DATE _ Section-CST Rull No. - 25 PAGE -Univ. Roll No -2017576 Tutorial-4 J 0 T(n)=3T(n/2)+n2 0 T(n) = aT(n/b) + f(n) a=3 b=2 $f(n)=n^2$ c = log, a = log, 3 ≈ 1.58 nc = n1.58 F(n) = n2 f(n) > n c T(n) = 0 (n2) T(n) = 4T(n/2) + n2 c = log 4 = 2 n = n2 V f(n) = n2 T(n) = nclogn 000000 (T(n) = 0 (n2 logn) T(n) = T(n/2) + 20 c = log 1 = 0 nc = I F(n) = 20 T(n) = 0 (21) T(n)=20T(n/2)+n0 84. a = 29 a Master's theorem not applicable as 'a' is not a constant.

Name-Vansh Kalka

DATE _ PAGE -85. T(n)=16T(n/4)+n c = logy 16 = 2 $\frac{n^{c} = n^{2} > f(n)}{\left[T(n) = \Theta(n^{2})\right]}$ 86. T(n) = 2T(n/2) + nlogn c = log_2 = 1 f(n)=nlogn>nc T(n)=O(nlogn) 87. T(n) = 27(n/2) + n/logn. c = log 2 = 1 f(n) = n/logn < nc 88. T(n) = 27 (n/4) + no.51 c = log, 2 = 0.5 Uc = U0.2 f(n) = no.s1 T(n) = A (no.s1) T(n) = 0.5 + (n/2) + 1/n C = log 0.5 = -1 nc = /n $\frac{F(n) = \sqrt{n}}{T(n) = \theta \left(\frac{1}{n} \log n\right)}$

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010		
\$ 10	$T(\eta) = 16T(\eta/4) + \eta'$	
	$c = \log_4 16 = 2$ $n^c = n^2$	
	f(n)=n!	
	$T(n) = \Theta(n!)$	
311	T(n)= 4T(n/2) + logn	
	C = log 2 4 = 2	
	$n^c = n^2$	
	$f(n) = \log n$	
	$T(n) = O(n^2)$	
212.	T(n) = 50 T(n/2) + lagn	MAIN THE THE
	a Master's theorem not applicable as 'ar is	not constant.
		13
813.	T(n) = 3T(n/2) + n	
	C= 10925 = 1.5	
	$n^{c} = n^{\tau,s}$	
	f(n) = 0	
	T(n) = 0 (n loge 3)	
) ! ! !	T(a) 25/0/2). To	
=	[T(n) = 3T(n/3) + 5n	
	t(v) = 20	
	$n^c = n$	
	$[\Pi(n) = \Theta(n)]$	
lis.	T(n)=4T(n/2) + cn	
	C = 10g 4 = 2	
	$n^c = n^2$	
	f(n) = cn	
	[[(n)=8(n2)]	

K

