

Shaping other types of Knowledge Graphs

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Introduction to Knowledge graphs

Types of Knowledge Graphs:

RDF, Property graphs, Wikibase, RDF-Star

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RDF-Star

Applications:

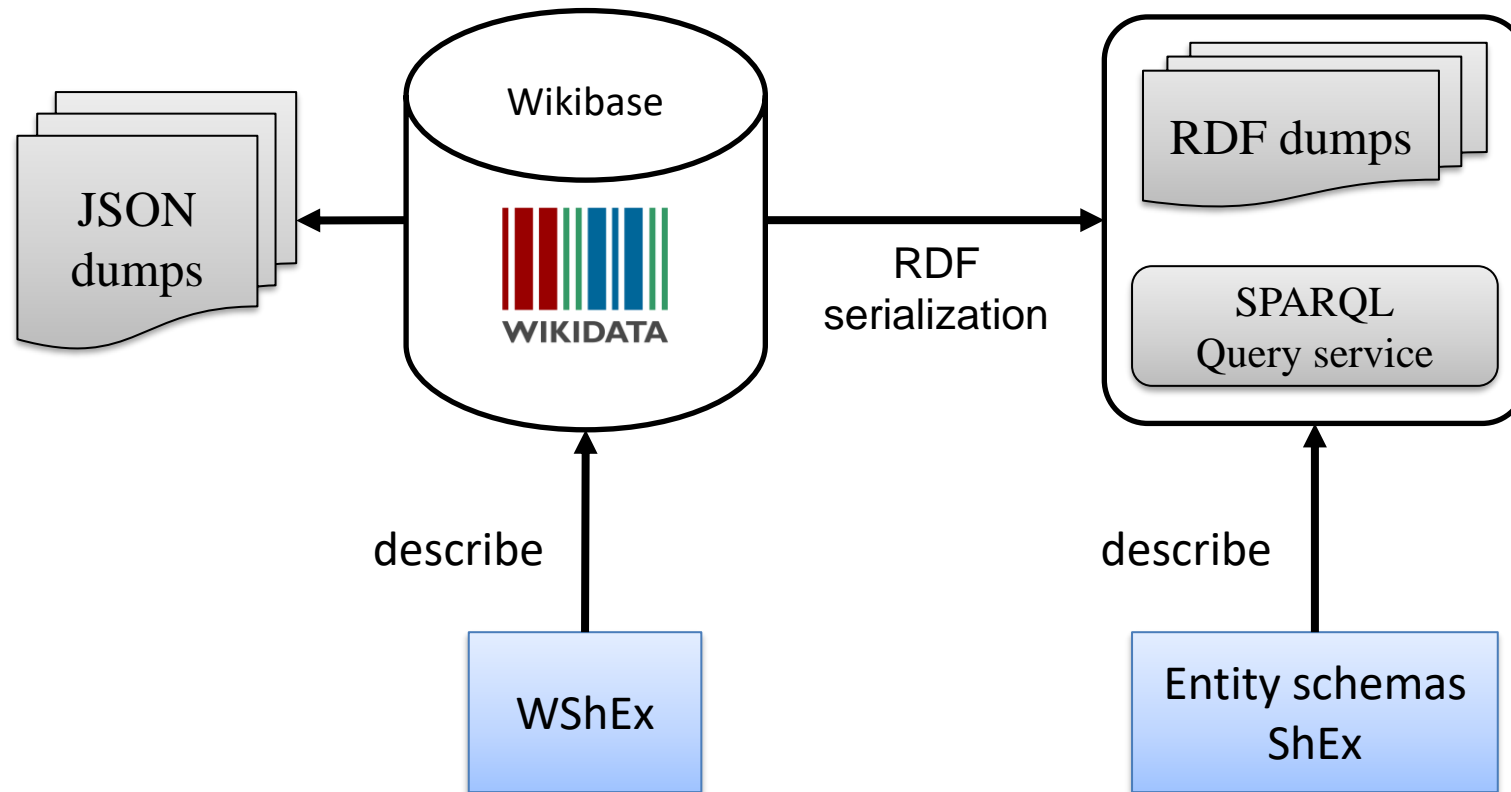
Inferring shapes from data, Knowledge Graphs Subsets, etc.



WShEx: A language to describe and validate Wikibase entities

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Entity Schemas

They can be used to describe Wikidata entities

Example:

<https://www.wikidata.org/wiki/EntitySchema:E10>

Directory of entity schemas:

https://www.wikidata.org/wiki/Wikidata:Database_reports/EntitySchema_directory

Entity schemas vs property constraints

Entity schemas contain descriptions of sets of items

It is quite easy to create a new entity schema

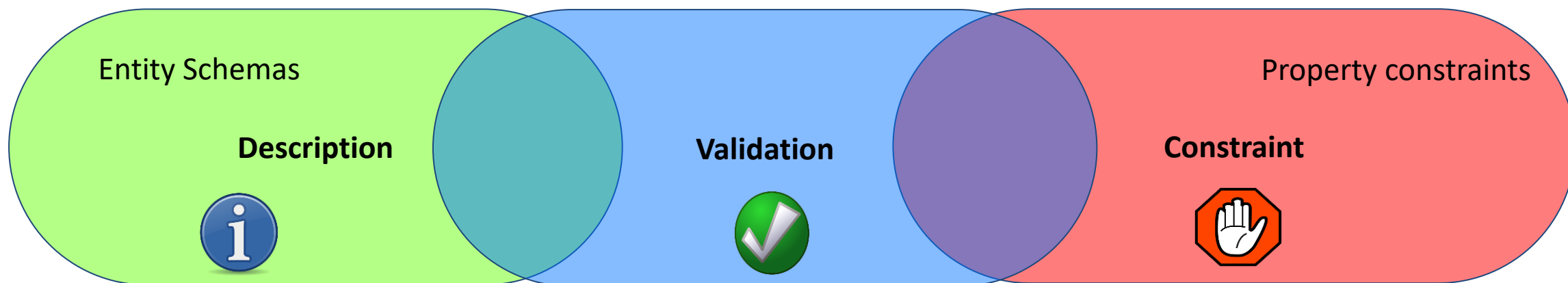
Overlapping entity schemas for different purposes

Example: Entity schemas employed to create Wikidata subsets

Entity schemas ecosystem

Property constraints are rules that can be enforced to validate items/properties

https://www.wikidata.org/wiki/Help:Property_constraints_portal



Extending ShEx to other types of Knowledge graphs

Can we extend ShEx to describe other types of knowledge graphs?

