

Team notebook

HCMUS-PenguinSpammers

January 26, 2022

Contents

1	A Contest	1
1.1	bashrc	1
1.2	hash	1
1.3	template	1
1.4	troubleshoot	1
1.5	vimrc	2
2	Combinatorial	2
2.1	Factorial	2
2.2	Lucas Theorem	2

1 A Contest

1.1 bashrc

```
// alias c='g++ -Wall -Wconversion  
-Wfatal-errors -g -std=c++17 \  
-fsanitize=undefined,address'  
// xmodmap -e 'clear lock' -e 'keycode  
66=less greater' #caps = <>
```

1.2 hash

```
// # Hashes a file, ignoring all whitespace  
and comments. Use for  
// # verifying that code was correctly typed.
```

```
// cpp -dD -P -fpreprocessed | tr -d  
'[:space:]'| md5sum |cut -c-6
```

1.3 template

```
#include <bits/stdc++.h>  
using namespace std;  
  
#define rep(i, a, b) for(int i = a; i < (b);  
++i)  
#define all(x) begin(x), end(x)  
#define sz(x) (int)(x).size()  
typedef long long ll;  
typedef pair<int, int> pii;  
typedef vector<int> vi;  
  
int main() {  
    ios_base::sync_with_stdio(false);  
    cin.tie(0);  
    cout.tie(0);  
}
```

1.4 troubleshoot

```
// Pre-submit:  
// Write a few simple test cases if sample is  
not enough.  
// Are time limits close? If so, generate max  
cases.
```

```
// Is the memory usage fine?  
// Could anything overflow?  
// Make sure to submit the right file.  
  
// Wrong answer:  
// Print your solution! Print debug output,  
as well.  
// Are you clearing all data structures  
between test cases?  
// Can your algorithm handle the whole range  
of input?  
// Read the full problem statement again.  
// Do you handle all corner cases correctly?  
// Have you understood the problem correctly?  
// Any uninitialized variables?  
// Any overflows?  
// Confusing N and M, i and j, etc.?  
// Are you sure your algorithm works?  
// What special cases have you not thought of?  
// Are you sure the STL functions you use  
work as you think?  
// Add some assertions, maybe resubmit.  
// Create some testcases to run your  
algorithm on.  
// Go through the algorithm for a simple case.  
// Go through this list again.  
// Explain your algorithm to a teammate.  
// Ask the teammate to look at your code.  
// Go for a small walk, e.g. to the toilet.  
// Is your output format correct? (including  
whitespace)  
// Rewrite your solution from the start or  
let a teammate do it.
```

```
// Runtime error:
// Have you tested all corner cases locally?
// Any uninitialized variables?
// Are you reading or writing outside the
//   range of any vector?
// Any assertions that might fail?
// Any possible division by 0? (mod 0 for
//   example)
// Any possible infinite recursion?
// Invalidated pointers or iterators?
// Are you using too much memory?
// Debug with resubmits (e.g. remapped
//   signals, see Various).

// Time limit exceeded:
// Do you have any possible infinite loops?
// What is the complexity of your algorithm?
// Are you copying a lot of unnecessary data?
//   (References)
// How big is the input and output? (consider
//   scanf)
// Avoid vector, map. (use
//   arrays/unordered_map)
// What do your teammates think about your
//   algorithm?

// Memory limit exceeded:
```

```
// What is the max amount of memory your
//   algorithm should need?
// Are you clearing all data structures
//   between test cases?
```

1.5 vimrc

```
// set cin aw ai is ts=4 sw=4 tm=50 nu noeb
//   bg=dark ru cul
// sy on | im jk <esc> | im kj <esc> |
//   no ; :
// " Select region and then type :Hash to
//   hash your selection.
// " Useful for verifying that there aren't
//   mistypes.
// ca Hash w !cpp -dD -P -fpreprocessed \l tr
//   -d '[:space:]' \
// \l md5sum \l cut -c-6
```

2 Combinatorial

2.1 Factorial

n	1	2	3	4	5	6	7	8	9	10
$n!$	1	2	6	24	120	720	5040	40320	362880	3628800
n	11	12	13	14	15	16	17			
$n!$	4.0e7	4.8e8	6.2e9	8.7e10	1.3e12	2.1e13	3.6e14			
n	20	25	30	40	50	100	150	171		
$n!$	2e18	2e25	3e32	8e47	3e64	9e157	6e262	>DBL.MAX		

2.2 Lucas Theorem

For non-negative integers m and n and a prime p , the following congruence relation holds: :

$$\binom{m}{n} \equiv \prod_{i=0}^k \binom{m_i}{n_i} \pmod{p},$$

where :

$$m = m_k p^k + m_{k-1} p^{k-1} + \cdots + m_1 p + m_0,$$

and :

$$n = n_k p^k + n_{k-1} p^{k-1} + \cdots + n_1 p + n_0$$

are the base p expansions of m and n respectively. This uses the convention that $\binom{m}{n} = 0$ if $m < n$.