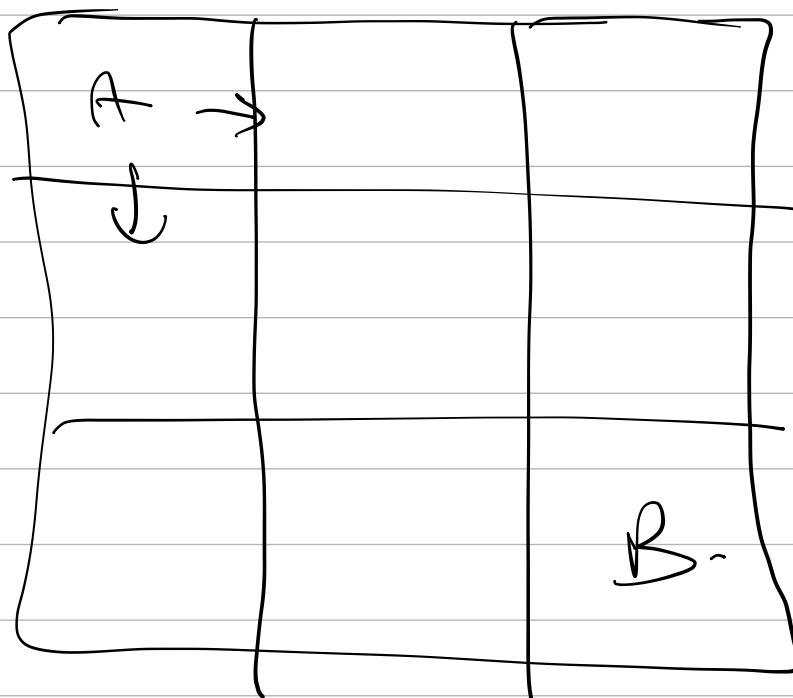
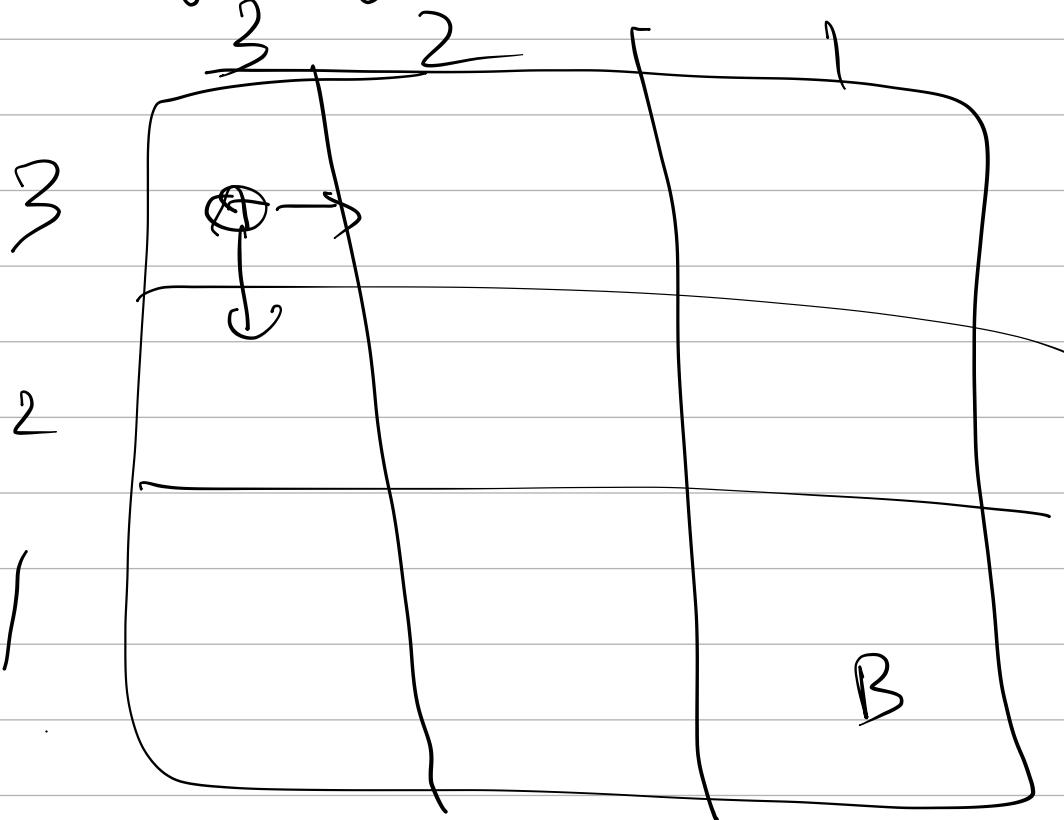


