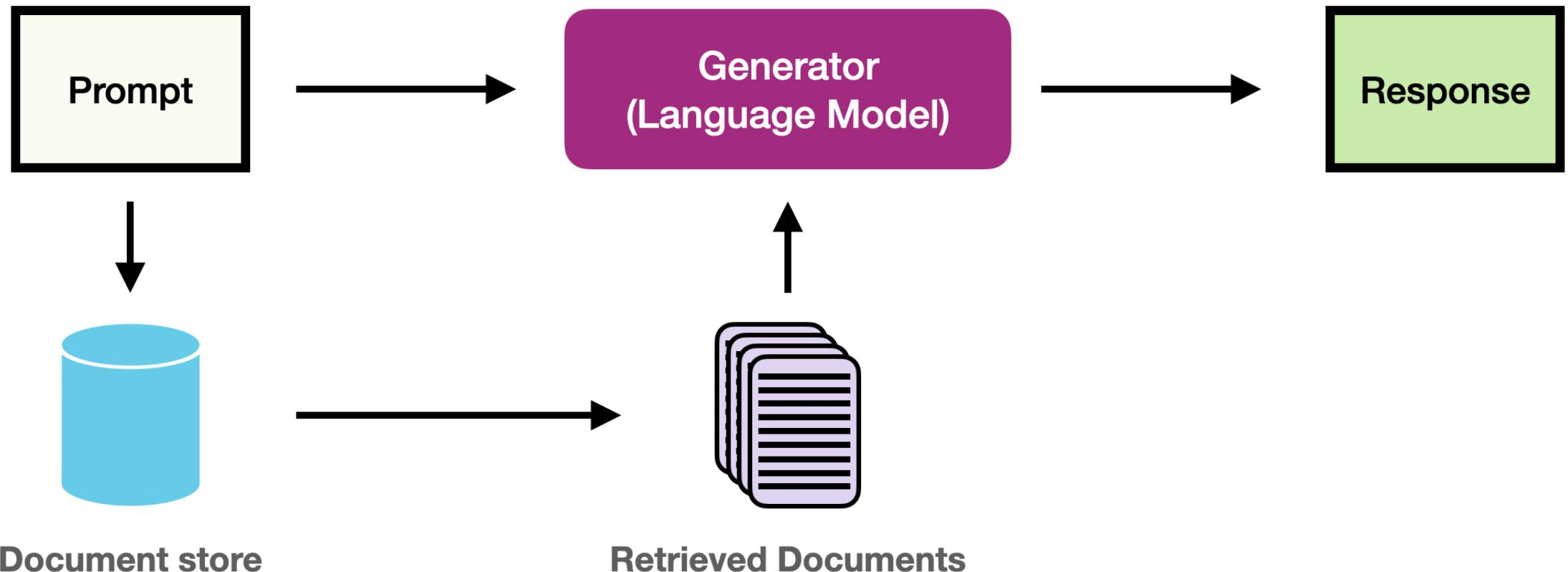
Input-Conflicting Hallucination: the user wants a recipe for dinner while LLM provide one for lunch.

Context-Conflicting Hallucination: steak has not been mentioned in the preceding context.

Fact-Conflicting Hallucination: tomatoes are not rich in calcium in fact.



Retrieval Augmented Generation



One-hot Encoding

Rome = [1, 0, 0, 0, 0, 0, ..., 0]
Paris = [0, 1, 0, 0, 0, 0, ..., 0]
Italy = [0, 0, 1, 0, 0, 0, ..., 0]
France = [0, 0, 0, 1, 0, 0, ..., 0]

The diagram illustrates the one-hot encoding for four words: Rome, Paris, Italy, and France. Each word is mapped to a vector where only one element is 1 and all others are 0. Arrows point from each word to its corresponding index in the vector: Rome points to index 0, Paris points to index 1, Italy points to index 2, and France points to index 3.

