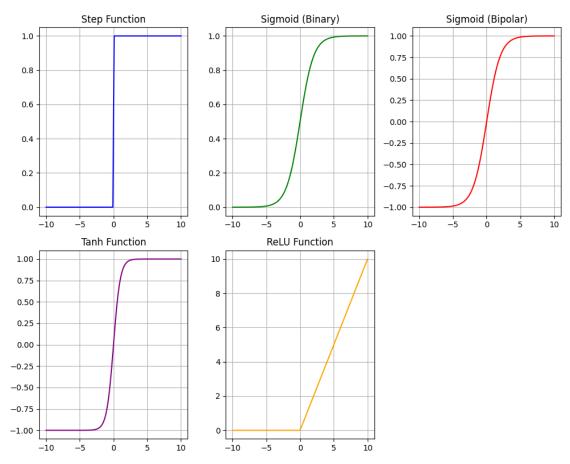
## vansh-152-lab2

## September 24, 2024

```
[1]: import numpy as np
     import matplotlib.pyplot as plt
     # 1. Implement Activation Functions
     # Step Function:
     # This function outputs 1 if the input is greater than or equal to 0, otherwise_
      \hookrightarrow it outputs 0.
     # It's commonly used in early neural networks but is rarely used now due to itsu
      → limitations (non-differentiability).
     def step_function(x):
         return np.where(x >= 0, 1, 0)
     # Sigmoid Function (Binary):
     # The binary sigmoid squashes any real-valued number into the range (0, 1).
     # It is commonly used for binary classification tasks in neural networks.
     def sigmoid_binary(x):
         return 1 / (1 + np.exp(-x))
     # Sigmoid Function (Bipolar):
     # The bipolar sigmoid maps the input into the range (-1, 1), useful for cases_{\sqcup}
      ⇒where outputs need to have a negative range.
     # The formula is slightly modified from the binary sigmoid.
     def sigmoid_bipolar(x):
         return 2 / (1 + np.exp(-x)) - 1
     # Tanh Function:
     # The tanh (hyperbolic tangent) function outputs values between -1 and 1.
     # It's commonly used in neural networks, especially for hidden layers, as it_{\sqcup}
      ⇔centers the data around 0.
     def tanh function(x):
         return np.tanh(x)
     # ReLU Function:
     # The ReLU (Rectified Linear Unit) function returns the input if it's positive,
      ⇔otherwise returns 0.
```

```
# It's one of the most popular activation functions in modern neural networks
 ⇔because of its simplicity and efficiency.
def relu_function(x):
   return np.maximum(0, x)
# 2. Visualize Activation Functions
# Here, we generate 100 values of x between -10 and 10 to visualize the
 →activation functions' behavior over this range.
x = np.linspace(-10, 10, 100)
# Setting up a figure for the plots, and defining the size of the figure.
plt.figure(figsize=(10, 8))
# Plot Step Function:
# Subplot 1: We plot the Step Function to observe how it changes the input.
plt.subplot(2, 3, 1) # Subplot layout with 2 rows and 3 columns, this is the
 \hookrightarrow1st plot.
plt.plot(x, step_function(x), label="Step Function", color='blue') # Plot the_
 ⇔step function using blue color.
plt.title("Step Function") # Title for the plot.
plt.grid(True) # Adding a grid for better readability of the graph.
# Plot Sigmoid (Binary):
# Subplot 2: We plot the Binary Sigmoid function and observe how it smoothly ⊔
 ⇔changes the input.
plt.subplot(2, 3, 2) # This is the 2nd plot in the grid.
plt.plot(x, sigmoid_binary(x), label="Sigmoid (Binary)", color='green') # Plot∪
 →using green color.
plt.title("Sigmoid (Binary)") # Title for the plot.
plt.grid(True) # Adding grid lines for clarity.
# Plot Sigmoid (Bipolar):
# Subplot 3: We plot the Bipolar Sigmoid to see how its range differs from the
 ⇔binary version.
plt.subplot(2, 3, 3) # This is the 3rd plot.
plt.plot(x, sigmoid_bipolar(x), label="Sigmoid (Bipolar)", color='red') # Plot_
 ⇒in red to distinguish from binary sigmoid.
plt.title("Sigmoid (Bipolar)") # Title for the plot.
plt.grid(True) # Grid lines for better visualization.
# Plot Tanh Function:
# Subplot 4: The Tanh function plot shows the smooth transition of values from
\hookrightarrow -1 to 1.
plt.subplot(2, 3, 4) # This is the 4th plot in the grid.
```

```
plt.plot(x, tanh_function(x), label="Tanh", color='purple') # Plot in purple_
 ⇔color.
plt.title("Tanh Function") # Title for the plot.
plt.grid(True) # Adding grid for clarity.
# Plot ReLU Function:
# Subplot 5: The ReLU function plot demonstrates how values are zero for \Box
→negative inputs and remain linear for positive inputs.
plt.subplot(2, 3, 5) # This is the 5th plot in the grid.
plt.plot(x, relu_function(x), label="ReLU", color='orange') # Plot using_
⇔orange color.
plt.title("ReLU Function") # Title for the plot.
plt.grid(True) # Adding grid lines for better understanding.
# Adjust layout to make sure plots do not overlap or get too close to each
\hookrightarrow other.
plt.tight_layout()
# Finally, display all the plots.
plt.show()
```



```
[3]: import tensorflow as tf
     from tensorflow.keras import layers, models
     from sklearn.metrics import accuracy_score
     import numpy as np
     # Set random seed for reproducibility
     np.random.seed(42) # Set seed for NumPy
     tf.random.set_seed(42) # Set seed for TensorFlow
     # XOR Dataset:
     # X contains the input values for the XOR problem.
     # y contains the corresponding outputs for the XOR truth table.
     # XOR outputs 1 when the inputs are different and 0 when they are the same.
     X = np.array([[0, 0], [0, 1], [1, 0], [1, 1]]) # Input values for XOR
     y = np.array([0, 1, 1, 0]) # Output values for XOR
     # Build neural network model:
     # This function creates a simple neural network model with 1 hidden layer of 41
      ⇔neurons.
     # The activation_function argument allows us to test different activation_
      ⇔functions for the hidden layer.
     # The output layer has 1 neuron with a 'sigmoid' activation, suitable for \square
      ⇒binary classification tasks like XOR.
     def create model(activation function):
         model = models.Sequential() # Initializing a sequential model
      \hookrightarrow (layer-by-layer construction).
         model.add(layers.Dense(4, input_dim=2, activation=activation_function)) #__
      →Hidden layer with 4 neurons, custom activation.
         model.add(layers.Dense(1, activation='sigmoid')) # Output layer with 1_{\sqcup}
      ⇔neuron, using 'sigmoid' for binary classification.
         # Compiling the model with Adam optimizer, binary cross-entropy as the loss
      →function (since it's binary classification),
         # and accuracy as the metric to evaluate performance during training.
         model.compile(optimizer='adam', loss='binary_crossentropy',__
      ⇔metrics=['accuracy'])
         return model
     # Train and evaluate the model with different activation functions:
     # We'll iterate through a list of different activation functions ('sigmoid', ___
      → 'tanh', 'relu') to compare their performance.
     activations = ['sigmoid', 'tanh', 'relu']
     for activation in activations:
         print(f"\nTraining with {activation} activation:")
```

```
# Create the model with the specified activation function for the hidden \Box
\hookrightarrow layer.
  model = create_model(activation)
  # Train the model for 100 epochs on the XOR dataset. We use verbose=0 to \Box
→suppress the training output for simplicity.
  model.fit(X, y, epochs=100, verbose=0)
   # After training, we use the model to predict the outputs for the XOR_{f L}
\rightarrow inputs (X).
   # The model outputs probabilities, so we use (predictions > 0.5) to convert
⇔them into binary 0 or 1.
  predictions = (model.predict(X) > 0.5).astype("int32")
   # Calculate the accuracy by comparing the predicted outputs with the actual
\hookrightarrow XOR outputs (y).
  accuracy = accuracy_score(y, predictions)
  # Print the accuracy for the current activation function.
  print(f"Accuracy with {activation}: {accuracy * 100:.2f}%")
```