We present some work on extending ShEx for:

- Wikidata and Wikibase graphs: WShEx
- RDF Star (RDF 1.2): ShEx-Star
- Property graphs: P-ShEx
- RDF with nodes as properties: ShEx-N

ShEx overview

A Shape describes the neighbourhood of a node

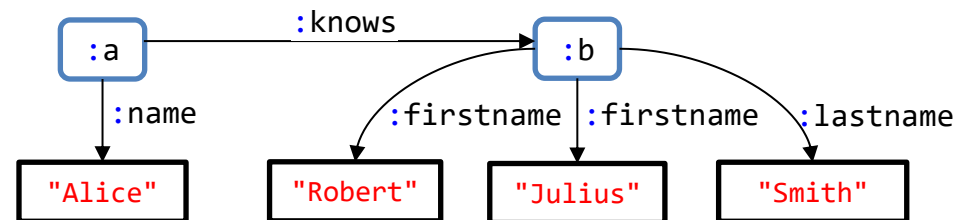
Triple Expressions

Node constraints

Cardinality

```
prefix : <http://example.org/>
prefix xsd: <http://www.w3.org/2001/XMLSchema#>

<Person> {
  :firstname xsd:string * ;
  :lastname  xsd:string
  :knows    @<Person> *
}
```



```

prefix : <http://example.org/>

☹️ :a :name      "Alice" ;
   :a :knows    :b      .
😊  :b :firstname "Robert", "Julius" ;
   :b :lastname "Smith" .
  
```

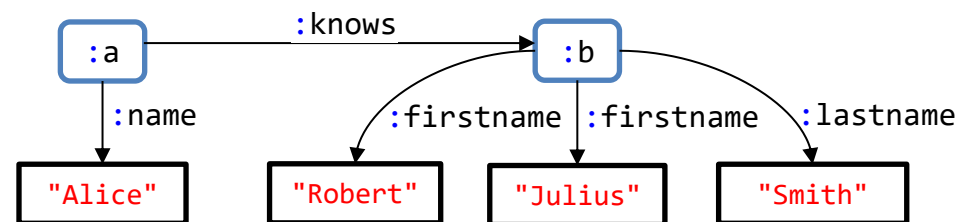
ShEx example

ShEx accepts regular expression operators
on triple expressions

EachOf (;), OneOf (|), grouping

```
prefix : <http://example.org/>
prefix xsd: <http://www.w3.org/2001/XMLSchema#>

<Person> {
  ( :name      xsd:string
    | :firstName xsd:string * ;
    :lastname  xsd:string
  ) ;
  :knows      @<Person> *
}
```



```

prefix : <http://example.org/>

😊 :a :name      "Alice" ;
😊 :a :knows     :b      .
😊 :b :firstname "Robert", "Julius" ;
😊 :b :lastname  "Smith" .

☹ :c :name      "Carol" ;
☹ :c :firstname "Carol" ;
☹ :c :knows     :b      .
  
```


Abstract syntax of ShEx

ShEx schema is a tuple $\langle L, \delta \rangle$

where L = set of labels and $\delta: L \rightarrow se$

se	$::=$	cond	Basic boolean condition on nodes (node constraint)
		s	Shape
		se_1 AND se_2	Conjunction of se_1 and se_2
		@ l	Shape label reference for $l \in L$
		CLOSED $\{te\}$	Closed shape
		$\{te\}$	Open shape
te	$::=$	$te_1; te_2$	Each of te_1 and te_2
		$te_1 \mid te_2$	Either te_1 or te_2
		te^*	Zero or more te
		$\sqsubset \xrightarrow{p} se$	Outgoing Triple with predicate p and object conforming to se
		$se \xrightarrow{p} \sqsubset$	Incoming triple with predicate p and subject conforming to se
		ϵ	Empty triple expression

Example with ShEx abstract syntax

```

prefix :    <http://example.org/>
prefix xsd: <http://.../XMLSchema#>

<Person> {
  ( :name    xsd:string
    | :firstName xsd:string *;
    :lastname xsd:string
  ) ;
  :knows @<Person> *
}

```

$$\begin{aligned}
 L &= \{Person\} \\
 \delta(Person) &= \left\{ \left(_ \xrightarrow{\text{name}} String \mid _ \xrightarrow{\text{firstname}} String^*; _ \xrightarrow{\text{lastname}} String \right); _ \xrightarrow{\text{knows}} @Person^* \right\}
 \end{aligned}$$

WShEx: A language to describe and validate Wikibase entities

Jose Emilio Labra Gayo



Entity-schema - ShEx

```
PREFIX pq: <.../prop/qualifier/>
PREFIX ps: <.../prop/statement/>
PREFIX p: <.../prop/>
PREFIX wdt: <.../prop/direct/>
PREFIX wd: <.../entity/>
PREFIX xsd: <...XMLSchema#>
```

```
<Researcher> {
  wdt:P31 [ wd:Q5 ] ;
  wdt:P166 @<Award> * ;
  p:P166 { ps:P166 @<Award> ;
           pq:P585 xsd:dateTime ? ;
           pq:P1706 @<Researcher> *
        } *
}
<Award> { wdt:P17 @<Country> ? }
<Country> {}
```

WShEx

```
PREFIX : <.../entity/>
```

```
<Researcher> {
  :P31 [ :Q5 ] ;
  :P166 @<Award> { | :P585 Time ? ,
                  :P1706 @<Researcher> ?
                } *
}
<Award> { :P17 @<Country> }
<Country> {}
```

WShEx: A language to describe and validate Wikibase entities

Jose Emilio Labra Gayo



Main contributions:

- Formal definition of Wikibase data model
- Abstract syntax and semantics of WShEx

Further information:

WShEx Specification: <https://www.weso.es/WShEx/>

Use cases

Wikidata subsetting: Describe directly JSON dumps

Entity schemas linter

Entity Schemas can be parsed to WShEx detecting inconsistencies

Wikibase validation

Improve validation quality and messages

Using WShEx ideas for Querying

Concise syntax and ability to handle dumps

Further information:

WShEx Specification:

<https://www.weso.es/WShEx/>

Future work

Complete WShEx specification

- Semantic specification including other features: references, labels,...

- Compact syntax grammar

Converter Entity Schemas (ShEx) \leftrightarrow WShEx

WShEx tooling: validation, editors, etc.

