Solution to Semester 1 Examinations, 2017

June 2017

1. Write a Python function splitEmailAddress(Address), which, given an email address, e.g. "Michael.Wise@uwa.edu.au", returns a list of the component strings, e.g. ['Michael', 'Wise', 'uwa', 'edu' 'au']. [5 Marks]

```
def splitEmailAddress(Address) :
    fields = []
    for f in Address.split('@') :
        for d in f.split('.') :
            fields.append(d)
    return(fields)
```

2. Write a Python definition for the function basename(P) which, given a pathname to a file (a string), returns a string with the file name without the preceding directories and without any suffix, if one exists. For example basename('/Users/michaelw/CITS1401/exam.doc') will return the string 'exam'. (There is a function called basename in the os.path library, but please ignore it and instead use string processing functions.) [5 Marks]

```
# two possible ways it can be done
def basename(P):
    return(P.split('/')[-1].split('.')[0])

def basename(P):
    i = P.rfind('/')
    P = P[i+1:].split('.')[0]
    return(P)
```

3. The Manhattan distance between two points (x1, x2) and (y1, y2) – the distance a car needs to travel between two points in a city on a grid – is (in 2 dimensions):

$$manhat = |(y_1 - x_1)| + |(y_2 - x_2)|$$

Write a definition for manhat(x, y), where x and y are points in N-dimensional space, each represented as a list of floating point values, e.g. manhat([1, 3, 5, 7], [1, 9, 25, 42]) returns 41. You can assume that the lists are the same length, though not necessarily length 4. (|..| stands for the absolute value function.) [10 Marks]

```
def manhat(x, y) :
    dist = 0
    for i in range(len(x)) :
        dist += abs(y[i]-x[i])
    return(dist)
```

4. Consider the following rather impenetrable (but correct) Python code, taken from a function:

```
if os.path.exists(f):
    return [c for c in open(f,'r').read().split('\n') if c != ""]
```

- a. What does the code do? [3 marks]
- b. Rewrite the code so that it is easier to understand [7 Marks].

a.

The code:

- Tests whether file f exists
- Opens the file for reading
- Reads the file
- Splits the resulting string into lines (ie split on \n)
- Returns a those lines that are not blank

b.

5. What is seen as the result of executing the following Python code [10 Marks]: def ft6b(): numberGames = {}

```
numberGames[(1,2,4)] = 5
numberGames[(4,2,1)] = 10
numberGames[(1,2)] = 12

try:
    sum = 1
    for k in numberGames:
        sum *= numberGames[k]
    numberGames.append(sum)
    print('Try block executed.')
except:
    print('Exception occured')
print(numberGames, 'Sum=',sum)
```

```
Exception occured {(1, 2): 12, (4, 2, 1): 10, (1, 2, 4): 5} Sum= 600
```

6. Write a definition for the function merge(list1, list2), that, given two lists: list1 and list2, which are sorted in ascending order, returns a list that combines the two lists in ascending order, e.g. merge([1,3,5,11,12], [2,4,6,8]) returns [1,2,3,4,5,6,8,11,12]. (Hint: For starters, you will need a while loop that compares the smallest item in each list.) [30 Marks]

```
def merge(list1, list2) :
    mergedlist = []
    while list1 != [] and list2 != [] :
        if list1[0] <= list2[0] :
            mergedlist.append(list1[0])
            list1 = list1[1:]
        else:
            mergedlist.append(list2[0])
            list2 = list2[1:]
    if list1 != [] :
        mergedlist = mergedlist + list1
    else:
        mergedlist = mergedlist + list2
    return(mergedlist)</pre>
```

- 7. Write a definition for the function, marksdistribution(D). The input to marksdistribution is a dictionary mapping student names to marks in the range 0..100. The output from marksdistribution should be a dictionary mapping marks ranges seen at UWA, to counts of students from D with marks in the respective ranges. The definitions of the marks ranges are:
 - $\bullet \quad N < 50$
 - $P \ge 50 \text{ and} < 60$
 - $Cr \ge 60$ and < 70
 - D $\geq 70 \text{ and } \leq 80$
 - HD ≥ 80

For example, if D = {"Fred":55, "James":67, "Jemima";71}, marksdistribution(D) will return a dictionary resembling {"P":1, "Cr":1, "D":1} [30 Marks]

```
def marksdistribution(D) :
    grade counts = {}
    for grade in ['N', 'P', 'Cr', 'D', 'HD'] :
        grade counts[grade] = 0
    for mark in D.values() :
        if mark < 60 :
            if mark < 50 :
                 grade_counts['N'] += 1
            else:
                grade counts['P'] += 1
        elif mark >= \overline{70}:
            if mark < 80 :
                grade counts['D'] += 1
            else:
                grade counts['HD'] += 1
        else:
            grade_counts["Cr"] += 1
    return(grade counts)
```

8. Define a definition for the function, pow(x, N), to compute x^N for integer x and integer N, e.g. 3^{1001} . (Large numbers will require long integers.) For large N, a recursive function can be more efficient than multiplying x N times, so a recursive function will be awarded more marks. Specifically, if you create a function that uses repeated multiplication it will be awarded a maximum of [10 marks]. However, if you write a recursive function, your solution will be marked out of [20 marks]. Hint (for recursive solution): What happens if you divide N by 2, i.e. first solve pow(x, N//2).

```
def pow(x, n):
    if n == 0:
        return(1)
    if n == 1:
        return(x)
    if n % 2 == 0:
        x1 = pow(x, n//2)
        return(x1*x1)
    x1 = pow(x, n//2)
    return(x * x1 *x1)
```

---END OF EXAMINATION PAPER--