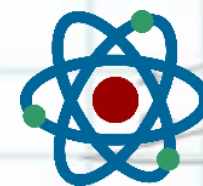




# IT-Fizika



Ibrohim Fayziyev

## FIZIKA – ixtisoslashtirilgan maktablar uchun 9-sinf

**Mavzu:** Butun olam tortishish qonuni

Masalalarni yechilish tartibini va to`liq izohli yechimini You Tube dagi **IT-Fizika** kanalida ko`rishingiz mumkin.

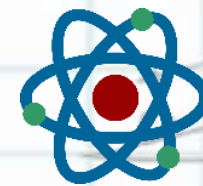
Toshkent 2021-yil



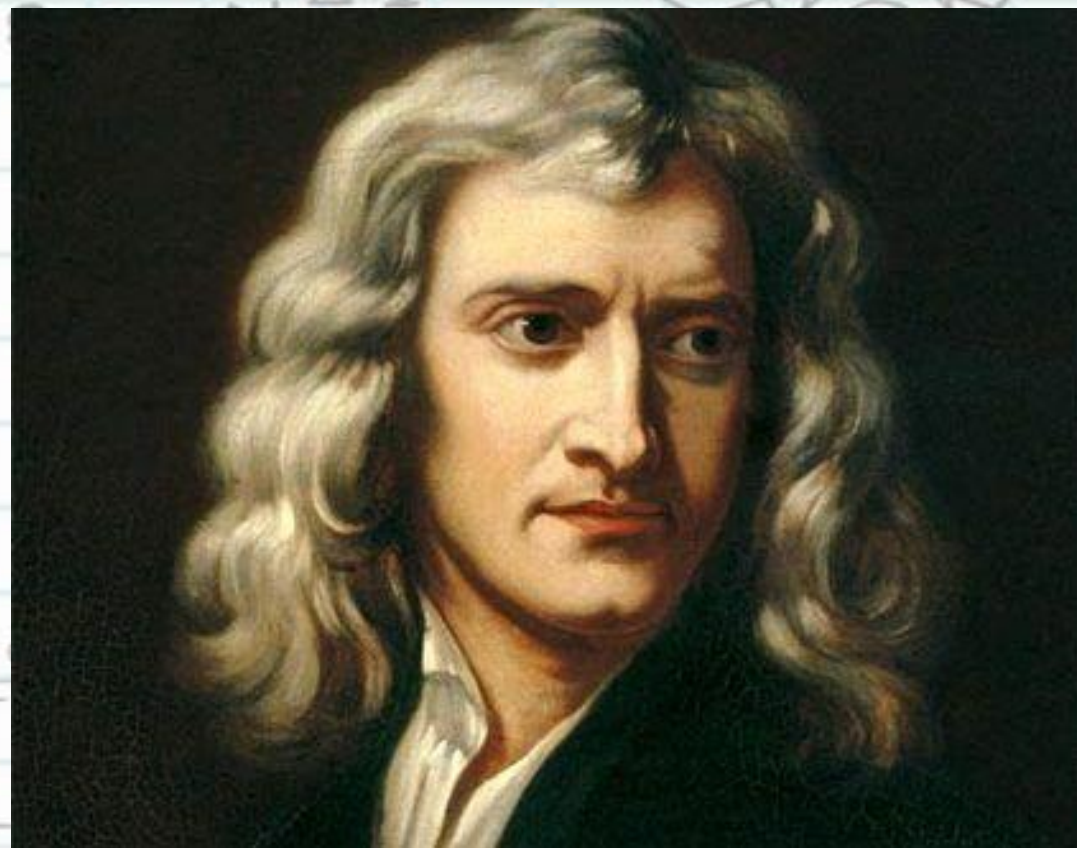


# IT-Fizika

MUHAMMAD AL-XORAZMIY NOMIDAGI  
AXBOROT TEXNOLOGIYALARIGA  
IXTISOSLASHTIRILGAN MAKTAB



Ibrohim Fayziyev



Isaak Nyuton  
(1642-1727)  
Byuk Britaniya

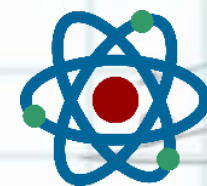
*Butun olam tortishish qonuni:* Har qanday massag ega bo'lgan jismlar o'zaro tortishadi. Bu tortishish kuchi jismlarning massalari ko'paytmasiga to'g'ri proporsional, jimlar orasidagi masofaning kvadratiga teskari proparsional.

