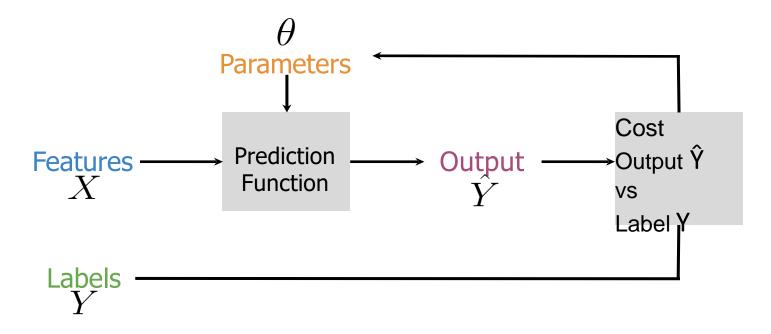
Classification and Vector Spaces



- Logistic regression
 - Supervised Machine Learning & Sentiment Analysis
 - Feature Extraction
 - Preprocessing
 - Training, Testing Logistic Regression

Supervised Machine Learning

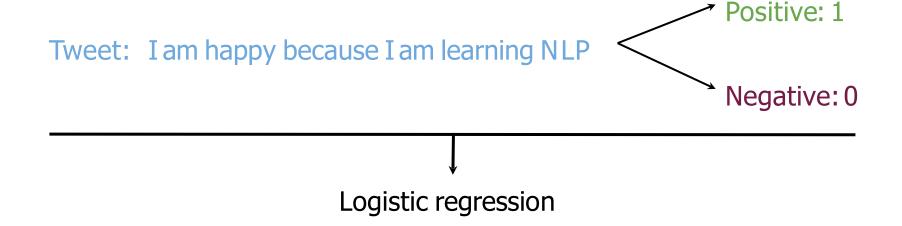




- Input features X and a set of labels Y; minimize your error rates or cost
- Run the prediction function which takes in parameters data to map features to output labels Ŷ
- Calculate the cost function F does this by comparing how closely the output Ŷ is to the label Y.
- Update the parameters and repeat the whole process until your cost is minimized

Sentiment analysis

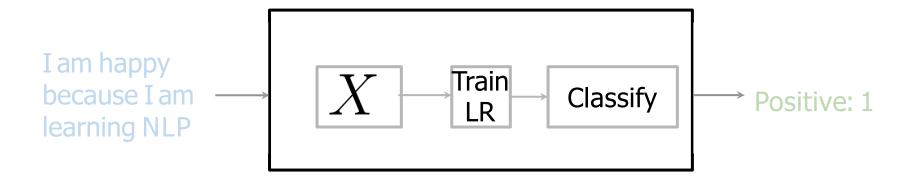




- How can predict whether a tweeta has a positive or a negative sentiment.
- Training set where tweets with a positive sentiment have a label of one, and the tweets with a negative sentiment have a label of zero
- Logistic regression classifierwhich assigns its observations to two distinct classes.

Sentiment analysis





- First process the raw tweets in your training sets and extract useful features
- Train your logistic regression classifier while minimizing the cost
- Make your prediction

Vocabulary and Feature Extraction



- Vocabulary
- Feature extraction
- Sparse representations and some of their issues

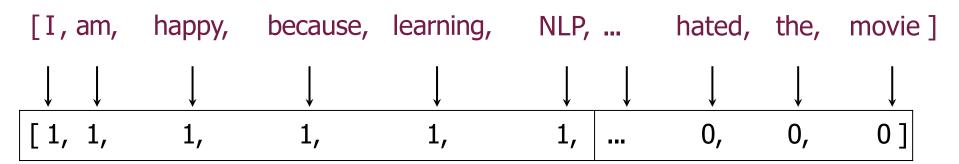
```
Tweets: [\text{tweet\_1, tweet\_2, ..., tweet\_m}] \xrightarrow{\quad .... \quad } \dots
I \text{ hated the movie}
\dots
V = [\text{I, am, happy, because, learning, NLP, ... hated, the, movie}]
```

Feature extraction



- Sparse Represenation
 - To represent a text as a vector, we have to build a vocabulary and that will allow to encode any text or any tweet as an array of numbers
 - The vocabulary V would be the list of unique words from your list of tweets.
 - Sparse Representation assign a value of 1 to that a word of a tweet,
 - If it doesn't appear in the vocabulary V we assign a value of 0.

