```
import random
from math import ceil
from decimal import Decimal

FIELD_SIZE = 10**5


def reconstruct_secret(shares):
        """
        Combines individual shares (points on graph)
        using Lagranges interpolation.

        `shares` is a list of points (x, y) belonging to a
        polynomial with a constant of our key.
        """
        sums = 0
        prod_arr = []

        for j, share_j in enumerate(shares):
                xj, yj = share_j
                prod = Decimal(1)

                for i, share_i in enumerate(shares):
                        xi, _ = share_i
                        if i != j:
                                prod *= Decimal(Decimal(xi)/(xi-xj))

                prod *= yj
                sums += Decimal(prod)

        return int(round(Decimal(sums), 0))


def polynom(x, coefficients):
        """
        This generates a single point on the graph of given polynomial
        in `x`. The polynomial is given by the list of `coefficients`.
        """
        point = 0
        # Loop through reversed list, so that indices from enumerate match the
        # actual coefficient indices
        for coefficient_index, coefficient_value in enumerate(coefficients[::-1]):
                point += x ** coefficient_index * coefficient_value
        return point


def coeff(t, secret):
        """
        Randomly generate a list of coefficients for a polynomial with
        degree of `t` - 1, whose constant is `secret`.

        For example with a 3rd degree coefficient like this:
                3x^3 + 4x^2 + 18x + 554

                554 is the secret, and the polynomial degree + 1 is
                how many points are needed to recover this secret.
                (in this case it's 4 points).
```

```
	"""
	coeff = [random.randrange(0, FIELD_SIZE) for _ in range(t - 1)]
	coeff.append(secret)
	return coeff


def generate_shares(n, m, secret):
	"""
	Split given `secret` into `n` shares with minimum threshold
	of `m` shares to recover this `secret`, using SSS algorithm.
	"""
	coefficients = coeff(m, secret)
	shares = []

	for i in range(1, n+1):
		x = random.randrange(1, FIELD_SIZE)
		shares.append((x, polynom(x, coefficients)))

	return shares

def generate_ascii(secret):
	secret_ascii = ""
	for s in secret:
		secret_ascii += str(ord(s))
	return secret_ascii


# Driver code
if __name__ == '__main__':

	# (3,5) sharing scheme
	t, n = 4, 6
	username = "JOHN"
	password = "ABCDEF"
	salt = "S1"
	secret = username + password + salt
	print(f'Original Secret: {secret}')
	secret_ascii = generate_ascii(secret)
	# Phase I: Generation of shares
	shares = generate_shares(n, t, int(secret_ascii))
	print(f'Shares: {", ".join(str(share) for share in shares)}')

	#Signin
	sign_username = "JOHN"
	sign_password = "ABCDEF"
	sign_salt = "S1"
	sign_secret = sign_username + sign_password + sign_salt
	print(f'Sign in Original Secret: {sign_secret}')
	sign_secret_ascii = generate_ascii(sign_secret)
	# Phase I: Generation of shares
	sign_shares = generate_shares(n, t, int(sign_secret_ascii))
	print(f'Shares: {", ".join(str(share) for share in sign_shares)}')
	# Phase II: Secret Reconstruction
	# Picking t shares randomly for
	# reconstruction
	pool = random.sample(sign_shares, t)
	print(f'Combining shares: {", ".join(str(share) for share in pool)}')
```

```
reconstructed_secret = reconstruct_secret(pool)
print(f'Reconstructed secret: {reconstructed_secret}')
#check signin details
if(int(secret_ascii) ^ reconstructed_secret):
        print('Sign in details incorrect')
else:
        print('Sign in sucessful')
```