## 123. NP-Complete and NP-Hard Problem

AIM: To solve the NP – Complete and NP – Hard Problem by using Tracibility and approximation Algorithm

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PROGRAM:
class TSP:
  def __init__(self, graph):
    self.graph = graph
    self.num_vertices = len(graph)
  def nearest_neighbor(self, start_vertex):
    visited = [False] * self.num_vertices
    path = [start_vertex]
    current_vertex = start_vertex
    total_cost = 0
    visited[start_vertex] = True
    for _ in range(self.num_vertices - 1):
      next_vertex = None
      min_cost = float('inf') # Initialize min_cost to infinity
      for neighbor in range(self.num_vertices):
         if not visited[neighbor] and self.graph[current_vertex][neighbor] < min_cost:
           min_cost = self.graph[current_vertex][neighbor]
           next vertex = neighbor
      path.append(next_vertex)
```

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total_cost += min_cost
      visited[next_vertex] = True
      current_vertex = next_vertex
    # Return to the start vertex
    path.append(start_vertex)
    total_cost += self.graph[current_vertex][start_vertex]
    return path, total_cost
# Example usage:
graph = [
  [0, 10, 15, 20],
  [10, 0, 35, 25],
  [15, 35, 0, 30],
  [20, 25, 30, 0]
]
tsp = TSP(graph)
start_vertex = 0 # Start from vertex 0
path, total_cost = tsp.nearest_neighbor(start_vertex)
print("Traveling Salesman Problem - Approximation Algorithm (Nearest Neighbor):")
print("Graph:")
for row in graph:
  print(row)
print("Starting from vertex:", start_vertex)
```

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print("Approximate TSP Cost:", total_cost)

Traveling Salesman Problem - Approximation
         Algorithm (Nearest Neighbor):
         Graph:
         [0, 10, 15, 20]
```

[0, 10, 15, 20]
[10, 0, 35, 25]
[15, 35, 0, 30]
[20, 25, 30, 0]
Starting from vertex: 0
Approximate TSP Path: [0, 1, 3, 2, 0]
OUTPUT: Approximate TSP Cost: 80

TIME COMPLEXITY: O( N log N)

print("Approximate TSP Path:", path)