

1.

a)  $x=[3 \ 7 \ -1 \ 14]$  is setting the elements in the vector equal to  $x$ . The output is confirming that  $x$  is now equal to the vector that was set.

b)  $\text{size}(x)$  is to find the dimensions of a vector. In this case, since ' $x$ ' was set to be equal to  $[3 \ 7 \ -1 \ 14]$  in the previous question, the size is  $1 \times 4$  meaning the dimensions of the vector are 1 row by 4 columns.

c)  $x(2)$  is to find the second entry in the vector. In this case, the second number in the vector ' $x$ ' is 7.

d)  $y=1:0.2:2$  means to set ' $y$ ' equal to numbers 1 through 2 with a step of 0.2. So, the output shows as 1, 1.2, 1.4 and so on until the number 2.

2.

A =

$$\begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix}$$

B =

$$\begin{bmatrix} 1 & 0 & 2 \\ 0 & 3 & 1 \end{bmatrix}$$

a) (i)  $A*B$  multiplies the two matrices, A and B.

multiply =

$$\begin{bmatrix} 1 & 6 & 4 \\ 3 & 12 & 10 \end{bmatrix}$$

(ii)  $B'$  creates a transpose of the matrix B. The dimensions of the original matrix B is flipped. Instead of  $2 \times 3$ , it is now  $3 \times 2$ .

transpose =

$$\begin{bmatrix} 1 & 0 \\ 0 & 3 \\ 2 & 1 \end{bmatrix}$$

(iii) `A(2,:)` finds the second row of the matrix A. Hence, the output below since it is the second row of matrix A.

row =

3 4

(iv) `inv(A)` finds the inverse of matrix A. It works because it is a square matrix hence the output below.

invA =

-2.0000 1.0000  
1.5000 -0.5000

(v) Since matrix B is not a square matrix, an error occurs when trying to find the `inv(B)` or inverse of matrix B.

Error using inv  
Matrix must be square.

Error in HW1\_Problem2and3 (line 22)  
`invB=inv(B)`

b) `y = [4/3 1.2345e-6]`

format short: produces values rounded to the 4<sup>th</sup> decimal place  
`y =`

1.3333 0.0000

format long: produces values to the 15<sup>th</sup> decimal place  
`y =`

1.333333333333333 0.000001234500000

format short e: produces values in scientific notation  
`y =`

1.3333e+00 1.2345e-06

format rat: produces values in fraction form  
`y =`

4/3 1/810045

c)

`linspace(1,6,10)` displays 10 evenly spaced points between numbers 1 and 6.

`x =`

Columns 1 through 9

1.0000 1.5556 2.1111 2.6667 3.2222 3.7778 4.3333 4.8889 5.4444

Column 10

6.0000

`length(x)` displays the number of points in `x`, which is 10.

`xlength =`

10

The for loop computes the log of each of the points contained in `x`, which is stored into the variable 'z'.

`z=`

Columns 1 through 9

0 0.4418 0.7472 0.9808 1.1701 1.3291 1.4663 1.5870 1.6946

Column 10

1.7918

```
d) if (a>0)
    log(a)
elseif (a<=0)
    disp("log(a) is undefined")
end
```

`a =`

2

```
ans =
```

```
0.6931
```

```
a =
```

```
-1
```

```
log(a) is undefined
```

```
3.
```

```
a) f =
```

```
function_handle with value:
```

```
@(x)x.^2-3*x+5
```

```
>> f(3)
```

```
ans =
```

```
5
```

```
func.m file contains:
```

```
function f = func(x)
    f = x.^2 - 3*x +5;
end
```

