Risposta dei sistemi lineari

Setup

```
close all;
clear all;
clc;
```

Variabili simboliche

```
syms G(s)
syms Y Yel

syms u(t)
syms y yel
```

Definizione del problema

```
A = [
-2,    1,    0;
-1,    -2,    0;
0,    0,    -1;
]
```

```
B = [0 1 0]'
```

```
B = 3x1
0
1
0
```

```
C = [0 \ 1 \ 0]
```

```
C = 1x3
0 	 1 	 0
```

```
D = 0
```

```
u(t) = heaviside(t)
```

Creazione del modello

Funzione di trasferimento

Trasformata dell'ingresso

Trasformata dell'uscita

Risposta nel dominio del tempo

```
y(t) = ilaplace(Y(s));
pretty(vpa(y))

0.4 - exp(-2.0 t) (cos(t) - 0.5 sin(t)) 0.4
```

•

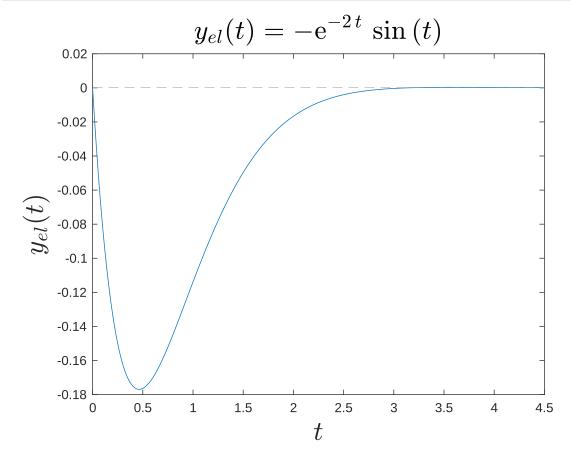
Evoluzione libera

Grafici

```
% Definire l'asse temporale
tt = linspace(0, 4.5, 1000);
```

Evoluzione libera

```
figure(Name='Evoluzione libera')
plot(tt, yel(tt))
xlim([tt(1) tt(end)])
xlabel('$$t$$', Interpreter='latex', FontSize=20)
ylabel('$$y_{el}(t)$$', Interpreter='latex', FontSize=20)
yline(double(yel(tt(end))), '--', LineWidth=0.5, Color=[0.6 0.6 0.6])
title(['$$y_{el}(t) = ' latex(yel) '$$'], Interpreter='latex', FontSize=20)
```



Evoluzione forzata

```
figure(Name='Evoluzione forzata')
plot(tt, y(tt));
xlim([tt(1) tt(end)])
xlabel('$$t$$', Interpreter='latex', FontSize=20)
ylabel('$$y(t)$$', Interpreter='latex', FontSize=20)
yline(double(y(tt(end))), '--', LineWidth=0.5, Color=[0.6 0.6 0.6])
title({['$$y(t) = ' latex(vpa(y)) '$$'], ['with $$u(t) = ' latex(u) '$$']},
...
Interpreter='latex', FontSize=20)
```

$$y(t) = 0.4 - 0.4 e^{-2.0t} (\cos(t) - 0.5 \sin(t))$$
with $u(t) = \text{heaviside}(t)$

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Alternativa

```
% Crea una figura
figure;

% Definisce il sistema di equazioni dello spazio di stato
state_space_model = ss(A, B, C, D);

% Definisce la fdt del modello
sys = tf(state_space_model);

% Calcola la riposta al gradino del sistema
step(sys);
```

