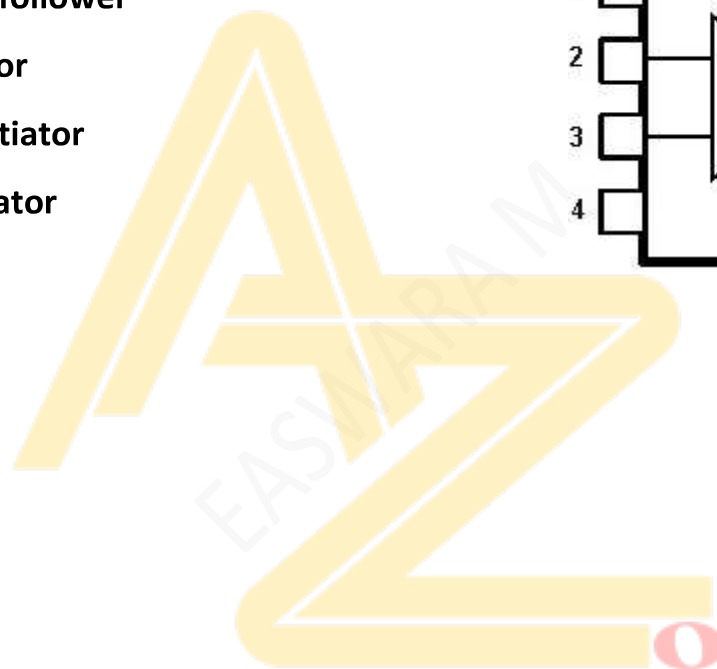
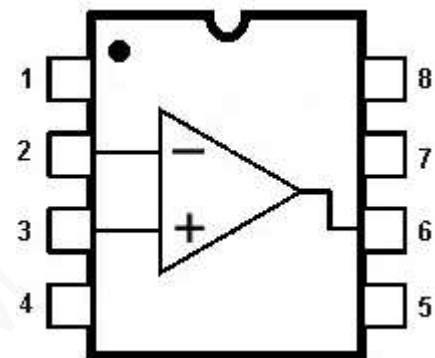


Module – 3**Operational Amplifiers and Applications****3.1 Introduction to Op-Amp****3.2 Op-Amp Parameters****3.3 Op-Amp Input Modes****3.4 Applications of Op-Amp:****3.4.1 Inverting amplifier****3.4.2 Non-Inverting amplifier****3.4.3 Summer****3.4.4 Voltage follower****3.4.5 Integrator****3.4.6 Differentiator****3.4.7 Comparator**

3.1 Introduction

- The integrated-circuit *operational-amplifier* is the fundamental building block for many electronic circuits. An op-amp is a multi-stage, direct coupled, high gain negative feedback amplifier used to amplify AC and DC input signals. It was initially used for basic mathematical operations such as addition, subtraction, multiplication, differentiation and integration in analog computers.
- The main applications of op-amp:
Active filters, oscillators, peak detector, comparators, voltage regulators, precision rectifiers, instrumentation and control systems, pulse generators, square wave generators etc.
- For the design of all these circuits the op-amp is manufactured with many numbers of integrated transistors, diodes, one or two capacitors and resistors.
- By connecting external resistors, voltage gain and band width of an op-amp can be adjusted.
- The op-amp is an extremely compact; multi tasking, low cost, highly reliable and temperature stable integrated circuit. In an ideal op-amp no current flows into either input offering infinite input resistance. The output acts as a voltage source with a very low resistance.
- In a practical op-amp (μA 741) the input current is in the order of pico - amps (10 –12) amp, or less.

Pin Diagram of Op-amp

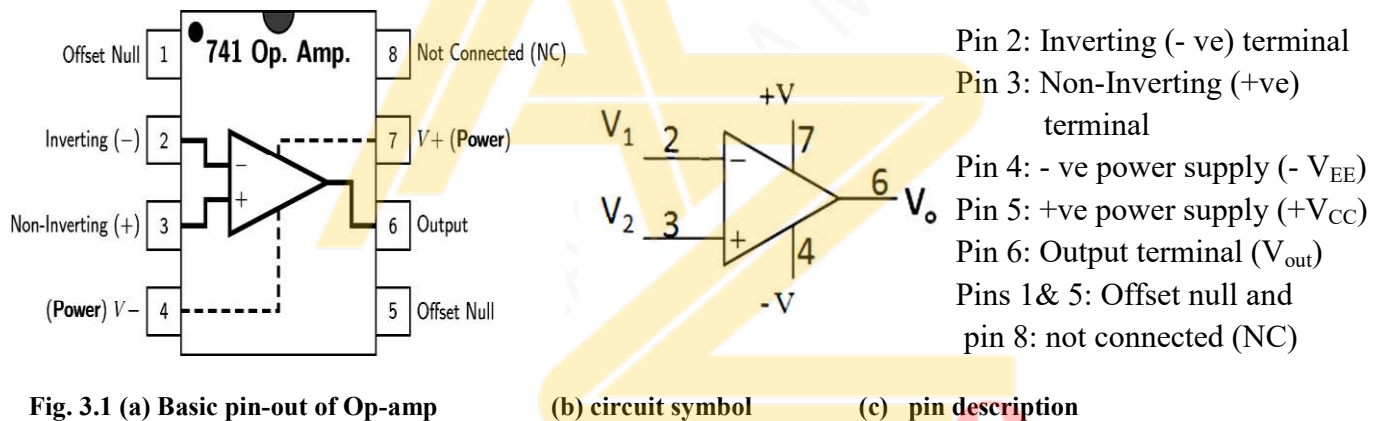


Fig. 3.1 (a) Basic pin-out of Op-amp

(b) circuit symbol

(c) pin description

3.2 OPAMP Parameters

1. **Common-Mode Rejection Ratio:**
$$CMRR = \frac{A_d}{A_c} = 20 \log_{10} \frac{A_d}{A_c} \text{ (dB)}$$

It is the ability of amplifier to reject the common-mode signals (unwanted signals) while amplifying the differential signal (desired signal).

It is defined as the *ratio of differential gain to the common mode gain*, measured in dB.

When both the inputs of the OPAMP has same voltages, then the output of it should be zero ($V_o = V_2 - V_1 = 0$; i.e, $V_1 = V_2$) or the OPAMP should be rejecting the signal.

The function of the CMMR is used to reduce the noise on the transmission lines.

Ideal value : ∞

Practical Value: **90dB – 120dB**

2. Open-loop voltage gain, (A_{ol}):

It is the internal voltage gain of the device and represents the ratio of output voltage to input voltage when there are no external components.

