

TASK-2

Things to add in code:

- Pager
- Writing to Disc
- Cursor
- B-Tree

Persistence to disk

- After `.exit`, data is lost
- Create a `.db` file to store this data, read/write to this file
- `$ a.out filename.db`
- We ask the pager for page number `x`, and the pager gives us back a block of memory. It first looks in its cache. On a cache miss, it copies data from disk into memory (by reading the database file).

B-Tree

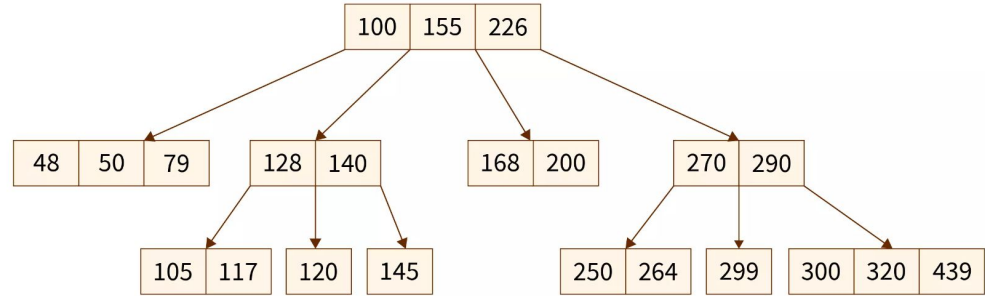
(NOT binary tree)

By Rudolf Bayer while working at Boeing labs

Advantages over Binary Tree

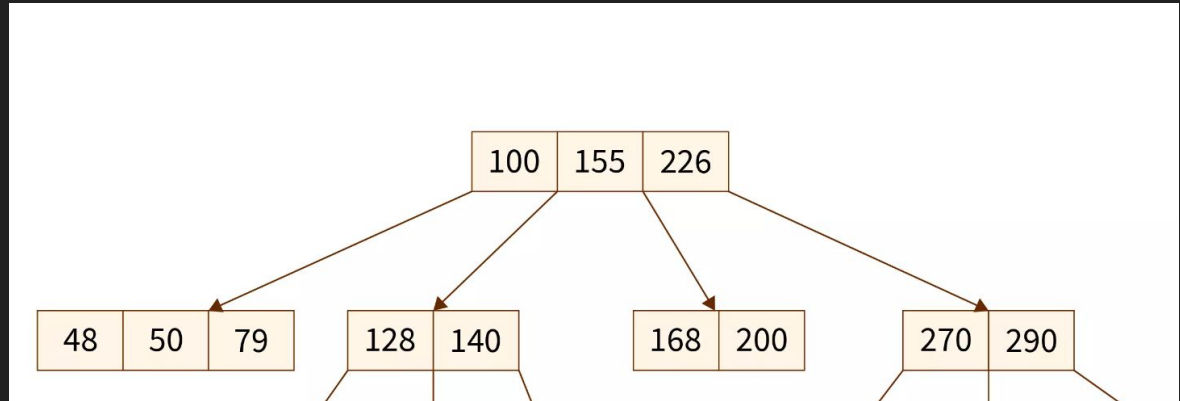
- B-Trees can store a large number of keys (here, page numbers) in a single node
- larger branching factor, shallower height, faster search and insertion operations
- Search, insert, delete in logarithm time
- Self Balancing

B-Tree Properties:



- B-Tree is defined by the term minimum degree 't'.
- Every node except the root must contain at least t-1 keys.
- All nodes (including root) may contain at most $(2 \cdot t - 1)$ keys.