I am happy because I am learning NLP



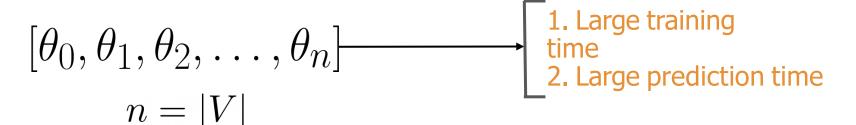
A lot of zeros! That's a sparse representation.

Problems with sparse representations









- A logistic regression model would have to learn N+1 parameters, where N is the size of the vocabulary V
- Large training time
- Large prediction time

Negative and Positive Frequencies Positive and negative counts



Corpus

```
I am happy because I am learning NLP
I am happy
I am sad, I am not learning NLP
I am sad
```

Vocabulary
I
am
happy
because
learning
NLP
sad
not

Positive and negative counts



Positive tweet	S			Negative tweets
I am happy be	ecause I am lear	ning NLP	I am sad, I am	not learning NLP
I am happy				I am sad
Vocabulary	PosFreq (1)		Vocabulary	NegFreq (0)
I			I	
am			am	
happy			happy	
because			because	
learning			learning	
NLP			NLP	
sad			sad	
not	U		not	1

Word frequency in classes



Vocabulary	PosFreq (1)	NegFreq (0)
I	3	3
am	3	3
happy	2	0
because	1	0
learning	1	1
NLP	1	1
sad	0	2
not	0	1

freqs: dictionary mapping from (word, class) to frequency

- Divide tweet corpus into two classes: positive and negative
- Count each time each word appears in either class
- =>Feature extraction for training and prediction!

Feature extraction with frequencies



- Word frequency in classes
 - Extract features from your frequencies dictionary to create a features vector

Vocabulary	PosFreq (1)	NegFreq (0)	
I	3	3	-
am	3	3	<i>fregs</i> : dictionary mapping from
happy	2	0	(word, class) to frequency
because	1	0	(Troid) diass) to it equality
learning	1	1	
NLP	1	1	
sad	0	2	
not	0	1	





freqs: dictionary mapping from (word, class) to frequency

$$X_m = [1, \sum_{w} freqs(w, 1), \sum_{w} freqs(w, 0)]$$
 Features of tweet m Bias Sum Pos. Frequencies Frequencies Frequencies



Feature extraction

Vocabulary	PosFreq (1)
I	<u>3</u>
am	<u>3</u>
happy	2
because	1
learning	-1-
NLP	1
sad	θ
not	θ

I am sad, I am not learning NLP

$$X_m = [1, \sum_{w} freqs(w, 1), \sum_{w} freqs(w, 0)]$$

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Feature extraction

Vocabulary	NegFreq (0)
I	<u>3</u>
am	<u>3</u>
happy	0
because	0
learning	1
NLP	1
sad	2
not	1

I am sad, I am not learning NLP

$$X_m = [1, \sum_{w} freqs(w, 1), \sum_{w} freqs(w, 0)]$$

$$X_{m} = [1, \sum_{w} freqs(w, 1), \sum_{w} freqs(w, 0)]$$

$$X_{m} = [1, 8, 11]$$



Preprocessing

- Outline
- Removing stopwords, punctuation, handles and URLs
- Stemming
- Lowercasing

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@YMourri and @AndrewYNg are tuning a GREAT AI model at https://deeplearning.ai!!!

