$$\begin{array}{c} D_1 \\ (0,23.03,173.03) \\ (50,2.23,102.23) \\ (150,23.03,23.03) \\ D_2 \\ (0,3.57,153.57) \\ (100,12.04,62.04) \\ \end{array} \\ \begin{array}{c} C=\min\left((D_1\otimes D_2)\cap S\right) \\ (0,26.6,176.6) \\ (100,35.07,85.07) \\ (50,5.8,105.8) \\ (150,14.27,14.27) \\ (150,26.6,26.6) \\ (250,35.07,135.07) \\ \end{array} \\ \begin{array}{c} (0,49.63,199.63) \\ (100,58.1,108.1) \\ (50,28.83,128.83) \\ (150,37.3,37.3) \\ (50,42.69,142.69) \\ (150,51.16,51.16) \\ (100,21.89,71.89) \\ (200,30.36,80.36) \\ (100,30.17,80.17) \\ (200,38.64,88.64) \\ (150,9.37,9.37) \\ (250,17.84,117.84) \\ \end{array} \\ \begin{array}{c} D_3 \\ (0,23.03,173.03) \\ (50,16.09,116.09) \\ (100,35.7,53.57) \\ \end{array} \\ \begin{array}{c} D_3 \\ (0,23.03,173.03) \\ (250,35.07,135.07) \\ \end{array} \\ \begin{array}{c} D_3 \\ (0,23.03,173.03) \\ (250,35.07,135.07) \\ \end{array} \\ \begin{array}{c} D_3 \\ (200,30.36,80.36) \\ (100,30.17,80.17) \\ (200,38.64,88.64) \\ (150,9.37,9.37) \\ (250,17.84,117.84) \\ \end{array} \\ \begin{array}{c} D = \{(d_1,d_2,d_3) \in \mathbb{R}^3 | d_1=\alpha,d_2=-10\log p,d_3=|x-d_1|+d_2\} \\ S = \{(c_1,c_2,c_3) \in \mathbb{R}^3 | c_1 \leq R\} \end{array}$$