$$F = G \frac{m_1 m_2}{R^2} ; \quad G = 6,67 \cdot 10^{-11} \frac{\text{Nm}^2}{\text{kg}^2}$$





# IT-Fizika



Ibrohim Fayziyev



Genri Kavendish  
(1731-1810)  
Byuk Britaniya

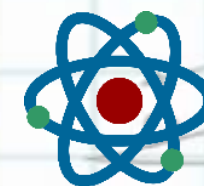
$G$  – *gravitatsin doymiy*. Gravitatsion doymining son qiymatin birinchi bo`lib tajrib yo`li bilan Genri Kavendish aniqlagan. Gravitatsion doyming fizik manosi shuki – ikkita bir kilogramdan bo`lgan va oralaridagi masofa bir metr bo`lgan jismlarning o`zaro tortishish kuchiga son jixatda teng.

$$F = G \frac{m_1 m_2}{R^2} ; \quad G = 6,67 \cdot 10^{-11} \frac{\text{Nm}^2}{\text{kg}^2}$$

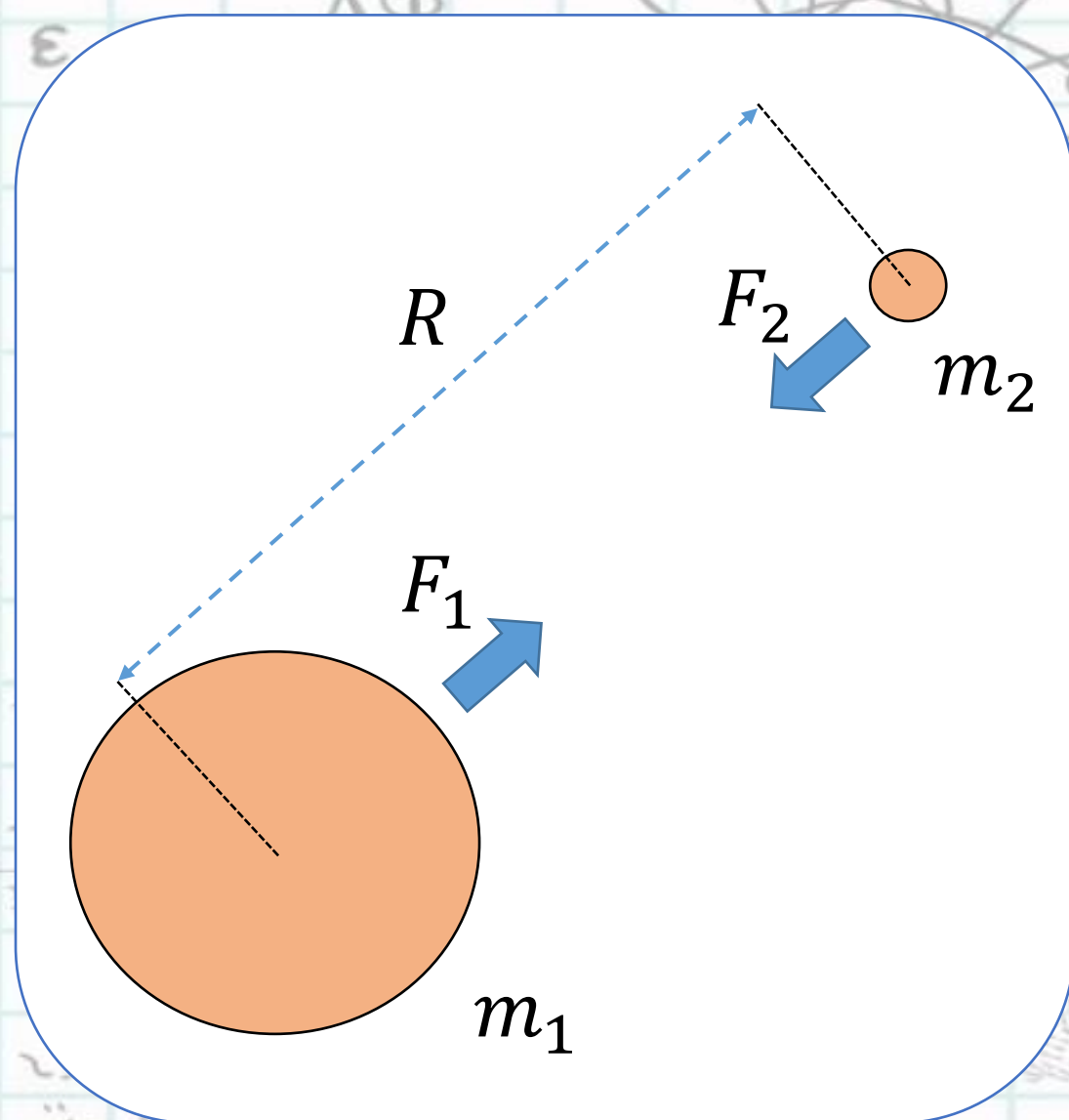




# IT-Fizika



$$E_g = G \frac{m_1 m_2}{r^2}$$



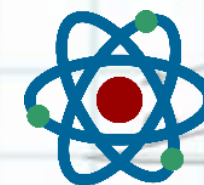
Butun olam tortishish qonuniga ko`ra massaga ega bo`lgan jismlar o`zaro tortishar ekan. Bu tortishish kuchlari har doyim o`zaro teng bo`ladi  $F_1 = -F_2$ . Ya'ni Quyosh massasi Yer massasidan 330000 marta katta. Quyosh Yeni qanday kuch bilan o`ziga tortsa. Yer ham Quyoshni huddi shunday kuch bilan o`ziga tortadi.

$$F = G \frac{m_1 m_2}{R^2} ; \quad G = 6,67 \cdot 10^{-11} \frac{\text{Nm}^2}{\text{kg}^2}$$





# IT-Fizika



$$E_g = G \frac{m_1 m_2}{r^2}$$