Stop words	Punctuation
and	,
is	
are	:
at	!
has	11
for	
a	

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@YMourri and @AndrewYNg are tuning a GREAT AI modeLat https://deeplearning.ai!!!

@YMourri @AndrewYNg tuning GREAT AI model https://deeplearning.ai!!!

Stop words	Punctuation
Stop words	<u> Functuation</u>
<u>and</u>	1
is	
<u>are</u>	:
<u>at</u>	ļ.
has	"/
for	
<u>a</u>	

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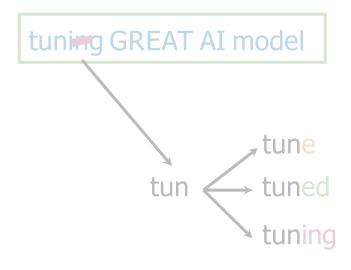


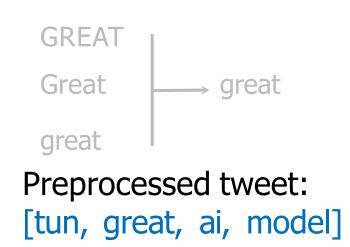
```
@YMourri @AndrewYNg tuning GREAT AI model https://deeplearning.ai tuning GREAT AI model
```

(©) deeplearning.aii









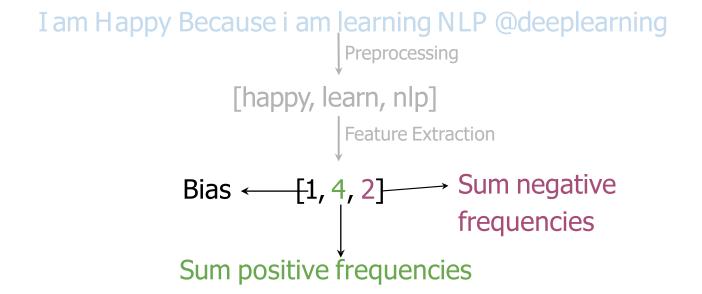
Stemming in NLP is simply transforming any word to its base stem, which you could
define as the set of characters that are used to construct the word and its derivatives.

② deeplearning.a

Putting it together



General overview



General overview

```
I am Happy Because i am

learning NLP

@deeplearning

[1, 40, 20],
[sad, not, learn, nlp]

I am sad not learning NLP

...

[1, 5, 35]]

I am sad:(
```