Ideal value : ∞

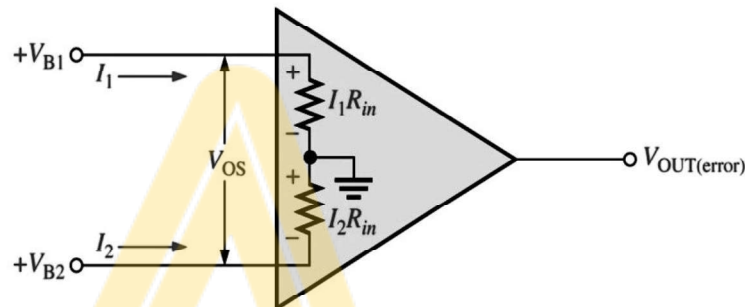
Practical Value: 2×10^5

3. Input Offset Voltage:

Realistically, a small dc voltage will appear at the output when no input voltage is applied. Thus, differential dc voltage is required between the inputs to force the output to zero volts.

Ideal value : 0

Practical Value: 2mV



4. Input Offset Current

It is the difference of input bias currents I_1 and I_2 .

$$I_{os} = |I_1 - I_2|$$

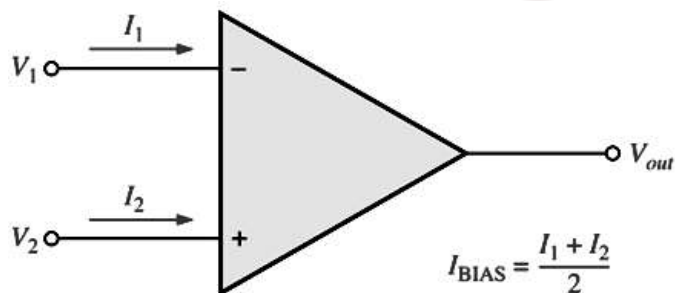
$$V_{os} = I_1 R_{in} - I_2 R_{in} = (I_1 - I_2) R_{in}$$

Ideal value : 0

Practical Value: 20nA

5. Input Bias Current

Input bias current is the current required by the inputs of the opamp to properly operate the first stage. It is defined as the average of both input currents I_1 and I_2 .



Ideal value : 0

Practical Value: 80nA

6. Input Impedance: R_i :

It is the ratio of input voltage to input current and is assumed to be infinite to prevent any current flowing from the source supply into the amplifiers inputs ($I_{IN} = 0$).

The ideal op-amp rules: 1. The differential input voltage is zero. $V_d = V_2 - V_1 = 0$

2. No current flowing into the input terminals.

$$R_{in} = \frac{V_d}{I_{in}} = \frac{V_d}{0 \text{ A}} = \infty \Omega$$

The larger the resistance of a device, the smaller the current that it demands. It determines the loading effect on the previous stage.

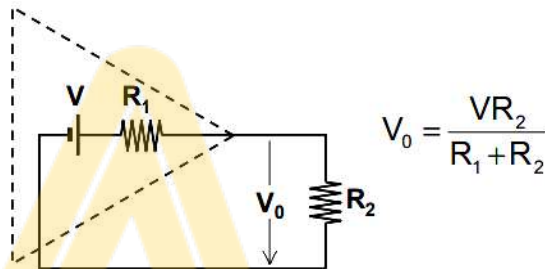
Ideal value : ∞

Practical Value: **2M Ω**

7. Output Impedance: R_o

Op-amps are supposed to have zero output impedance, or very low means, the output voltage won't change, just in case the output current changes.

The ideal op-amp acts as a perfect internal voltage source with no internal resistance. This internal resistance is in series with the load, reducing the output voltage available to the load.



Ideal value : **0**

Practical Value: **50 Ω - 100 Ω**

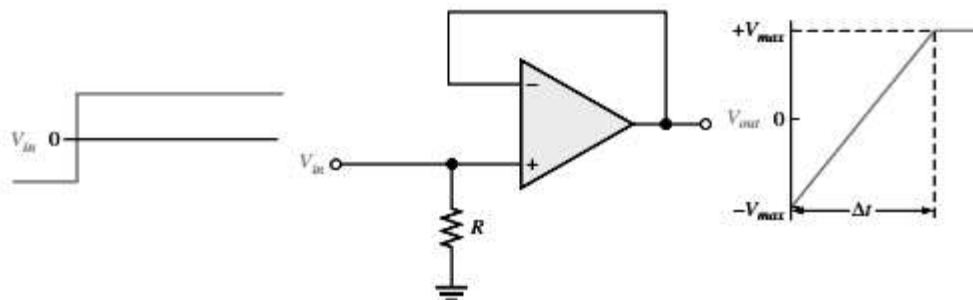
8. Slew Rate: $SR = dV_o(\text{max})/dt$

Slew rate is defined as the rate of change of maximum output voltage with respect to time. The higher the value (in V/ μ s) of slew rate, the faster the op-amp responds.

$$SR = \left. \frac{dv_o}{dt} \right|_{\text{max}} \quad V / \mu \text{sec}$$

Slew rate describes how fast the output voltage responds to an immediate change in input voltage. It is particularly important parameter in applications where the output is required to switch from one level to another quickly.

The power bandwidth maximum frequency is related to the slew rate and the peak output voltage by $SR = 2\pi f V_p(\text{max})$. Where V_p is the peak voltage of the output signal and f is its frequency in Hz.



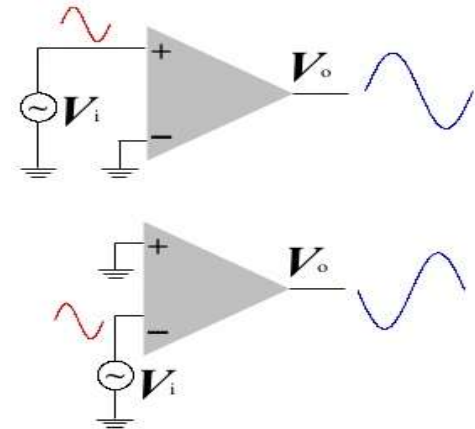
Ideal value : ∞

Practical Value: **0.5 μ V/sec**

3.3 Operation Modes of OPAMP

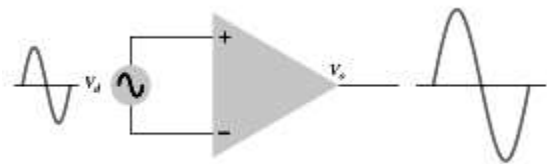
1. Single-ended input

- Only one input is applied with input signal while the other is connected to ground.
- The input applied to the plus input results in an output having the same polarity as input.
- The input applied to the minus input results in an output being opposite in phase to the applied signal.



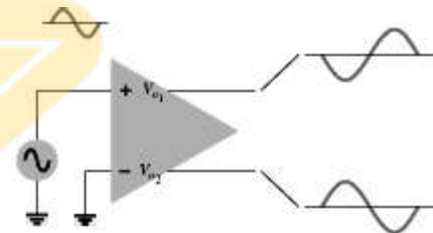
2. Differential (Double-ended) input

- When signal is applied between both inputs, it is referred to as double-ended input.
- The amplified output is in phase with the difference between the two inputs.
- This is the reason that this mode is called *differential input*.



