# Data Structures Chaining Implementation

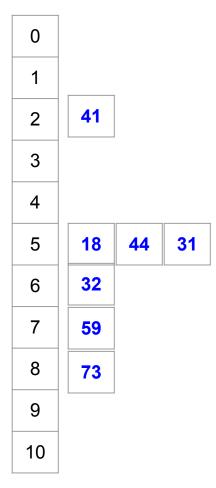
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## Hash-table inner DS

- An easy internal DS is a 2D structure like list of list
  - The first list is our array (table) of entries
    - This is where we use the hash\_key to access bucket
  - The second internal list maintains items of the same keys
  - o E.g. key 5 access the first list
    - Then the inner list is [18, 44, 31]



## Let's implement our own dictionary

- We build our own version of a dictionary
  - So mainly put key vs value
  - The key must support hash(key)
  - This index will be mapped in range [0, table-size -1]
  - We use it to access the table

```
class OurDict:
    def init (self, table size):
        self.table size = table size
        self.table = [None] * table size
    def add(self, key, value):
    def print(self):
        . . .
    def get(self, key):
        . . .
    def exists(self, key):
        . . .
    def remove(self, key):
```

```
dct = OurDict(table size=5)
                                                  Usage
dct.add('Mostafa', 1) # 2
dct.add('Ziad', 2) # 2
dct.add('Ali', 5) # 0
dct.add('Amal', 6) # 0
dct.add('Hany', 8) # 4
dct.add('Belal', 10) # 1
dct.add('Safaa', 11) # 3
dct.add('Safa', 3) # 2
dct.add('Ashraf', 4) # 2
dct.add('Ziad', 555) # reassign
dct.print()
Key 0 - Pairs [['Ali', 5], ['Amal', 6]]
Key 1 - Pairs [['Belal', 10]]
Key 2 - Pairs [['Mostafa', 1], ['Ziad', 2], ['Safa', 3], ['Ashraf', 4]]
Key 3 - Pairs [['Safaa', 11]]
Key 4 - Pairs [['Saad', 9], ['Hany', 8]]
```

#### Put item

- Compute hash
  - Table index
- Table[hash]
  - list of items of the same hash

```
def add(self, key, value):
   hkey = hash(key) % self.table size # [0, sz-1]
   new item = [key, value]
   if self.table[hkey] is None:
       self.table[hkey] = [new item] # initial list of items
   else:
       items equal key = self.table[hkey]
       for item in items equal key: # search
           if item[0] == key: # key match
               item[1] = value # update
               return
       self.table[hkey].append(new item)
```

## **Print Item**

```
def print(self):
     for key values in self.table:
         if key values is None or len(key values) == 0:
             continue
         hkey = hash(key values[0][0]) % self.table size
         print(f'Key {hkey} - Pairs {key values}')
dct.print()
1 1 1
Key 0 - Pairs [['Ali', 5], ['Amal', 6]]
Key 1 - Pairs [['Belal', 10]]
Key 2 - Pairs [['Mostafa', 1], ['Ziad', 2], ['Safa', 3], ['Ashraf', 4]]
Key 3 - Pairs [['Safaa', 11]]
Key 4 - Pairs [['Saad', 9], ['Hany', 8]]
1 1 1
```

# Check existing

```
def exists(self, key):
    hkey = hash(key) % self.table_size

if self.table[hkey] is None:
    return False

items_equal_key = self.table[hkey]
    for idx, item in enumerate(items_equal_key):
        if item[0] == key:
            return True

return False
```

## Get

Assure it exists

```
def get(self, key):
    hkey = hash(key) % self.table_size

assert self.table[hkey] is not None, f'No such item {key}'

items_equal_key = self.table[hkey]
    for item in items_equal_key:
        if item[0] == key:
            return item[1]

assert False, f'No value attached with item {key}'
```

#### Remove

```
def remove(self, key):
   hkey = hash(key) % self.table size
    if self.table[hkey] is None:
        return False
    items equal key = self.table[hkey]
    for idx, item in enumerate(items equal key):
        if item[0] == \text{key}:
            items_equal_key.pop(idx) # 0(n) removal
            # more efficient way? Swap with last and pop in O(1)
            return True
    return False
```

```
dct.print()
Key 0 - Pairs [['Ali', 5], ['Amal', 6]]
Key 1 - Pairs [['Belal', 10]]
Key 2 - Pairs [['Mostafa', 1], ['Ziad', 2], ['Safa', 3], ['Ashraf', 4]]
Key 3 - Pairs [['Safaa', 11]]
Key 4 - Pairs [['Saad', 9], ['Hany', 8]]
. . .
print(dct.exists('Ziad')) # True
print(dct.exists('Saad')) # False
print(dct.get('Amal')) # 6
print(dct.get('Ziad')) # 555
#print(dct.get('Saad')) # AssertionError
print(dct.remove('Ziad')) # True
print(dct.remove('Ziad')) # False
print(dct.remove('Saad')) # False
# Optional homework: OOP this class with special methods
```

### **Load Factor**

- Assume we have 30 strings and a table of size 10
- The best case is if every table cell has 30/10 = 3 elements
  - Then we take O(3) to find an element
  - Total\_elements / table\_size ⇒ this is called the load\_factor
  - This means our hashed keys are almost uniform in distribution
  - If so ⇒ very short chain of nodes
- What if a small number of buckets contain most of the elements, and the rest of the array is largely empty?
  - Then your hash function is very bad!

## Rehashing

- What does it mean to have a hash table with a load factor of 1? Like in C#
  - o If we expect N entries, our table size is  $N \Rightarrow N / N = 1$
  - o In Java, the default load factor is 0.75
- However, we may not know how many elements there are
  - Decide a load\_factor\_limit (e.g. 0.75)
  - Keep adding elements, if added/size > load\_factor\_limit: Do rehashing
    - Create a bigger hash-table: 2 \* old size
    - Move data from old to new and delete old
    - Now, we again have fewer elements per bucket ⇒ faster operations
  - As you see: there's a clear trade-off between time and memory!
- With good choices, each hash entry can contain minimal elements  $\Rightarrow \Theta(1)$
- The chaining technique might not be efficient to store on a file

"Acquire knowledge and impart it to the people."

"Seek knowledge from the Cradle to the Grave."