# Maze Problems

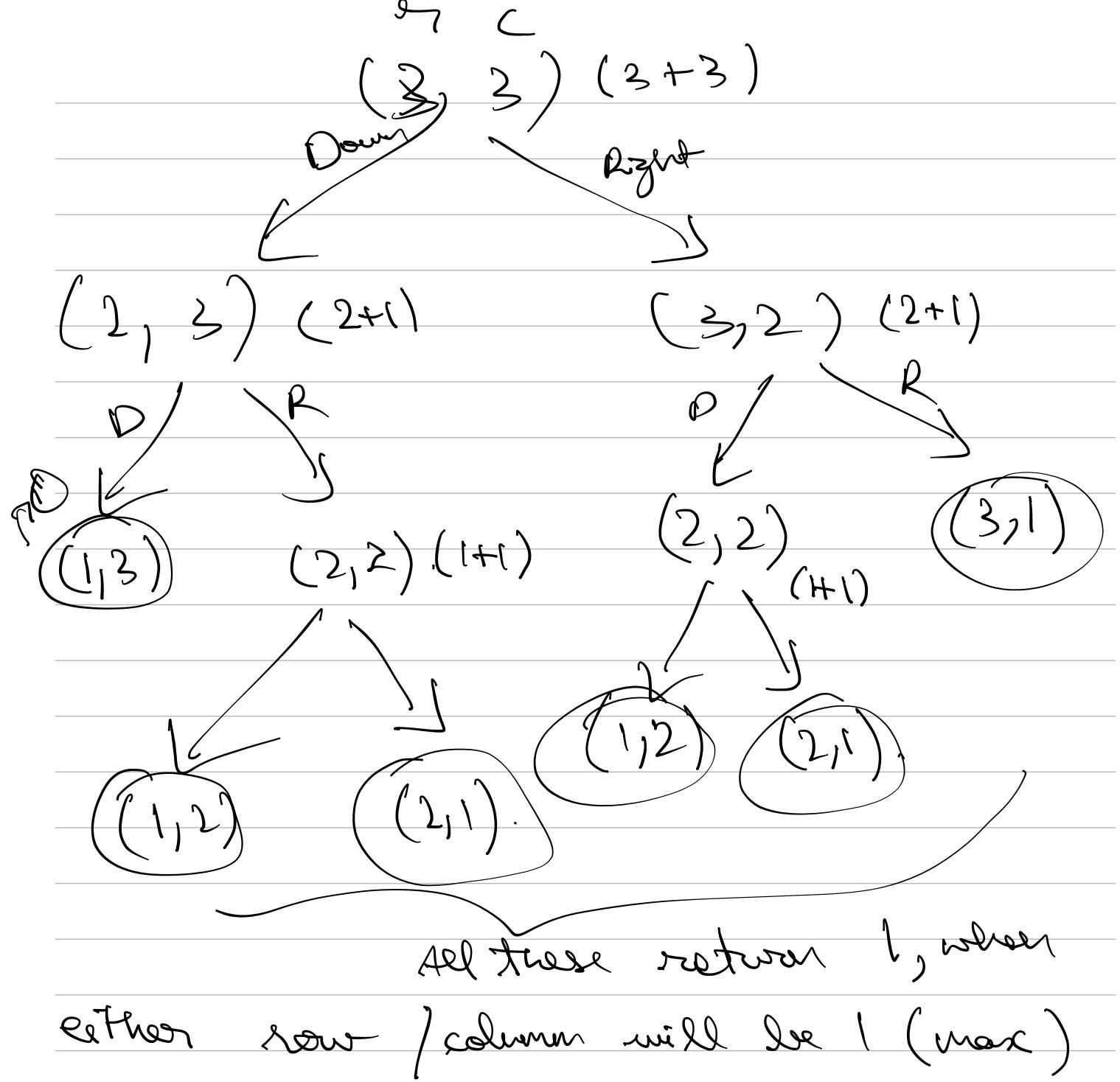


Reaching  
B from A.  
with restricted  
conditions  
  

→ Move from A to B, by only  
moving right or down in each cell.



→ find the no. of paths A can reach B.



→ As the values 1 are factored, the upper nodes add 1 from each returned function call.

→ When row / column becomes 1, value 1 is returned because only one path will be available at each cell when row / column reaches max.

Base condition:-

when ( $\text{row} == 1$  ||  $\text{column} == 1$ )  
return ;

