CS15210: Modes and Media

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01/02/16

(based on slides by Mike Clarke)



Previously, in CS15210...

- How to do basic calculations for waves
 - use the indices tricks
- Different SI units:
 - giga (G), mega (M), kilo (k),
 milli (m), micro (μ), nano (n), ...
- Binary signals are a specific digital signal with only two values
 - don't have to be $\{1, 0\}$

Contents

- 1. Bits, bytes, and ASCII
- 2. Parity
- 3. Transmission Modes
- 4. Wrapping Up

Bits and Bytes: a Recap!

10110010

- A bit: single binary digit
- A byte: a group of bits (usually 8)
- Bits and bytes can be interpreted in many different ways
- In CS15210 we will usually interpret them as **ASCII** characters

ASCII

- ASCII: American Standard Code for Information Interchange
 - Defined by the American National Standards Institute (ANSI)
 - http://www.asciitable.com/
- A standard coding system that assigns a 7-bit code to each letter, digit, and punctuation character
 - Separate codes for upper and lower case, e.g.
 A has ASCII code 65 (1000001),
 a has ASCII code 97 (1100001)
- This means we have a spare bit
 - We add a parity bit to check against errors

Parity

- A method to detect 1 bit errors in data
- Different types:
 - vertical/longitudinal parity
 - odd/even parity
- Procedure:
 - The transmitter and receiver must have agreed on a rule beforehand
 - The parity bit is added to the data at the transmission end
 - The receiver uses the rule to work out whether there's an error

Whether there is an odd/even number of 1s in a byte

- The parity bit is added to correctly complete the byte and obey the rule being used
 - Odd parity: there must be an odd number of 1s in the byte
 - Even parity: there must be an even number of 1s in the byte

E.g. B has ASCII code 1000010

Odd parity: ?1000010 **Even parity**: ?1000010

Whether there is an odd/even number of 1s in a byte

- The parity bit is added to correctly complete the byte and obey the rule being used
 - Odd parity: there must be an odd number of 1s in the byte
 - Even parity: there must be an even number of 1s in the byte

E.g. B has ASCII code ?1000010

Odd parity: **1**1000010 **Even parity**: **0**1000010

Character	ASCII Code	Even Parity	Odd Parity
В	?1000010	01000010	1 1000010
b	?1100010	1 1100010	<mark>0</mark> 1100010
0	?0110000	?0110000	?0110000
1	?0110001	?0110001	?0110001
?	?0111111	?0111111	? 0111111

Character	ASCII Code	Even Parity	Odd Parity
В	?1000010	01000010	1 1000010
b	?1100010	1 1100010	<mark>0</mark> 1100010
0	?0110000	00110000	1 0110000
1	?0110001	1 0110001	<mark>0</mark> 0110001
?	?0111111	00111111	1 0111111

```
On it's own, vertical parity can't identify which individual bit of a byte is incorrect
```

```
e.g. using even parity, 10111111 is wrong... but we don't know which bit is wrong!
```

```
111111111, 100111111, 101111101, 001111111, ... ?
```

Enter longitudinal parity...

Longitudinal Parity

Parity can also be applied to the same bit in each byte of a block

1	0	1
0	0	0
1	0	1
1	1	0
0	1	1
0	0	0
1	0	1
0	0	0

Here we see 2 bytes of data being transmitted, and an extra byte to check across the block

Longitudinal Parity

This is an example of even longitudinal parity (or longitudinal redundancy check)

1	0	1	← 2
0	0	0	← 0
1	0	1	← 2
1	1	0	← 0
0	1	1	← 2
0	0	0	← 0
1	0	1	← 2
0	0	0	← 0
↑	\uparrow	↑	
3	2	4	

Longitudinal Parity

The combination of longitudinal and vertical parity means that single bit errors can be detected and corrected

1	0	1	← 2
0	0	0	← 0
0	0	1	← 1
1	1	0	← 0
0	1	1	← 2
0	0	0	← 0
1	0	1	← 2
0	0	0	← 0
\uparrow	\uparrow	\uparrow	
3	2	4	

