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2.1-1-1-2.5- 10	,

```
t=[-2:0.4:2]';
x=(t+1).*sin(t.^2).*cos(t.^2).^3;
disp('x='), disp(x)
y=2*sin(t-1)./(t.^2.*log(t.^3+1)+1);
disp('y='), disp(y)
z=exp(t.*sin(t))./(t.^2+1);
disp('z='), disp(z)
X =
   -0.2114
    0.1923
   -0.0004
    0.0616
    0.0920
         0
    0.2146
    0.5547
    0.0048
   -0.8333
    0.6341
  -0.0105 + 0.0151i
  -0.0503 + 0.1039i
  -0.0423 + 0.3524i
  -3.6013 + 0.0000i
  -1.9920 + 0.0000i
  -1.6829 + 0.0000i
  -1.1182 + 0.0000i
  -0.3142 + 0.0000i
  0.1625 + 0.0000i
   0.2185 + 0.0000i
   0.1719 + 0.0000i
z=
    1.2326
```

```
1.3904
1.2541
1.0824
1.0074
1.0000
1.0074
1.0824
1.2541
1.3904
1.2326
```

```
clear all
x=[0:0.2:4]';
y=x.^2-0.2*x+1;
fprintf('y=\n');disp(y)
y=
    1.0000
    1.0000
    1.0800
    1.2400
    1.4800
    1.8000
    2.2000
    2.6800
    3.2400
    3.8800
    4.6000
    5.4000
    6.2800
    7.2400
    8.2800
    9.4000
   10.6000
   11.8800
   13.2400
   14.6800
   16.2000
```

```
clear all
r=[3.001 3.002 2.999 2.998 3.008 3.005 3.000];
h=[4.498 4.499 4.500 4.502 4.505 4.495 4.506];
A=2*pi*r.^2+2*pi*r.*h;
disp('A = '); disp(A')
V=pi*r.^2.*h;
disp('V = '); disp(V')
```

```
A =
  141.3999
  141.4848
  141.3057
  141.2774
  141.9944
  141.6073
  141.4848
V =
  127.2628
  127.3759
  127.1497
  127.1214
  128.0561
  127.5171
  127.4041
```

```
clear all
disp('Create a 4x4 random matrix A with integer elements')
A=randi([-10 10],4)
disp('(a) Get those elements of A that are located in rows 1 to 3 and
columns 2 to 4.')
B=A(1:3,2:4); disp(B)
disp('(b) Add a 5th row to A and set it equal to the first column of A.')
C=[A; A(:,1)'];
disp(C)
disp('(c) Replace the last 2X2 submatrix of A by a 2X2 identity matrix.')
D=A;
D(3:4,3:4) = eye(2);
disp(D)
disp('(d) Delete the first and third columns of A.')
E(:,[1 3])=[];
disp(E)
Create a 4x4 random matrix A with integer elements
A =
     6
                      7
          -8
                 2
    -2
          -8
                -9
                     -10
    -5
           9
                -6
                     -10
    -2
          10
                -3
                     -7
(a) Get those elements of A that are located in rows 1 to 3 and columns 2 to
4.
    -8
           2
                7
    -8
          -9
               -10
     9
          -6
               -10
```

```
(b) Add a 5th row to A and set it equal to the first column of A.
```

(c) Replace the last 2X2 submatrix of A by a 2X2 identity matrix.

(d) Delete the first and third columns of A.

```
-8 7
-8 -10
9 -10
10 -7
```

Exercise 5

```
clear all
u = [-2 -1 \ 0 \ -3];
A=[-1 -2 0 5;3 2 1 -1;1 1 9 -5;1 -2 2 3];
B=[2 \ 3 \ 1 \ -1; -1 \ -2 \ 2 \ 1; 1 \ 3 \ 9 \ -4; -1 \ 4 \ 2 \ 3];
X1=B*inv(A)
X2=B.*inv(A)
X3 = (B')^2 \times A
X4 = (B').^2.*A
x=A\u'
X1 =
    0.8724
             1.2347
                       0.2041
                                -1.0357
   -0.1020
            -0.6122
                        0.1633
                                  0.5714
    1.4847
             0.9082
                        1.2245
                                 -1.4643
    3.9898
             1.9388
                       0.8163
                                 -3.6429
X2 =
   -0.6224
             0.3980
                       -0.1020
                                -0.3929
   -0.5612 -0.7347
                       0.2041
                                -0.6429
            0.1224
                       1.1020
                                  0.2857
   0.1735
   -0.3622 0.6939
                       0.0408 -0.5357
X3 =
```