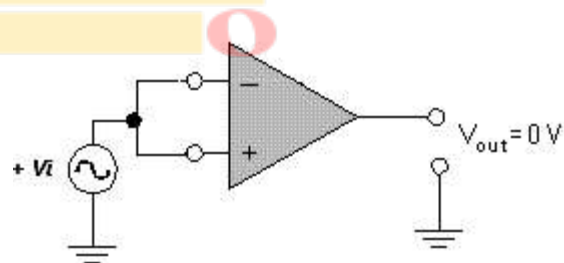
3. Double-ended output

- The op-amp can also be operated with opposite outputs.
- The figure shows a single-ended input with a double-ended output.
- The signal applied to the plus input results in two amplified output of opposite polarity.



4. Common-mode

- When the same input signals are applied to both inputs, common-mode operation results.
- Ideally, the output is zero due to the two opposite output components.
- This means that signals common to both inputs will be suppressed, referred to as common-mode rejection.



Ideal Op-Amp Properties

- Infinite input impedance (500k-2M Ω)
- Zero output impedance (20-100 Ω)
- Infinite open-loop gain (20k to 200k)
- Infinite bandwidth
- Zero noise contribution
- Zero DC output offset

Concept of Virtual Ground

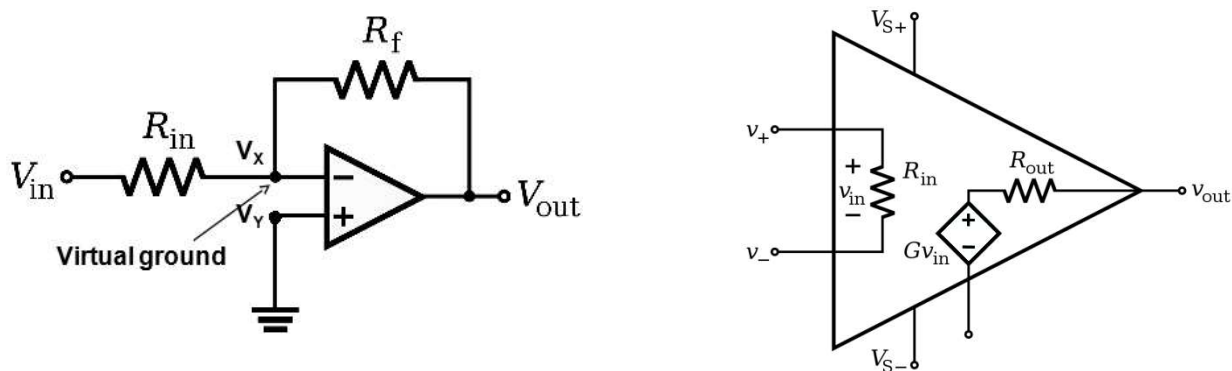
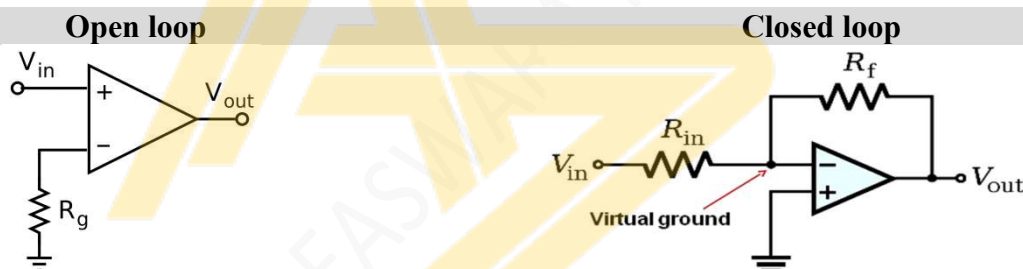


Fig. 3.2 (a) Illustration of virtual ground (b) Equivalent circuit of an Ideal op-amp

In an ideal Op-Amp (its equivalent circuit is shown in fig. 3.2(b)), when input voltages are equal output will be zero. Suppose, non-inverting terminal (+) is physically grounded ($V_Y = 0$) as shown in fig. 3.2(a). Though the inverting terminal (-) is not grounded, it also stays at 0V. i.e., $V_X = 0$ V. This phenomenon is known as *virtual ground* of op-amp. This is because, since the input impedances of an ideal op-amp is infinite ($R_i = \infty$). There is no current flow into the two terminals. Hence, $V_X = V_Y$.

Difference between open loop and closed loop



- | | |
|--|--|
| <ul style="list-style-type: none"> ➤ No feedback connection by any type of components between input and output. ➤ Open loop gain (A_{OL}) is very high and cannot control. ➤ Small difference between inputs cause op-amp goes to saturation. ➤ If $V_1 > V_2$; V_o = negative saturation, ➤ If $V_1 < V_2$; V_o = positive saturation <p style="text-align: center;">Where, V_1 = inverting terminal and
V_2 = non- inverting terminal.</p> | <ul style="list-style-type: none"> ➤ Fraction of the output voltage is negatively fed back to the input through R_f. ➤ The ratio R_f / R_{in} controls the closed loop gain (A_{CL}). ➤ The ratio R_f / R_{in} controls output V_o of the op-amp go in to saturation. ➤ If $R_f > R_{in}$; $A_{CL} > 1$ ➤ If $R_f < R_{in}$; $A_{CL} < 1$ ➤ If $R_f = R_{in}$; $A_{CL} = 1$ |
|--|--|

3.4 Op-amp Application circuits

3.4.1 Inverting operational Amplifier

The basic circuit for the inverting op-amp circuit is shown in the fig. 3.3. Input signal V_{in} is applied to the inverting terminal of the circuit through R_{in} , and resistor R_f is connected between the output and the inverting input. The non-inverting input is connected to ground.

- Output V_{out} is inverted version (180° phase shift) of input V_{in} , but amplified as shown in the fig. 3.3 (c). The ratio R_F / R_{in} controls the closed loop gain (A_{CL}).

Virtual ground concept:

1. No input current flows into the (-) terminal and
2. V_X always equals to V_Y .

Therefore, all input current I_{in} flows towards the output (V_{out}) through R_F . See fig. 3.4.