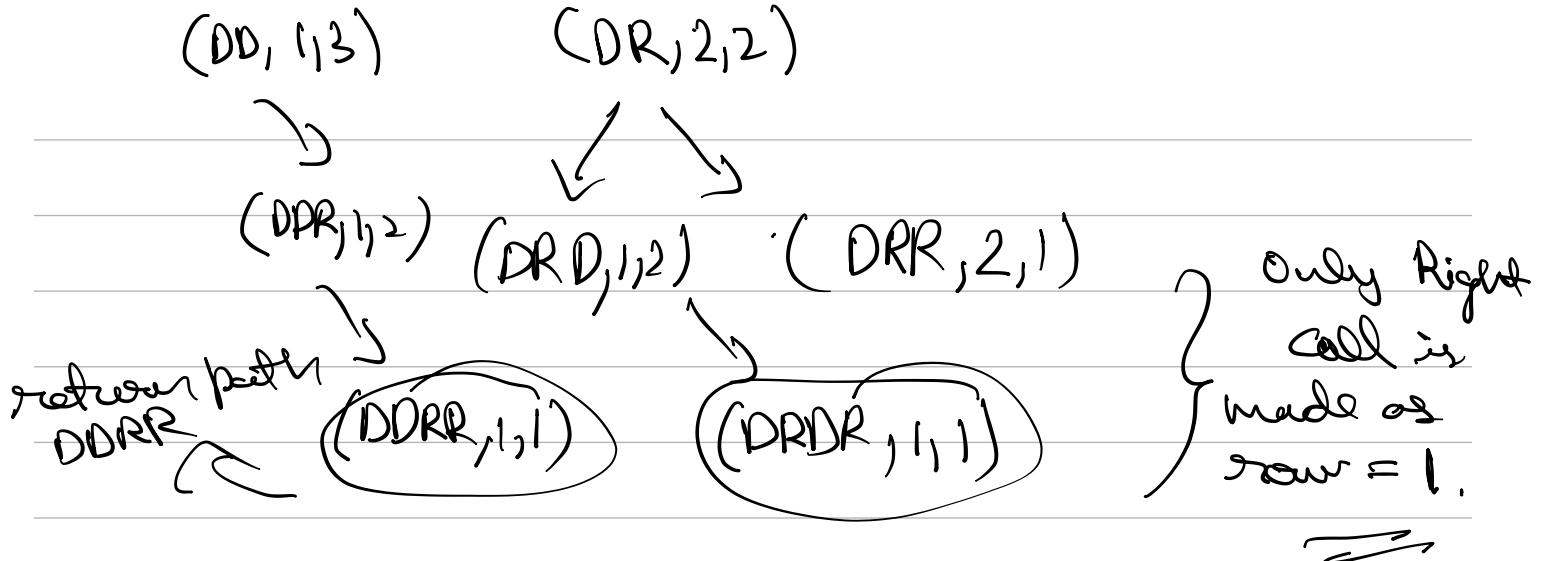
Coder

```
▶ public class Maze {  
▶     public static void main(String[] args) {  
▶         }  
  
▶         static int count(int r, int c) {  
▶             if (r == 1 || c == 1) {  
▶                 return 1;  
▶             }  
▶             int left = count(r: r-1, c);  
▶             int right = count(r, c: c-1);  
▶             return left + right;  
▶         }  
▶     }
```

29). Suppose we are finding paths from A to B.

Note: Use a 'processed' string. to store path.

P, low, column)  
( " )  
1 3, 3  
  
( D, 2, 3 )      ( R, 3, 2 )



\*). Here the base condition is till both row and column becomes 1.

Return path

Note:- This method is similar to subset question: Processed and unprocessed.

Code:-

```
public static void main(String[] args) {
    [REDACTED]
    path(p: "", r: 3, c: 3);
}
```

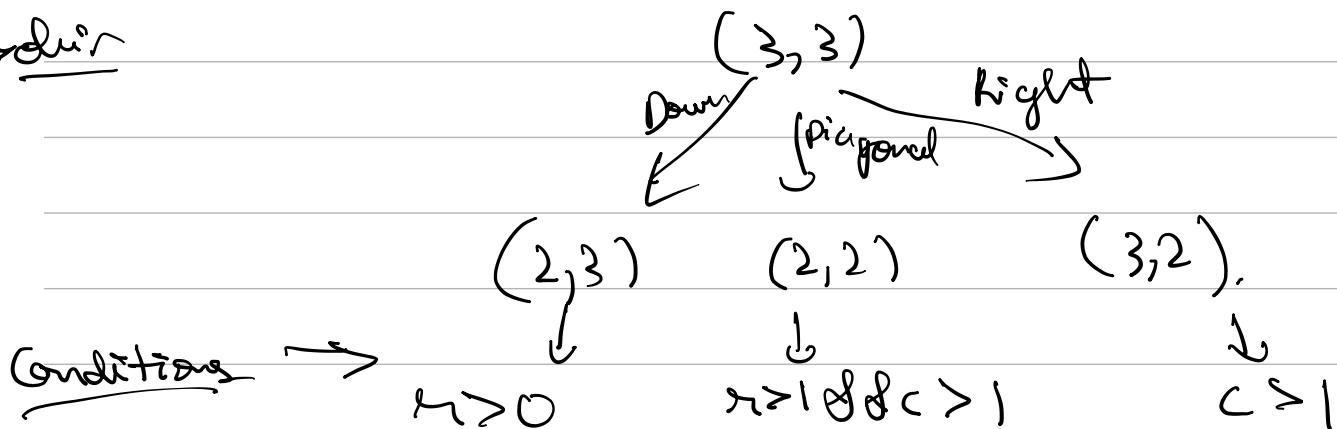
```
static void path(String p, int r, int c) {
    if (r == 1 && c == 1) {
        System.out.println(p);
        return;
    }

    if (r > 1) {
        path(p + 'D', r - 1, c);
    }

    if (c > 1) {
        path(p + 'R', r, c - 1);
    }
}
```

3Q). Suppose to reach B from A, we can go right, left and diagonal.