5 22 95 -67

```
49
       18 97 -35
        18 797 -247
  141
  -52
       -58 -408
                   224
X4 =
   -4
         -2
              0
                   5
   27
         8
                   -16
              9
    1
         4
             729
                   -20
    1
         -2
             32
                   27
X =
  -0.6888
   0.4388
  -0.1735
  -0.3622
```

```
clear all
A=[1 -1 0 5;3 2 1 -1;1 1 9 -4;1 -7 2 3];
determinant=det(A);
disp(['Determinant= ', num2str(determinant)])
Ainv=inv(A);
disp('Inverse= '), disp(Ainv)
p=poly(A);
disp('Characteristic polynomial= '), disp(p)
lambda=eig(A);
disp('Eigenvalues= '), disp(lambda)
Determinant= -870
Inverse=
                     -0.0575
   -0.0345
            0.3333
                                0.0920
           -0.0000
    0.1207
                      0.0345
                                -0.1552
                               -0.0149
    0.0931 -0.0667
                      0.1218
    0.2310 -0.0667
                       0.0184
                                -0.0494
Characteristic polynomial=
    1.0000 -15.0000 63.0000 33.0000 -870.0000
Eigenvalues=
  -2.8991 + 0.0000i
  4.6534 + 3.6429i
  4.6534 - 3.6429i
   8.5924 + 0.0000i
```

```
clear all
u = [-1 \ 1 \ 0];
v=[2 -1 3];
w = [2 \ 8 \ 3];
left hand term=cross(u,cross(v,w))
right hand term=dot(u, w)*v-dot(u, v)*w
disp('Equality iff the following logical (comparison) vector test has all
components 1')
Test=left hand term==right hand term
left hand term =
    18
         18 27
right_hand_term =
    18
          18
                27
Equality iff the following logical (comparison) vector test has all
components 1
Test =
  1×3 logical array
   1 1 1
```

Exercise 8

```
clear all
u=[1 0 0];
v=[1 1 0];
w=[1 1 1];
Volume=abs(dot(u,cross(v,w)));
disp(['Volume=' num2str(Volume)])
Volume=1
```

```
clear all
p=[1 -8.8 19.25 6.25 -39.75 8.55 13.5];
disp(['(a) p(2)=',num2str(polyval(p,1.5))])
disp(['(b) p([2,-2,0,1])= ',num2str(polyval(p,[1.5,-2,0,1.1]))])
Roots=roots(p);
Roots=Roots';
disp(['Roots = ',num2str(Roots)])
```

```
disp('poly reconstruction confirmation (notice the initial polynomial)')
Coefficients=poly(Roots);
disp(['Coefficients = ' num2str(Coefficients)])
(a) p(2) = -5.3291e - 15
(b) p([2,-2,0,1]) = -5.329071e-15
                                        441
                                                   13.5
                                                            -1.090752
Roots = 5
          3 1.5
                                         1
                                                  -1.2
                                                             -0.5
poly reconstruction confirmation (notice the initial polynomial)
                      -8.8
                                 19.25
                                                6.25
Coefficients = 1
                                                          -39.75
8.55
            13.5
```

```
clear all
p=[1 -2 3 -4 5 -6 7 -8];
q=[1 2 -3 4 0 5];
Product=conv(p,q)
[quotient,remainder]=deconv(p,q)

Product =

    1     0     -4     12     -20     33     -46     59     -81     77     -62     35
-40

quotient =
    1     -4     14

remainder =
    0     0     0     -48     63     -67     27     -78
```

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