$\lambda x. succ(y)$ 

 $\langle \chi \chi , \chi \rangle$ 

 $MGU\{X_2 \rightarrow X_1 \rightarrow Bool \stackrel{?}{=} X_2 \rightarrow X_3\}$ 

 $exttt{MGU}\{(X_2 o X_1) o exttt{Nat} \stackrel{?}{=} X_2 o X_3\}$ 

Falla x Occus Cheek.

$$MGU\{X_{1} \rightarrow Bool \stackrel{?}{=} Nat \rightarrow Bool, X_{2} \stackrel{?}{=} X_{1} \rightarrow X_{1}\}$$

$$\Rightarrow X_{2} = X_{1} \rightarrow X_{1}$$

$$\Rightarrow X_{2} = X_{1} \rightarrow X_{1}$$

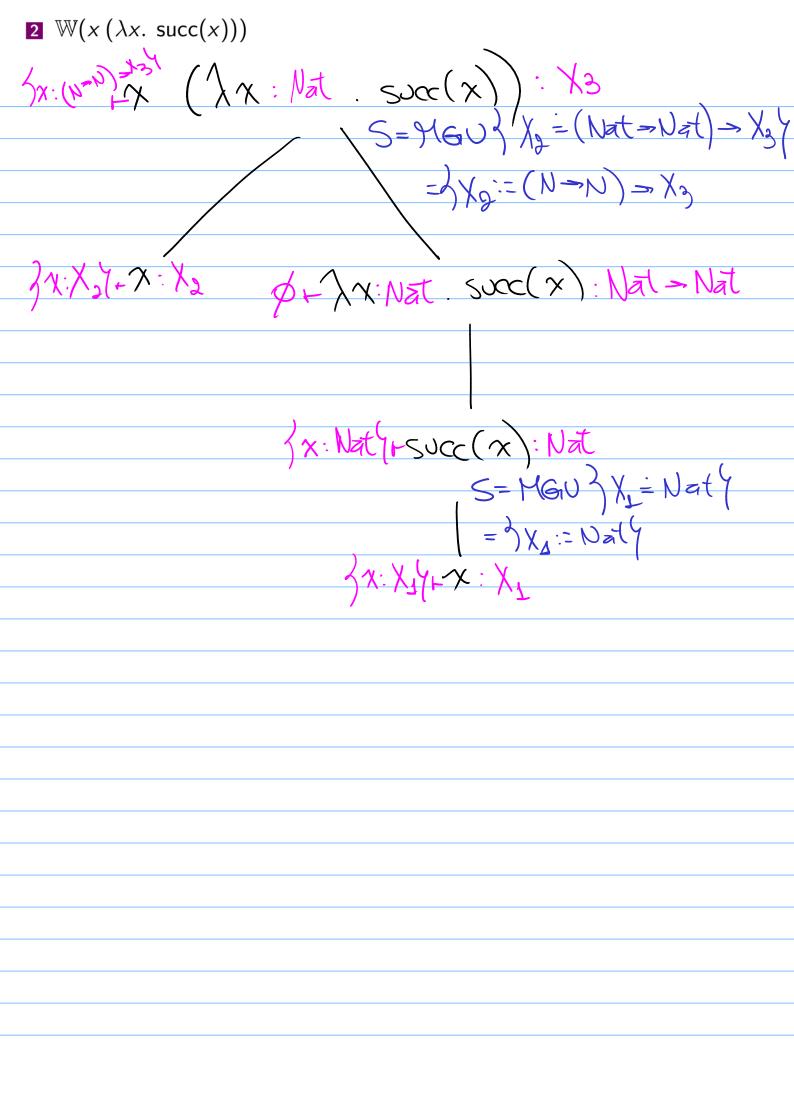
$$\Rightarrow X_{1} = X_{1} \rightarrow X_{2}$$

$$\Rightarrow X_{2} = X_{1} \rightarrow X_{2}$$

$$\Rightarrow X_{1} = X_{2} \rightarrow X_{2} X_{2}$$

1 
$$\lambda x. y$$
  
2  $f true$   
3  $iszero(x)$   
2)  $f : Bool = \chi_1 (+ \int true : \chi_1 + \int true : \chi_1 + \int true : \chi_2 = \chi_1$   
3)  $f : Bool = \chi_1 (+ \int true : \chi_1 + \int true : \chi_2 = \chi_1$ 

4+16. 12-12 ( ) . ( X -> X ) . ( X -> X )  $3f:X \rightarrow X_2 / L \wedge \chi : \chi_2 \cdot f \cdot (f \cdot \chi) : \chi_2 \rightarrow \chi_2$  $= \frac{1}{2} \times \frac{1}{2} = \frac{1}{2} \times \frac{1}{2} \times \frac{1}{2} \times \frac{1}{2} = \frac{1}{2} \times \frac{$ 16:X1(+6:X1) 7:X2(+X:X2  $S = MGO) X_3 = X_4 \rightarrow X_5$   $X_3 = X_4 \rightarrow X_4$   $R_3 = X_4 \rightarrow X_5$   $R_4 \rightarrow X_5 = X_9 \rightarrow X_4 \rightarrow X_5$   $R_1 \rightarrow X_3 = X_4 \rightarrow X_5$ Jec ) X4 = X9, X5 = X4 ( elim / /4:= X2/ elim / X5:= X2/ elim / X5:= X6/ 5= } X3:- X2->X2, X4:= X2, X5:= X2,



 $\mathbb{S} \mathbb{W}(\lambda x. x y x)$  $\sqrt{\chi}$ Jy: X/+y: X2 dim 3/2:= X4=X51 ) X2 -> =>> ) X4 = X2 => (X4 > X5) { Swap > X4 = X2 => (X4 > X5) {

$$\mathbb{W}(\textit{map}) \stackrel{\text{def}}{=} \emptyset \rhd \textit{map}_{X_1,X_2} : (X_1 \to X_2) \to [X_1] \to [X_2]$$

$$\mathbb{W}(\textit{foldr}) \stackrel{\text{def}}{=} \emptyset \rhd \textit{foldr}_{X_1,X_2} : (X_1 \to X_2 \to X_2) \to X_2 \to [X_1] \to X_2$$

$$|W| \text{ folds } m \approx p$$

 $\frac{1}{2} \times \frac{1}{2} \times \frac{1}$ 

$$|W(foldr Map) = \emptyset + foldr_{X_{1} \rightarrow X_{1}}[X_{1}]$$