Solver



Code for this by returning an ArrayList  
consists of path:-

```
public class Maze {  
    public static void main(String[] args) {  
        //  
        //  
        System.out.println(pathRetDiagonal(p:"", r:3, c:3));  
    }  
}
```

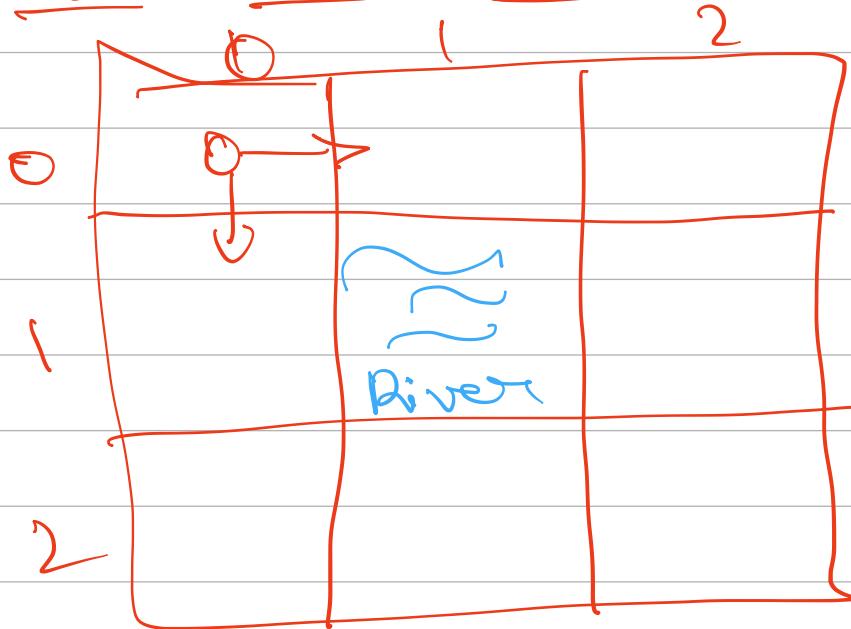
```
static ArrayList<String> pathRetDiagonal(String p, int r, int c) {  
    if (r == 1 && c == 1) {  
        ArrayList<String> list = new ArrayList<>();  
        list.add(p);  
        return list;  
    }  
  
    ArrayList<String> list = new ArrayList<>();  
  
    if (r > 1 && c > 1) {  
        list.addAll(pathRetDiagonal(p:p + 'D', r:r-1, c:c-1));  
    }  
  
    if (r > 1) {  
        list.addAll(pathRetDiagonal(p:p + 'V', r:r-1, c:c));  
    }  
  
    if (c > 1) {  
        list.addAll(pathRetDiagonal(p:p + 'H', r:r, c:c-1));  
    }  
  
    return list;  
}
```

$\rightarrow$  D means Diagonal .

$\rightarrow$  V means Vertical movement (only Down)

$\rightarrow$  H means Horizontal (only Right)

## Maze with Obstacles:-

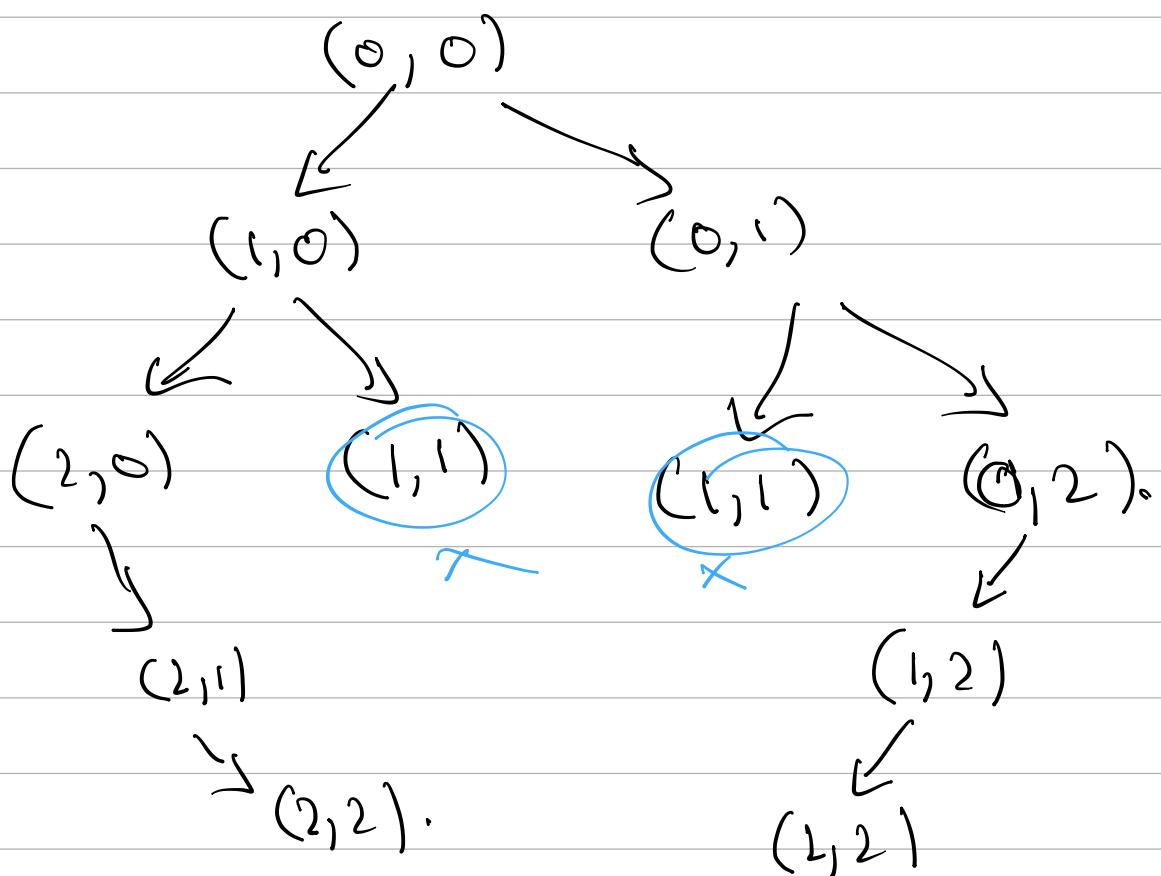


Boolean  
Matrix

False  $\rightarrow$  River.