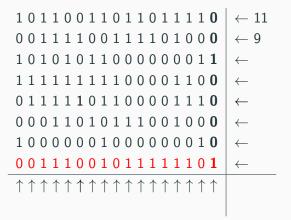
- Odd longitudinal parity rows contain an odd number of 1s
- Even vertical parity columns contain an even number of 1s

```
1011001101101110
0 0 1 1 1 1 0 0 1 1 1 1 0 1 0 0 0
1 0 1 0 1 0 1 1 0 0 0 0 0 0 0 1 1
1 1 1 1 1 1 1 1 1 1 0 0 0 0 1 1 0 0
0 1 1 1 1 1 0 1 1 0 0 0 0 1 1 1 0
0001101011100100
1 0 0 0 0 0 0 1 0 0 0 0 0 0 0 1 0
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 0 1
```

- Odd longitudinal parity rows contain an odd number of 1s
- Even vertical parity columns contain an even number of 1s

```
101100110111110
0 0 1 1 1 1 1 0 0 1 1 1 1 1 0 1 0 0 0
10101011000000011
1 1 1 1 1 1 1 1 1 1 0 0 0 0 1 1 0 0
011111011000011110
00011010111001000
100000010000000010
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 0 1
```

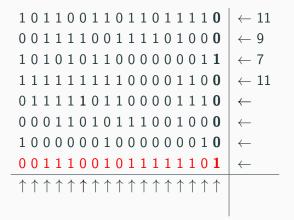
- Odd longitudinal parity rows contain an odd number of 1s
- Even vertical parity columns contain an even number of 1s



- Odd longitudinal parity rows contain an odd number of 1s
- Even vertical parity columns contain an even number of 1s

```
1011001101101111
                            \leftarrow 11
0 0 1 1 1 1 0 0 1 1 1 1 0 1 0 0 0
                           \leftarrow 9
1 0 1 0 1 0 1 1 0 0 0 0 0 0 0 1 1
                           \leftarrow 7
1 1 1 1 1 1 1 1 1 1 0 0 0 0 1 1 0 0
011111011000011110
0001101011100100
100000010000000010
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 0 1
```

- Odd longitudinal parity rows contain an odd number of 1s
- Even vertical parity columns contain an even number of 1s



- Odd longitudinal parity rows contain an odd number of 1s
- Even vertical parity columns contain an even number of 1s

```
1011001101101111
                            \leftarrow 11
0 0 1 1 1 1 0 0 1 1 1 1 0 1 0 0 0
                            \leftarrow 9
10101011000000011
                            ← 7
1 1 1 1 1 1 1 1 1 1 0 0 0 0 1 1 0 0
                            \leftarrow 11
0 1 1 1 1 1 0 1 1 0 0 0 0 1 1 1 0
                            \leftarrow 10
0001101011100100
100000010000000010
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 0 1
```

- Odd longitudinal parity rows contain an odd number of 1s
- Even vertical parity columns contain an even number of 1s

```
1011001101101111
                                  \leftarrow 11
0 0 1 1 1 1 0 0 1 1 1 1 0 1 0 0 0
                                  \leftarrow 9
1 0 1 0 1 0 1 1 0 0 0 0 0 0 0 1 1
                                  \leftarrow 7
1 1 1 1 1 1 1 1 1 1 0 0 0 0 1 1 0 0
                                  \leftarrow 11
0 1 1 1 1 1 0 1 1 0 0 0 0 1 1 1 0
                                  \leftarrow 10
0001101011100100
                                  ← 7
1 0 0 0 0 0 0 1 0 0 0 0 0 0 0 1 0
                                  \leftarrow 3
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 1 0 1
                                  ← 11
```

- Odd longitudinal parity rows contain an odd number of 1s
- Even vertical parity columns contain an even number of 1s

```
1011001101101111
                                       \leftarrow 11
0 0 1 1 1 1 0 0 1 1 1 1 0 1 0 0 0
                                       \leftarrow 9
1 0 1 0 1 0 1 1 0 0 0 0 0 0 0 1 1
                                       \leftarrow 7
1 1 1 1 1 1 1 1 1 1 0 0 0 0 1 1 0 0
                                       \leftarrow 11
0 1 1 1 1 1 0 1 1 0 0 0 0 1 1 1 0
                                       \leftarrow 10
0001101011100100
                                       ← 7
1 0 0 0 0 0 0 1 0 0 0 0 0 0 0 1 0
                                       \leftarrow 3
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 1 0 1
                                       ← 11
\uparrow\uparrow\uparrow\uparrow\uparrow\uparrow
4
```

