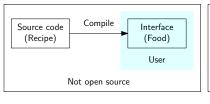
Introduction to OpenFOAM

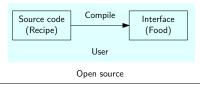
Vachan Potluri

April 2023

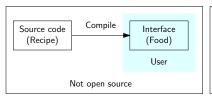
- ► CFD software (but without GUI)
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- lackbox Open source \Longrightarrow source code is given to user

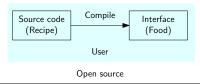
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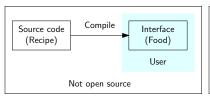


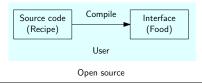
No GUI \implies hard to learn

Why

- ► Free
- ► Fast
- ► User customisable: solve any equation you desire

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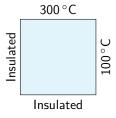
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Let's jump right away into doing some simulations

Heat conduction in a square plate

$$\frac{\partial T}{\partial t} = D_T \left(\frac{\partial^2 T}{\partial x^2} + \frac{\partial^2 T}{\partial y^2} \right)$$

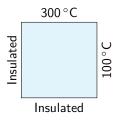


Other settings

- ► $D_T = 1 \, \text{m}^2/\text{s}$
- ► $L = 2 \, \text{m}$
- ► End time 10 s

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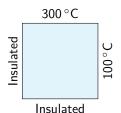
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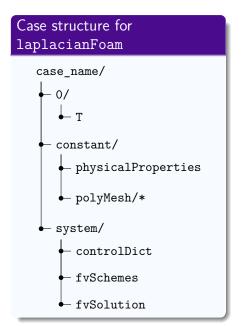


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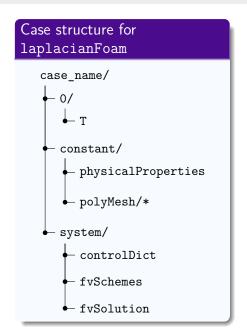
- ► laplacianFoam is the "solver" to be used for heat conduction equation
- ► Visualise using paraFoam -builtin
 - Mesh representation
 - Data array selection
 - Navigating times
 - Changing color map

OpenFOAM's simulation setup



- Every simulation is setup using certain "setting" files
- ► These files are grouped into 3 folders: 0/, constant/ and system/
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OpenFOAM's simulation setup



- Every simulation is setup using certain "setting" files
- ► These files are grouped into 3 folders: 0/, constant/ and system/
- ► All the setting files are text files
- Only mandatory files are shown here, there can be additional files also
- When a simulation is done, OpenFOAM generates corresponding time files
- We will learn about these files by doing some variations of the square plate simulation

Change the thermal diffusivity

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- ► Things to note
 - FoamFile "header"
 - Units of D_T
 - Units in OpenFOAM are specified using powers of 7 fundamental units: [kg m s K mol A cd]
 - $\bullet \ [1 \ 1 \ \text{--} 2 \ 0 \ 0 \ 0] \ \text{ is } \ \text{kg m/s}^2 \implies \text{force}$
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- ► Try
 - Reduce D_T to $0.01 \,\mathrm{m}^2/\mathrm{s}$ and see the solution evolution
 - Can you guess whether the solution will evolve faster or slower?
- ► Tips
 - foamListTimes -rm deletes all time folders other than 0/
 - Reload files in ParaView by right-clicking

Change the boundary conditions

- ► In 0/T you can set initial condition (IC) and boundary conditions (BCs)
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 - Names of different boundaries
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- ► Try
 - Change bottom BC to $-100\,^{\circ}$ C
 - Change IC
 - Do a 1d simulation by setting top and bottom boundaries as zeroGradient
 - Verify the solution using "Plot Over Line" in ParaView or gradTx value

Change time settings

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 - "Stable" time step value (Δt_s) satisfies $D_T \frac{\Delta t_s}{\Delta x^2} < 1$
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- ► Try
 - Increase D_T to $10 \,\mathrm{m}^2/\mathrm{s}$
 - For correct simulation, time step also has to be changed

- ► Multiple ways to create mesh in OpenFOAM
 - Create in a different software (e.g. ANSYS) and import to OpenFOAM
 - Use OpenFOAM's tools to create mesh

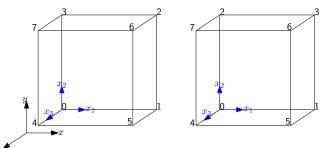
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- ▶ blockMesh is one such tool in OpenFOAM to create meshes
- blockMesh reads an additional file system/blockMeshDict to create mesh
- ▶ system/blockMeshDict has 3 components
 - Specify points or vertices
 - 2 Create "blocks" using these vertices
 - 3 Define boundaries using the vertices