Note:- When you land on new cell check whether that is a river or not.

If you land on river stop recursion for that cell.



Base condition:-

when ( $r == \text{maze.length} - 1$   $\&$   $c == \text{maze}[0].length - 1$ )

} return path}

Check condition:-

→ checking if  
false in  
case of river.

if (!maze[r][c])

{  
 return;  
}

CODE:-

main () {

```
boolean[][] board = {
    {true, true, true},
    {true, false, true},
    {true, true, true}
};

pathRestrictions(p: "", board, r: 0, c: 0);
}
```

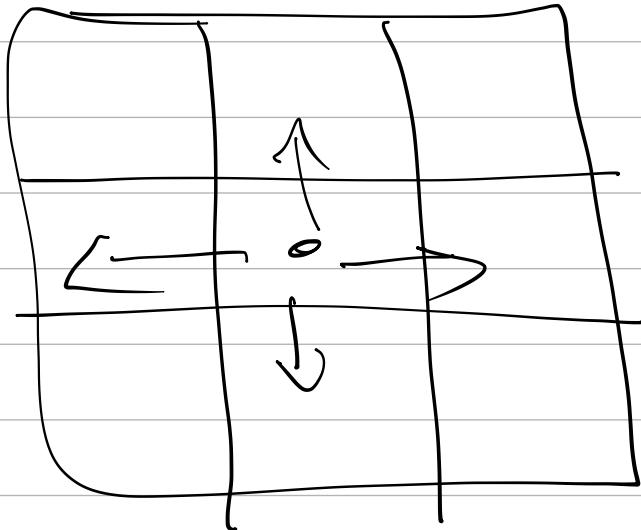
```
static void pathRestrictions(String p, boolean[][] maze, int r, int c) {
    if (r == maze.length - 1 && c == maze[0].length - 1) {
        System.out.println(p);
        return;
    }

    if (!maze[r][c]) {
        return;
    }

    if (r < maze.length - 1) {           r++
        pathRestrictions(p: p + 'D', maze, r: r + 1, c: c);
    }

    if (c < maze[0].length - 1) {         c++
        pathRestrictions(p: p + 'R', maze, r, c: c + 1);
    }
}
```

Q). Maze problem if all paths are allowed left, right, up, down allowed.



Sample code :-

```
if (r < maze.length - 1) {  
    allPath(p:p + 'D', maze, r:r+1, c);  
}  
  
if (c < maze[0].length - 1) {  
    allPath(p:p + 'R', maze, r, c:c+1);  
}  
  
if (r > 0) {  
    allPath(p:p + 'U', maze, r:r-1, c);  
}  
  
if (c > 0) {  
    allPath(p:p + 'L', maze, r, c:c-1);  
}
```