- Odd longitudinal parity rows contain an odd number of 1s
- Even vertical parity columns contain an even number of 1s

```
1011001101101111
                                     \leftarrow 11
0 0 1 1 1 1 0 0 1 1 1 1 0 1 0 0 0
                                     \leftarrow 9
10101011000000011
                                     \leftarrow 7
1 1 1 1 1 1 1 1 1 1 0 0 0 0 1 1 0 0
                                     \leftarrow 11
0 1 1 1 1 1 0 1 1 0 0 0 0 1 1 1 0
                                     \leftarrow 10
0001101011100100
                                     ← 7
1 0 0 0 0 0 0 1 0 0 0 0 0 0 0 1 0
                                     \leftarrow 3
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 1 0 1
                                     ← 11
\uparrow\uparrow\uparrow\uparrow\uparrow\uparrow
4 2
```

- Odd longitudinal parity rows contain an odd number of 1s
- Even vertical parity columns contain an even number of 1s

```
1011001101101111
                                     \leftarrow 11
0 0 1 1 1 1 0 0 1 1 1 1 0 1 0 0 0
                                     \leftarrow 9
10101011000000011
                                     \leftarrow 7
1 1 1 1 1 1 1 1 1 1 0 0 0 0 1 1 0 0
                                     \leftarrow 11
0 1 1 1 1 1 0 1 1 0 0 0 0 1 1 1 0
                                     \leftarrow 10
0001101011100100
                                     ← 7
1 0 0 0 0 0 0 1 0 0 0 0 0 0 0 1 0
                                     \leftarrow 3
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 1 0 1
                                     ← 11
\uparrow\uparrow\uparrow\uparrow\uparrow\uparrow
4 2 6
```

- Odd longitudinal parity rows contain an odd number of 1s
- Even vertical parity columns contain an even number of 1s

```
1011001101101111
                                     \leftarrow 11
0 0 1 1 1 1 0 0 1 1 1 1 0 1 0 0 0
                                     \leftarrow 9
10101011000000011
                                     \leftarrow 7
1 1 1 1 1 1 1 1 1 1 0 0 0 0 1 1 0 0
                                     \leftarrow 11
0 1 1 1 1 1 0 1 1 0 0 0 0 1 1 1 0
                                     \leftarrow 10
0001101011100100
                                     ← 7
1 0 0 0 0 0 0 1 0 0 0 0 0 0 0 1 0
                                     \leftarrow 3
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 1 0 1
                                     ← 11
\uparrow\uparrow\uparrow\uparrow\uparrow\uparrow
4266
```

- Odd longitudinal parity rows contain an odd number of 1s
- Even vertical parity columns contain an even number of 1s

```
1011001101101111
                                     \leftarrow 11
0 0 1 1 1 1 0 0 1 1 1 1 0 1 0 0 0 |
                                     \leftarrow 9
10101011000000011
                                     \leftarrow 7
1 1 1 1 1 1 1 1 1 1 0 0 0 0 1 1 0 0
                                     \leftarrow 11
0 1 1 1 1 1 0 1 1 0 0 0 0 1 1 1 0
                                     \leftarrow 10
0001101011100100
                                     ← 7
1 0 0 0 0 0 0 1 0 0 0 0 0 0 0 1 0
                                     \leftarrow 3
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 1 0 1
                                     ← 11
\uparrow\uparrow\uparrow\uparrow\uparrow\uparrow
42666
```

- Odd longitudinal parity rows contain an odd number of 1s
- Even vertical parity columns contain an even number of 1s

```
10110011011011110
                                     \leftarrow 11
0 0 1 1 1 1 0 0 1 1 1 1 0 1 0 0 0 |
                                     \leftarrow 9
10101011000000011
                                     \leftarrow 7
1 1 1 1 1 1 1 1 1 1 0 0 0 0 1 1 0 0
                                     \leftarrow 11
0 1 1 1 1 1 0 1 1 0 0 0 0 1 1 1 0
                                     \leftarrow 10
0001101011100100
                                     ← 7
1 0 0 0 0 0 0 1 0 0 0 0 0 0 0 1 0
                                     \leftarrow 3
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 1 0 1
                                     ← 11
\uparrow\uparrow\uparrow\uparrow\uparrow\uparrow
426663
```