Massaga ega bo'lgan jismlar orasida o'zaro tortishish kuchi bor ekan. Manashu kuch ta'sirda jismlar bir-biriga nisbatan  $a$  tezlanish oladi. Agarda  $m_1 \gg m_2$  shart bajarilsa, u holda  $m_2$  massali jism,  $m_1$  jism tomon  $a$  tezlanish bilan harakatlanadi. Ushbu  $a$  tezlanish quydagicha hisoblanadi va u *gravitatsion maydon kuchlanganligi* deb ataladi.

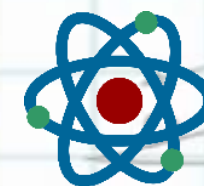
$$F = G \frac{m_1 m_2}{R^2} = m_2 a \Rightarrow a = \frac{G m_1}{R^2}$$





# IT-Fizika

MUHAMMAD AL-XORAZMIY NOMIDAGI  
AXBOROT TEXNOLOGIYALARIGA  
IXTISOSLASHTIRILGAN MAKTAB



Ibrohim Fayziyev



Yer

$$R_{yer} = 6,4 \cdot 10^6 \text{ m}$$

$$m_{yer} = 6 \cdot 10^{24} \text{ kg}$$

*Gravitatsion maydon kuchlanganligi* – jism massasiga toʻgʻri proparsional, jism massa markazidan kuzatilayotgan nuqtagachan boʻlgan masofaning kvadratiga teskari proparsional.

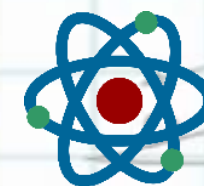
Demak har bir sayora oʻzini gravitasion maydon kuchlanganligiga ega. Bu kuchlanganlik sayora sirtidan uzoqlashilgan sari kamayib boradi. Yer uchun gravitatsion maydon kuchlanganligining son qiymati ( $h \ll R$ )  $g = 9,81 \frac{m}{s^2} = const$ .

$$g = \frac{Gm_{yer}}{R_{yer}^2} = \frac{6,67 \cdot 10^{-11} \cdot 6 \cdot 10^{24}}{(6,4 \cdot 10^6)^2} \approx 9.81 \frac{m}{s^2}$$