Moving down

right

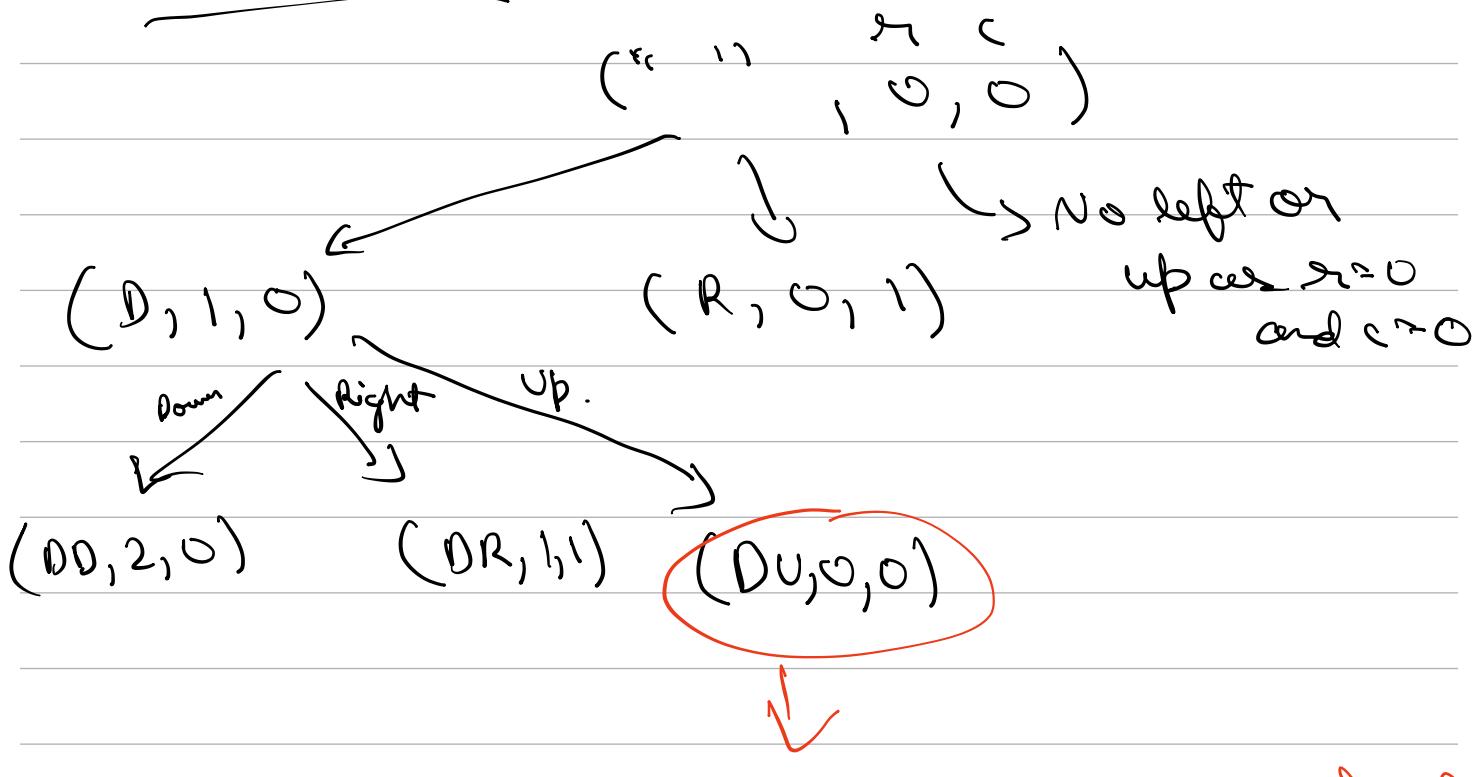
Up

Left

\* If you execute this :- It gives error.

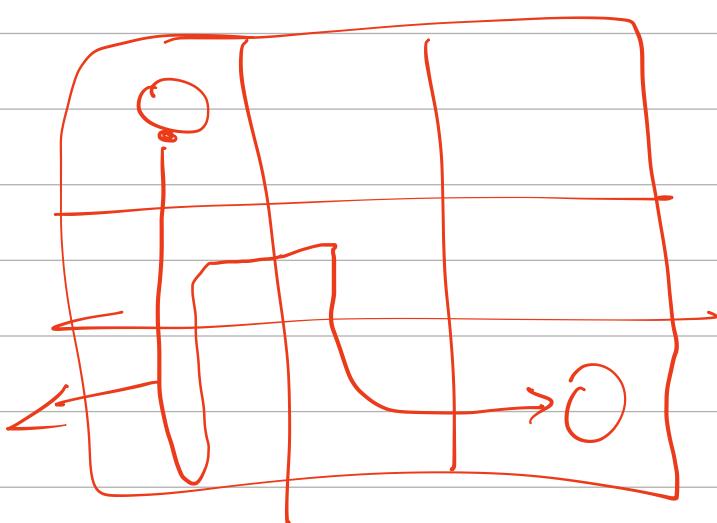
because stack overflow, because no backtracking is there here, each cell is infinitely visited and path is traced.

## Recursion Tree :-



Here again we come back to (0,0). So this recursion is never ending.

