

U10:23B CS10087  
 We define  $f(x, y)$  as the number of different corresponding bits in the binary representation of  $x$  and  $y$ . For example,  $f(2, 7) = 2$ , since the first and third bit differ, so  $f(2, 7) = 2$ .  
 You are given an array of  $N$  positive integers,  $A_1, A_2, \dots, A_N$ . Find sum of  $f(A_i, A_j)$  for all pairs  $(i, j)$  such that  $1 \leq i, j \leq N$ . Return the answer modulo  $10^9 + 7$ .

### # Constraints

$$1 \leq N \leq 10^5$$

$$1 \leq A[i] \leq 2^{31} - 1$$

### # Approach →

- ① We will create a frequency array of counting for each position in binary representation that how many ~~bits~~ ~~number~~ are ~~set~~ having the bit set at that position.
- ② We will count the sum of total such pairs ~~not~~ for bit position  $i$ ,

$$sm = \sum_{i=0}^{i=31} pos[i] \times [pos[i] + N]$$

- ③ finally, since  $ii$  and  $ii$  are two different pairs, we will double the answer

$$sm = sm \times 2$$

- ④ It returns the final answer.

# Code →

```
#include <bits/stdc++.h>
const int MOD = 1000000007;
int main() {
    int n;
    cin >> N;
    vector<int> a(n);
    for (int i=0; i<n; i++)
        cin >> a[i];
    int freq[31];
    for (int i=0; i<n; i++) {
        for (int j=0; j<31; j++) {
            if (a[i] & (1 << j))
                freq[j] += 1;
        }
    }
    int ans = 0;
    for (int i=0; i<31; i++) {
        int p = freq[i] * (N - freq[i]);
        ans = (ans + p) % MOD;
    }
    ans = (ans * 2) % MOD;
    cout << ans << endl;
    return 0;
}
```

Test case :  $n=3 \quad a=[3, 1, 5]$

$$ans = 8$$

