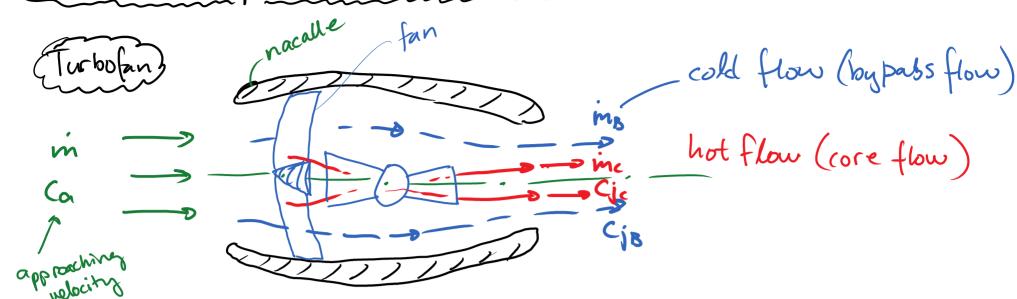
Current development in airbreathing propulsion



me me sinc (neglect inf, fact unissflow)

mo: By pass mit (BPR)

Thrust force: F=ms.cjs+mc.cjc-m.ea when BPE=0 -> ms=0: turbojet inc=m

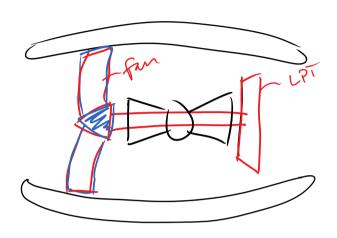
Propulsive efficiency
$$\frac{P_{\text{prop}}}{\sqrt{\frac{1}{2} m c_{1}^{2} - \frac{1}{2} m c_{2}^{2}}} = \frac{2}{1 + \frac{c_{1}}{c_{1}}}$$
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The propulsive efficiency efficiency and the propulsion of th

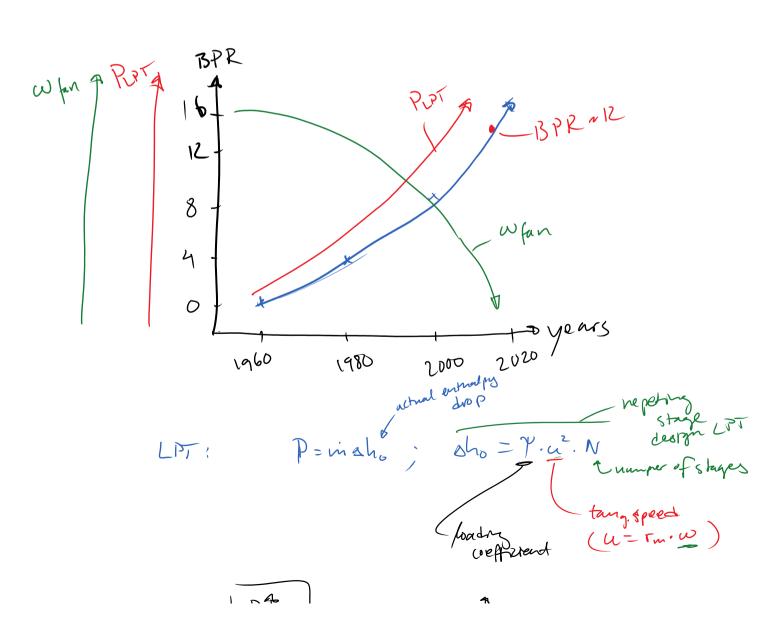
if C_{i} $\uparrow \rightarrow F_{1}$, $\eta_{prop} \downarrow$ $C_{j} = C_{a} \rightarrow F_{2} \rightarrow \Gamma_{prop} - \Gamma$ (theoretical)

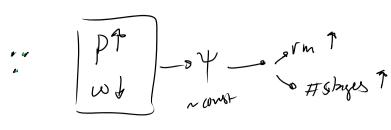
optimum $C_{j} \gtrsim C_{a} \rightarrow F_{2} \rightarrow \Gamma_{prop}$ varinised

thank $F_{2} = m(C_{i} - C_{a})$

movement in BPR over the last decodes (285% in hypas)







GTF: gered turbolan

Pt -> Pt

Wb (gearhox) | W1

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