01.112 Machine Learning - 2017

Design Project - Sentiment Analysis

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Objective

Analyse natural language texts typed, shared and read by the general population across social platforms like twitter, facebook etc. These sites are popular for understanding the general reaction towards a current event. We will be designing a sequence labelling model for informal texts using Hidden Markov Model.

Long term Goal

Complex, Intelligent and Reliable system for analysing social media text.

Part 2:

Objective

Estimate the emission parameters and use the values to compute the most probable tag sequence for a given observation sequence.

Implementation

To compute the emission parameters $b_i(o)$, we use the Maximum Likelihood Estimate (MLE):

$$b_i(o) = \frac{count(i \to o)}{count(i)}$$

where $count(i \rightarrow o)$ is the number of times the observation o was emitted from the state i, and count(i) is the number of times the number of times tag i appears in the training data.

Therefore, we first count the number of times each emission appears in the training set, and the number of times each tag was labelled. To account for variations in the training and test data, the number of times each observation appears in the training set was also recorded, and a special token ##UNK## is used to replace words that appear less than a specified k number of times.

Learnings

1) Using only the emission parameters to estimate the tag leads to low accuracy. This is due to ignoring of transition parameters which play an important role in tag generation.

^{*} The value of k is arbitrary.

Part 2 - Results

Test Results for EN:

Entity in gold data: 226
Entity in prediction: 1201
Entity recall: 0.7301
Entity F: 0.2313

Correct Sentiment: 71
Sentiment precision: 0.0591
Sentiment recall: 0.3142
Sentiment F: 0.0995

Test Results for FR:

Entity in gold data: 223
Entity in prediction: 1149
Entity recall: 0.8161
Entity F: 0.2653

Correct Entity: 182
Entity precision: 0.1584
Entity recall: 0.8161
Entity F: 0.2653

Correct Sentiment: 68
Sentiment precision: 0.0592
Sentiment F: 0.0991

Test Results for CN:

Entity in gold data: 362
Entity in prediction: 3318

Correct Entity: 183
Entity precision: 0.0552
Entity recall: 0.5055
Entity F: 0.0995

Correct Sentiment: 57
Sentiment precision: 0.0172
Sentiment recall: 0.1575
Sentiment F: 0.0310

Test Results for SG:

Entity in gold data: 1382
Entity in prediction: 6599
Entity recall: 0.5745
Entity F: 0.1990

Correct Sentiment: 315
Sentiment precision: 0.0477
Sentiment recall: 0.2279
Sentiment F: 0.0789

Part 3:

Objective

From part 2, we can see the results are not very accurate. To improve accuracy, we will be calculating the transition parameters and use it along with the emission parameters to decode the most probable tag sequence in the Viterbi algorithm.

Implementation

Similar to the emission parameters, the transition parameters used in the decoding process are taken to be the MLE of the transition probabilities of a bigram of tag sequence, expressed as follows:

$$a_{i,j} = \frac{count(i,j)}{count(i)}$$

where count(i,j) is the number of times two successive tags (i,j) appears and count(i) is the number of times tag i appears in the training data.

After the transition parameters are estimated, we can find the most optimal tag sequence Y^* as follows:

$$Y^* = argmax_{y_1...y_n} \prod_{i=1}^{n+1} a_{y_{i-1}, y_i} \prod_{i=1}^{n} b_{y_i}(x_i)$$

As the HMM has a simple dependence structure, a dynamic programming algorithm such as Viterbi can be used. In addition, the optimal previous tag was stored along with the maximum score in the 2-dimensional array π to reduce the complexity of the backtracking algorithm.

Viterbi Algorithm

Base Case:

$$\Rightarrow$$
 $\pi(0, u) = \{1 \text{ if } u = \text{ start }\}$
 $\{0 \text{ otherwise}\}$

Recursive Case:

For any
$$k \in \{1, ..., n\}$$

 $\pi(k, v) = \max_{u \in T} \{ \pi(k-1, u) \cdot a_{u,v} \cdot b_v(x_k) \}$
 $bp(k, v) = argmax_{u \in T} \{ \pi(k-1, u) \cdot a_{u,v} \cdot b_v(x_k) \}$

Finally,

$$> \max_{y_1,...,y_n} p(x_1,...,x_n,y_0 = START,y_1,...,y_{n+1} = STOP) = \max_{v \in T} \{\pi(n,v) \cdot a_{v,STOP}\}$$

Backtracking

***** For
$$k = (n-1)...1$$
,
$$y_k^* = bp(k+1, y_{k+1}^*)$$

The time complexity of the algorithm implemented (as stated above) is $O(nT^2)$ and the space complexity is O(nT).

Learnings

1) As compared to the case where only the emission parameters were used (Part 2), it is very clear that the accuracy with Viterbi has increased significantly as expected.