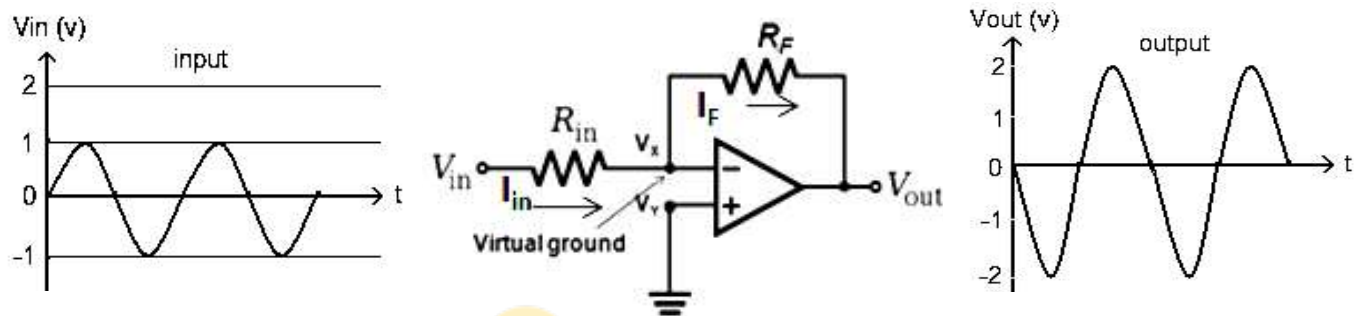


Fig. 3.3 Inverting op amp (a) Input wave form (b) Inverting op amp circuit (c) Output wave form

Analysis: Apply KCL at node V_X

$I_{in} = I_F$ using nodal analysis in the direction of current flow,

$$\frac{V_{in} - V_X}{R_{in}} = \frac{V_X - V_{out}}{R_F} \quad \text{since, } V_X = V_Y = 0$$

$$\frac{V_{in} - 0}{R_{in}} = \frac{0 - V_{out}}{R_F} \quad \text{or} \quad \frac{V_{in}}{R_{in}} = \frac{-V_{out}}{R_F}$$

$$\frac{V_{out}}{V_{in}} = \frac{-R_F}{R_{in}} \quad \frac{V_{out}}{V_{in}} = A_{CL} = \frac{-R_F}{R_{in}}$$

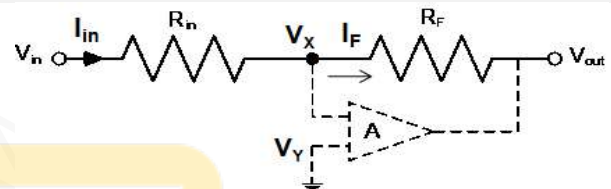


Fig. 3.4 Virtual ground concept

$$\text{Closed Loop Gain } A_{CL} = \frac{-R_F}{R_{in}}$$

$$\text{Output Voltage } V_{out} = -V_{in} \left[\frac{R_F}{R_{in}} \right]$$

[NOTE: 1. Minus (-) indicates output is inverted version of input.

2. $\frac{R_F}{R_i}$ is a scaling factor, the gain A_{CL} depends on the selection of R_F and R_i values]

3.4.2 Non-inverting operational Amplifier

- The basic circuit for the non-inverting op amp circuit is shown in the fig. 3.5. Input signal V_{in} is applied to the non-inverting (+) terminal of the circuit and resistor R_F is connected between the output and the inverting terminal. The inverting (-) input is connected to ground via R_{in} .
- Output V_{out} is non-inverted version (0° phase shift) of input V_{in} , but amplified. The ratio R_F / R_{in} controls the closed loop gain (A_{CL}). Always A_{CL} is greater than 1.

Virtual ground concept:

1. No current flows into the input terminal (+) and
2. V_X always equals V_Y . Therefore, $V_X = V_Y = V_{in}$, also current flows from output (V_{out}) through R_F reaching ground. See fig. 3.6

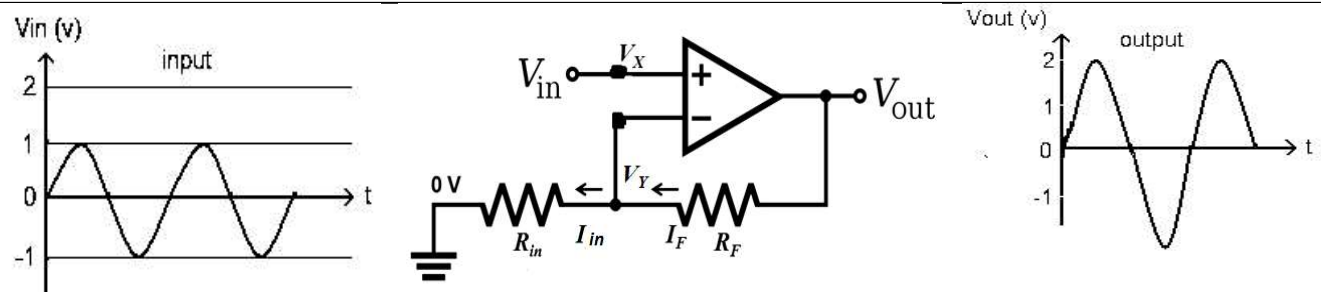


Fig. 3.5 Non-inverting op-amp (a) Input wave form (b) circuit (c) Output wave form

Analysis:

Apply KCL at node V_Y
using nodal analysis in the direction of current flow,

$$I_{in} = I_F$$

$$\frac{V_Y - 0}{R_{in}} = \frac{V_{out} - V_Y}{R_F} \quad \text{since, } V_X = V_Y = V_{in}$$

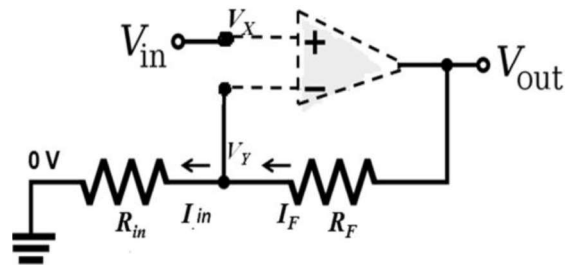


Fig. 3.6 Virtual ground concept

$$\frac{V_{in}}{R_{in}} = \frac{V_{out} - V_{in}}{R_F}$$

$$\frac{V_{in}}{R_{in}} = \frac{V_{out}}{R_F} - \frac{V_{in}}{R_F}$$

$$V_{in} \left[\frac{1}{R_{in}} + \frac{1}{R_F} \right] = \frac{V_{out}}{R_F}$$

$$\frac{V_{out}}{V_{in}} = R_F \left[\frac{R_F + R_{in}}{R_F R_{in}} \right]$$

$$\frac{V_{out}}{V_{in}} = \left[\frac{R_F}{R_{in}} + 1 \right] \quad \text{OR} \quad V_{out} = V_{in} \left[\frac{R_F}{R_{in}} + 1 \right]$$

$$\text{Closed loop gain } A_{CL} = \frac{V_{out}}{V_{in}} = \left[\frac{R_F}{R_{in}} + 1 \right]$$

$$\text{Output voltage } V_{out} = V_{in} \left[\frac{R_F}{R_{in}} + 1 \right]$$

3.4.3 Summing OPAMP

- The inverting summing or adder op-amp circuit for three inputs is shown in the fig. 3.7.
- The output voltage, V_o is proportional to the algebraic sum of the input voltages, V_1, V_2, V_3 . Because effectively it adds individual input voltage signals.
- Input signals V_1, V_2 and V_3 are applied to the inverting (-) input of the op-amp through input

