

Chapter Presentation

<u>Outline</u>



- 1. Introduction
- 2. The Bayes Filter
- 3. Gaussian filters
- 4. The Kalman filter

Labs:

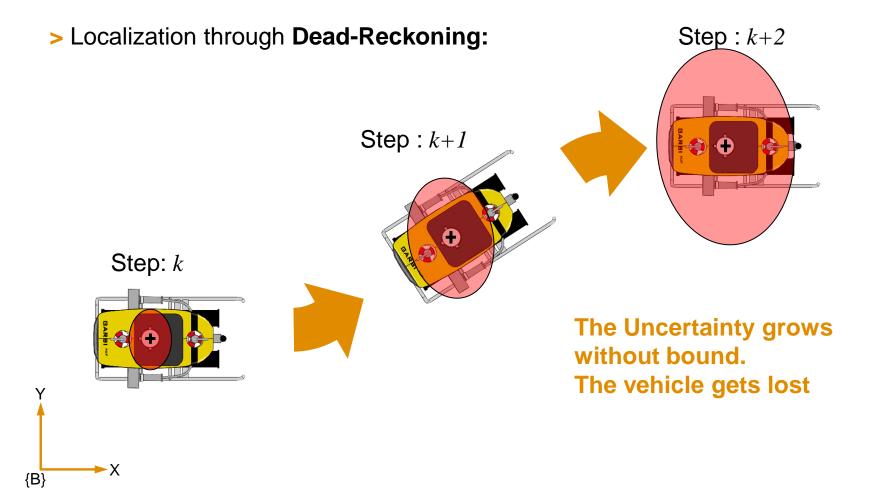
SLAM Toolbox with Matlab



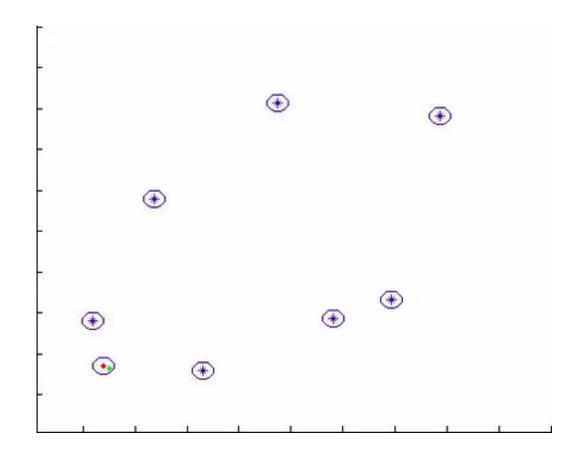
Assessment:

Labs + Exam (100%)

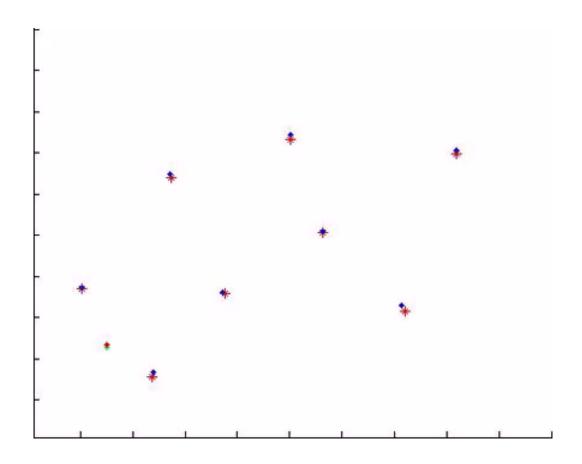




- ➤ Localization through **Dead-Reckoning**:
 - Velocity measured Landmarks not measured