- ► OpenFOAM defines a local coordinate system (LCS) for every block
- ▶ Blocks are created using a list of points $(p_0 p_1 p_2 p_3 p_4 p_5 p_6 p_7)$ ordered in a specific way
 - **1** Point p_0 is the origin of LCS
 - 2 Line p_0 - p_1 is along x_1 direction
 - **3** Line p_1 - p_2 is along x_2 direction
 - 4 Points p_0 - p_3 define plane $x_3 = 0$
 - **6** Points p_4 - p_7 are obtained by translating points p_0 - p_3 in x_3 direction

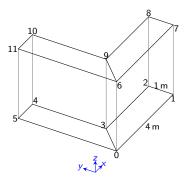
Suppose a block is defined using $(p_0 p_1 p_2 p_3 p_4 p_5 p_6 p_7)$. Which one of these is correct?



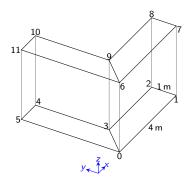
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- ► The boundary names in system/blockMeshDict and O/T must match
- ► Try
 - Increasing mesh resolution
 - Using mesh grading
 - Changing geometry
- ► Tips
 - Run blockMesh command to update mesh
 - Run checkMesh command to check if the mesh has no issues
 - You can view different mesh regions (e.g. boundaries) individually in ParaView

Heat conduction in an L-clamp

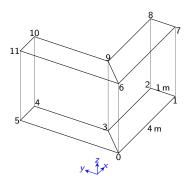


Heat conduction in an L-clamp



- ► This geometry can be constructed using two blocks
 - Block 1:
 (p₀ p₁ p₂ p₃ p₆ p₇ p₈ p₉)
 - ② Block 2: (p₀ p₃ p₄ p₅ p₆ p₉ p₁₀ p₁₁)

Heat conduction in an L-clamp

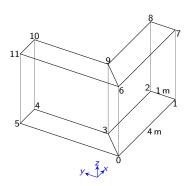


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► BCs

- One end $(p_4 \ p_5 \ p_{11} \ p_{10})$ of clamp at $100\,^{\circ}\text{C}$
- Other end (p₁ p₂ p₈ p₇) at 0 °C
- All other boundaries insulated
- empty BC for top and bottom planes
- ► Tip: you can see the mesh in ParaView without running the simulation

Heat conduction in an L-clamp



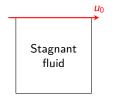
- ► This geometry can be constructed using two blocks
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- Other end (p₁ p₂ p₈ p₇) at 0°C
- All other boundaries insulated
- empty BC for top and bottom planes
- ► Tip: you can see the mesh in ParaView without running the simulation
- Use $D_T = 1 \text{ m}^2/\text{s}$; set end time and time step accordingly

$$D_T \frac{\Delta t_s}{\Delta x^2} \le 1$$
$$t_e \gg \frac{L^2}{D_T}$$

Lid driven cavity

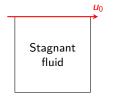


$$\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} = 0$$

$$\frac{\partial u}{\partial t} + u \frac{\partial u}{\partial x} + v \frac{\partial u}{\partial y} = -\frac{\partial (p/\rho)}{\partial x} + \nu \left(\frac{\partial^2 u}{\partial x^2} + \frac{\partial^2 u}{\partial y^2} \right)$$

$$\frac{\partial v}{\partial t} + u \frac{\partial v}{\partial x} + v \frac{\partial v}{\partial y} = -\frac{\partial (p/\rho)}{\partial y} + \nu \left(\frac{\partial^2 v}{\partial x^2} + \frac{\partial^2 v}{\partial y^2} \right)$$

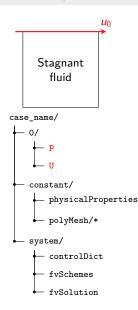
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icoFoam is one solver for "transient laminar" incompressible flow

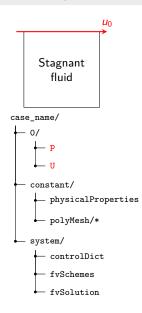
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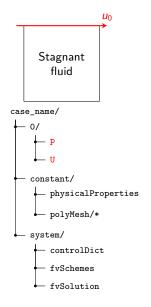
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- ► icoFoam is one solver for "transient laminar" incompressible flow
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- ► We will setup this case from scratch using OpenFOAM's "tutorial cases"
- ► And learn some techniques in ParaView
 - Extracting 2d slice of a 3d domain
 - Plot over line
 - Visualising streamlines