Further information:

WShEx Specification:

<https://www.weso.es/WShEx/>

RDF graphs

Given a set of IRIs \mathcal{I} , a set of blank nodes \mathcal{B} and a set of literals \mathcal{Lit}

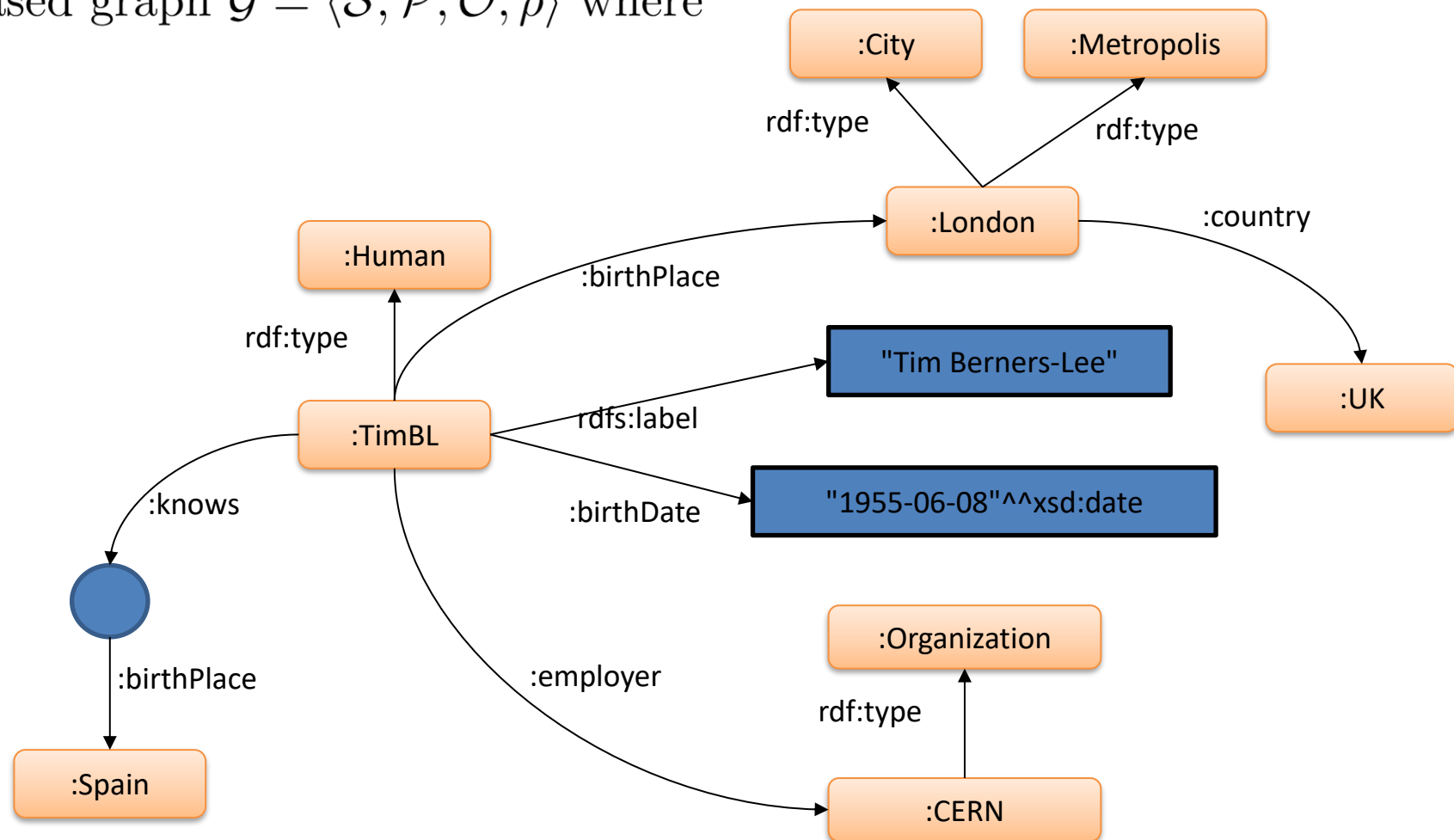
an *RDF graph* is a triple based graph $\mathcal{G} = \langle \mathcal{S}, \mathcal{P}, \mathcal{O}, \rho \rangle$ where

$$\mathcal{S} = \mathcal{I} \cup \mathcal{B},$$

$$\mathcal{P} = \mathcal{I},$$

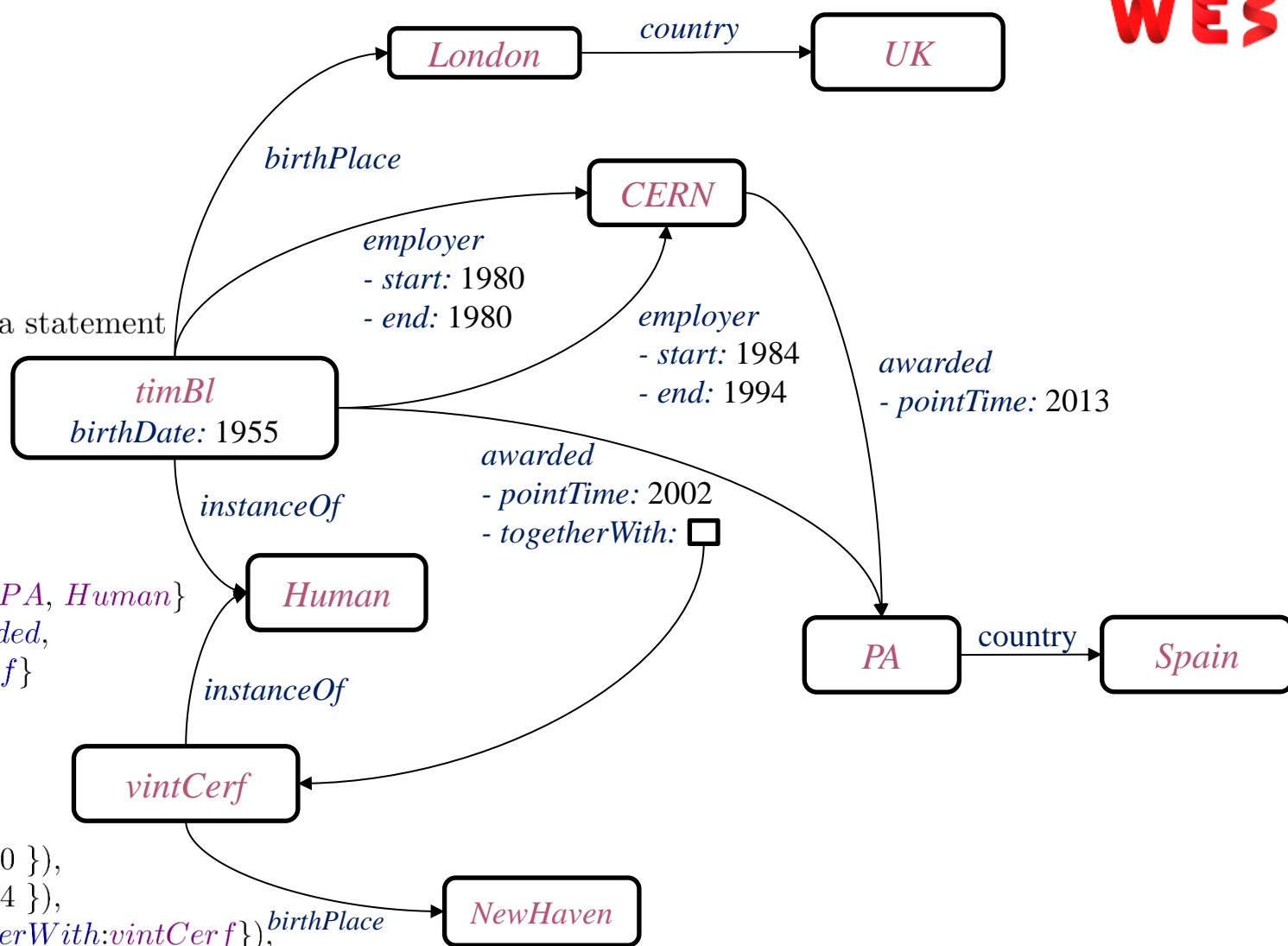
$$\mathcal{O} = \mathcal{I} \cup \mathcal{B} \cup \mathcal{Lit}$$