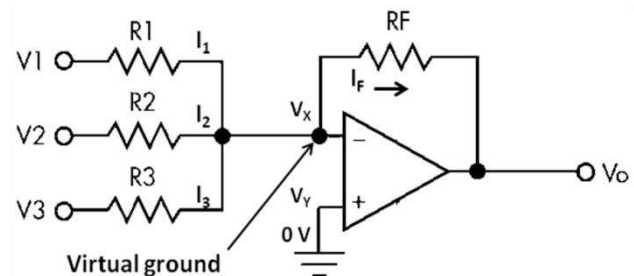


Fig. 3.7 Inverting summing op-amp circuit

resistors R_1, R_2 and R_3 , respectively. Thus, I_1, I_2 and I_3 are input currents flow through them.

- R_F is connected between the V_o and the (-) input. The non-inverting input is connected to ground.

Virtual ground concept:

- 1. No input current flows into the (-) terminal and
- 2. V_X always equals V_Y . Therefore, all input currents flow towards output (V_{out}) through R_F .

Analysis: Apply KCL at node V_X , using nodal analysis in the direction of current flow,

$$I_1 + I_2 + I_3 = I_F \quad \dots\dots\dots (1)$$

$$\text{Where, } I_1 = \frac{V_1 - V_X}{R_1}, I_2 = \frac{V_2 - V_X}{R_2}, I_3 = \frac{V_3 - V_X}{R_3} \text{ and } I_F = \frac{V_X - V_o}{R_F}$$

$$\text{Then eqn (1) becomes, } \frac{V_1 - V_X}{R_1} + \frac{V_2 - V_X}{R_2} + \frac{V_3 - V_X}{R_3} = \frac{V_X - V_o}{R_F} \quad \text{since, } V_X = V_Y = 0$$

$$\frac{V_1 - 0}{R_1} + \frac{V_2 - 0}{R_2} + \frac{V_3 - 0}{R_3} = \frac{0 - V_o}{R_F}$$

$$\frac{V_1}{R_1} + \frac{V_2}{R_2} + \frac{V_3}{R_3} = \frac{-V_o}{R_F}$$

$$V_o = -R_F \left[\frac{V_1}{R_1} + \frac{V_2}{R_2} + \frac{V_3}{R_3} \right] \quad \text{if } R_1 = R_2 = R_3 = R_F = R$$

$V_o = -(V_1 + V_2 + V_3) \equiv$ output voltage is proportional to the algebraic sum of the input voltages, V_1, V_2, V_3 .

Applications:

- Precision amplifier
- Audio mixer
- Digital to Analogue Converter (ADC), etc

3.4.4 Voltage follower OPAMP

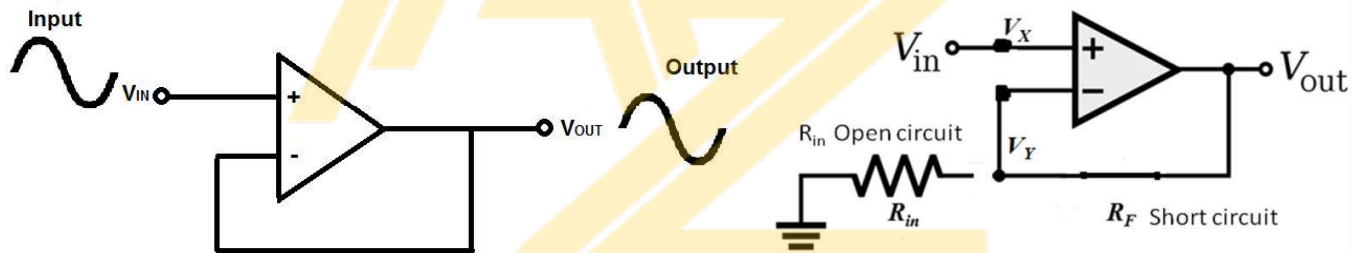


Fig. 3.8 (a) Voltage follower op-amp (b) resembled circuit of non-inverting op-amp

- Output voltage V_{out} follows the input voltage V_{in} so the circuit is named as op-amp voltage follower.
- The output is connected directly back to the (-) inverting input so that the feedback is 100% and V_{in} is exactly equal to V_{out} . It is shown in the fig. 3.8(a).
- If voltage V_{in} increases, voltage V_{out} increases. On the other hand, if voltage V_{in} decreases, voltage V_{out} also decreases. It provides an effective isolation of the output from the signal source that eliminating the loading effect of the second circuit from the first circuit. Because the input impedance of the op amp is very high, draws very little power from the signal source, avoiding loading effects. This circuit is useful for the first stage.

Properties of Voltage Follower

- Voltage gain = 1
- Input impedance $R_{in} = \infty$
- Output impedance $R_{out} = 0$
- Effective isolation of the output from the signal source.

To Prove Voltage gain, $\frac{V_{out}}{V_{in}} = A_V = 1$

Voltage follower resembles to that of non-inverting opamp, in which input impedance R_{in} is open circuited ($= \infty$) and output impedance R_{out} is short circuited ($= 0$). See fig. 3.8(b).

$$\frac{V_{out}}{V_{in}} = A_V = \left[\frac{R_F}{R_1} + 1 \right]$$

$$\frac{V_{out}}{V_{in}} = A_V = \left[\frac{0}{\infty} + 1 \right] = 1$$

Advantage: provides current and power gain.

Applications: The voltage follower is often used as buffers for logic circuits, impedance matching.

3.4.5 Differentiator op-amp

- Differentiator produces output voltage (V_{out}) is proportional to the rate of change of the input voltage V_{in} . If input is a sine wave output of a differentiator is a (inverted) cosine wave. See the fig.3.9.
- A differentiator with the only RC network is called a passive differentiator, whereas a differentiator with an op-amp is called an active differentiator.
- Advantages of active differentiator: have higher output voltage and lower output resistance than passive RC differentiators.
- An op-amp differentiator is an inverting amplifier, which uses a capacitor C in series with the input voltage V_{in} and a feedback resistor R_f is connected between V_{out} and inverting (-) input. The non-inverting input terminal of the op-amp is connected to ground as shown in the fig.3.9.
- For DC input, capacitor C behaves like an open-circuit. Also, attenuates low frequency signals and allows only high frequency signals at the output. In other words, circuit behaves like a high-pass filter.