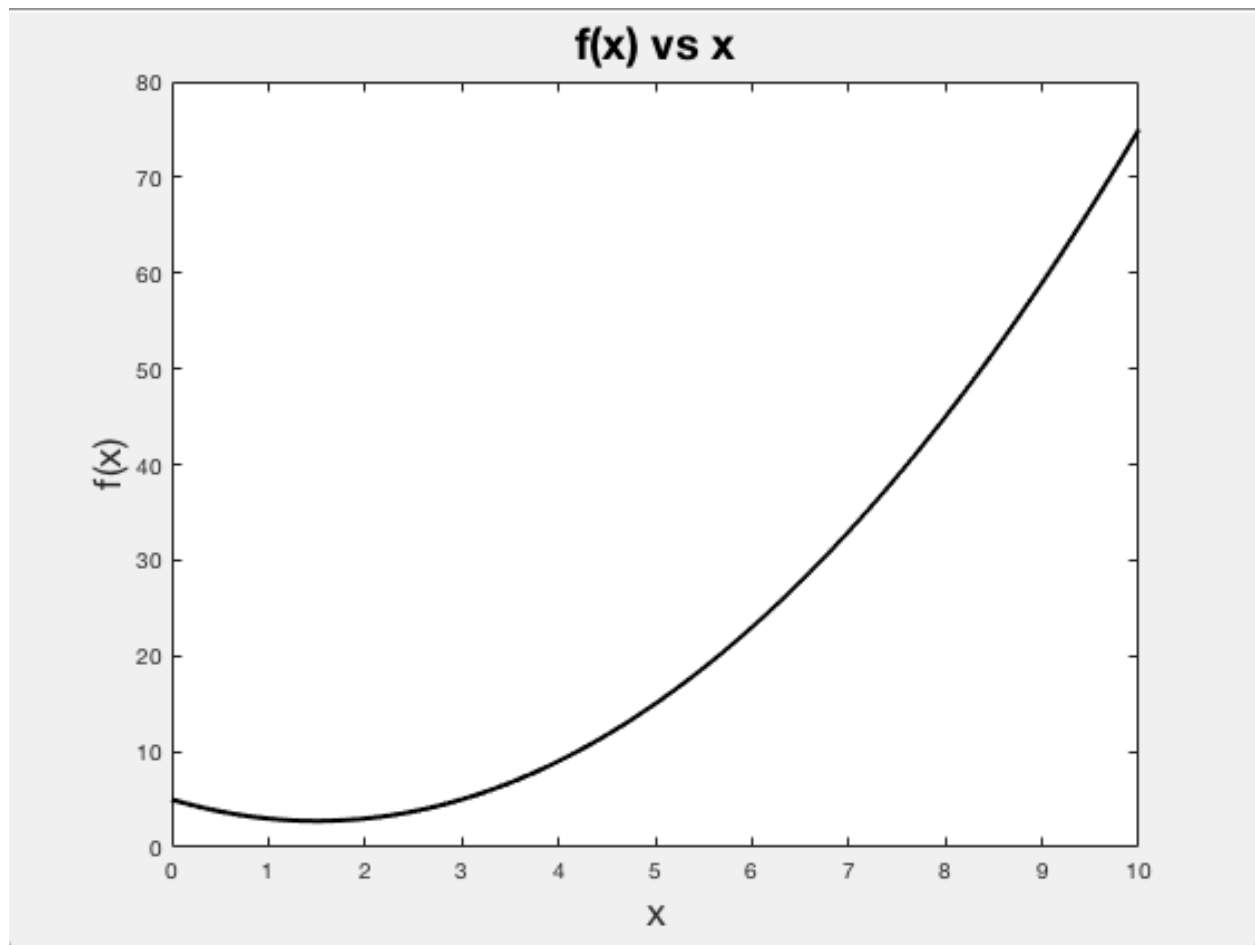
```
>> func(3)
```

```
ans =
```

```
5
```

The two implementations are different in that the first one is directly inputted into the script file while the other is put into a separate file and the function name needs to be called. Both methods give the same answer as 5 when  $x = 3$ . The purpose of using `.^` command instead of `^` when implementing  $x^2$  is because `.^` is for element-wise power in which each element in a vector or matrix is squared while `^` is for the element as a whole.

b) Please see the plot on the next page.



4. 3.1415926  
normalized floating point decimal form: 0.31415926

5-digit chopping: 0.31415  
5-digit rounding: 0.31416