- Odd longitudinal parity rows contain an odd number of 1s
- Even vertical parity columns contain an even number of 1s

```
10110011011011110
                               \leftarrow 11
0 0 1 1 1 1 0 0 1 1 1 1 0 1 0 0 0
                               \leftarrow 9
1 0 1 0 1 0 1 1 0 0 0 0 0 0 0 1 1
                               \leftarrow 7
1 1 1 1 1 1 1 1 1 1 0 0 0 0 1 1 0 0
                               \leftarrow 11
0 1 1 1 1 1 0 1 1 0 0 0 0 1 1 1 1 0
                               \leftarrow 10
0001101011100100
                               ← 7
100000010000000010
                               \leftarrow 3
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 1 0 1
                               ← 11
42666346444226442
```

What if multiple bits are wrong?

```
0 0 1 1 0 0 1 1 0 1 1 0 1 1 1 1 0
                                 \leftarrow 10
00111100111101000
                                 \leftarrow 9
1 0 1 0 1 0 1 1 0 0 0 0 1 0 0 1 1
                                 \leftarrow 8
1 1 1 1 1 1 1 1 1 1 0 0 0 0 1 1 0 0
                                 \leftarrow 11
01111101100001110
                                 \leftarrow 10
0001101011100100
                                 \leftarrow 7
100000010000000010
                                 \leftarrow 3
0 0 1 1 1 0 0 0 0 1 1 1 1 1 1 0 1
                                 \leftarrow 10
5 2 6 6 6 3 4 5 4 4 4 2 3 6 4 4 2
```

```
10110011011011110
                            \leftarrow 11
00111000111101000
                            \leftarrow 8
10101111000000011
                            \leftarrow 8
1 1 1 1 1 0 1 1 1 0 0 0 0 1 1 0 0
                            \leftarrow 10
01111101100001110
                            \leftarrow 10
0001101011100100
                            \leftarrow 7
100000010000000010
                            \leftarrow 3
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 0 1
                            \leftarrow 11
42666246444226442
```

```
10110011011011110
                                   \leftarrow 11
0 0 1 1 1 0 0 0 1 1 1 1 0 1 0 0 0
                                   \leftarrow 8
10101111000000011
                                   \leftarrow 8
1 1 1 1 1 0 1 1 1 1 0 0 0 0 1 1 0 0
                                   \leftarrow 10
0 1 1 1 1 1 0 1 1 0 0 0 0 1 1 1 0
                                   \leftarrow 10
0001101011100100
                                   \leftarrow 7
100000010000000010
                                   \leftarrow 3
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 0 1
                                   ← 11
\uparrow\uparrow\uparrow\uparrow\uparrow\uparrow
42666246444226442
```

```
10110011011011110
                            \leftarrow 11
00111000101101000
                            \leftarrow 7
10101111010000011
                            \leftarrow 9
1 1 1 1 1 0 1 1 1 1 0 0 0 1 1 0 0
                            \leftarrow 11
01111101110001110
                            \leftarrow 11
0001101011100100
                            \leftarrow 7
100000010000000010
                            \leftarrow 3
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 0 1
                            \leftarrow 11
42666246464226442
```

```
10110011011011110
                                    \leftarrow 11
0 0 1 1 1 0 0 0 1 0 1 1 0 1 0 0 0
                                    \leftarrow 7
1 0 1 0 1 1 1 1 1 0 1 0 0 0 0 0 1 1
                                    \leftarrow 9
1 1 1 1 1 0 1 1 1 1 1 0 0 0 1 1 0 0
                                    \leftarrow 11
01111101110001110
                                    \leftarrow 11
0001101011100100
                                    \leftarrow 7
100000010000000010
                                    \leftarrow 3
0 0 1 1 1 0 0 1 0 1 1 1 1 1 1 0 1
                                    \leftarrow 11
\uparrow\uparrow\uparrow\uparrow\uparrow\uparrow
42666246464226442
```

Parity

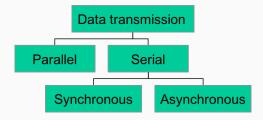
- A method to detect 1 bit errors in data
- May work for multiple bit errors
- Binary errors are easily corrected
 - if it's wrong it must be the other value
- Different types:
 - vertical/longitudinal parity
 - odd/even parity
- The transmitter and receiver must have agreed on a rule
- The receiver uses the rule to work out whether there's an error

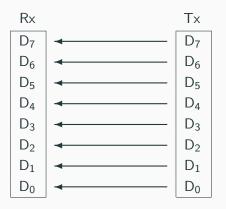
Transmission Modes

- simplex mode means that data can flow in one direction only,
 e.g. a public address system, tannoys
- half-duplex means that data can flow in both directions but not at the same time
- full-duplex means that data can flow in both directions at the same time

(Note that there is some confusion over these terms. The above is American usage, which is what we will use.)