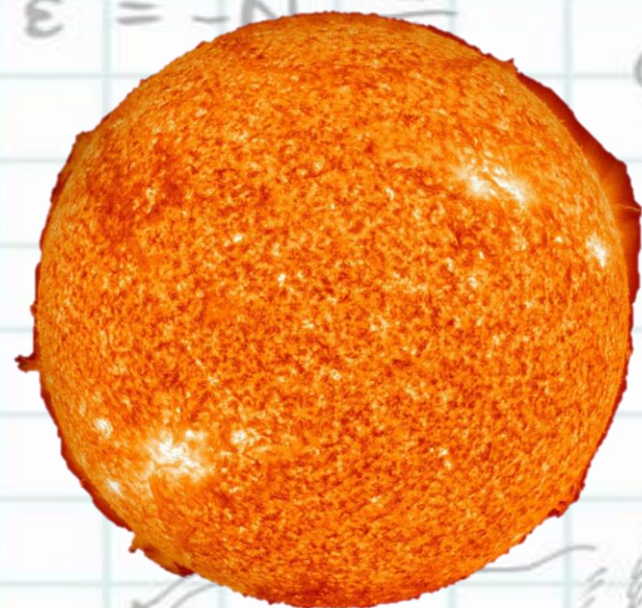


# IT-Fizika



Ibrohim Fayziyev

Gravitatsion maydon kuchlanganligi formulasini osmon jismlari zichligi orqali ifodalasak quydagi ko`rinishga keladi.



Quyosh

$$R_q = 6,96 \cdot 10^8 \text{ m}$$

$$m_q = 1,2 \cdot 10^{30} \text{ kg}$$

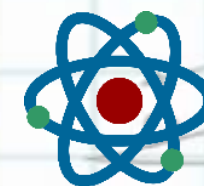
$$g = \frac{Gm}{R^2} = \frac{G\rho V}{R^2} = \frac{G\rho 4\pi R^3}{R^2 3} = \frac{4\pi G\rho R}{3}$$

$$g_q = \frac{4 \cdot 3,14 \cdot 6,67 \cdot 10^{-11} \cdot 1,41 \cdot 10^3 \cdot 6,96 \cdot 10^8}{3} \approx 274 \frac{\text{m}}{\text{s}^2}$$

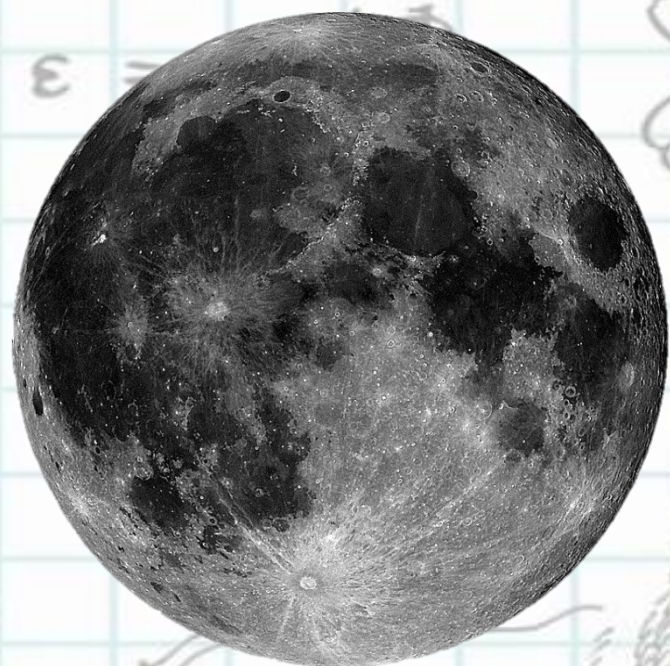




# IT-Fizika



Ibrohim Fayziyev



Gravitatsion maydon kuchlanganligi sayora sirtidan  $h \ll R$  balandliklarda taqriban doyimiy qiymatga ega deb olinadi. Ammo  $h$  balandlik yetarli darajada katta bo'lganda. Gravitatsion maydon kuchlanganligi kamayib boradi va buni hisoblash formulasi quydagicha bo'ladi.  $g_0$  sayora sirtidagi gravitatsion maydon kuchlanganligi yoki erkin tushish tezlanish.

Oy

$$R_{oy} = 1,7 \cdot 10^6 \text{ m}$$

$$m_{oy} = 7,3 \cdot 10^{22} \text{ kg}$$

$$g_h = \frac{Gm}{(R+h)^2} = g_0 \cdot \left( \frac{R}{R+h} \right)^2$$

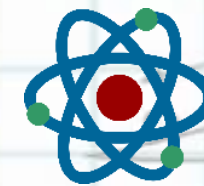
$h = R$  shart bajarilsa

$$g_h = g_0 \cdot \left( \frac{R}{R+R} \right)^2 = g_0 \cdot \frac{1}{4} = \frac{g_0}{4}$$





# IT-Fizika



Ikki jismdan har birining massasi 2 marta oshirilsa va ular orasidagi masofa 2 marta kamaytirilsa, ularning o'zaro tortishish kuchi qanday o'zgaradi?

