EXP NO:5 DATE: 24/02/24

DIFFIE-HELLMAN KEY EXCHANGE

Aim: To implement Diffie-Hellman key exchange using C.

Algorithm:

- Step 1: Choose a large prime number P and a primitive root modulo (P), denoted as (G). Both parties agree on these values.
 Step 2: Alice chooses a private key (a), while Bob chooses a private key (b). These private keys are kept secret.
- Step 3: Alice calculates her public key (x) using ($x = G^a \mod P$), and Bob calculates his public key (y) using ($y = G^b \mod P$).
- Step 4: Alice sends her public key (x) to Bob, and Bob sends his public key (y) to Alice.
- Step 5: Using the received public keys, Alice computes the secret key (ka) using (ka = y^a mod P), and Bob computes the secret key (kb) using (kb = x^b mod P).
 Step 6: Both Alice and Bob now have the same shared secret key.
 Step 7: They can now communicate securely using the shared secret key for encryption and decryption.
- Step 8: The security of the Diffie-Hellman Key Exchange relies on the difficulty of calculating discrete logarithms in finite fields.

Program:

```
#include <math.h>
#include <stdio.h>
long long int power(long long int a, long long int b, long long int P) { if (b == 1) return a; else return (((long long int)pow(a, b)) % P); } int main() { long long int P, G, x, a, y, b, ka, kb; P = 26; printf("The value of P: %lld\n", P); G = 12;
```

```
printf("The value of G: \%lld \n\n", G); \\ a = 6; \\ printf("The private key a for Alice: \%lld \n", a); \\ x = power(G, a, P); \\ b = 4; \\ printf("The private key b for Bob: \%lld \n', b); \\ y = power(G, b, P); \\ ka = power(y, a, P); \\ kb = power(x, b, P); \\ printf("Secret key for Alice is: \%lld \n", ka); \\ printf("Secret Key for Bob is: \%lld \n", kb); \\ return 0; \\ \}
```

Output:

```
The value of P : 26
The value of G : 12

The private key a for Alice : 6
The private key b for Bob : 4

Secret key for Alice is : 14

Secret Key for Bob is : 14

=== Code Execution Successful ===
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Result:
Thus the Diffie-Hellman key exchange using C is implemented successfully.
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