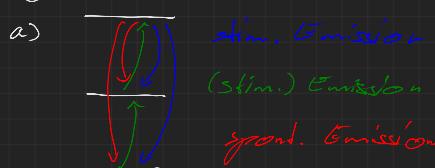


Anfage 2:

$$N = N_e + N_g + N_{\bar{g}}$$

synd. Em.

(stim.) Abs.

synd. Em.

$$\dot{N}_{\bar{g}} = A_{ee} N_e + A_{eg} N_e - P_{ge} N_{\bar{g}} - P_{ge} N_g + P_{eg} N_e + P_{eg} N_{\bar{g}}$$

$$\dot{N}_e = A_{ee} N_e - A_{eg} N_e - P_{ge} N_e + P_{ge} N_{\bar{g}} - P_{eg} N_e + P_{eg} N_{\bar{g}}$$

$$\dot{N}_{\bar{g}} = -A_{ee} N_e - A_{eg} N_e + P_{ge} N_{\bar{g}} + P_{ge} N_g - P_{eg} N_e - P_{eg} N_{\bar{g}}$$

$$b) \quad P_{eg} = P_{ee} = P = P_{ge} = 0$$

$$\Rightarrow \begin{cases} \dot{N}_{\bar{g}} = A_{ee} N_e + A_{eg} N_e - P_{ge} N_{\bar{g}} - P_{ge} N_g + P_{eg} N_e \\ \dot{N}_e = A_{ee} N_e - A_{eg} N_e - P_{eg} N_e \\ \dot{N}_{\bar{g}} = -A_{ee} N_e - A_{eg} N_e + P_{ge} N_{\bar{g}} \end{cases}$$

$$c) \quad N_{\bar{g}} = N_e = N_{\bar{g}} = 0$$

$$0 = \dot{N}_{\bar{g}} = A_{ee} N_e + A_{eg} N_e - P_{ge} N_{\bar{g}} - P_{ge} N_g + P_{eg} N_e$$

$$\Rightarrow N_e = \frac{1}{A_{eg}} (P_{ge} N_{\bar{g}} + P_{ge} N_g - P_{eg} N_e - A_{eg} N_e)$$

$$0 = \dot{N}_e = A_{ee} N_e - A_{eg} N_e - P_{eg} N_e$$

$$\Rightarrow N_e = \frac{A_{ee} \cdot 1}{P_{eg} + A_{eg}} (P_{ge} N_{\bar{g}} + P_{ge} N_g - P_{eg} N_e - A_{eg} N_e)$$

$$= \frac{A_{ee}}{P_{eg} + A_{eg}} \cdot \frac{N_{\bar{g}}}{A_{eg}} (P_{ge} + P_{ge}) - \frac{A_{ee}}{P_{eg} + A_{eg}} \cdot \frac{N_e}{A_{eg}} (P_{eg} + A_{eg})$$

$$= \frac{\frac{A_{ee}}{P_{eg} + A_{eg}} \cdot \frac{N_{\bar{g}}}{A_{eg}} (P_{ge} + P_{ge})}{1 + \frac{A_{ee}}{P_{eg} + A_{eg}} \cdot \frac{1}{A_{eg}} (P_{eg} + A_{eg})}$$

$$= \frac{N_{\bar{g}} \frac{(P_{ge} + P_{ge})}{A_{eg} (P_{eg} + A_{eg})}}{1 + \frac{(P_{ge} + P_{ge})}{A_{eg} (P_{eg} + A_{eg})}}$$

$$\Leftrightarrow \frac{N_e}{N_{\bar{g}}} = \frac{\frac{N_{\bar{g}}}{A_{eg}} \frac{(P_{ge} + P_{ge})}{A_{eg} (P_{eg} + A_{eg})}}{1 + \frac{(P_{ge} + P_{ge})}{A_{eg} (P_{eg} + A_{eg})}}$$

$$d) \quad \frac{A_{eg} (P_{eg} + A_{eg})}{A_{ee}} = (P_{ge} + P_{ge}) \frac{N_{\bar{g}}}{A_{eg}} - P_{eg} - A_{eg}$$

$$\Rightarrow A_{eg} = \frac{A_{ee}}{P_{eg} + A_{eg}} \left[(P_{ge} + P_{ge}) \frac{N_{\bar{g}}}{A_{eg}} - P_{eg} - A_{eg} \right]$$

$$P_{eg} - A_{eg} = \frac{A_{ee}}{P_{eg} + A_{eg}} \left[(P_{ge} + P_{ge}) \frac{N_{\bar{g}}}{A_{eg}} - P_{eg} - A_{eg} \right]$$

$$\Rightarrow P_{eg} \geq A_{ee} \left[\frac{1}{P_{eg} + A_{eg}} \left[(P_{ge} + P_{ge}) \frac{N_{\bar{g}}}{A_{eg}} - P_{eg} - A_{eg} \right] + 1 \right]$$

$$\Rightarrow \left(1 - \frac{P_{eg}}{A_{ee}} \right) (P_{ge} + P_{ge}) + P_{eg} - (P_{ge} + P_{ge}) \frac{N_{\bar{g}}}{A_{eg}} \geq A_{eg}$$

$$\Rightarrow \frac{N_{\bar{g}}}{A_{eg}} \geq - \frac{A_{eg} + \left(\frac{P_{eg}}{A_{ee}} - 1 \right) (P_{ge} + A_{eg}) - P_{eg}}{(P_{ge} + P_{ge})}$$

$$\Rightarrow \frac{N_{\bar{g}}}{A_{eg}} \geq \frac{P_{eg} - A_{eg} - \left(\frac{P_{eg}}{A_{ee}} - 1 \right) (P_{ge} + A_{eg})}{(P_{ge} + P_{ge})}$$

Die dargestellte Beziehung muss für Regulation hinzu gelten.
Das heißt, $1 >$ muss möglichst gut erreicht werden
 \Leftrightarrow und $(g > e)$.