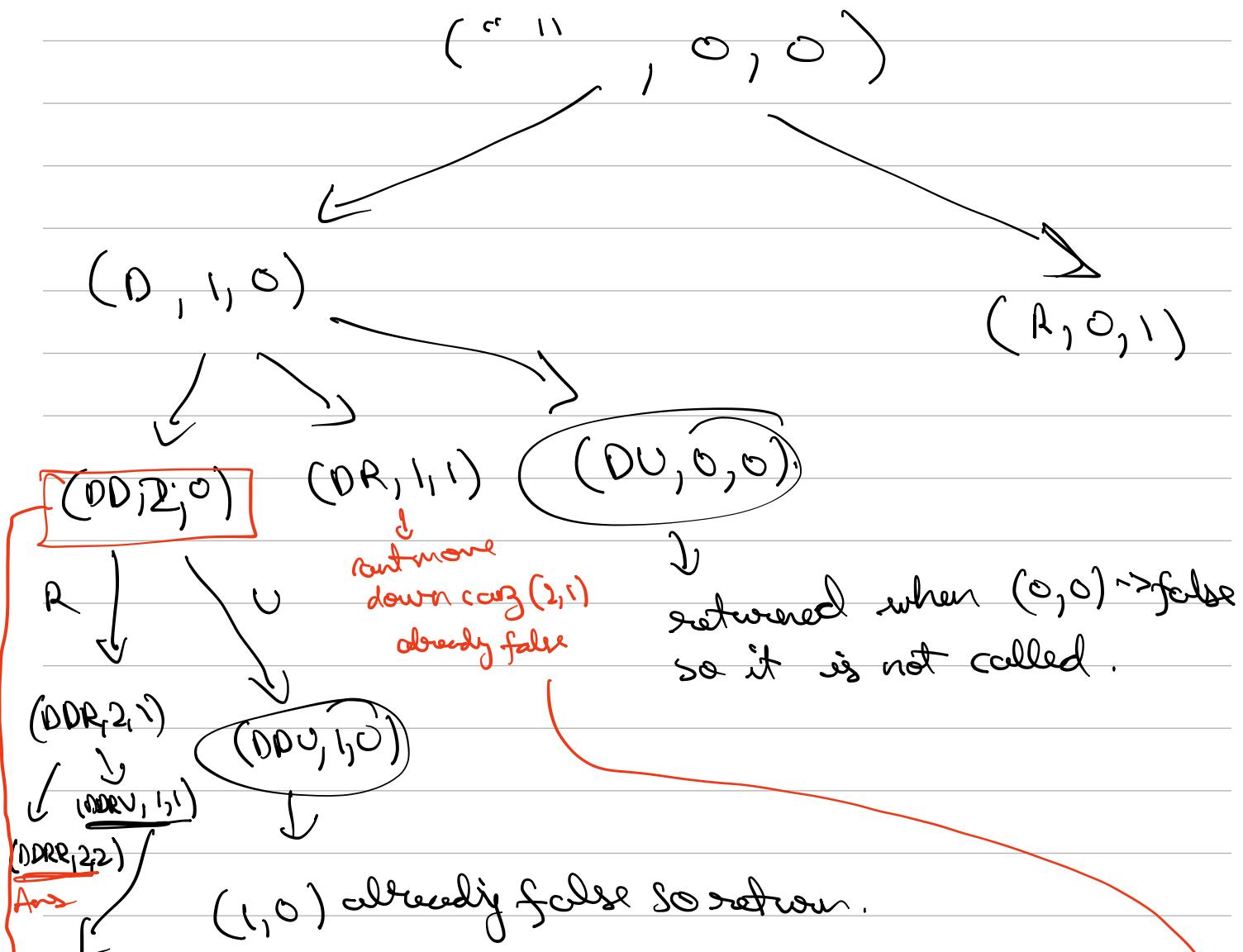
NOTE:- We cannot move back at same path.



This moving back is not allowed.

\* Mark the visited cells as false

So that they are not visited again.



can be visited because all of its parents nodes do not have (1,1) already visited.

- \*) This problem can be solved by marking cells true as we return path in previous function call.

i.e.

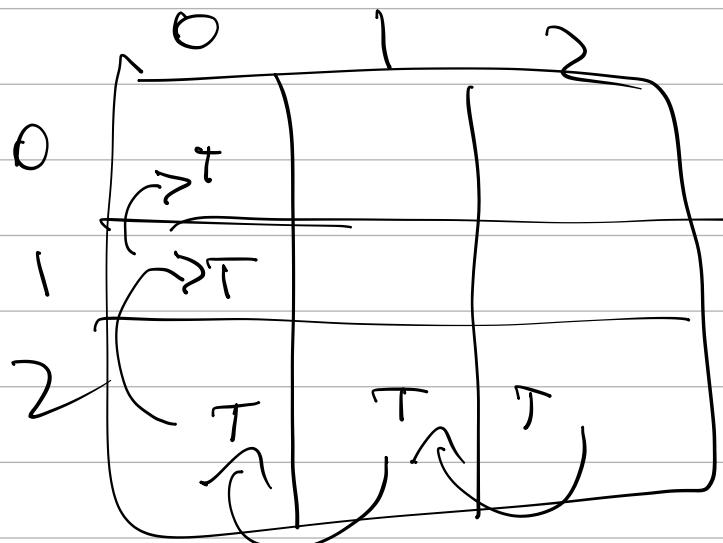
→ By the time the below function calls of this return, they make their respective cells as true.

Only the final answer  $(2, 2)$  will print. path. (DDRR)

Above function calls. make their cell  $(r, c) = \text{true}$   $\left( \text{if } \text{not}[r][c] == \text{false} \right)$

Example If you are in  $(2, 2)$  mark it as true return path. /  $(2, 1) \rightarrow$  Mark true

$(2, 0) \rightarrow$  true



This is known as backtracking

↳ when we go outside the recursion calls, change the changes we made previously.

Ex:- We were making cells false initially;  
while returning keep making them true.

