Lab test one

1.REMOVE ALL OCCERENCES: Given an integer array nums and an integer val, remove all occurrences of val in nums in-place. The relative order of the elements may be changed.

Program:

```
def remove_element(nums, val):
    i = 0
    for j in range(len(nums)):
        if nums[j] != val:
            nums[i] = nums[j]
            i += 1
        return i
nums = [3, 2, 2, 3]
val = 3
new_length = remove_element(nums, val)
print("New length:", new_length)
print("Modified array:", nums[:new_length])
```

time complexity of O(n) O(n)

- 2. Determine if a 9×9 Sudoku board is valid. Only the filled cells need to be validated according to the following rules:
 - 1. Each row must contain the digits 1-9 without repetition.
 - 2. Each column must contain the digits 1-9 without repetition.
 - 3. Each of the nine 3×3 sub-boxes of the grid must contain the digits 1-9 without repetition.

Program:

```
return False
  for row in board:
     if has_duplicates(row):
       return False
  for col in zip(*board):
     if has_duplicates(col):
       return False
  for box_row in range(0, 9, 3):
     for box_col in range(0, 9, 3):
       box = [board[r][c] for r in range(box_row, box_row + 3) for c in range(box_col, box_col + 3)]
       if has_duplicates(box):
          return False
  return True
sudoku_board = [
  ["5", "3", ".", ".", "7", ".", ".", ".", "."],
  ["6", ".", ".", "1", "9", "5", ".", ".", "."],
  [".", "9", "8", ".", ".", ".", ".", "6", "."],
  ["8", ".", ".", "6", ".", ".", ".", "3"],
  ["4", ".", ".", "8", ".", "3", ".", ".", "1"],
  ["7", ".", ".", "2", ".", ".", "6"],
  [".", "6", ".", ".", ".", "2", "8", "."],
  [".", ".", ".", "4", "1", "9", ".", ".", "5"],
  [".", ".", ".", "8", ".", ".", "7", "9"]
]
print(is_valid_sudoku(sudoku_board))
time complexity of this solution is O(\mathsf{1})
```

3. Sudoku Solver

Write a program to solve a Sudoku puzzle by filling the empty cells.

A sudoku solution must satisfy all of the following rules:

- 1. Each of the digits 1-9 must occur exactly once in each row.
- 2. Each of the digits 1-9 must occur exactly once in each column.

3. Each of the digits 1-9 must occur exactly once in each of the 9 3x3 sub-boxes of the grid.

```
Program:
def solve_sudoku(board):
  def is_valid(board, row, col, num):
    for x in range(9):
      if board[row][x] == num:
         return False
    for x in range(9):
      if board[x][col] == num:
         return False
    start_row, start_col = 3 * (row // 3), 3 * (col // 3)
    for i in range(3):
      for j in range(3):
         if board[i + start_row][j + start_col] == num:
           return False
    return True
  def solve(board):
    for row in range(9):
       for col in range(9):
         if board[row][col] == '.':
           for num in map(str, range(1, 10)):
              if is_valid(board, row, col, num):
                board[row][col] = num
                if solve(board):
                  return True
                board[row][col] = '.'
           return False
    return True
  solve(board)
sudoku_board = [
  ["5", "3", ".", ".", "7", ".", ".", ".", "."],
```

```
["6", ".", ".", "1", "9", "5", ".", ".", "."],

[".", "9", "8", ".", ".", ".", ".", ".", "3"],

["4", ".", ".", "8", ".", "3", ".", "1"],

["7", ".", ".", ".", "2", ".", ".", "6"],

[".", "6", ".", ".", "1", "9", ".", "5"],

[".", ".", ".", ".", "8", ".", "7", "9"]

]

solve_sudoku(sudoku_board)

for row in sudoku_board:

print(row)
```

The worst-case time complexity of this approach is O(981)O(981)

4. Count and Say

The count-and-say sequence is a sequence of digit strings defined by the recursive formula:

- countAndSay(1) = "1"
- countAndSay(n) is the way you would "say" the digit string from countAndSay(n-1), which is then converted into a different digit string.

Program:

```
def count_and_say(n):
    if n == 1:
        return "1"
    previous_seq = count_and_say(n - 1)
    result = []
    count = 1
    for i in range(1, len(previous_seq)):
        if previous_seq[i] == previous_seq[i - 1]:
        count += 1
        else:
        result.append(str(count))
```

```
result.append(previous_seq[i - 1])
    count = 1

result.append(str(count))

result.append(previous_seq[-1])

return ".join(result)

for i in range(1, 6):
    print(f"countAndSay({i}) = {count_and_say(i)}")
```

the time complexity for generating each term is $O(L(n extsf{-}1)) O(L(n extsf{-}1))$

5. . Combination Sum

Given an array of distinct integers candidates and a target integer target, return a list of all unique combinations of candidates where the chosen numbers sum to target. You may return the combinations in any order.

```
Program:
```

```
def combinationSum(candidates, target):
  def backtrack(remaining, start, path):
    if remaining == 0:
      result.append(list(path))
      return
    elif remaining < 0:
      return
    for i in range(start, len(candidates)):
      path.append(candidates[i])
      backtrack(remaining - candidates[i], i, path)
      path.pop()
  result = []
  candidates.sort()
  backtrack(target, 0, [])
  return result
candidates = [2, 3, 6, 7]
target = 7
print(combinationSum(candidates, target))
```

the overall time complexity is $O(N\log \overline{M}N+2N)O(N\log N+2N)$

6. Combination Sum II

Given a collection of candidate numbers (candidates) and a target number (target), find all unique combinations in candidates where the candidate numbers sum to target.

Each number in candidates may only be used once in the combination.

Note: The solution set must not contain duplicate combinations

Program:

```
def combinationSum2(candidates, target):
  def backtrack(remaining, start, path):
    if remaining == 0:
      result.append(list(path))
      return
    elif remaining < 0:
      return
    for i in range(start, len(candidates)):
      if i > start and candidates[i] == candidates[i - 1]:
         continue # Skip duplicates
      path.append(candidates[i])
      backtrack(remaining - candidates[i], i + 1, path)
      path.pop()
  result = []
  candidates.sort()
  backtrack(target, 0, [])
  return result
candidates = [10, 1, 2, 7, 6, 1, 5]
target = 8
print(combinationSum2(candidates, target))
```

7. Permutations II

Given a collection of numbers, nums, that might contain duplicates, return all possible unique permutations in any order.

```
Program:

def permuteUnique(nums):
```

```
def backtrack(start):
    if start == len(nums):
      result.append(nums[:])
      return
    seen = set()
    for i in range(start, len(nums)):
      if nums[i] in seen:
        continue
      seen.add(nums[i])
      nums[start], nums[i] = nums[i], nums[start]
      backtrack(start + 1)
      nums[start], nums[i] = nums[i], nums[start]
  result = []
  nums.sort()
  backtrack(0)
  return result
nums = [1, 1, 2]
print(permuteUnique(nums))
```