$$\rho \subseteq \mathcal{S} \times \mathcal{P} \times \mathcal{O}$$



Wikibase graphs

Given a mutually disjoint set of items \mathcal{Q} ,
 a set of properties \mathcal{P} and
 a set of data values \mathcal{D} ,
 a *Wikibase graph* is a tuple $\langle \mathcal{Q}, \mathcal{P}, \mathcal{D}, \rho \rangle$ such that
 $\rho \subseteq \mathcal{E} \times \mathcal{P} \times \mathcal{V} \times \text{FinSet}(\mathcal{P} \times \mathcal{V})$ where
 $\mathcal{E} = \mathcal{Q} \cup \mathcal{P}$ is the set of entities which can be subjects of a statement
 $\mathcal{V} = \mathcal{E} \cup \mathcal{D}$ is the set of possible values of a property.



$\mathcal{Q} = \{ \text{timBl, vintCerf, London, CERN, UK, Spain, PA, Human} \}$
 $\mathcal{P} = \{ \text{birthDate, birthPlace, country, employer, awarded, start, end, pointTime, togetherWith, instanceOf} \}$
 $\mathcal{D} = \{ 1984, 1994, 1980, 1955 \}$
 $\rho = \{$
 $(\text{timBl, instanceOf, Human, } \{\}),$
 $(\text{timBl, birthDate, 1955, } \{\}),$
 $(\text{timBl, birthPlace, London, } \{\}),$
 $(\text{timBl, employer, CERN, } \{ \text{start:1980, end:1980} \}),$
 $(\text{timBl, employer, CERN, } \{ \text{start:1984, end:1994} \}),$
 $(\text{timBl, awarded, PA, } \{ \text{pointTime: 2002, togetherWith:vintCerf} \}),$
 $(\text{London, country, UK, } \{\}),$
 $(\text{vintCerf, instanceOf, Human, } \{\})$
 $(\text{vintCerf, birthPlace, NewHaven, } \{\})$
 $(\text{CERN, awarded, PA, } \{ \text{pointTime: 2013} \})$
 $(\text{PA, country, Spain, } \{ \}) \}$

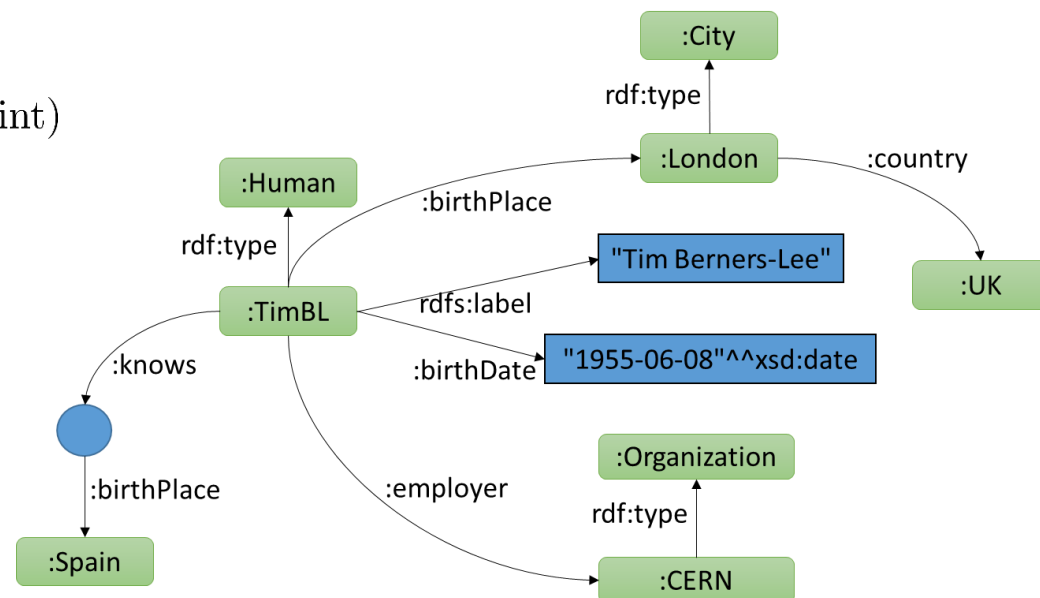
ShEx for RDF

A ShEx Schema is a tuple $\langle \mathcal{L}, \delta \rangle$ where

\mathcal{L} set of shape labels

$\delta : \mathcal{L} \rightarrow se$

se	$::=$	cond	Basic boolean condition on nodes (node constraint)
		s	Shape
		se_1 AND se_2	Conjunction
		@ l	Shape label reference for $l \in \mathcal{L}$
s	$::=$	CLOSED $\{te\}$	Closed shape
		$\{te\}$	Open shape
te	$::=$	$te_1; te_2$	Each of te_1 and te_2
		$te_1 \mid te_2$	Some of te_1 or te_2
		te^*	Zero or more te
		ϵ	Empty triple expression
		$_ \xrightarrow{p} @l$	Triple constraint with predicate p



\mathcal{L}	$=$	$\{ Person, Place, Country, Organization, Date \}$
$\delta(Person)$	$=$	$\{ _ \xrightarrow{birthDate} @Date; _ \xrightarrow{birthPlace} @Place; _ \xrightarrow{employer} @Organization^* \}$
$\delta(Place)$	$=$	$\{ _ \xrightarrow{country} @Country \}$
$\delta(Country)$	$=$	$\{ \}$
$\delta(Organization)$	$=$	$\{ \}$
$\delta(Date)$	$=$	xsd:date