Word Embeddings

Rome = [0.91, 0.83, 0.17, ..., 0.41]
Paris = [0.92, 0.82, 0.17, ..., 0.98]
Italy = [0.32, 0.77, 0.67, ..., 0.42]
France = [0.33, 0.78, 0.66, ..., 0.97]

The diagram illustrates word embeddings for the same four words. Each word is represented by a vector of floating-point numbers. The first two elements of each vector are circled in red, likely to highlight the dimensionality or a specific feature of the embeddings. The vectors are: Rome = [0.91, 0.83, 0.17, ..., 0.41], Paris = [0.92, 0.82, 0.17, ..., 0.98], Italy = [0.32, 0.77, 0.67, ..., 0.42], and France = [0.33, 0.78, 0.66, ..., 0.97].

Openness to experience 79 out of 100

Agreeableness 75 out of 100

Conscientiousness 42 out of 100

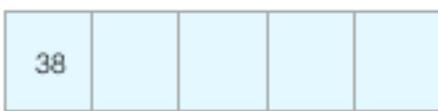
Negative emotionality 50 out of 100

Extraversion 58 out of 100

Extraversion

100

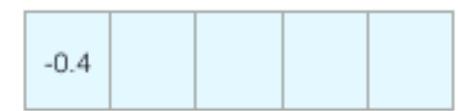
Jay



Extraversion

1

Jay



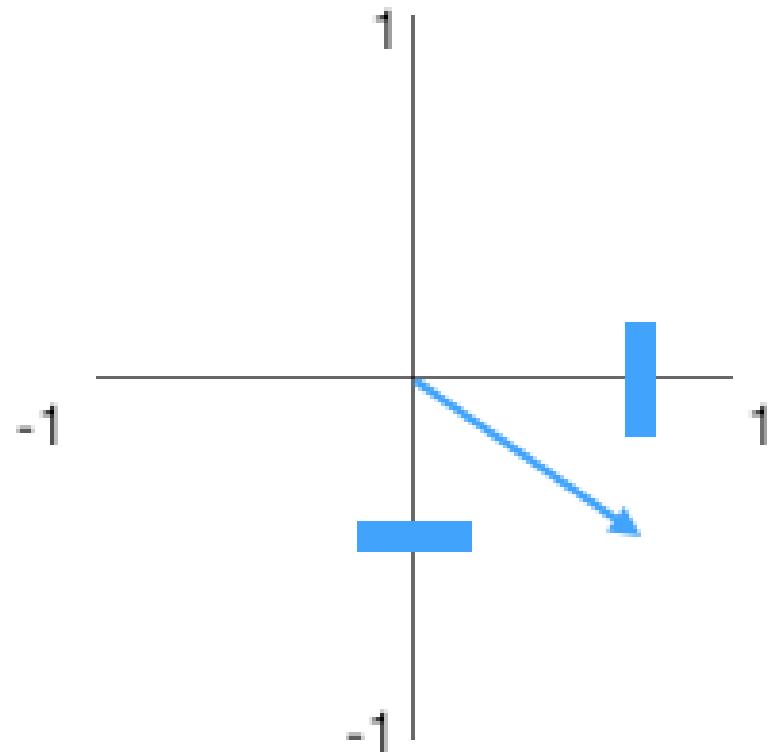
Introversion

0

Introversion

-1

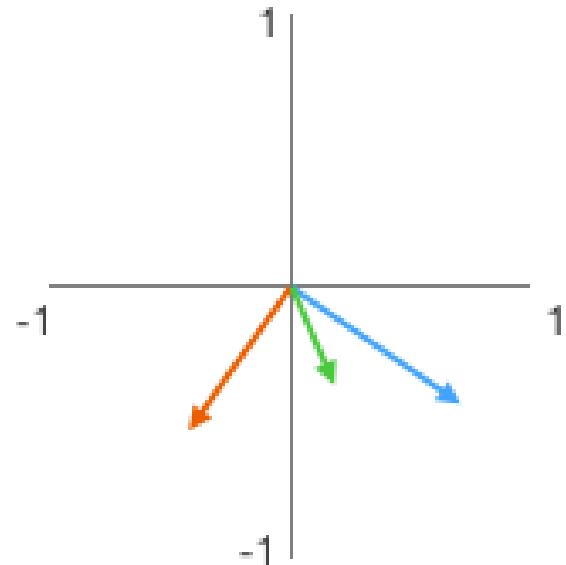
Extraversion



Jay



Extraversion



Jay



Person #1

-0.3	0.2			