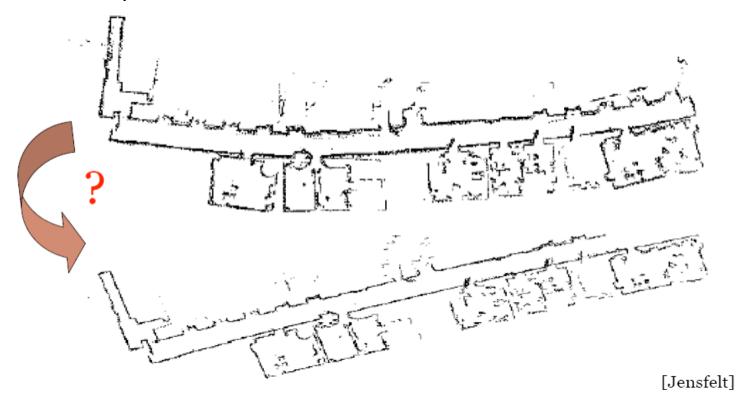


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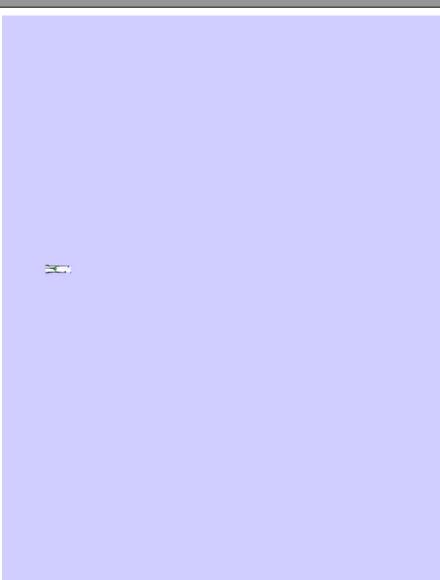


The Mapping Problem

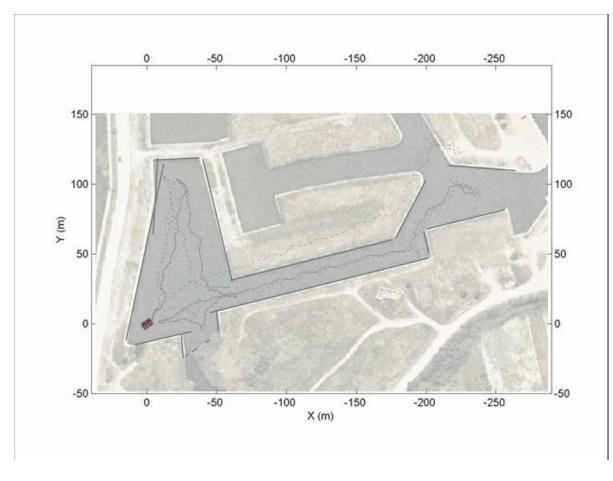
- A conventional method for map building is incremental mapping.
 - Position Reference given by Dead Reckoning → Map distorsion
- Bad maps → Poor localization







> Localization through **Dead-Reckoning**:

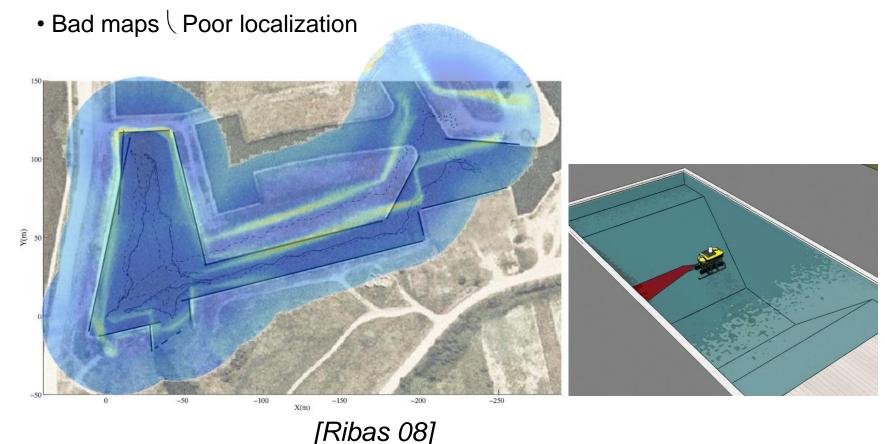






The Mapping Problem

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The Mapping Problem

- A conventional method for map building is incremental mapping.
 - Position Reference given by Dead Reckoning → Map distorsion
- Bad maps \ Poor localization



[Ribas 08]



This is an old problem...



Ancient Europe. The Catalan Atlas of 1376.

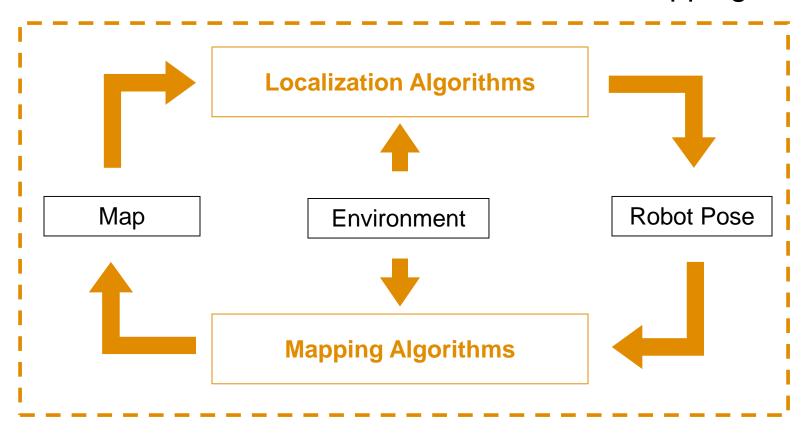


This is an old problem...