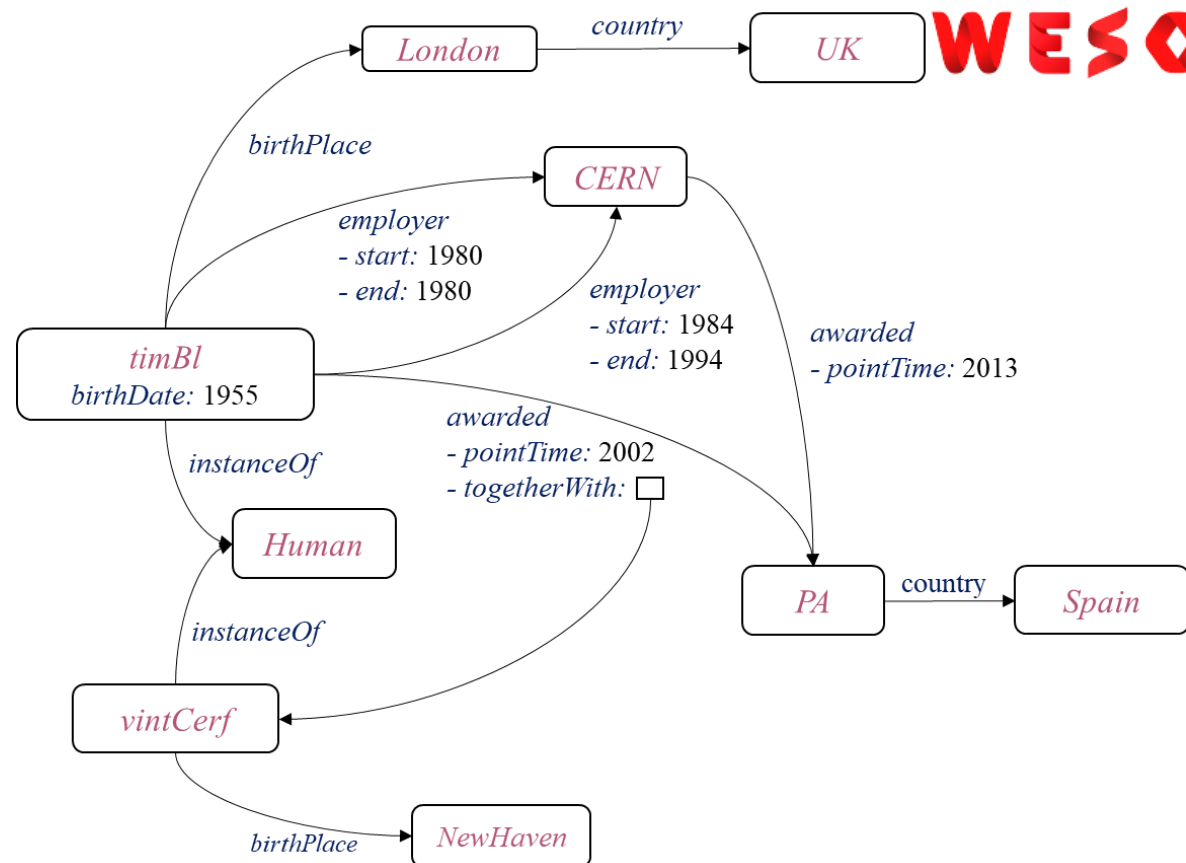
WShEx for Wikibase graphs

A WShEx Schema is a tuple $\langle \mathcal{L}, \delta \rangle$ where

\mathcal{L} set of shape labels

$\delta : \mathcal{L} \rightarrow se$

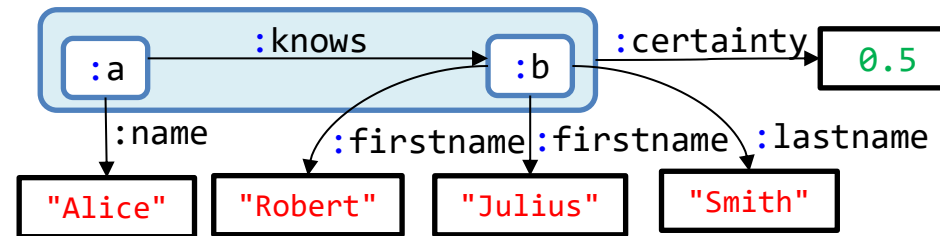
se	::=	cond	Basic boolean condition on nodes (node constraint)
		s	Shape
		se_1 AND se_2	Conjunction
		@ l	Shape label reference for $l \in \mathcal{L}$
s	::=	CLOSED s'	Closed shape
		s'	Open shape
s'	::=	{ te }	Shape definition
te	::=	$te_1; te_2$	Each of te_1 and te_2
		$te_1 \mid te_2$	Some of te_1 or te_2
		te^*	Zero or more te
		$\neg \xrightarrow{p} @l \text{ } qs$	Triple constraint with predicate p value conforming to l and qualifier specifier qs
		ϵ	Empty triple expression
qs	::=	[ps]	Open property specifier
		[ps]	Closed property specifier
ps	::=	ps, ps	EachOf property specifiers
		$ps \mid ps$	OneOf property specifiers
		ps^*	zero or more property specifiers
		ϵ	Empty property specifier
		$p:@l$	Property p with value conforming to shape l



\mathcal{L}	=	{ $Person, Place, Country, Organization, Date, Award$ }
$\delta(Person)$	=	{ $\neg \xrightarrow{birthDate} @Date; \neg \xrightarrow{birthPlace} @Place;$ $\neg \xrightarrow{employer} @Organization [start : @Date, end : @Date]^*$ $\neg \xrightarrow{awarded} @Award [pointTime : @Date, togetherWith : @Person]^*$
$\delta(Place)$	=	{ $\neg \xrightarrow{country} @Country$
$\delta(Country)$	=	{ }
$\delta(Award)$	=	{ $\neg \xrightarrow{country} @Country$
$\delta(Organization)$	=	{ }
$\delta(Date)$	=	$\in xsd : date$

