

# Sales Prediction Hacking Process - Approach Notes

## Objective

To minimize RMSE in predicting `Item_Outlet_Sales` using advanced feature engineering and multiple regression models (Linear, Polynomial, Random Forest, XGBoost).

## Baseline Models

**Without feature engineering**, models quickly saturated:

- **XGBoost RMSE:** 1089
- **Linear Regression RMSE:** 1212
- **Polynomial Regression RMSE:** 1090
- **Random Forest RMSE:** 1132

**Observation:** Baseline models could not capture complex item-outlet interactions.

## Feature Engineering Process

Feature engineering was done iteratively, using domain knowledge and experimental tuning. Each feature was added, tested, and refined based on RMSE reduction.

### 1. Item\_Sales\_Frequency

**Goal:** Capture item popularity relative to outlet age, price, visibility, and weight.

**Formulas:**

**Trial 1:**

$$\text{Item\_Sales\_Frequency} = (\text{Outlet\_Age} \times (\text{Item\_MRP} - \text{Item\_Visibility})) / (\text{Item\_Weight} + 1)$$

**Trial 2:**

$$\text{Item\_Sales\_Frequency} = \log(1 + \text{Outlet\_Age}) \times (\text{Item\_MRP} / (\text{Item\_Weight} + 1)) \times \text{Item\_Popularity}$$

**Trial 3 (Best - Polynomial Regression RMSE: 1038.26):**

$$\text{Item\_Sales\_Frequency} = \log(1 + \text{Outlet\_Age}) \times ((\text{Item\_MRP} - \text{mean}(\text{Item\_MRP})) / (\text{std}(\text{Item\_MRP}) + 1)) \times (\text{Item\_Popularity} + 0.01)$$

**Explanation:** Combines outlet age effect, standardized price, and item popularity with smoothing to prevent zero-frequency bias.

### 2. Customer\_Outlet\_Preference

**Goal:** Model customer preference for outlet types based on item price, visibility, and outlet popularity.

**Final Formula (Polynomial Regression RMSE: 1038.26):**

Customer\_Outlet\_Preference =  $\sqrt{(\text{Item\_MRP} / \text{median\_MRP}) \times (1 / (1 + \log(1 + \text{Item\_Visibility})))}$  ×  
(Outlet\_Type\_Percentage / Outlet\_Location\_Type)

**Explanation:** This feature captures the relationship between item pricing relative to market median, adjusted for visibility effects, and weighted by outlet type preferences in different location categories.

**Key Insights**

- 1. **Feature Engineering Impact:** Advanced feature engineering reduced RMSE from ~1089-1212 to 1038.26, representing a significant improvement in prediction accuracy.
- 2. **Iterative Refinement:** Multiple trials of feature formulation were necessary to achieve optimal performance, with Trial 3 of Item\_Sales\_Frequency providing the best results.
- 3. **Domain Knowledge Integration:** Successful features incorporated business logic around outlet age, item popularity, price positioning, and customer preferences.
- 4. **Model Performance:** Polynomial Regression emerged as the best-performing model with the engineered features, achieving RMSE of 1038.26.

**Technical Notes**

- All features included appropriate smoothing terms (e.g., +0.01, +1) to prevent division by zero and extreme values
- Standardization was applied where necessary to ensure feature stability
- Logarithmic transformations were used to handle skewed distributions and reduce the impact of outliers

# Appendix: Explanation of Feature Engineering Equations

## 1. Item\_Sales\_Frequency

### ***Trial 1:***

$$\text{Item\_Sales\_Frequency} = (\text{Outlet\_Age} \times (\text{Item\_MRP} - \text{Item\_Visibility})) / (\text{Item\_Weight} + 1)$$

- Outlet age scales demand over time.
- Item MRP adjusted for visibility (visibility reduces effective pricing power).
- Item weight in denominator acts as a smoothing factor.

### ***Trial 2:***

$$\text{Item\_Sales\_Frequency} = \log(1 + \text{Outlet\_Age}) \times (\text{Item\_MRP} / (\text{Item\_Weight} + 1)) \times \text{Item\_Popularity}$$

- Log transformation dampens the effect of very old outlets.
- Price-to-weight ratio represents cost efficiency.
- Popularity is added to capture demand dynamics.

### ***Trial 3 (Best):***

$$\text{Item\_Sales\_Frequency} = \log(1 + \text{Outlet\_Age}) \times ((\text{Item\_MRP} - \text{mean}(\text{Item\_MRP})) / (\text{std}(\text{Item\_MRP}) + 1)) \times (\text{Item\_Popularity} + 0.01)$$

- Outlet age still captured via log scaling.
- Standardized price (mean-centering and scaling by std) ensures comparability across items.
- Small constant prevents zero-frequency bias.

## 2. Customer\_Outlet\_Preference

$$\text{Customer\_Outlet\_Preference} = \sqrt{(\text{Item\_MRP} / \text{median\_MRP}) \times (1 / (1 + \log(1 + \text{Item\_Visibility})))} \times (\text{Outlet\_Type\_Percentage} / \text{Outlet\_Location\_Type})$$

- Price effect normalized against market median (square root moderates extremes).
- Visibility penalized logarithmically (items too visible may be discounted in preference).
- Outlet preferences weighted by type distribution across locations (captures customer heterogeneity).