------	-----	--	--	--

Person #2

-0.5	-0.4			
------	------	--	--	--

Introversion

$$\text{cosine_similarity}(\begin{matrix} \text{Jay} \\ -0.4 & 0.8 \end{matrix}, \begin{matrix} \text{Person \#1} \\ -0.3 & 0.2 \end{matrix}) = 0.87 \quad \checkmark$$

$$\text{cosine_similarity}(\begin{matrix} \text{Jay} \\ -0.4 & 0.8 \end{matrix}, \begin{matrix} \text{Person \#2} \\ -0.5 & -0.4 \end{matrix}) = -0.20$$

	Trait #1	Trait #2	Trait #3	Trait #4	Trait #5
Jay	-0.4	0.8	0.5	-0.2	0.3
Person #1	-0.3	0.2	0.3	-0.4	0.9
Person #2	-0.5	-0.4	-0.2	0.7	-0.1

Jay Person #1
 $\text{cosine_similarity}([-0.4 \ 0.8 \ 0.5 \ -0.2 \ 0.3], [-0.3 \ 0.2 \ 0.3 \ -0.4 \ 0.9]) = 0.66$ ✓

Jay Person #2
 $\text{cosine_similarity}([-0.4 \ 0.8 \ 0.5 \ -0.2 \ 0.3], [-0.5 \ -0.4 \ -0.2 \ 0.7 \ -0.1]) = -0.37$

1- We can represent things
(and people) as vectors of
numbers
(Which is great for machines!)

Jay	-0.4	0.8	0.5	-0.2	0.3
-----	------	-----	-----	------	-----

2- We can easily calculate how
similar vectors are to each other

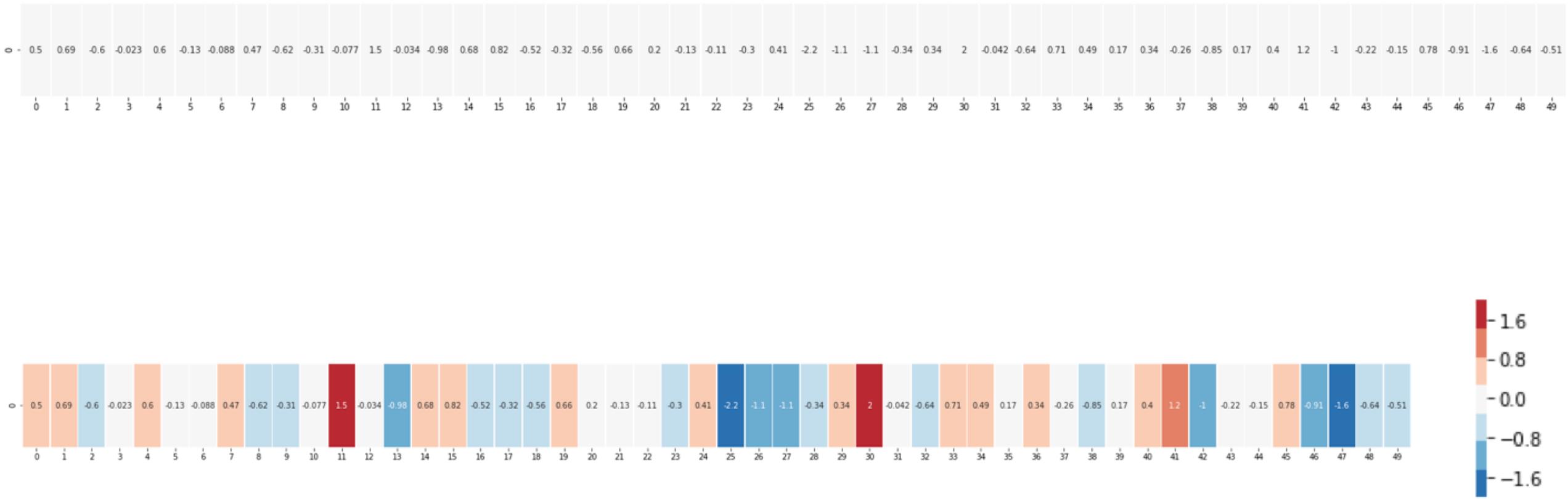
The people most similar to Jay are:

cosine_similarity ▼

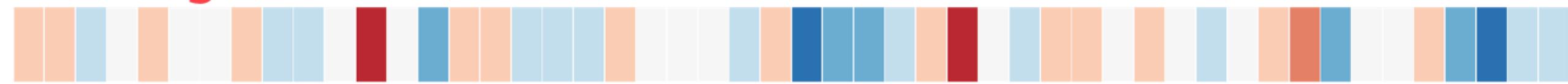
Person #1 0.86

Person #2 0.5

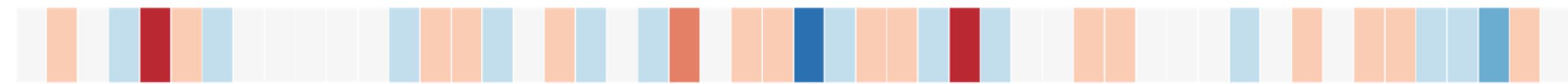
Person #3 -0.20



“king”



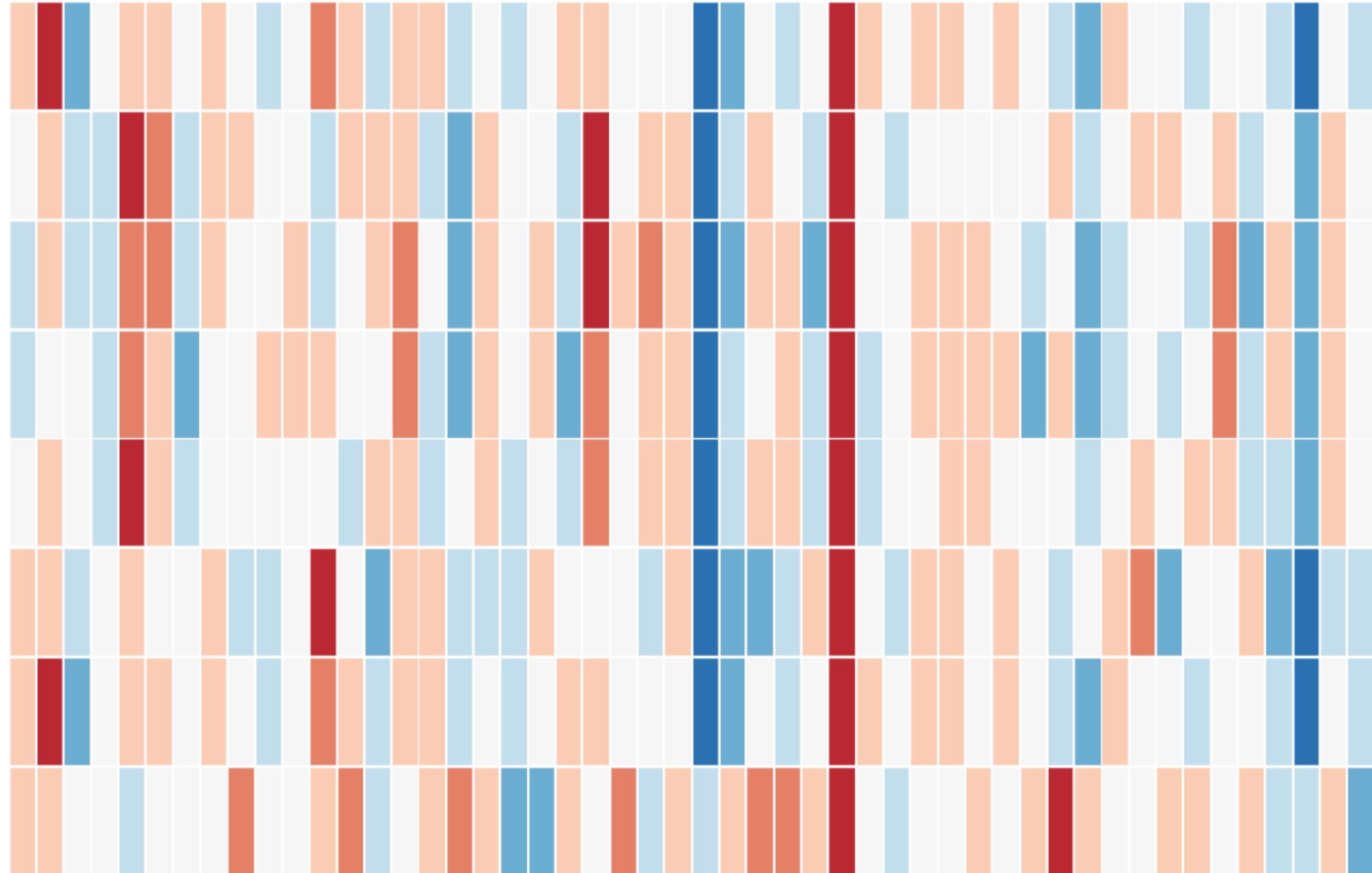
“Man”