RDF-Star

RDF-Star (RDF 1.2) extends RDF allowing triple terms



```
prefix : <http://example.org/>

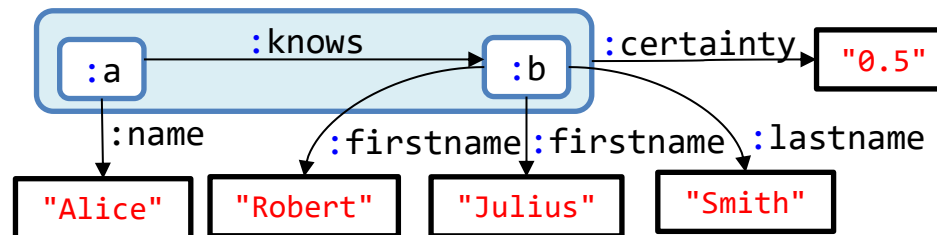
:a :name "Alice" .
<< :a :knows :b >> :certainty 0.5 .
:b :firstname "Robert", "Julius" ;
   :lastname "Smith" .
```

ShEx-Star

Example

```
<Person> {  
  ( :name xsd:string  
  | :firstName xsd:string + ;  
    :lastname xsd:string  
  ) ;  
  << :knows @<Person> >> { | :certainty xsd:float | } *  
}
```

```
prefix : <http://example.org/>  
  
:a :name "Alice" .  
<< :a :knows :b >> :certainty 0.5 .  
:b :firstname "Robert", "Julius" ;  
   :lastname "Smith" .
```



ShEx-Star abstract syntax

ShEx-Star adds two new rules for triple expressions te

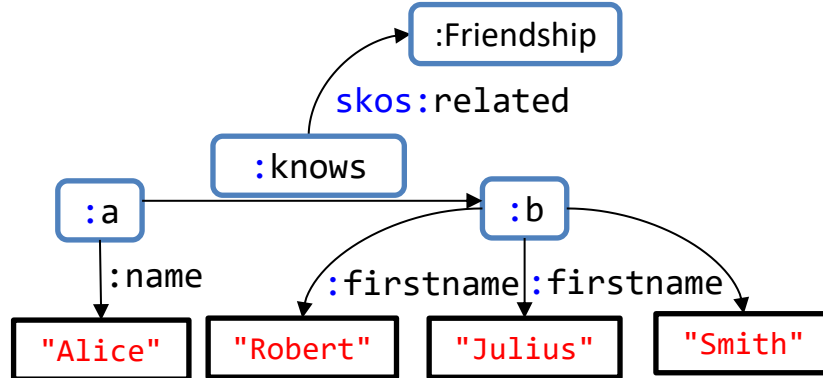
$se ::= \dots$...same as in ShEx	$te ::=$	$te_1; te_2$	Each of te_1 and te_2
			$ te_1 \mid te_2$	Either te_1 or te_2
			$ te^*$	Zero or more te
			$ _ \xrightarrow{p} se$	Outgoing Triple with predicate p and object conforming to se
			$ se \xrightarrow{p} _$	Incoming triple with predicate p and subject conforming to se
			$ \epsilon$	Empty triple expression
			$ \ll _ \xrightarrow{p} se \gg \{ te \}$	Outgoing Triple term constraint with predicate p
			$ \ll se \xrightarrow{p} _ \gg \{ te \}$	Incoming triple term constraint with predicate p

$$\delta(Person) = \{ (_ \xrightarrow{name} String \mid _ \xrightarrow{fistname} String^*; _ \xrightarrow{lastname} String); \\ \ll _ \xrightarrow{knows} @Person \gg \{| _ \xrightarrow{certainty} Float |\}^* \}$$

```
<Person> {
  ( :name xsd:string
  | :firstName xsd:string + ;
  :lastname xsd:string
  ) ;
  << :knows @<Person> >> { | :certainty xsd:float | } *
}
```

RDF with nodes as properties

In RDF Graphs, nodes can also be properties



```
prefix : <http://example.org/>
prefix skos: <http://.../skos/core#>

:a :name "Alice" ;
   :knows :b .
:b :firstname "Robert", "Julius" ;
   :lastname "Smith" .
:knows skos:related :Friendship .
```

ShEx-N

Example:

```

<FriendshipProperty> {
  skos:related [ :Friendship ] ;
  @<Person> >-< @<Person>
}
<Person> {
  ( :name xsd:string
    | :firstName xsd:string + ;
    :lastname xsd:string
  ) ;
  :knows @<Person> *
}

```

$$\begin{aligned}
 \delta(\text{FriendShipProperty}) &= \{ \quad \sqcup \xrightarrow{\text{skos:related}} [: \text{Friendship}] ; \\
 &\quad @\text{Person} \xrightarrow{\quad} @\text{Person} \\
 &\quad \} \\
 \delta(\text{Person}) &= \{ \quad \sqcup \xrightarrow{:name} \text{String} \\
 &\quad \mid \sqcup \xrightarrow{:firstname} \text{String}^* ; \sqcup \xrightarrow{:lastname} \text{String} ; \\
 &\quad \sqcup \xrightarrow{knows} @\text{Person}^* \\
 &\quad \}
 \end{aligned}$$

```

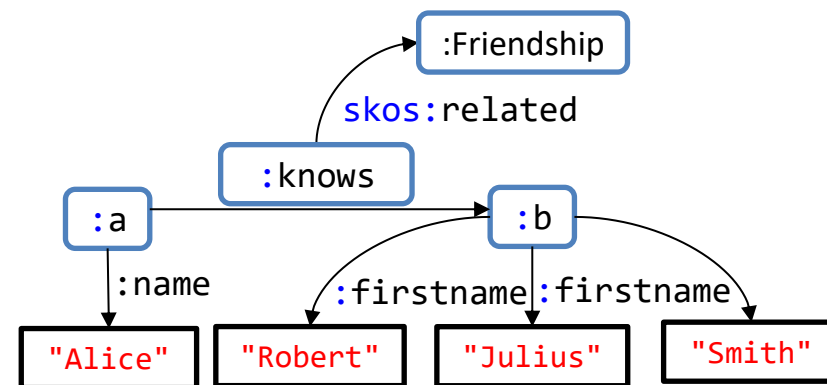
prefix : <http://example.org/>
prefix skos: <http://.../skos/core#>

```

```

:a :name "Alice" ;
   :knows :b .
:b :firstname "Robert", "Julius" ;
   :lastname "Smith" .
:knows skos:related :Friendship .

