

The consumption set is denoted by X . If $x, y \in X$, then x and y are potential consumption bundles. $x = (x_1, x_2, \dots, x_n)$ where n is the number of goods and x_k is the quantity of good k in the consumer's consumption bundle. For consumer i , consumption set is denoted by X_i and a consumption bundle $x_i = (x_{i1}, x_{i2}, \dots, x_{in})$

1 Consumption Preference

- A preference relation \succeq is an ordering over the elements of X . $x \succeq y$ means " x is atleast as good as y or x is weakly preferred over y ".
- **Strict preference**(\succ): $x \succ y$ means $x \succeq y$ (" x is atleast as good as y ") and $y \not\succeq x$ (" y is not atleast as good as x) i.e. " x is better than y "
- **Indifference** (\sim): $x \sim y$ mean x and $y \succeq x$ i.e " x is just as good as y "
- A preference relation \succeq represents "preferences" of each individual.

2 Axioms of Rational Choice

- **Completeness:** If x and y are any two consumption possibilities, the consumer can always specify exactly one of the following possibilities.

$$x \succ y, y \succ x, x \sim y.$$

Any alternative can be compared

- **Transitivity:** $x \succeq y$ and $y \succeq z \implies x \succeq z$
Choices must be internally consistent
- **Continuity:** If a consumer reports that $x \succ y$, then she must also report that $x' \succ y$ for any y "close to" x .

3 Utility

- A utility function $u : X \mapsto \mathbb{R}$ represents \succeq if and only if for all $x, y \in X$

$$x \succeq y \implies u(x) \geq u(y).$$

- The function is unique only up to an order-preserving transformation.
- Any preference relation that can be represented by a continuous function is rational.