## CODE :-

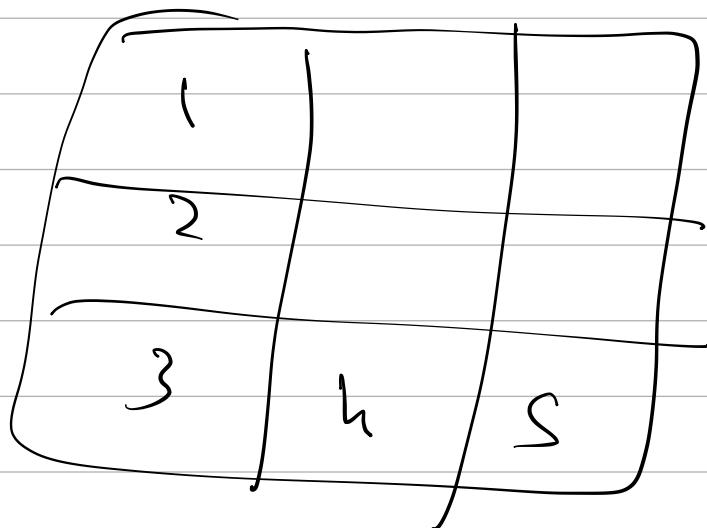
```
public class AllPaths {  
    public static void main(String[] args) {  
        boolean[][] board = {  
            {true, true, true},  
            {true, true, true},  
            {true, true, true}  
        };  
  
        allPath(p: "", board, r: 0, c: 0);  
    }  
  
    static void allPath(String p, boolean[][] maze, int r, int c) {  
        if (r == maze.length - 1 && c == maze[0].length - 1) {  
            System.out.println(p);  
            return;  
        }  
  
        if (!maze[r][c]) {  
            return;  
        }  
  
        // i am considering this block in my path  
        maze[r][c] = false;  
  
        if (r < maze.length - 1) {  
            allPath(p:p + 'D', maze, r:r+1, c);  
        }  
  
        if (c < maze[0].length - 1) {  
            allPath(p:p + 'R', maze, r, c:c+1);  
        }  
  
        if (r > 0) {  
            allPath(p:p + 'U', maze, r:r-1, c);  
        }  
  
        if (c > 0) {  
            allPath(p:p + 'L', maze, r, c:c-1);  
        }  
  
        // this line is where the function will be over  
        // so before the function gets removed, also remove the changes that  
        maze[r][c] = true;  
    }  
}
```

→ path printed  
only if (2,2).  
→ returning if  
false(already visited)  
→ making it false  
initially.  
→ making it  
true at end.  
(this true is  
done after all  
the above function  
calls return).

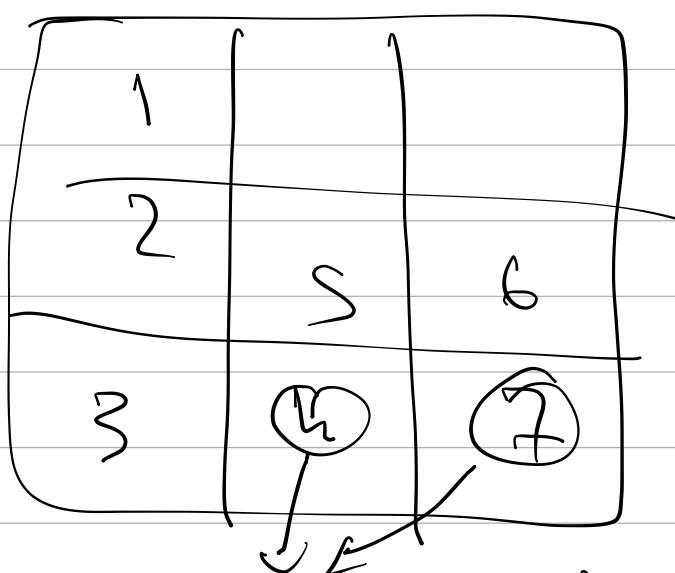
Above is the code for  
backtracking.

Q). Print the matrix and Path.

Sample:-



DDD R R



DDDR VR D.

\*). Take a step variable.

\*). Update Path currency.

\*). Print the currency in base condition.

\*). Backtrack.

```

static void allPathPrint(String p, boolean[][] maze, int r, int c, int[][] path, int step) {
    if (r == maze.length - 1 && c == maze[0].length - 1) { → for keeping in track of visited cells.
        path[r][c] = step; → the last cell also will be having step no.
        for(int[] arr : path) { → Printing Path -
            System.out.println(Arrays.toString(arr));
        }
        System.out.println(p);
        System.out.println();
        return;
    }
}

```

```

// i am considering this block in my path
maze[r][c] = false; } making changes .
path[r][c] = step;
if (r < maze.length - 1) {
    allPathPrint(p:p + 'D', maze, r:r+1, c, path, step:step+1);
}

if (c < maze[0].length - 1) {
    allPathPrint(p:p + 'R', maze, r, c:c+1, path, step:step+1);
}

```

```

if (r > 0) {
    allPathPrint(p:p + 'U', maze, r:r-1, c, path, step:step+1);
}

```

```

if (c > 0) {
    allPathPrint(p:p + 'L', maze, r, c:c-1, path, step:step+1);
}

```

```

// this line is where the function will be over
// so before the function gets removed, also remove the changes that
maze[r][c] = true; } reversing changes.
path[r][c] = 0;
}

```

As we backtrack the step current cell is set back to 0.

★). Here both the [r][c] matrix contains path from A to B.

## Main Function.

```
public class AllPaths {  
    public static void main(String[] args) {  
        boolean[][] board = {  
            {true, true, true},  
            {true, true, true},  
            {true, true, true}  
        };  
        int[][] path = new int[board.length][board[0].length];  
        allPathPrint(p:"", board, r:0, c:0, path, step:1);  
    }  
}
```

Output! -

A.

[1, 0, 0]

[2, 0, 0]

[3, 4, 5]

DDRR



[1, 0, 0]

[2, 5, 6]

[3, 4, 7]

DDRURD

[1, 6, 7]

[2, 5, 8]

[3, 4, 9]

DDRUUURDD

[1, 0, 0]