General Implementation

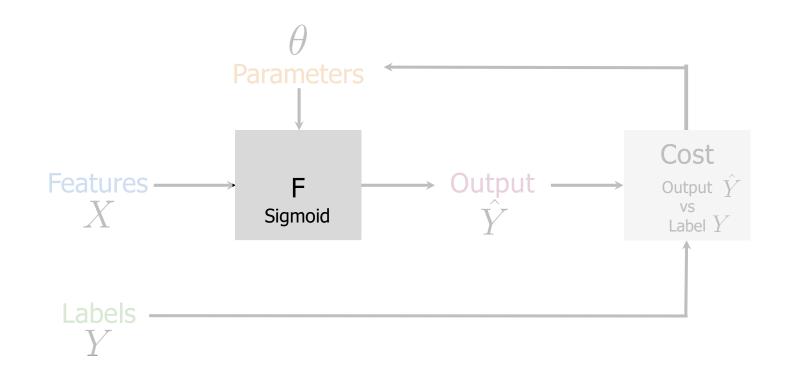


• Implement the feature extraction algorithm for your entire set of tweets

Overview of Logistic Regression



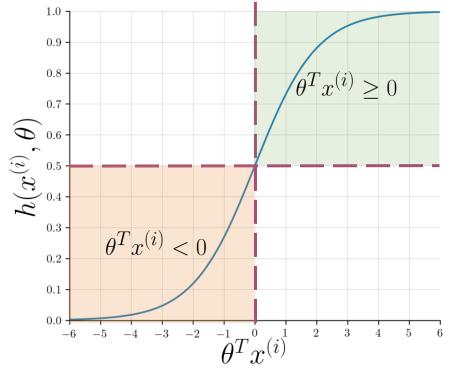
Overview of logistic regression



Overview of logistic regression



$$h(x^{(i)}, \theta) = \frac{1}{1 + e^{-\theta^T x^{(i)}}} \underbrace{\frac{e^{0.6} - e^{-\theta^T x^{(i)}}}{1 + e^{-\theta^T x^{(i)}}}}_{\text{2}} \underbrace{\frac{e^{0.6} - e^{-\theta^T x^{(i)}}}{1 + e^{-\theta^T x^{(i)}}}}_{\text{2}}$$

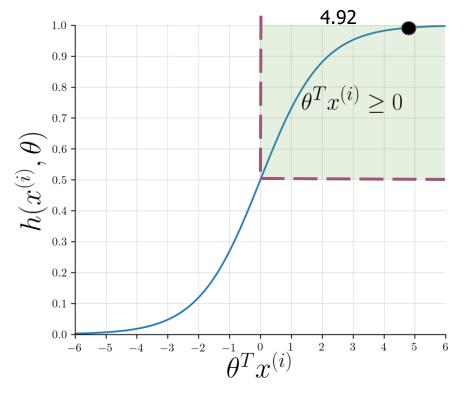


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Overview of logistic regression

@YMourri and @AndrewYNg are tuning a GREAT AI model [tun, ai, great, model]
$$x^{(i)} = \begin{bmatrix} 1\\3476\\245 \end{bmatrix} \theta = \begin{bmatrix} 0.00003\\0.00150\\-0.00120 \end{bmatrix}$$



$$\theta^T x^{(i)} \ge 0 \longrightarrow h(x^{(i)}, \theta) \ge 0.5$$

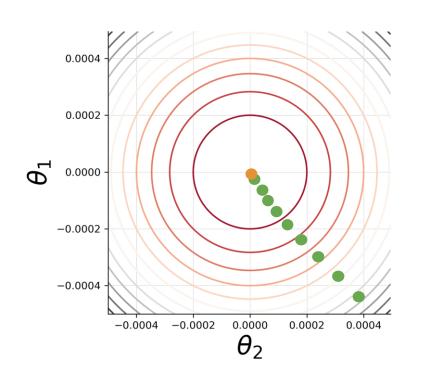
$$\theta^T x^{(i)} < 0 \longrightarrow h(x^{(i)}, \theta) < 0.5$$

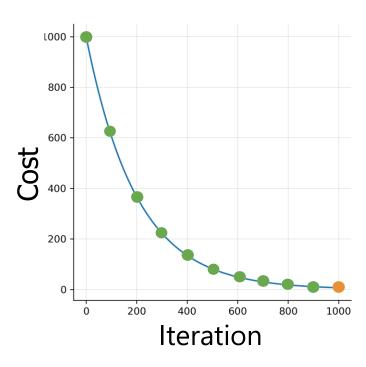
, positive

, negative

Logistic Regression: Training



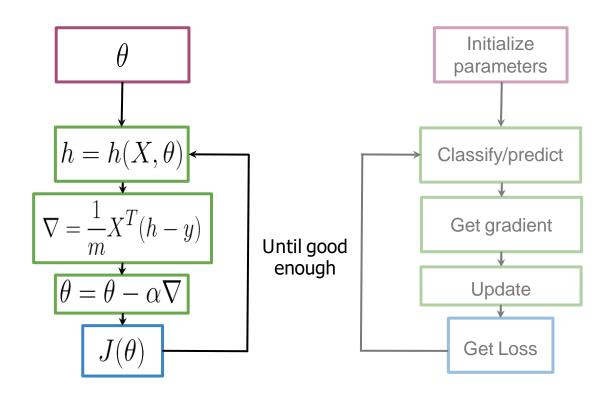




- To train a logistic regression classifier, iterate until you find the set of parameters θ,that minimizes your cost function.
- This algorithm of training is called gradient descent

