PRELIMINARIES

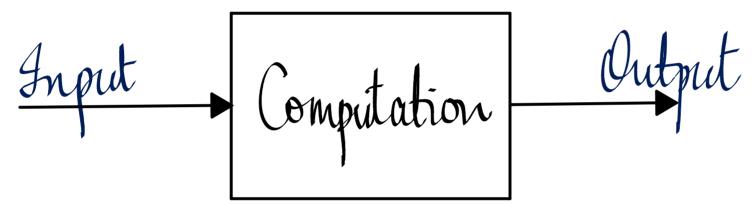
AND TNTRODUCTION

What should you already know? Discrete maths (col 202) * Sets: Membership, equality, set operations, properties, inductive definitions, subsets, power sets, Cartesian products A Kelations: Composition, properties, closures * tunctions: Total/partial functions, in/sur-/bi-jections, composition * Cardinality: Finite vs infinite sets, countable vs uncountable, diagonalization

* Proof techniques: Induction (mathematical/structural) especially!

What is this course about? Introduction to Automata and Theory of Computation Why do we need a theory of computation? To know what is computable, and what is not If something is computable, -> How much computing machinery does it require? -> How efficiently can it be computed?

| So how do we figure out whether something is co | ruputable! |
|--|------------|
| What counts as a computation? | |
| Need some uniform way to talk about computation. | |
| | |



We can describe a computation as a set of pairs of the form (Input, Output)—Skip if none/trivial

Such a set is called a language