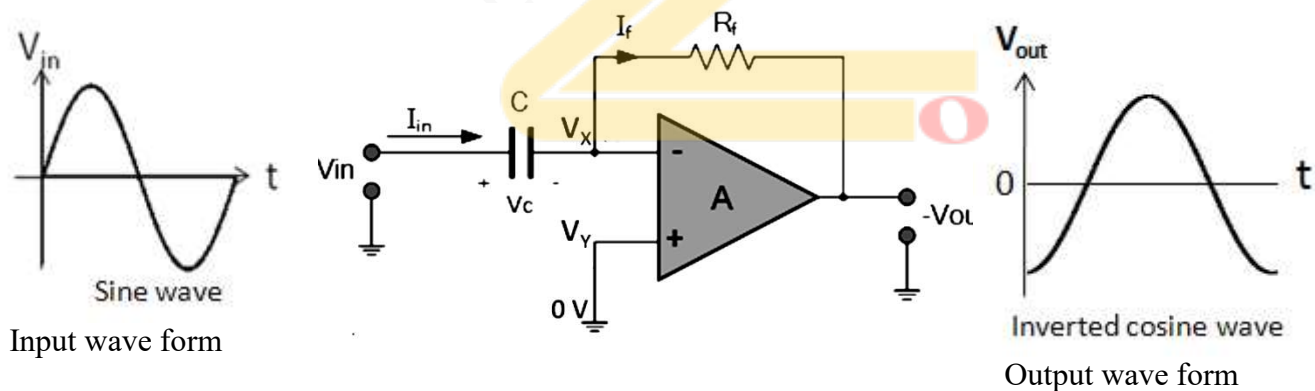


Fig. 3.9 Differentiator op-amp

Analysis:

From the fig.3.9, since, the node V_Y is at ground potential the node V_X is virtually grounded.

$$\text{i.e. } V_X = V_Y = 0.$$

Therefore, the current flowing into the op-amp internal circuit is zero, effectively all of the current flows through the resistor R_f .

$$\text{From the input side, the current } I_{in} = C [d(V_{in} - V_X) / dt] = C [dV_{in} / dt] \dots \dots \dots (1)$$

$$\text{From the output side, the current } I_F = (V_X - V_{out}) / R_f = - \{V_{out} / R_f\} \dots \dots \dots (2)$$

Equating the (1) & (2) equations $I_{in} = I_F$

$$C \{dV_{in} / dt\} = - V_{out} / R_f$$

$$V_{out} = - R_f C \{dV_{in} / dt\}$$

The output V_{out} is $R_f C$ times the differentiation of the input voltage. The product $R_f C$ is called as the RC time constant of the differentiator circuit. The negative sign indicates the output is out of phase by 180° with respect to the input.

Applications:

- Wave shaping circuits
- To operate on triangular and rectangular signals.

3.4.6 Integrator op-amp

- Integrator produces output voltage V_{out} , is proportional to the integral of the input voltage V_{in} . If input is a square wave, output of an integrator is a triangular (inverted) wave. See the fig.3.10. Integrator with the only RC network is called a passive integrator, whereas an integrator with an op-amp is called an active integrator. Advantages of *active integrator*: have higher output voltage and lower output resistance than *passive RC integrators*.
- An op-amp integrator is an *inverting amplifier*, which uses a resistor R_{in} in series with the input voltage V_{in} and a capacitor C is connected between V_{out} and inverting (-) input as feedback. The non-inverting input terminal of the op-amp is connected to ground as shown in the fig.3.10.
- For DC input, capacitor C behaves like an open-circuit. Also, attenuates high frequency signals and allows only low frequency signals at the output. In other words, circuit behaves like a low-pass filter.

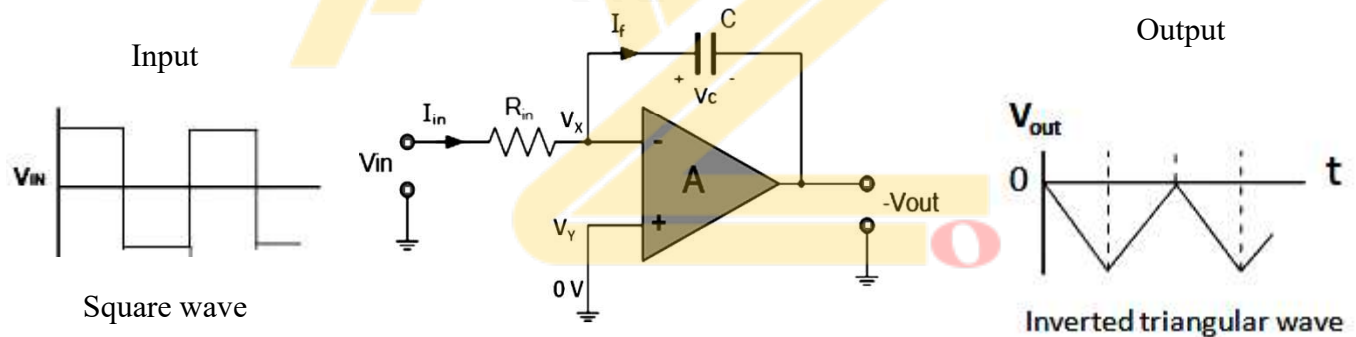


Fig. 3.10 Integrator op-amp

Analysis: From the fig.3.10, since, the node V_Y is at ground potential the node V_X is virtually grounded. i.e. $V_X = V_Y = 0$. Therefore, the current flowing into input terminals is zero, effectively all of the current flows through the capacitor C .

From the input side, the current $I_{in} = \frac{V_{in} - V_X}{R_{in}} = \frac{V_{in}}{R_{in}}$ (1)

From the output side, the current $I_F = C [d(V_X - V_{out}) / dt] = - C [dV_{out} / dt]$ (2)

Equating the (1) & (2) equations: $I_{in} = I_F$

$$\frac{V_{in}}{R_{in}} = - C [d(V_{out})/dt] \text{(3)}$$

Integrating both side equation(3) $\int \frac{V_{in}}{R_{in}} dt = -C \int \frac{d(V_{out})}{dt} dt$

$$V_{out} = -\frac{1}{CR_{in}} \int V_{in} dt$$

The output V_{out} is CR_{in} times the integration of the input voltage V_{in} . The product CR_{in} is called as the RC time constant of the integrator circuit. The negative sign indicates the output is out of phase by 180° with respect to the input.

3.4.7 Comparator OPAMP

OPAMP voltage comparator compares the magnitudes of two voltage inputs and determines which is the larger of the two.

