## fine, but what is "e" actually

like  $\pi$ , it's just a very particular number that was significant enough to give it a name

i went through all that stuff about the graph because it was one of the easier ways to explain why it's significant

the actual number is about 2.71828... but also like  $\pi$ , the decimal representation goes on forever without settling down into any kind of repeating pattern (which is why it needs a name!)

it's also this (warning more calculus): 
$$\lim_{n \to \infty} \left(1 + \frac{1}{n}\right)^n = e$$

which basically means if you invest \$1 at 100% interest and that interest is compounded at every possible infinitesimal time increment then you will have \$e at the end of the year! but i don't like that explanation as much because it has recourse to crass notions of "money" and "interest" and i want this presentation to be PURE MATH, BABEY

ok now we kind of know what all the parts of euler's identity are. let's take a look at it again

$$e^{\pi i} + 1 = 0$$

it's wild to me that these three weird numbers e,  $\pi$  and i have anything to do with each other, much less anything so simple