## Training with sigmoid activation:

/Library/Frameworks/Python.framework/Versions/3.12/lib/python3.12/site-packages/keras/src/layers/core/dense.py:87: UserWarning: Do not pass an `input\_shape`/`input\_dim` argument to a layer. When using Sequential models, prefer using an `Input(shape)` object as the first layer in the model instead. super().\_\_init\_\_(activity\_regularizer=activity\_regularizer, \*\*kwargs)

1/1 Os 13ms/step Accuracy with sigmoid: 50.00%

Training with tanh activation:

/Library/Frameworks/Python.framework/Versions/3.12/lib/python3.12/site-packages/keras/src/layers/core/dense.py:87: UserWarning: Do not pass an `input\_shape`/`input\_dim` argument to a layer. When using Sequential models, prefer using an `Input(shape)` object as the first layer in the model instead. super().\_\_init\_\_(activity\_regularizer=activity\_regularizer, \*\*kwargs)

WARNING:tensorflow:5 out of the last 5 calls to <function
TensorFlowTrainer.make\_predict\_function.<locals>.one\_step\_on\_data\_distributed at
0x316f13380> triggered tf.function retracing. Tracing is expensive and the
excessive number of tracings could be due to (1) creating @tf.function
repeatedly in a loop, (2) passing tensors with different shapes, (3) passing
Python objects instead of tensors. For (1), please define your @tf.function
outside of the loop. For (2), @tf.function has reduce\_retracing=True option that
can avoid unnecessary retracing. For (3), please refer to

## Training with relu activation:

/Library/Frameworks/Python.framework/Versions/3.12/lib/python3.12/site-packages/keras/src/layers/core/dense.py:87: UserWarning: Do not pass an `input\_shape`/`input\_dim` argument to a layer. When using Sequential models, prefer using an `Input(shape)` object as the first layer in the model instead. super().\_\_init\_\_(activity\_regularizer=activity\_regularizer, \*\*kwargs)

Accuracy with relu: 100.00%

Interpretation: Tanh: Scales inputs between -1 and 1, centered at zero, making it useful for handling negative values. ReLU: Efficient for deep networks, outputs zero for negative inputs and the input itself for positive values, preventing saturation. Sigmoid: Squeezes inputs between 0 and 1, prone to vanishing gradients, but suitable for binary classification tasks.