- Referring the fig.3.11, assume ($V_{IN} < V_{REF}$).
- As the non-inverting (positive) input of the comparator is less than the inverting (negative) input, the output will be the negative supply voltage, $-V_{CC}$ resulting in a negative saturation of the output.
- When ($V_{IN} > V_{REF}$), the output voltage rapidly switches HIGH towards the positive supply voltage, $+V_{CC}$ resulting in a positive saturation of the output.

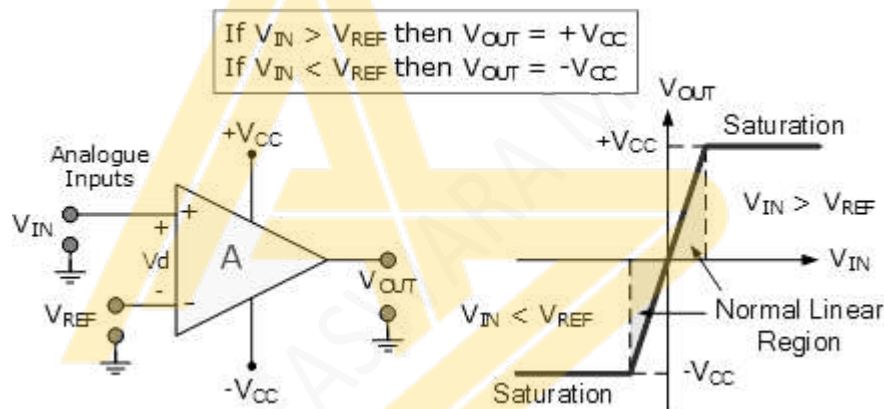


Fig. 3.11 Voltage comparator using OPAMP

- Suppose the input voltage V_{IN} , is decreased slightly less than V_{REF} , the op-amp's output switches back to its negative saturation voltage acting as a threshold detector.
- Then it is seen that the op-amp voltage comparator is a device whose output is dependent on the value of the input voltages.

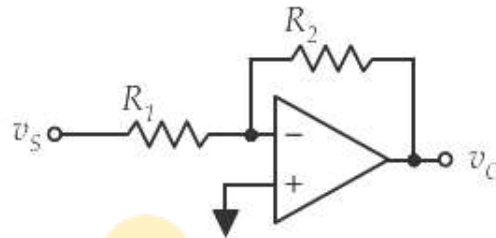
Exercise

1. What is an op-amp? Write the pin diagram of μA 741op-amp.
2. Write the symbol of μA 741op-amp and name the terminals.
3. List and discuss the ideal and practical characteristics/parameters of op-amp.
4. With circuit diagrams explain the operation modes of op-amp.
5. With neat circuit diagram and waveforms explain how op-amp can be used as inverting and non-inverting amplifiers.
6. Explain three input inverting type summing amplifier.

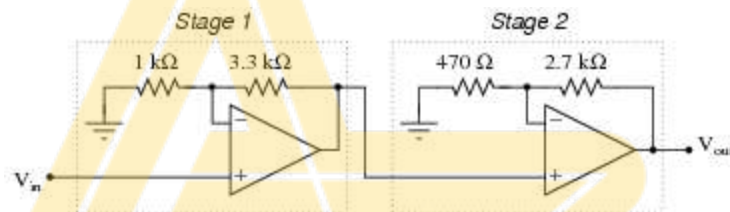
7. Explain the working of op-amp as an integrator.
8. Explain the working of op-amp as a differentiator.
9. With neat circuit and waveforms explain the voltage follower using op-amp.
10. With neat circuit and waveforms explain the comparator using op-amp.

Problems

1. In the circuit shown below $R_2 = 99 \text{ k}\Omega$. Assume that the op-amp is ideal. Determine the value of R_1 so that the *magnitude* of closed-loop gain, $G = v_O / v_S$ is 11.

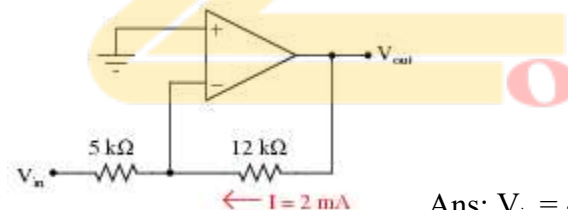


2. Calculate the voltage gain for each stage of this amplifier circuit (both as a ratio and in units of decibels), then calculate the overall voltage gain.



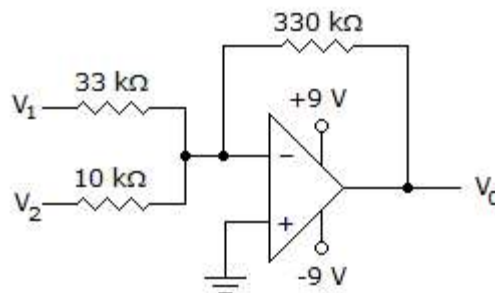
Ans: Stage 1: $A_V = 4.3 = 12.669 \text{ dB}$
 Stage 2: $A_V = 6.745 = 16.579 \text{ dB}$
 Overall: $A_V = 29.002 = 29.249 \text{ dB}$

