1.

```
Homework D= \( \xi(t,y): 1 \leq t \leq 2, -\infty \cdot \xi y \leq \infty \\

\[
\begin{align*}
\text{D=\( \xi(t,y): 1 \leq t \leq 2, -\infty \cdot \xi y \leq \infty \\

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\text{D=\( \xi(t,y): 1 \leq t \leq 2, -\infty \text{Value of } \text{Z=\( \xi(t,y): 1 \leq 1 \leq 1 \req 1
```

2a. function [t,w]=eulers(a, b, alpha, f, h)

```
% MA 3457 / CS 4033 (B-Term 2018)
% Student: Vandana Anand
% Homework 6
% Problem 2A
응
% Function to
응
% Input: a - the lower bound of t
        b - the upper bound of t
응
        alpha - y(a)
응
        f - the function to be evaluated
        h - the step sizes
% Output: a vector of t points and weights
N=(b-a)/h; %find N by rearranging the h formula
t(1) =a; %setting t intial to a
w(1) = alpha; %setting initial weight to alpha
for i=1:N %iterate from 1 to N
    w(i+1)=w(i)+h*f(t(i),w(i)); %weight formula
    t(i+1)=a+i*h; %t formula
end %end loop
end %end function
```

2b. h=0.5

t1 =

$0 \quad 0.50000000000000 \quad 1.000000000000000$

w1 = 1 2 2 h=0.25 t2 = Columns 1 through 4 $0 \quad 0.25000000000000 \quad 0.5000000000000 \quad 0.75000000000000 \\$ Column 5 1.0000000000000000 w2 =Columns 1 through 4 1.0000000000000 1.5000000000000 1.794117647058824 1.835294117647059 Column 5 1.714823529411765 h=0.1 t3 = Columns 1 through 4 $0 \quad 0.10000000000000 \quad 0.2000000000000 \quad 0.30000000000000 \\$ Columns 5 through 8 $0.40000000000000 \quad 0.5000000000000 \quad 0.6000000000000 \quad 0.70000000000000$ Columns 9 through 11

w3 =

Columns 1 through 4

1.0000000000000 1.200000000000 1.374257425742574 1.513709063214014

Columns 5 through 8

1.613871867073793 1.674984152103186 1.700985419934931 1.697957294646555

Columns 9 through 11

1.672645870988489 1.631412127477417 1.579669484965851

2c. h values

h1 @ 0.5=

1.0000000000000000 1.60000000000000 1.50000000000000

h2 @ 0.25=

Columns 1 through 4

1.00000000000000 1.411764705882353 1.60000000000000 1.60000000000000

Column 5

1.5000000000000000

h3 @ 0.1=

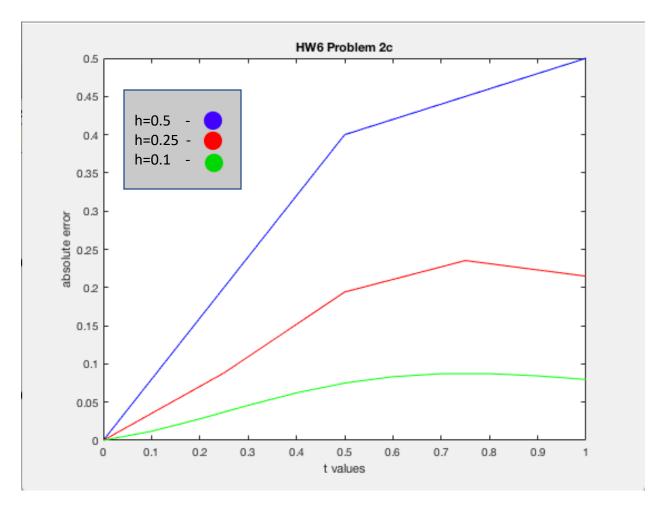
Columns 1 through 4

1.0000000000000 1.18811881188 1.346153846153846 1.467889908256881

Columns 5 through 8

```
1.551724137931034 1.60000000000000 1.617647058823529 1.610738255033557
Columns 9 through 11
 Absolute error values
abserror1 =
       0 0.4000000000000 0.50000000000000
abserror2 =
Columns 1 through 4
       0\ 0.088235294117647\ 0.194117647058824\ 0.235294117647059
Column 5
 0.214823529411765
abserror3 =
Columns 1 through 4
       0 \quad 0.011881188118812 \quad 0.028103579588728 \quad 0.045819154957133
Columns 5 through 8
 Columns 9 through 11
```

0.087280017329953 0.084450801510567 0.079669484965851



The absolute error data points at h=0.5 seem to increase. However, when looking at lower h values such as h=0.25 and h=0.5, the data values increase and then start to decrease. This is also apparent on the graph. The blue h=0.5 graph seems to increase. It becomes more apparent that the lines are decreasing as h becomes smaller. The is probably the result of the error.