**Berilgan:**

$$m'_1 = 2m_1$$

$$m'_2 = 2m_2$$

$$R'_1 = R/2$$

$$\frac{F'}{F} = ?$$

**Yechilishi:**

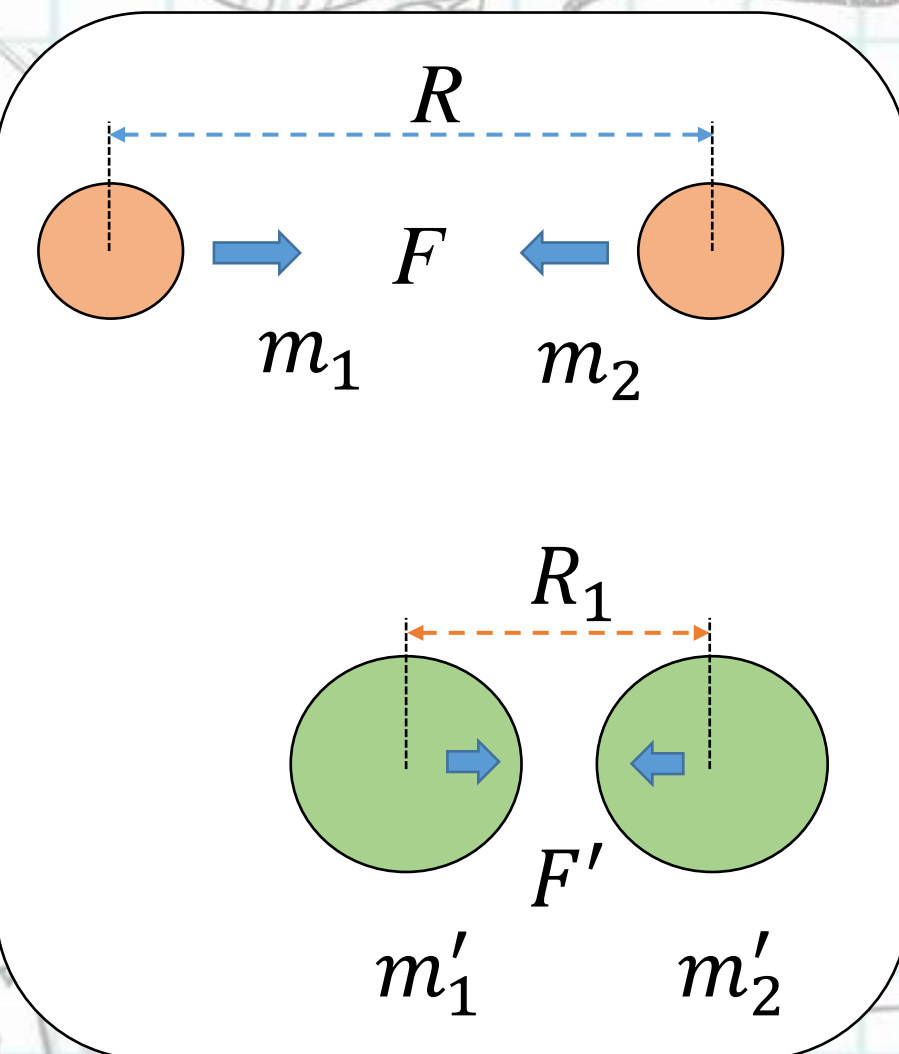
Ikkala hol uchun ham tortishish kuchini yozamiz.

$$F = \frac{\gamma m_1 m_2}{R^2}$$

$$F' = \frac{\gamma m'_1 m'_2}{R'^2}$$

$$\frac{F'}{F} = \frac{m'_1 m'_2}{(R')^2} \frac{R^2}{m_1 m_2} = \left(\frac{R}{R_1}\right)^2 \frac{m'_1 m'_2}{m_1 m_2} = 4 \cdot \frac{2m_1 2m_2}{m_1 m_2} = 4 \cdot 4 = 16$$

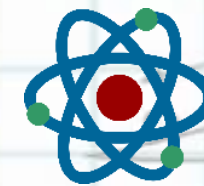
$F' = 16F$  16 marta ortar ekan







# IT-Fizika



Ikki jism orasidagi tortishish kuchi 36 marta oshgan va jismlardan birining massasi shuncha marta kamaygan bo'lsa, ular orasidagi masofa qanday o'zgargan?