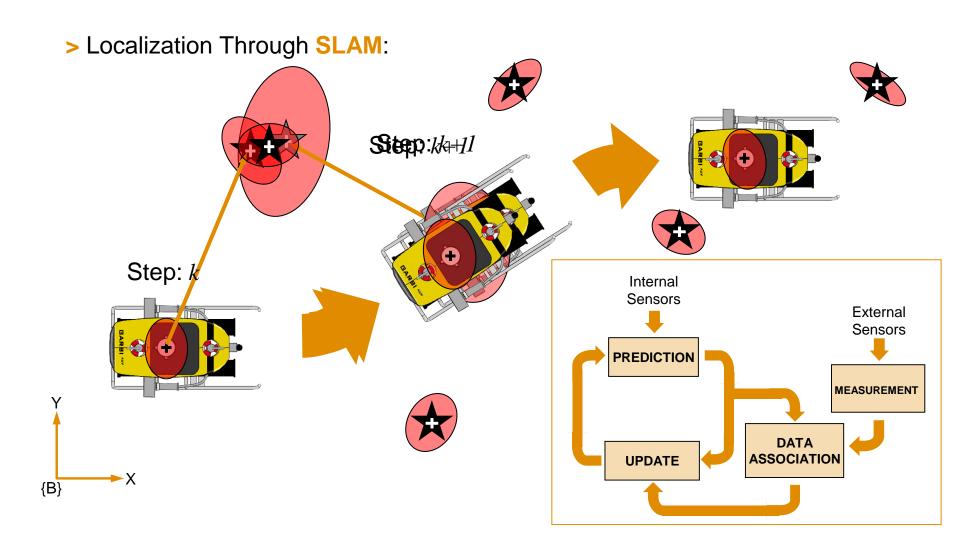




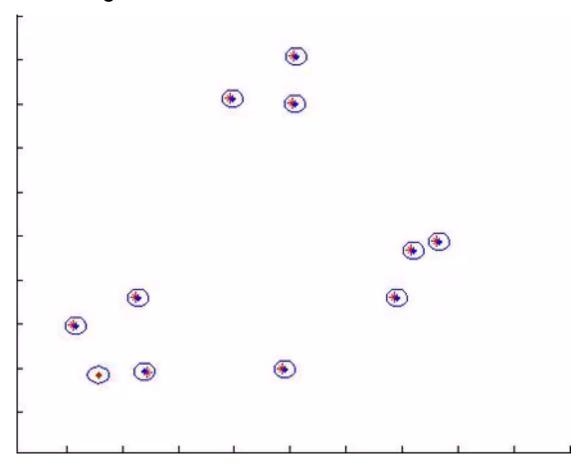
SLAM: Simultaneous Localization And Mapping







> Localization Through **SLAM**:



