

Introduction to Augmented Reality

Exercise 4 (P,H) Thresholding

In order to detect monochrome markers in the camera image, we first convert the color image into a white-and-black image.

- (a) First, convert the camera image to a grey image by `cv::cvtColor`, as the thresholding algorithms work only with grey images. `cv::cvtColor` requires a conversion type—`CV_BGR2GRAY`, indicating from color to gray scale.
- (b) Two thresholding functions exist: `cv::threshold` and `cv::AdaptiveThreshold`. Try both methods and show the result in a new window. For `cv::threshold`, create a slider using `cv::createTrackbar` to easily change the thresholding parameter.
- (c) Experiment with the parameters. Choose parameters such that the markers are clearly visible under all lighting conditions and viewing angles. They should have a continuous frame which does not merge with the environment.
- (d) Briefly describe the advantages and drawbacks of both thresholding algorithms.

Exercise 5 (P,H) Finding Rectangles

In the last exercise, you have generated a thresholded black-and-white image.

- (a) Expand your program using the functions `cv::findContours` and `cv::approxPolyDP` to first extract object boundaries and then approximate these with straight line segments.
Hint: for the third parameter of `cv::approxPolyDP`, try a value of `arcLength(contour, true) * 0.02`.
- (b) Traverse all found contours and determine each bounding box using `cv::boundingRect`. Skip all polygons with more or less than 4 corners or too small bounding boxes (experiment with constraint values).
- (c) Mark the rectangles you have found with red lines using `cv::polylines`. Do this in the original camera image and display it afterwards.
- (d) Subdivide each edge of the rectangles into 7 parts of equal length and draw a small circle around each of the dividing points. You will need these in the next exercise.

Exercise 6 (H) Cross Product

(a) What is the definition of a Cross Product of two vectors?

(b) Calculate the Cross Product for

$$\vec{a} = \begin{pmatrix} 1 \\ 1 \\ 0 \end{pmatrix}; \vec{b} = \begin{pmatrix} 1 \\ 0 \\ 1 \end{pmatrix};$$

$$\vec{a} \times \vec{b} =$$

(c) Show that the plane - containing \vec{a} and \vec{b} - and \vec{n} are orthogonal by using scalar and cross product.