```



ShEx-N abstract syntax

We add a new rule for triple expressions te

se	$::=$	$cond$	Basic boolean condition on nodes (node constraint)
		s	Shape
		$se_1 \text{ AND } se_2$	Conjunction of se_1 and se_2
		$@l$	Shape label reference for $l \in L$
		$\text{CLOSED } \{te\}$	Closed shape
		$\{te\}$	Open shape
te	$::=$	$te_1; te_2$	Each of te_1 and te_2
		$te_1 \mid te_2$	Either te_1 or te_2
		te^*	Zero or more te
		$\neg \xrightarrow{p} se$	Outgoing Triple with predicate p and object conforming to se
		$se \xrightarrow{p} \neg$	Incoming triple with predicate p and subject conforming to se
		ϵ	Empty triple expression
		$se_1 \xrightarrow{\quad} se_2$	Triple constraint with focus node acting as predicate and subject conforming to se_1 and object conforming to se_2

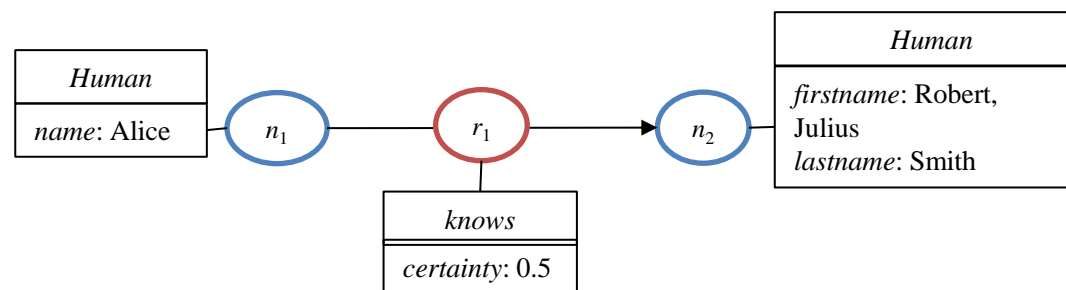
Property graphs

Nodes and edges can have a set of property – value pairs

Nodes can have labels and edges can have a label

Quite popular in industry: Neo4J, TinkerPop, Neptune, etc.

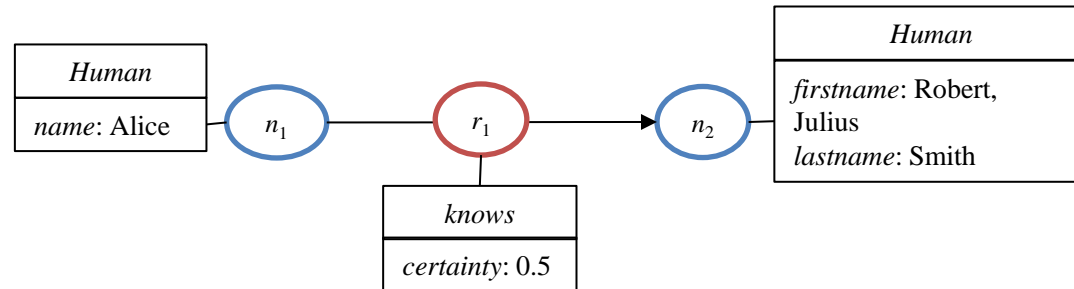
Example



PShEx: ShEx for property graphs

Example

```
<Person> [ Human ] AND  
  [| name: String |  
    firstname: String *,  
    lastname: String  
  |] AND {  
    knows @<Person> [|  
      certainty: Float  
    |] *  
  }
```



PShEx abstract syntax

PShEx adds property value specifiers (*pvs*) to nodes and edges

se	$::=$	$cond_{t_s}$	Basic boolean condition on set of types $t_s \subseteq T$
		s	Shape
		$se_1 \text{ AND } se_2$	Conjunction
		$@l$	Shape label reference for $l \in L$
		pvs	Property-value specifiers of a node
s	$::=$	$\text{CLOSED } \{te\}$	Closed shape
		$\{te\}$	Open shape
te	$::=$	$te_1; te_2$	Each of te_1 and te_2
		$te_1 \mid te_2$	Some of te_1 or te_2
		te^*	Zero or more te
		$_ \xrightarrow{p} @l \text{ } pvs$	Triple constraint with property type p whose nodes satisfy the shape l and property-values pvs

pvs	$::=$	$[ps]$	Open property-value specifiers ps
		$[ps]$	Closed property-value specifiers ps
ps	$::=$	ps_1, ps_2	Each of ps_1 and ps_2
		$ps_1 \mid ps_2$	OneOf of ps_1 or ps_2
		ps^*	zero or more ps
		$p : cond_v$	Property p with value conforming to $cond_v$ $cond_v$ is a boolean condition on sets of values $v_s \subseteq V$

```
<Person> [ Human ] AND
[ | name: String |
  firstname: String *,
  lastname: String
| ] AND {
  knows @<Person> [ |
    certainty: Float
  | ] *
}
```

```
L = { Person }
δ(Person) = hasTypeHuman AND
[ name : String | firstname : String*, lastname : String ] AND
{ \xrightarrow{knows} @Person [certainty : Float]* }
```

Semantics

We define the semantics using 2 conformance relationships and several inference rules

$G, n, \tau \models se$ = node n in graph G conforms to se with assignment τ

$G, ts, \tau \Vdash te$ = neighborhood ts of graph G conform to te with assignment τ

More details in the paper

ShEx semantics

Shape expressions se

$$\begin{array}{c}
 \text{Cond} \frac{cond(n) = true}{G, n, \tau \models cond} \quad \text{AND} \frac{G, n, \tau \models se_1 \quad G, n, \tau \models se_2}{G, n, \tau \models se_1 \text{ AND } se_2} \\
 \text{ShapeRef} \frac{\delta(l) = se \quad G, n, \tau \models se}{G, n, \tau \models @l} \quad \text{ClosedShape} \frac{neighs(n, G) = ts \quad G, ts, \tau \Vdash te}{G, n, \tau \models \text{CLOSED } \{te\}}
 \end{array}$$

Triple expressions te

$$\begin{array}{c}
 \text{OpenShape} \frac{ts = \{\langle x, p, y \rangle \in neighs(n, G) \mid p \in preds(te)\} \quad G, ts, \tau \Vdash te}{G, n, \tau \models \{te\}} \\
 \text{EachOf} \frac{(ts_1, ts_2) \in part(ts) \quad G, ts_1, \tau \Vdash te_1 \quad G, ts_2, \tau \Vdash te_2}{G, ts, \tau \Vdash te_1; te_2} \\
 \text{OneOf}_1 \frac{G, ts, \tau \Vdash te_1}{G, ts, \tau \Vdash te_1 \mid te_2} \quad \text{OneOf}_2 \frac{G, ts, \tau \Vdash te_2}{G, ts, \tau \Vdash te_1 \mid te_2} \\
 \text{TC}_1 \frac{ts = \{\langle x, p, y \rangle\} \quad G, y, \tau \models @l}{G, ts, \tau \Vdash \sqcup \xrightarrow{p} @l} \quad \text{TC}_2 \frac{ts = \{\langle y, p, x \rangle\} \quad G, y, \tau \models @l}{G, ts, \tau \Vdash @l \xrightarrow{p} \sqcup} \\
 \text{Star}_2 \frac{(ts_1, ts_2) \in part(ts) \quad G, ts_1, \tau \Vdash te \quad G, ts_2, \tau \Vdash te^*}{G, ts, \tau \Vdash te^*} \quad \text{Star}_1 \frac{}{G, \emptyset, \tau \Vdash te^*}
 \end{array}$$