B-Tree Properties:

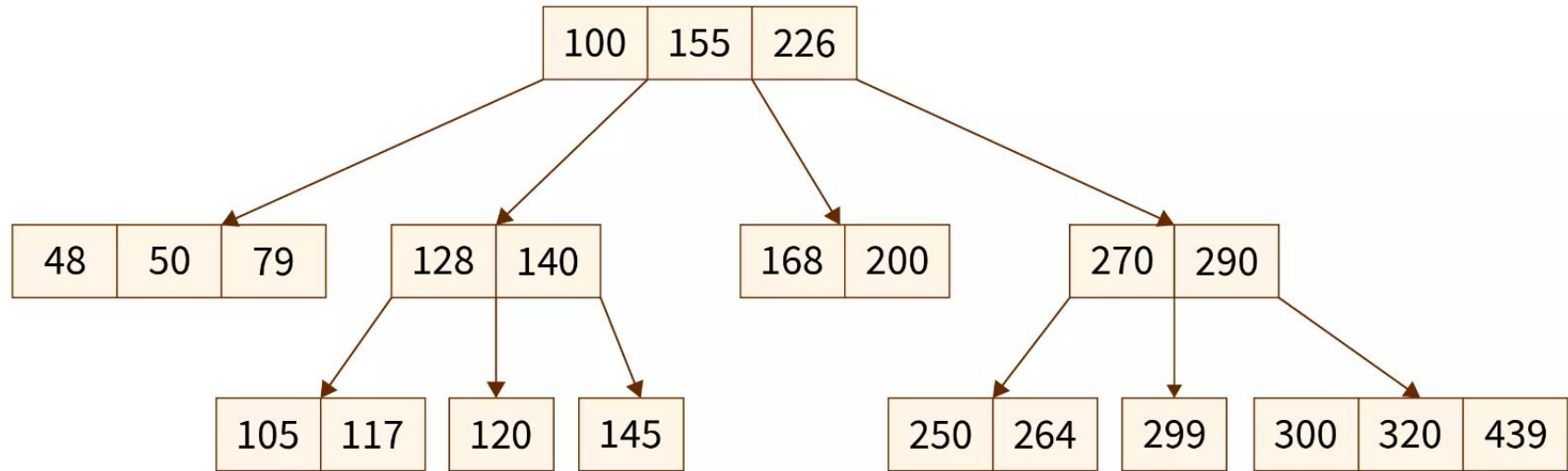


- Number of children of a node is equal to the number of keys in it plus 1. (Each node must have 't' children)
- All keys of a node are sorted in increasing order. The child between two keys k_1 and k_2 contains all keys in the range from k_1 and k_2 .
- Insertion of a Node in B-Tree happens only at Leaf Node.

B-Tree Properties: Root, Leaf

- Leaf nodes have 0 children
- The root node can have fewer than m children but must have at least 2, The root may contain a minimum of 1 key.
- If the root node is a leaf node (the only node), it still has 0 children

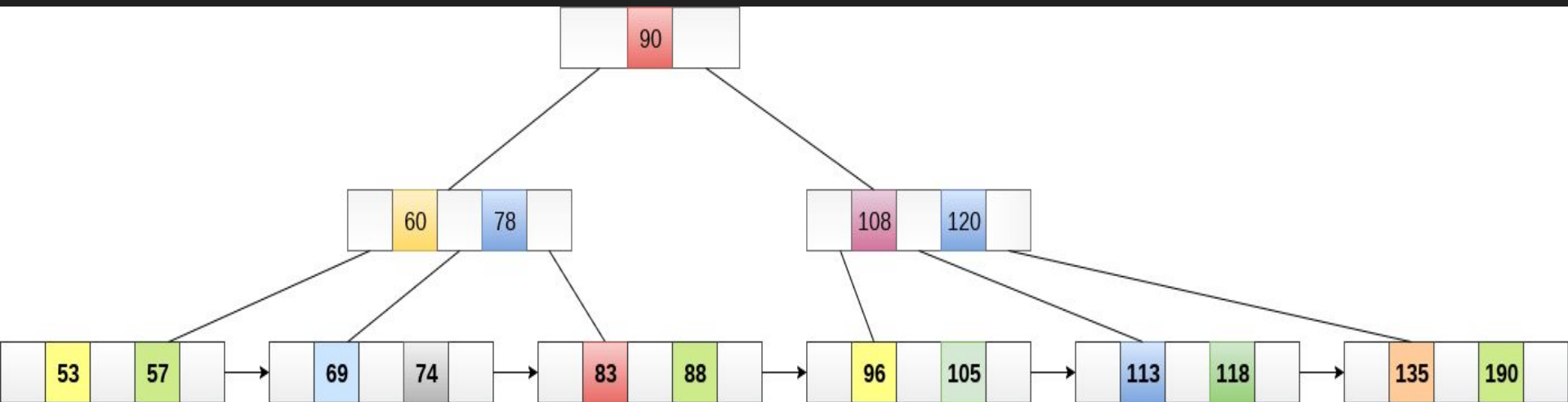
Search (Similar to Binary Tree)