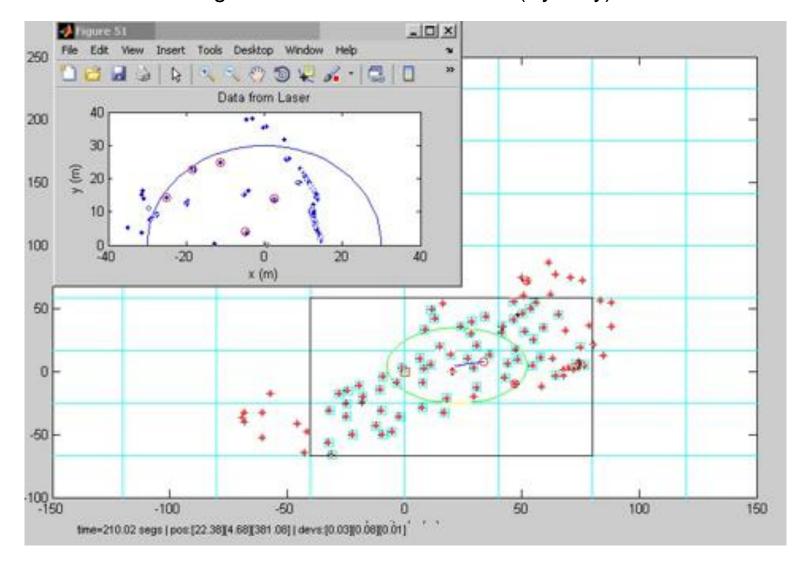


> Localization Through SLAM: The Victoria Park (Sydney) Dataset

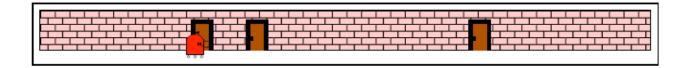




➤ Localization Through SLAM: The Victoria Park (Sydney) Dataset



Example I: Mobile Robot Localization in a Hallway



- One dimensional hallway
- Indistinguishable doors
- Position of doors is known (Map)
- Initial position unknown
- Initial heading is known
- Goal: Find out where the robot is



Markov Localization

Same probability of being in any x

The Robot senses a door

The belief over the position is updated

The Robot Moves

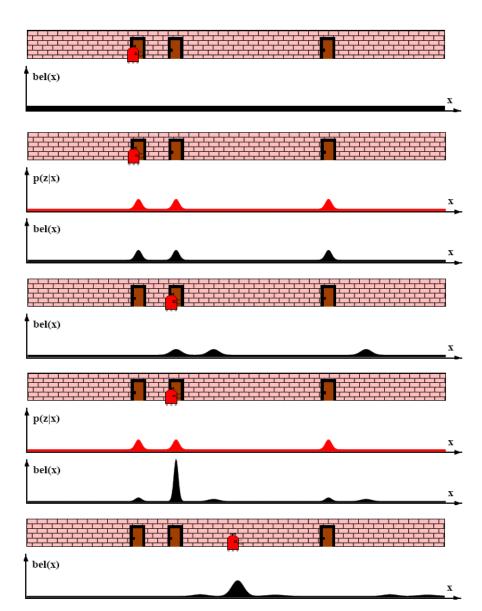
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The belief over the position is updated

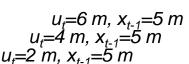


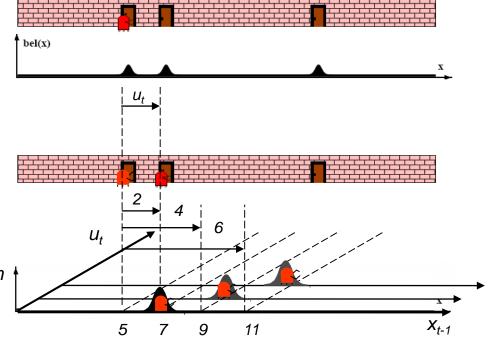
Robot belief of being at state x_{t-1}

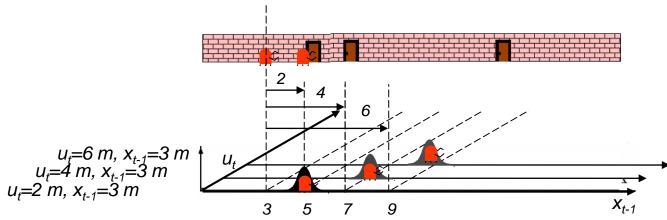
bel
$$(x_{t-1}) = p(x_{t-1} | z_{1:t-1}, u_{1:t-1})$$

State Transition probability

$$p(x_t \mid u_t, x_{t-1})$$







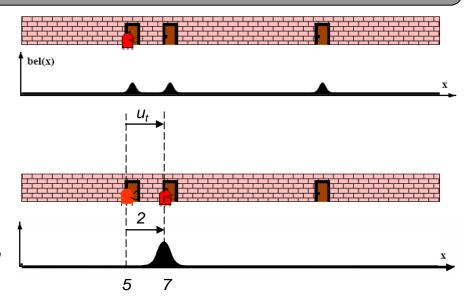
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State Transition probability

$$p(x_t \mid u_t, x_{t-1})$$

$$u_t=2 m, x_{t-1}=5 m$$



Prior Belief. Prediction of state x_t.

$$\overline{bel}(x_t) = p(x_t \mid z_{1:t-1}, u_{1:t})$$

Measurement probability

$$p(z_t \mid x_t)$$

Robot belief of being at state x_t

$$bel(x_t) = p(x_t \mid z_{1:t}, u_{1:t}).$$