Part 3 - Results

Test Results for EN:

Entity in gold data: 226 Entity in prediction: 162	Correct Entity: 104 Entity precision: 0.6420	Correct Sentiment: 64 Sentiment Precision: 0.3951
	Entity Recall: 0.4602 Entity F: 0.5361	Sentiment Recall: 0.2832 Sentiment F: 0.3299

Test Results for FR:

Entity in prediction: 166 Entity Precision: 0.6747	Correct Sentiment: 72 Sentiment Precision: 0.4337 Sentiment Recall: 0.3229 Sentiment F: 0.3702
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Test Results for CN:

Entity in gold data: 362 Entity in prediction: 158	Correct Entity: 64 Entity Precision: 0.4051	Correct Sentiment: 47 Sentiment Precision: 0.2975
	Entity Recall: 0.1768 Entity F: 0.2462	Sentiment Recall: 0.1298 Sentiment F: 0.1808

Test Results for SG:

Entity in gold data: 1382	Correct Entity: 386	Correct Sentiment: 244
Entity in prediction: 723	Entity Precision: 0.5339	Sentiment Precision: 0.3375
	Entity Recall: 0.2793	Sentiment Recall: 0.1766
	Entity F : 0.3667	Sentiment F: 0.2318

Part 4

Objective

Implementing max-marginal decoding algorithm

Implementation

We first calculated the emission and transition parameters (using the functions described in Part 2 and 3) and used a dynamic programming approach to calculate the values of α and β as shown below:

- 1. Calculating α
 - Forward Probabilities:

$$\alpha_{u}(j) = p(x_{1},...,x_{j-1},y_{j} = u;\theta)$$

Base Case:

$$\alpha_{II}(1) = a_{STARTII} \forall u \in 1, ..., N-1$$

* Recursive Case:

$$\alpha_u(j+1) = \sum_{v} \alpha_v(j) a_{v,u} b_v(x_j) \quad \forall u \in 1, ..., N-1, j = 1, ..., n-1$$

- 2. Calculating β
 - Backward Probabilities:

$$\beta_u(j) = p(x_i, ..., x_n | y_i = u; \theta$$

❖ Base Case:

$$\beta_u(n) = a_{u,STOP} b_u(x_n) \ \forall u \in 1,...,N-1$$

Recursive Case:

$$\beta_u(j) = \sum_{v} a_{u,v} b_u(x_j) \beta_u(j+1) \ \forall u \in 1, ..., N-1, j = n-1, ..., 1$$

The values of α and β are then used to derive the optimal tag sequence with the following equation:

$$y_i^* = argmax_u \alpha_u(i) \beta_u(i)$$

Learnings

1. The max-marginal decoding algorithm predicts one tag at a time, regardless of other tags, so empirically the max-marginal and Viterbi could return very different results which is what occurred in our case.

Part 4 - Results

Test Results for EN:

Entity in gold data: 226
Entity in prediction: 175
Entity Recall: 0.4779
Entity F: 0.5387

Correct Sentiment: 69
Sentiment Precision: 0.3943
Sentiment Recall: 0.3053
Sentiment F: 0.3441

Test Results for FR:

Entity in gold data: 223
Entity in prediction: 173
Entity Precision: 0.6532
Entity Recall: 0.5067
Entity F: 0.5707

Correct Sentiment: 73
Sentiment Precision: 0.4220
Sentiment Recall: 0.3274
Sentiment F: 0.3687

Part 5:

Objective

To achieve a better accuracy of the predicted tag sequence, we have decided to implement the Structured Perceptron Algorithm.

Implementation

Before running the algorithm, we conducted a pre-processing step to convert all the observations in the input data set into lowercase (e.g. 'tree' is the same as 'Tree' or 'TREE') during the training and testing phase.

We then implemented a version of the Structured Perceptron algorithm to train the model as follows:

- Initialization:
- \diamond Set the parameter vector α to 0..
- For t = 1...T, i = 1...n,
 - > Use the Viterbi algorithm to find the output of the model on the i^{th} training sentence with the current parameter settings, i.e.,

$$[1:n_i] = argmax_{u_{[1:n_i]} \in T^{n_i}} \sum_{s} \alpha_s \Phi_s(w^i_{[1:n_i]}, u_{[1:n_i]})$$

Where T is the number of iterations over the training set, n is the number of training sentences in the training set, T^{n_i} is the set of all tag sequences of length n_i .

➤ If $z[1:n_i] \neq t^i_{[1:n_i]}$ then update the parameters $\alpha_s = \alpha_s + \Phi_s(w^i_{[1:n_i]}, t^i_{[1:n_i]}) - \Phi_s(w^i_{[1:n_i]}, z_{[1:n_i]})$

The optimal parameters of $\alpha\, \text{calculated}$ in the training phase is then used to decode the observation sequence in the validation step.

Learnings

1. While an attempt was made to use the averaged parameters to decode the optimal tag sequence in the validation phase, the validation accuracy was found to be worse than in HMM. Instead, our implementation uses the parameter vector $\overline{\alpha_s} = \alpha_s^{T,n}/nT$, where $\alpha_s^{T,n}$ is the parameter for the s^{th} feature function after the last iteration of the Structured Perceptron algorithm. This was found to yield the best accuracy when run over the validation set.

Part 5 - Results

Test Results for EN:

Entity in gold data: 226
Entity in prediction: 323

Correct Entity: 160
Entity Precision: 0.4954
Entity Recall: 0.7090
Entity F: 0.5829

Correct Sentiment: 86
Sentiment Precision: 0.2663
Sentiment Recall: 0.3805
Sentiment F: 0.3133

Results obtained with: k=1 and number of iterations=12

Test Results for FR:

Entity in gold data: 223 Entity in prediction: 280	Correct Entity: 117 Entity Precision: 0.6321	Correct Sentiment: 103 Sentiment Precision: 0.3679
	Entity Recall: 0.7937 Entity F: 0.7038	Sentiment Recall: 0.4619 Sentiment F: 0.4095

Results obtained with: k=1 and number of iterations=4