**Berilgan:**

$$F' = 36F$$

$$m_1 = 36m'_1$$

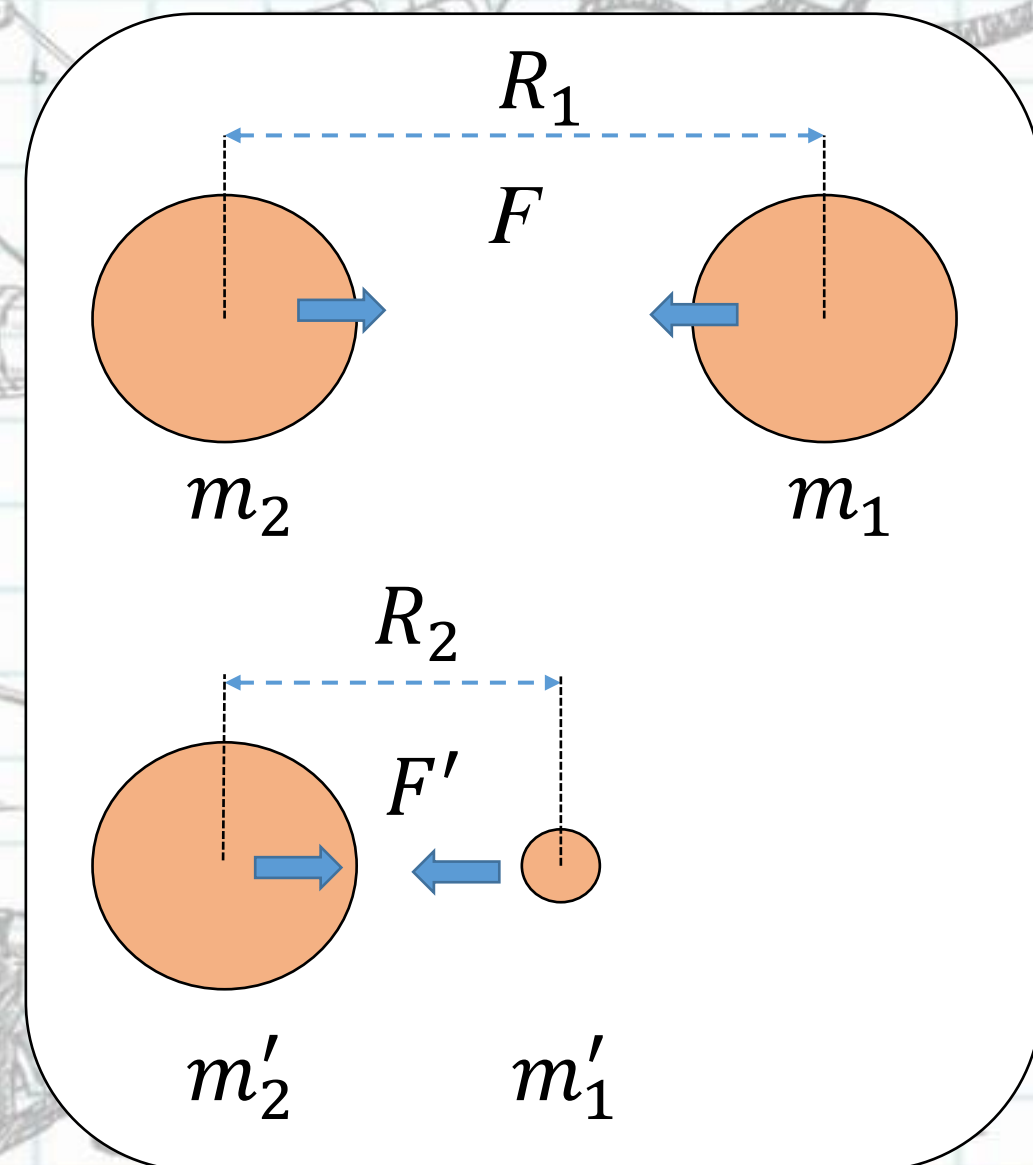
$$\frac{R_2}{R_1} = ?$$

**Yechish:**

$$F = \frac{\gamma m_1 m_2}{R_1^2} \quad F' = \frac{\gamma m'_1 m'_2}{R_2^2}$$

$$\frac{R_2}{R_1} = \sqrt{\frac{\gamma m'_1 m'_2}{F'} \cdot \frac{F}{\gamma m_1 m_2}} = \sqrt{\frac{m'_1 F}{m_1 F'}} \quad \frac{R_2}{R_1} = \sqrt{\frac{1}{36} \cdot \frac{1}{36}} = \frac{1}{36}$$