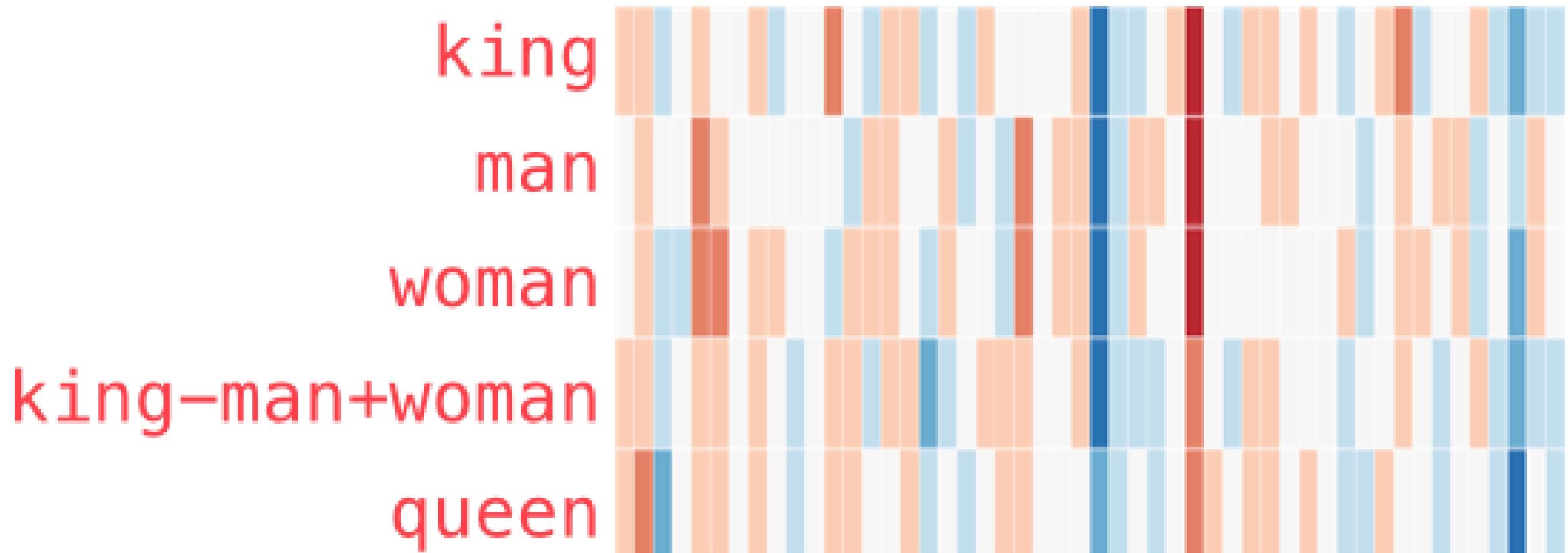
“Woman”