B+ Tree

- B + Tree is a variation of the B-tree data structure.
- In a B + tree, data pointers are stored only at the leaf nodes of the tree, structure of a leaf node differs from the structure of internal nodes.
- The leaf nodes have an entry for every value of the search field, along with a data pointer to the record.
- Internal nodes of a B+ tree are used to guide the search.

Leaf nodes form a linked list for efficient range-based queries



For an order-m tree...	Internal Node	Leaf Node
Stores	keys and pointers to children	keys and values
Number of keys	up to $m-1$	as many as will fit
Number of pointers	number of keys + 1	none
Number of values	none	number of keys
Key purpose	used for routing	paired with value
Stores values?	No	Yes

Min _____ Max

Keys: $\text{ceil}(m/2)-1$ _____ $m-1$

Children: $\text{ceil}(m/2)$ _____ m

Just for root: min=1

Construction:

- Every element is inserted into a leaf node. Go to the appropriate leaf node.
- In Case of overflow

Split the leaf node into two nodes. First node contains $\text{ceil}(m/2)$ values.

Second node contains the remaining values. Copy the largest search key value from first node to the parent node.

- In case of overflow in parent node: repeat Step 2

Example: Order=3, Keys: 5,12,1,2,18,21 Values: alphabets

5:e

Leaf Nodes: Blue

Internal Nodes: Black

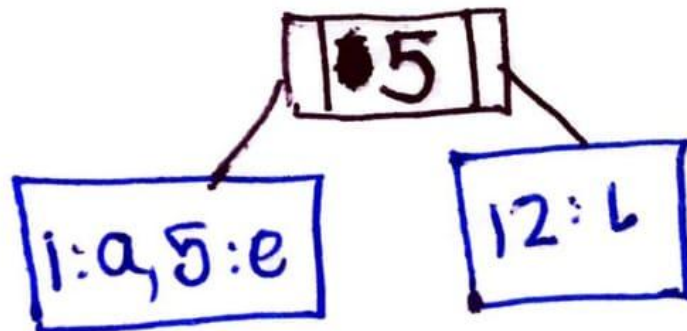
5:e, 12:l

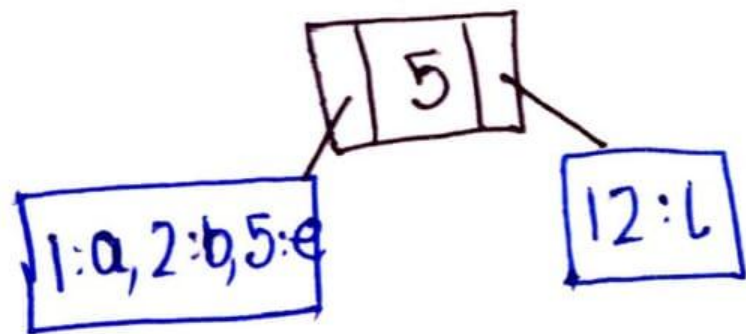
1:a, 5:e, 12:l

overflow
→

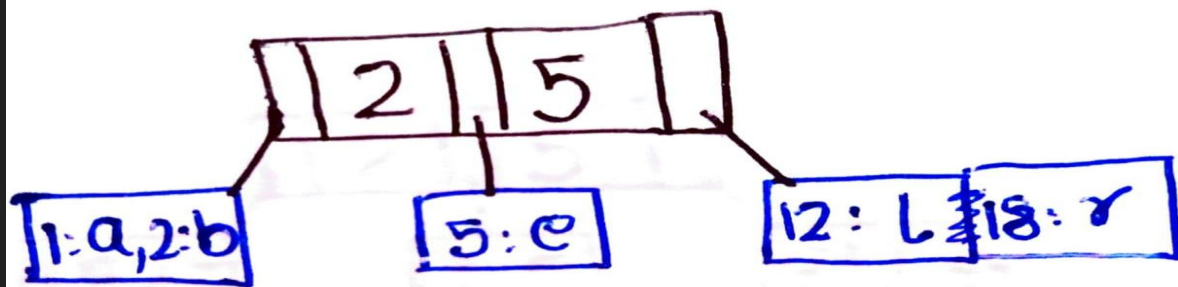
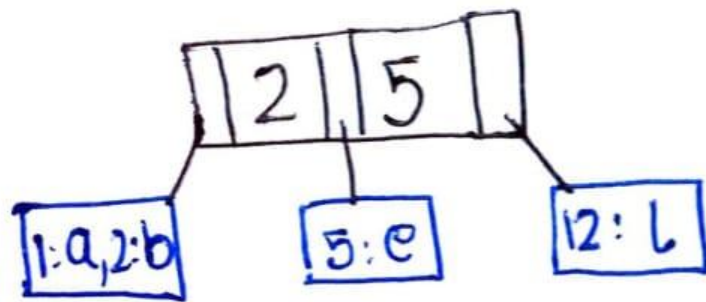
1:a, 5:e, 12:l
↑

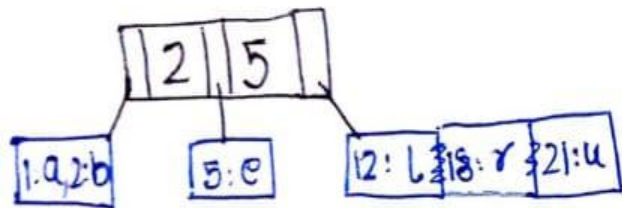
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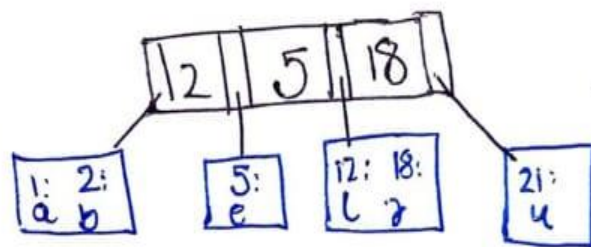


Overflow
→
(Median)
2:b

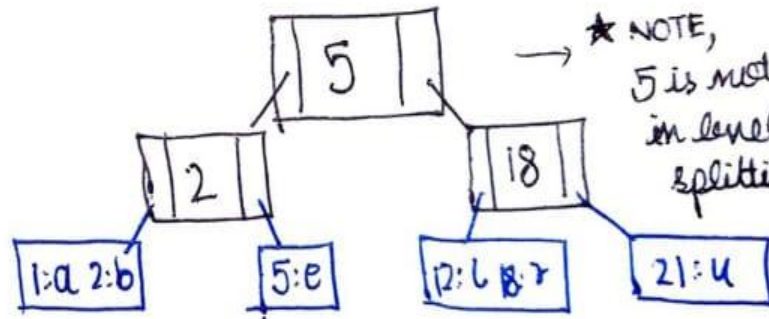




Overflow
 Median
 18:7



Overflow
 Median 5



★ NOTE,
 5 is not repeated
 in level 2 while
 splitting Internal
 Node