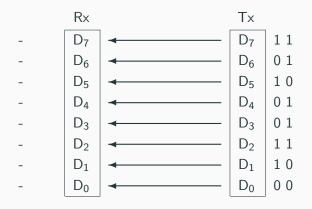
Types of Data Transmission



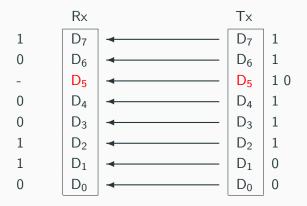


A number of bits can be transmitted simultaneously by allowing a wire for each bit

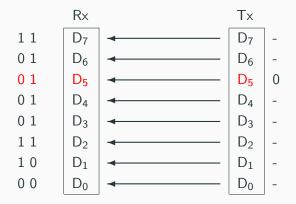
- A number of bits (usually a byte, i.e. 8 bits) are transmitted simultaneously
- This is fast and convenient
- But expensive, because we need eight wires
- \bullet Limited to very short distances ($\approx 10\,\mathrm{m})$ because of the problem of skewing



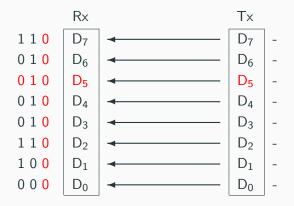
Example: 2 bytes of data are being transmitted in parallel



Some interference on wire 5 means that the bit on that channel is delayed



No data is interpreted as a 0, and the late bit becomes mixed with the next byte



By the time the final bit arrives, we have 3 incorrect bytes of data

- Limited to very short distances ($\approx 10\,\mathrm{m}$) because of the problem of skewing
 - If we keep the cable short, less chance of problems

Serial Transmission



Single bits are transmitted one at a time, only require a single wire

Serial Transmission

- Transmit bits one by one, therefore only need one wire
- Serial communications require parallel-to-serial and serial-to-parallel converters
 - Because sender and receiver usually handle data in 8-bit chunks
 - Often dealt with in software
- Two types:
 - Asynchronous signalled start and stop of bytes
 - Synchronous time-based

Asynchronous Transmission

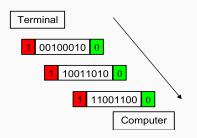
- Timing of the bits isn't important
- Instead we use a *start* and *stop* signals
 - Specific bit patterns that can't be used in the data stream
 - Must be designed as part of your protocol
 - Prior agreement between the Tx and Rx
 - Start and stop signals must be different

Asynchronous Transmission



- Data is sent as follows:
 - Start signal alerts the receiver to the fact that data is coming
 - The byte of data
 - Stop signal (sometimes repeated, or with a gap afterwards)
 marks the end of the current byte

Asynchronous Transmission



- Start signals, stop signals, and gaps slow down the communication
- Cheap and effective if speed is not an issue
- Used to be used widely for communication between terminals and computers

Synchronous Transmission

- Timing of the bits is very important
- Data is transmitted in frames units of (usually) many bytes
 - Bits within the frame are sent one after another without start/stop signals or gaps
 - It is the receiver's responsibility to separate the bit stream into usable bytes
 - The receiver has to know the speed of data transmission to work out where bytes start and end,
 - i.e. the Tx and Rx have to be time-synchronised

Synchronous Transmission



Bits within the frame are sent one after another without start/stop signals or gaps

Synchronous Transmission

- Data is transmitted in frames
- Timing of the bits is very important, because it's the receiver's responsibility to separate the bit stream into bytes
- Bits within the frame are sent one after another without start/stop signals or gaps
- Faster than asynchronous
- It is the basis of modern communications devices

The important things to remember:

- Know what bits and bytes are!
- ASCII is a standard coding system that uses 7-bits to denote a character
- Parity: odd, even, vertical, horizontal
 - Vertical parity uses a single extra bit to help spot errors
 - Horizontal parity allows us to pinpoint the error
- Transmission
 - Modes: simplex, half-duplex, full-duplex
 - Types: parallel, serial synchronous, serial asynchronous

Next time...

The Media part of Modes and Media (probably after a lecture with Dave Price)