

τ_{max} \rightarrow

Pueden ser
los movimientos

h = espacio recorrido
x = espacio recorrido horizontal

Subind. f = final
 i = initial

$+g, +a \Rightarrow$ acelera
 $-g, -a \Rightarrow$ frena o desacelera

Dos movimientos
simultaneos

$V_{iy} = V_i \cdot \sin \theta$

$$V_{ix} = V_i \cdot \cos \theta$$

A vector diagram showing a velocity vector V_c originating from the origin of a coordinate system. The horizontal axis is labeled V_{cx} and the vertical axis is labeled V_{cy} . The vector V_c makes an angle θ with the vertical axis. The components of the vector are indicated by dashed lines: $V_c \sin \theta$ along the vertical axis and $V_c \cos \theta$ along the horizontal axis.

$$V_{ix} = V_i \cdot \sin \theta$$

$$V_{iy} = V_i \cdot \cos \theta$$

MRU

UNIFORM $V = \text{cte}$
HORIZONTAL. $a = 0$

$$x_f = x_i + v \cdot t$$

MEUV
VERADO

Horizontal
 $v \neq \text{cte}$
 $a = \text{cte}$

VERTICAL
 $V \neq cte$
 $a = cte = g$
VERTICAL

CAIDA
LIBRE

T120
VERTICAL

$$\begin{aligned} x_f &= x_i + v_i t + \frac{1}{2} a t^2 \\ v_f &= v_i + a t \\ v_f^2 &= v_i^2 + 2 a x \\ h_f &= h_i + v_i t + \frac{1}{2} g t^2 \\ v_f &= v_i + g t \\ v_f^2 &= v_i^2 + 2 g h \end{aligned}$$

A diagram showing a vector V pointing to the right, labeled V_{ix} .

dos movimientos

a_c = aceleración que "hace" la trayectoria circular.

UNIFORME (MCU)

$$V_t = cte$$
$$a_c = cte$$

VARIADO (MCUV)

$V_t \neq cte$
 $a_c \neq cte$
 $a_t = cte$

a_t = aceleración tangencial
y cambio a la v_t .

a_T = aceleración total
suma vectorial $a_c + a_t$

$$a_T = \sqrt{a_c^2 + a_t^2}$$

Expressions
Angular

$$\omega = \frac{\theta_f - \theta_i}{t_f - t_i}$$

$$\omega = \frac{\partial}{t}$$

$$\theta_f = \theta_i + \omega_i \cdot t + \frac{1}{2} \alpha \cdot t^2$$

$$w_f = w_i \pm \alpha \cdot t$$

$$\omega_f^2 = \omega_c^2 \pm 2\alpha \cdot \theta$$

1 rev \rightarrow 2π rad
1 vuelta
 360°

Expresiones angulares es lineal

$$a_c = \frac{V_t^2}{R}$$

$$a_t = \alpha \cdot R$$


$$v_t = \omega \cdot R$$

$$S = \Theta.R$$

$$S = \theta \cdot K$$

$$S \text{ 10 S 10} \Rightarrow \omega = \left[\frac{\text{rad}}{\text{s}} \right]; \alpha = \left[\frac{\text{rad}}{\text{s}^2} \right]$$

$$\theta = \left[\text{rad} \right]$$



S = espacio lineal recorrido

$$\theta = [\text{rad}]$$