ShEx-Star semantics

Same rules as for ShEx plus:

$$TTC_1 \frac{ts = \{\langle \ll t \gg, p, y \rangle\} \quad G, y, \tau \models se \quad neighs(\ll t \gg, G) = ts' \quad G, ts', \tau \models te}{G, ts, \tau \models \ll _ \xrightarrow{p} se \gg \{|te|\}}$$

$$TTC_2 \frac{ts = \{\langle x, p, \ll t \gg \rangle\} \quad G, x, \tau \models se \quad neighs(\ll t \gg, G) = ts' \quad G, ts', \tau \models te}{G, ts, \tau \models \ll se \xrightarrow{p} _ \gg \{|te|\}}$$

$$\delta(Person) = \{ \quad (_ \xrightarrow{name} String \mid _ \xrightarrow{firstname} String^*; _ \xrightarrow{lastname} String); \\ \ll _ \xrightarrow{knows} @Person \gg \{ _ \xrightarrow{certainty} Float \}^* \\ \}$$

ShEx-N semantics

Same rules as in ShEx plus:

$$NP_1 \frac{ts = \{\langle s, x, o \rangle\} \quad G, s, \tau \models se_1 \quad G, o, \tau \models se_2}{G, ts, \tau \models se_1 \xrightarrow{\tau} se_2}$$

$$\begin{aligned} \delta(FriendShipProperty) &= \{ \quad \sqcup \xrightarrow{skos:related} [: Friendship] ; \\ &\quad @Person \xrightarrow{\tau} @Person \\ &\quad \} \\ \delta(Person) &= \{ \quad \sqcup \xrightarrow{:name} String \\ &\quad | \quad \sqcup \xrightarrow{:firstname} String^* ; \sqcup \xrightarrow{:lastname} String ; \\ &\quad \quad \sqcup \xrightarrow{knows} @Person^* \\ &\quad \} \end{aligned}$$

PShEx semantics

Semantics of shape expressions se (similar to ShEx)

$$\begin{array}{c}
 \text{Cond}_{ts} \frac{\lambda_n(n) = vs \quad \text{cond}_{ts}(vs) = \text{true}}{G, n, \tau \models \text{cond}_{ts}} \qquad \text{AND} \frac{G, n, \tau \models se_1 \quad G, n, \tau \models se_2}{G, n, \tau \models se_1 \text{ AND } se_2} \\
 \\
 \text{ClosedShape} \frac{\text{neighs}(n, G) = ts \quad G, ts, \tau \Vdash s'}{G, n, \tau \models \text{CLOSED } \{te\}} \\
 \\
 \text{OpenShape} \frac{ts = \{\langle x, p, y \rangle \in \text{neighs}(n, G) \mid p \in \text{preds}(te)\} \quad G, ts, \tau \Vdash te}{G, n, \tau \models \{te\}}
 \end{array}$$

PShEx semantics

Semantics of property value specifiers ps

$$\begin{array}{c}
 \text{OpenPVs} \frac{s' = \{(p, v) \in s \mid p \in \text{props}(ps)\} \quad G, s', \tau \vdash ps}{G, s, \tau \vdash \lfloor ps \rfloor} \quad \text{ClosePVs} \frac{G, s, \tau \vdash ps}{G, s, \tau \vdash \lceil ps \rceil} \\
 \\
 \text{EachOfPs} \frac{G, s, \tau \vdash ps_1 \quad G, s, \tau \vdash ps_2}{G, s, \tau \vdash ps_1, ps_2} \\
 \\
 \text{OneOfPs}_1 \frac{G, s, \tau \vdash ps_1}{G, s, \tau \vdash ps_1 \mid ps_2} \quad \text{OneOfPs}_2 \frac{G, s, \tau \vdash ps_2}{G, s, \tau \vdash ps_1 \mid ps_2} \\
 \\
 \text{StarPs}_1 \frac{}{G, \emptyset, \tau \vdash ps^*} \quad \text{StarPs}_2 \frac{(s_1, s_2) \in \text{part}(s) \quad G, s_1, \tau \vdash ps \quad G, s_2, \tau \vdash ps^*}{G, s, \tau \vdash ps^*} \\
 \\
 \text{PropertyValue} \frac{s = \{(p, w)\} \quad \text{conv}_v(w) = \text{true}}{G, s, \tau \vdash p : \text{cond}_v}
 \end{array}$$

PShEx semantics

Semantics of triple expressions te (similar to ShEx)

$$EachOf \frac{(ts_1, ts_2) \in part(ts) \quad G, ts_1, \tau \Vdash te_1 \quad G, ts_2, \tau \Vdash te_2}{G, ts, \tau \Vdash te_1; te_2}$$

$$OneOf_1 \frac{G, ts, \tau \Vdash te_1}{G, ts, \tau \Vdash te_1 \mid te_2} \quad OneOf_2 \frac{G, ts, \tau \Vdash te_2}{G, ts, \tau \Vdash te_1 \mid te_2}$$

$$TripleConstraint \frac{ts = \{\langle x, p, y, s \rangle\} \quad G, y, \tau \models @l \quad G, s, \tau \vdash qs}{G, ts, \tau \Vdash \neg \xrightarrow{p} @l qs}$$

$$Star_1 \frac{}{G, \emptyset, \tau \Vdash te^*}$$

$$Star_2 \frac{(ts_1, ts_2) \in part(ts) \quad G, ts_1, \tau \Vdash te \quad G, ts_2, \tau \Vdash te^*}{G, ts, \tau \Vdash te^*}$$

Conclusions

ShEx = similar to a Grammar for Knowledge graphs

Can be extended for other kinds of Knowledge Graphs

RDF-Star: ShEx-Star

General RDF: ShEx-N

Property graphs: P-ShEx

Wikibase graphs: WShEx*

* *WShEx: A language to describe and validate Wikibase entities*, Jose E. Labra G., In Wikidata Workshop, International Semantic Web Conference. CEUR Proceedings, vol 3265 -2022

Future work

WShEx

- Implement it in rudof

- It was implemented in Scala (wdsb)

- Very useful to create Wikidata subsets

ShEx-Star

- Align with current work on RDF 1.2

- Implement prototype

ShEx-N

- Define compact syntax and implement it

- Identify use cases and expressiveness

PShEx

- Define compact syntax and implement prototype

*Prioritize which of those lines to follow
Use cases and usability of tools are important*

End