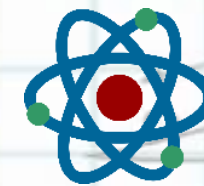
$R_1 = 36R_2$ . Ular orasidagi masofa 36 marta kamayadi.







# IT-Fizika

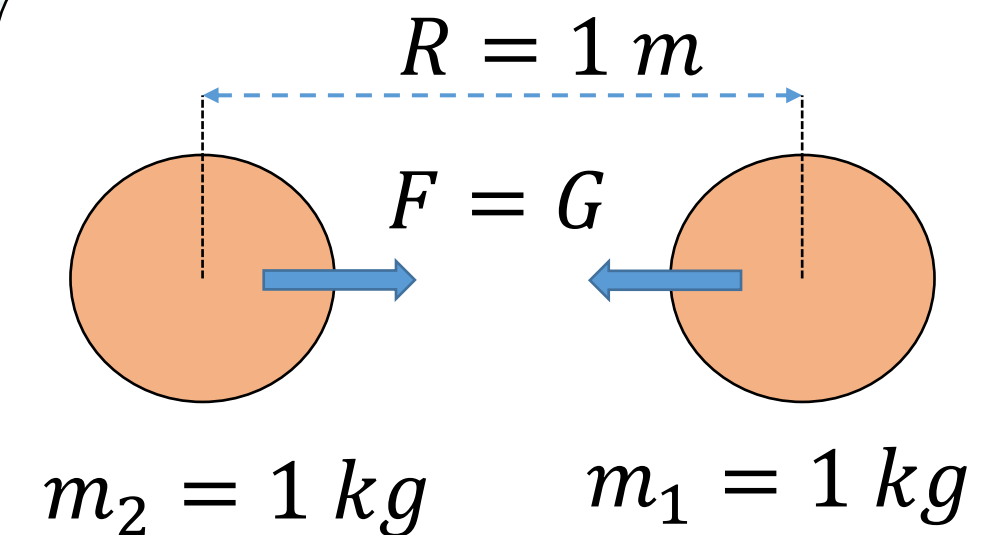


Ibrohim Fayziyev

Butun olam tortishish qonunidagi gravitatsion doimiyning ma'nosini tushuntiring. Gravitatsiya doimiysining birligini ko'rsating.

Massalari 1 kg dan va oralaridagi masofa 1 m bo'lgan ikki jism orasidagi tortishish kuchiga teng kattalik.

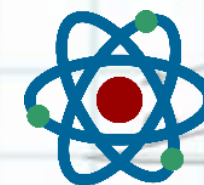
$$[G] = \frac{[F] \cdot [R]^2}{[m_1] \cdot [m_2]} = \frac{1N \cdot 1m^2}{1kg \cdot 1kg} = 1 \frac{N \cdot m^2}{kg^2}.$$







# IT-Fizika



Radiusi va massasi Yernikidan 3 marta katta bo'lgan sayyora sirtida jismning og'irlik kuchi Er sirtidagidan qanday farq qiladi?

## Berilgan:

$$R = 3R_{yer}$$

$$M = 3M_{yer}$$

$$\frac{P}{P_{yer}} = ?$$

## Yechilishi:

Har bir sayyora uchun og'irlik kuchi formulasini yozamiz

$$P_{yer} = mg_{yer} = m \frac{\gamma M_{yer}}{R_{yer}^2} \quad P = m \frac{\gamma M}{R^2}$$

$$\frac{P}{P_{yer}} = \frac{m\gamma M}{R^2} \frac{R_{yer}^2}{m\gamma M_{yer}} = \left(\frac{R_{yer}}{R}\right)^2 \frac{M}{M_{yer}} = \left(\frac{1}{3}\right)^2 \cdot 3 = \frac{1}{3}$$

$P_{yer} = 3P$  Yerdagidan 3 marta kichik bo'lar ekan