Training LR





- Visualize how gradient descent works
- Use gradient descent to train your logistic regression classifier
- =>Compute the accuracy of your model

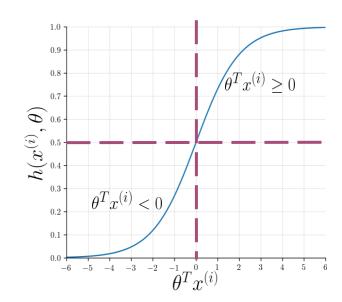




•
$$X_{val} Y_{val} \theta$$

$$h(X_{val}, \theta)$$

$$pred = h(X_{val}, \theta) \ge 0.5$$



$$\begin{bmatrix} 0.3 \\ 0.8 \\ 0.5 \\ \vdots \\ h_m \end{bmatrix} \ge 0.5 = \begin{bmatrix} 0.3 \ge 0.5 \\ \hline 0.8 \ge 0.5 \\ \hline 0.5 \ge 0.5 \\ \vdots \\ pred_m \ge 0.5 \end{bmatrix} = \begin{bmatrix} 0 \\ \hline 1 \\ \vdots \\ pred_m \end{bmatrix}$$

Testing logistic regression

•
$$X_{val} Y_{val} \theta$$

$$h(X_{val}, \theta)$$

$$pred = h(X_{val}, \theta) \ge 0.5$$

$$\sum_{i=1}^{m} \frac{(pred^{(i)} = y_{val}^{(i)})}{m}$$

$$\begin{bmatrix} \underline{0} \\ \underline{1} \\ 1 \\ \vdots \\ pred_m \end{bmatrix} == \begin{bmatrix} \underline{0} \\ \underline{0} \\ 1 \\ \vdots \\ Y_{val_m} \end{bmatrix}$$

$$\begin{bmatrix} \frac{1}{0} \\ \frac{1}{1} \\ \vdots \\ pred_m == Y_{val_m} \end{bmatrix}$$



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Testing logistic regression

$$Y_{val} = egin{bmatrix} 0 \ 1 \ 1 \ 0 \ 1 \end{bmatrix} pred = egin{bmatrix} 0 \ 1 \ 0 \ 1 \end{bmatrix} accuracy = egin{bmatrix} 4 \ 5 \end{bmatrix} = 0.8$$

$$\bullet X_{val} Y_{val} \longrightarrow$$

•
$$X_{val}$$
 Y_{val} Performance on unseen data • Accuracy $\sum_{i=1}^{m} \frac{(pred^{(i)} == y_{val}^{(i)})}{m}$





$$J(\theta) = -\frac{1}{m} \sum_{i=1}^{m} \left[y^{(i)} \log h(x^{(i)}, \theta) + (1 - y^{(i)}) \log(1 - h(x^{(i)}, \theta)) \right]$$

$$J(\theta) = -\frac{1}{m} \sum_{i=1}^{m} y^{(i)} \log h(x^{(i)}, \theta) + (1 - y^{(i)}) \log (1 - h(x^{(i)}, \theta))]$$

$$y^{(i)} h(x^{(i)}, \theta)$$
0 any 0
1 0.99 ~0
1 ~0 -inf





$$J(\theta) = -\frac{1}{m} \sum_{i=1}^{m} \left[y^{(i)} \log h(x^{(i)}, \theta) + (1 - y^{(i)}) \log(1 - h(x^{(i)}, \theta)) \right]$$

$$y^{(i)} h(x^{(i)}, \theta)$$
1 any 0
0 0.01 ~0
0 ~1 -inf

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