

Assignment

Ans-1 Unsigned magnitude

(+35 only, as negative can't be shown)

$$+35 \rightarrow 00100011$$

• Signed magnitude

sign bit $\rightarrow 0 \rightarrow +, 1 \rightarrow -$

$$+35 = 00100011$$

$$-35 = 10100011$$

• 1's Complement

$$+35 = 00100011$$

$$-35 = 11011100$$

• 2's Complement

$$+35 \rightarrow 00100011$$

$$-35 \rightarrow 1's \text{ complement} + 1 \rightarrow 11011100$$

+1

$$\underline{11011101}$$

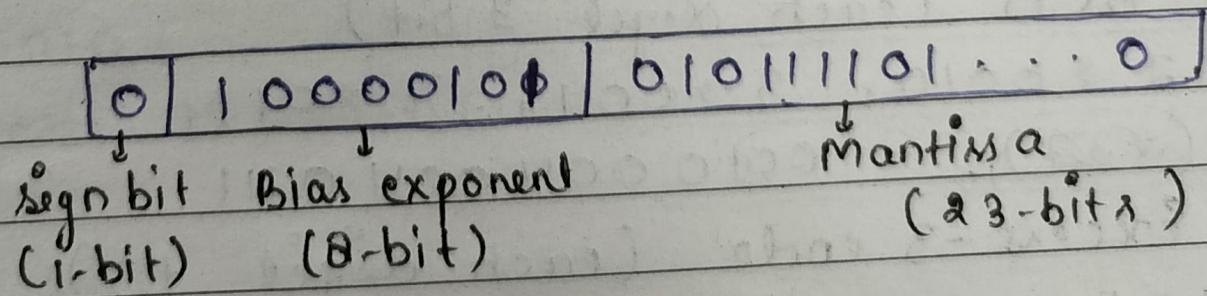
Ans-2

$$(87.625)_{10} \rightarrow (1010111.101)_2$$

$$(1010111.101)_2 \rightarrow 1.01011101 \times 2^6 \text{ (Implicit normalized form)}$$

Biased exponent $\rightarrow 6 + 127 = 133$

$$(133)_{10} \rightarrow (10000101)_2$$



Ans-3

$$(+32.25)_{10} \rightarrow (100000.01)_2$$

$$(100000.01)_2 \rightarrow 1.0000001 \times 2^5 \text{ (Implicit normalized form)}$$

Biased exponent $\rightarrow S + 127 = 132$

$(132)_{10} = (10000100)_2$

Sign-bit (1-bit)	Bias exponent (8-bit)	Mantissa (23-bit)
1	10000100	0000001...0

An-4 001111001101101000000000000000

Sign bit = 0

Exponent = 0111100 = 24

Actual = $124 - 127 = -3$

Mantissa = 1.1101101...0

Value = 1.1101101×2^{-3}

$$= \frac{1.1101101}{8} = 0.2333984375 \text{ approx.}$$

An-5(a) BCD (each digit 4-bit)

6 \rightarrow 0110, 2 \rightarrow 0010, 4 \rightarrow 0100, 8 \rightarrow 1000

$(6248)_{10} \rightarrow 0110001001001000$

(b) Excess-3 code (each digit 3-bit)

6 \rightarrow 9 \rightarrow 1001, 2 \rightarrow 5 \rightarrow 0101, 8 \rightarrow 11 \rightarrow 1011, 4 \rightarrow 7 \rightarrow 011

$(6248)_{10} = 1001010101111011$

(c) Gray code

Binary \rightarrow 1100001101000

Gray \rightarrow 1010001011100

An-6(a) BCD (each digit 3-bit)

2 \rightarrow 0010, 3 \rightarrow 0011, 7 \rightarrow 0111

$(2337)_{10} = 0010001100110111$

(b) Excess-3 code (each digit +3)

2 \rightarrow 5 \rightarrow 0101, 3 \rightarrow 6 \rightarrow 0110, 7 \rightarrow 10 \rightarrow 1010

$(2337)_{10} \rightarrow 0101011001101010$

Ans-7 a) BCD (each digit \rightarrow 4-bit)

$$(2467)_{10} \rightarrow 0010\ 0100\ 0110\ 0111$$

b) Excess-3 code (each digit \rightarrow 3-bit)

$$(2467)_{10} \rightarrow 0101\ 0111\ 1001\ 1011$$

Ans-8 a) BCD (each digit \rightarrow 4-bit)

$$(1432)_{10} \rightarrow 0001\ 0100\ 0011\ 0010$$

b) excess - 3 code (each digit +3)

$$(1432)_{10} \rightarrow 0100\ 0111\ 0110\ 0101$$

Ans-9 a) BCD (each digit \rightarrow 4-bit)

$$(6742)_{10} \rightarrow 0110\ 0111\ 0100\ 0010$$

b) Excess-3 code

$$(6742)_{10} \rightarrow 1001\ 1010\ 0111\ 0101$$

Ans-10 100010010111

a) BCD

$$1000\ 1001\ 0111 \rightarrow 897$$

b) excess - 3

$$1000\ 1001\ 0111 \rightarrow (8-3)(9-3)(7-3) = 564$$

c) Binary

$$100010010111 \rightarrow 2199$$

Ans-11 111000101

Gray code \rightarrow 100100111

Ans-12 000111101

Binary number \rightarrow 000101001

- Ans-3
- a) Gray code for $1011 \rightarrow 1110$
 - b) As only 1 bit changes between successive values \rightarrow reduces misread errors in mechanical / electronic transitions

Ans-4 a) Binary : $0111 \rightarrow 1000$ (4-bit changed)

b) $0111 \rightarrow$ Binary \rightarrow Gray $\rightarrow 0100$
 $1000 \rightarrow$ Binary \rightarrow Gray $\rightarrow 1100$

c) In binary, multiple simultaneous bit flips may register incorrectly. In Gray, only 1-bit flips \rightarrow safe, reliable detection.