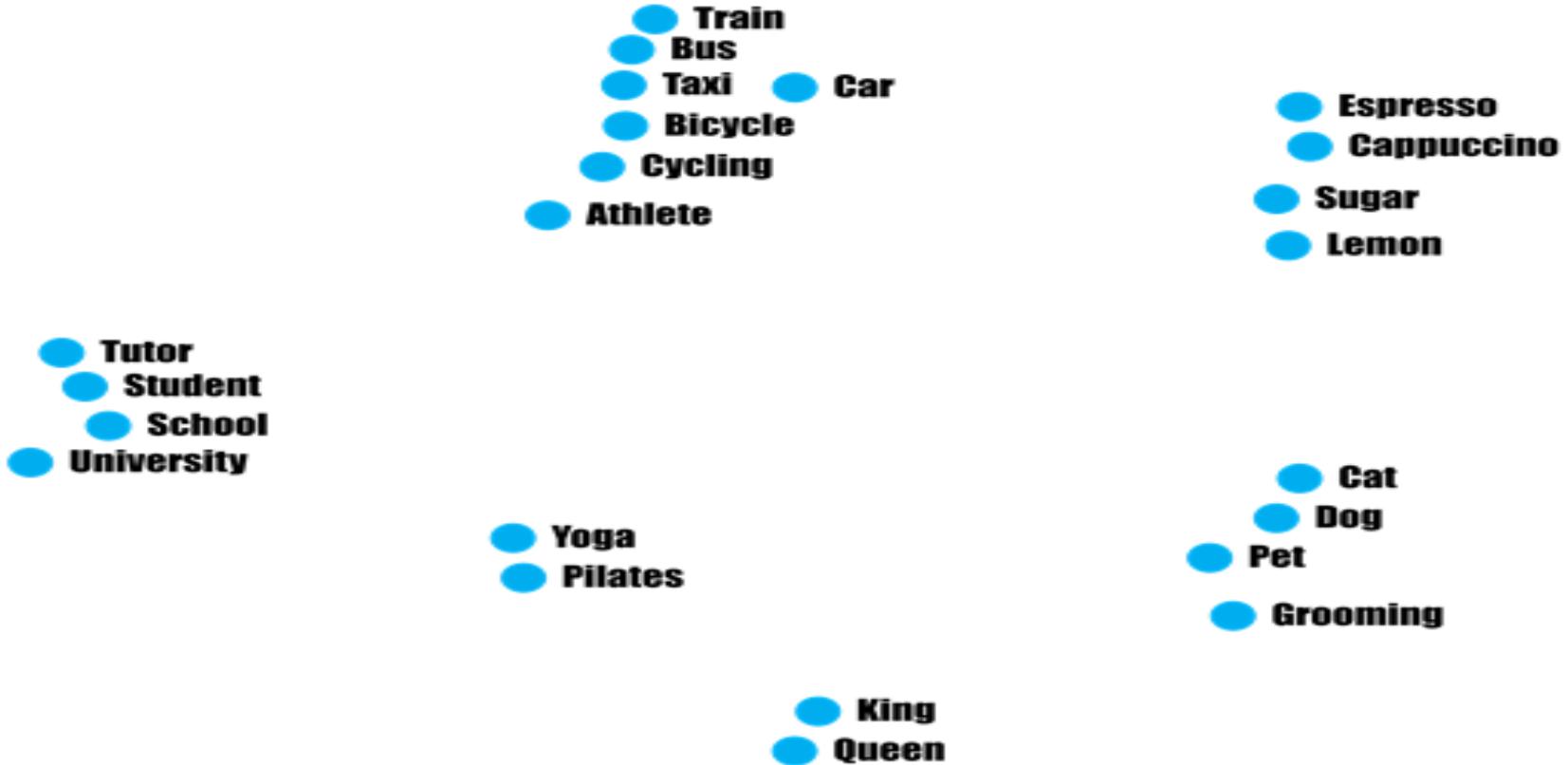


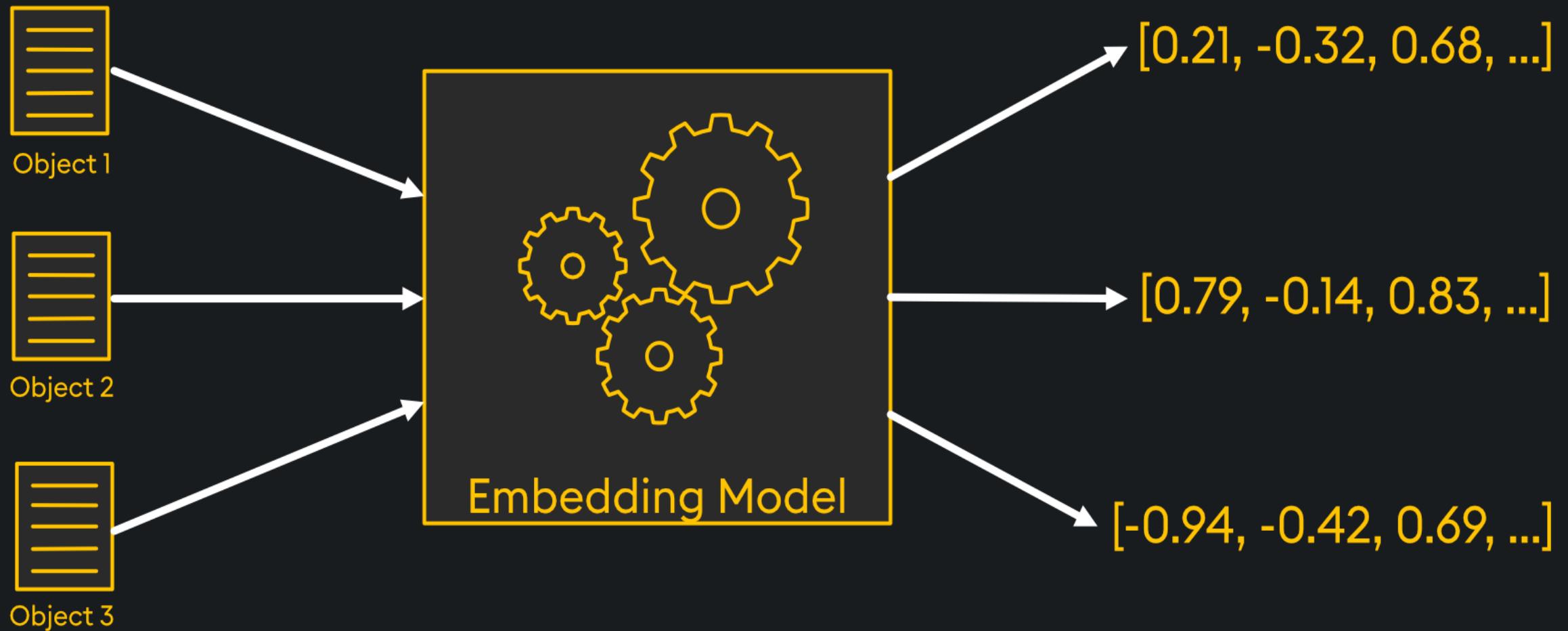
queen
woman
girl
boy
man
king
queen
water



king - man + woman \approx queen







Data Objects

Vector Embeddings