3. Determine both the input and output voltages in the following circuit.

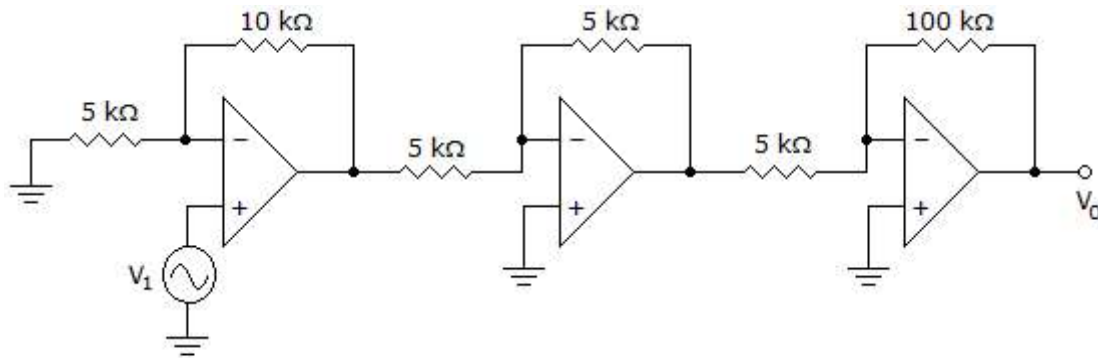


Ans: $V_{in} = -10 \text{ V}$ $V_{out} = 24 \text{ V}$

4. Calculate the output voltage if $V_1 = V_2 = 0.15 \text{ V}$.

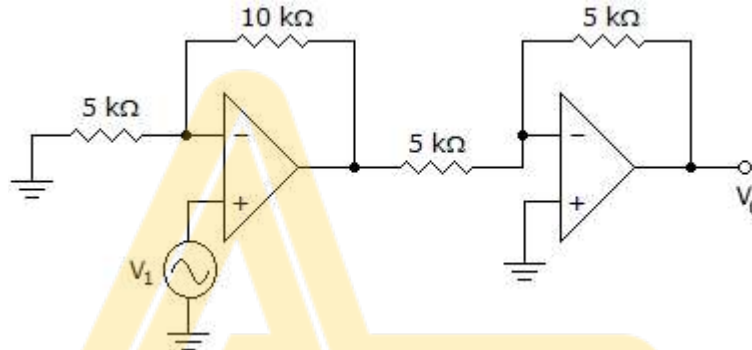


5. Calculate the input voltage if the final output is 10.08 V.

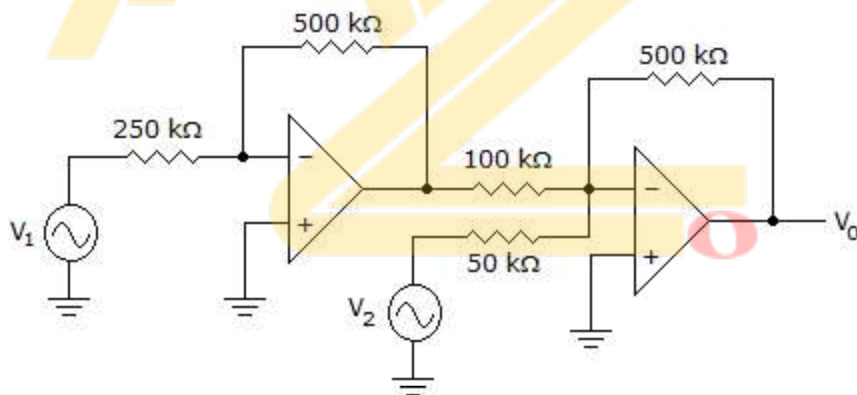


Ans: 0.168 V

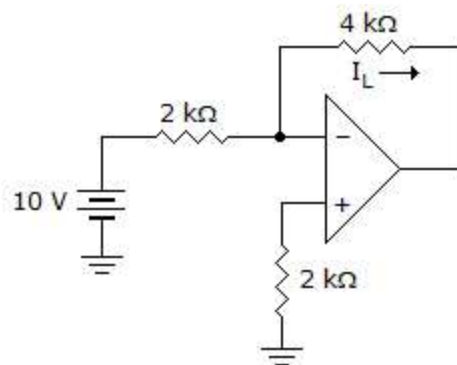
6. Calculate the output of the first-stage op-amp when $V_1 = 25$ mV.



7. Calculate the output voltage if $V_1 = V_2 = 700$ mV.



8. Calculate I_L for this circuit.



Ans: 5 mA

Multiple choice Questions

1. How many op-amps are required to implement this equation? $V_o = V_1$

- A. 2
B. 3
C. 4
D. 1

2. How many op-amps are required to implement this equation?

$$V_o = - \left(\frac{R_f}{R_1} V_1 + \frac{R_f}{R_2} V_2 + \frac{R_f}{R_3} V_3 \right)$$

- A. 2
B. 3
C. 4
D. 1

3. A differential amplifier

- A. is a part of an Op-amp
B. has two outputs
C. has one input and one output
D. answers (1) and (2)

4. When a differential amplifier is operated single-ended,

- A. the output is grounded
B. both inputs are connected together
C. one input is grounded and signal is applied to the other
D. the output is not inverted

5. In differential-mode,

- A. opposite polarity signals are applied to the inputs
B. the outputs are of different amplitudes
C. the gain is one
D. only one supply voltage is used

6. In the common mode,

- A. both inputs are grounded
B. an identical signal appears on both the inputs
C. the outputs are connected together
D. the output signal are in-phase

7. The common-mode gain is

- A. very high
B. always unity
C. very low
D. unpredictable

8. The differential gain is

- A. very high
B. dependent on input voltage
C. very low
D. about 100

9. If $A_{DM} = 3500$ and $A_{CM} = 0.35$, the CMRR is

- A. 1225
B. 80 dB
C. 10,000
D. answers (1) and (3)

10. With zero volts on both inputs, an OP-amp ideally should have an output

- A. equal to the positive supply voltage
B. equal to zero
C. equal to the negative supply voltage
D. equal to CMRR

11. For an Op-amp with negative feedback, the output is

- A. equal to the input
B. fed back to the inverting input
C. increased
D. fed back to the noninverting input

12. The use of negative feedback

- A. reduces the voltage gain of an Op-amp
- B. makes linear operation possible

- C. makes the Op-amp oscillate
- D. answers (1) and (2)

13. Negative feedback

- A. increases the input and output impedances
- B. decreases the output impedance and bandwidth
- C. increases the input impedance and bandwidth
- D. does not affect impedance or bandwidth

14. A certain noninverting amplifier has R_i of 1 k Ω and R_f of 100 k Ω . The closed-loop voltage gain is

- A. 100,000
- B. 101
- C. 1000
- D. 100

15. The Op-amp can amplify

- A. a.c. signals only
- B. both a.c. and d.c. signals
- C. d.c. signals only
- D. neither d.c. nor a.c. signals

16. The input offset current equals the

- A. difference between two base currents
- B. collector current divided by current gain
- C. average of two base currents
- D. none of these

17. The input stage of an Op-amp is usually a

- A. differential amplifier
- B. CE amplifier
- C. class B push-pull amplifier
- D. swamped amplifier

18. Current cannot flow to ground through

- A. a mechanical ground
- B. a virtual ground
- C. an a.c. ground
- D. an ordinary ground

19. An ideal operational amplifier has

- A. infinite output impedance
- C. infinite bandwidth
- B. zero input impedance
- D. All of the above

20. Another name for a unity gain amplifier is:

- A. difference amplifier
- C. single ended
- B. comparator
- D. voltage follower

21. Which of the following electrical characteristics is not exhibited by an ideal op-amp?

- A. Infinite voltage gain
- C. Infinite output resistance
- B. Infinite bandwidth
- D. Infinite slew rate

22. An ideal op-amp requires infinite bandwidth because

- A. Signals can be amplified without attenuation
- B. Output common-mode noise voltage is zero
- C. Output voltage occurs simultaneously with input voltage changes
- D. Output can drive infinite number of device

Answer: a

23. Ideal op-amp has infinite voltage gain because

- A. To control the output voltage
- B. To obtain finite output voltage

C. To receive zero noise output voltage

D. None of the mentioned

Answer: b Explanation: As the voltage gain is infinite, the voltage between the inverting and non-inverting terminal (i.e. differential input voltage) is essentially zero for finite output voltage.

24. How will be the output voltage obtained for an ideal op-amp?

A. Amplifies the difference between the two input voltages

B. Amplifies individual input voltages

C. Amplifies products of two input voltage

D. None of the mentioned

