

To Do Basically. And the Vertex-edge over
Cap & Graphs

Now. \rightarrow By Using Multisets

How

Can you please tell an example of Input graph
aph \rightarrow How we are Giving graph Input.

We are No more Using ~~Graphs~~ Vertex-id
representation of Graphs here.

Acc to me Input Graph dataset is
Like.

$V \rightarrow$ ~~Set of Vertices~~

$E \rightarrow$ ~~Set of Edges~~

\downarrow
tells us the adjacency relation bet
ween atom in a molecule.

Input
for
A Single
Graph.

5 \rightarrow Total no. of graphs
in dataset.
(9) No. of V No. of Edges Graph no.
V 6 C
V 1 O.
V 8 C
V 2 H.
E 6 1
E 6 2
E 1 2

Now Suppose this is the Representation of Graphs we have two things vertex multiset & edges multiset.

Vertex multiset for above ^{example} graph.

→ {C, C, O, H}

Edge Multiset for above ^{example} graph.

→ { [C, O], [C, H], [O, H] }

one pair. one pair. one pair.

Similarly

we have

8 4 3 2.

V 5 C

V 1 O.

V 7 C

V 2 O.

E 7 2

E 5 1

E 1 2.

V-multiset-2.

{ C, C, O, O }

E-multiset-2.

{ [C, O], [C, O], [O, O] }

q 3 2 3

v-multiset - 3.

v 3 C \rightarrow [C, H, O].

v 8 H

e-multiset - 3

v 2 O

e 3 2

\rightarrow {[C, O], [8H]}

e 3 8

q 5 4 4.

v-multiset - 4.

v 7 C

\rightarrow ~~[C, H, H, H, H]~~

v 2 H

v 6 O

[C, H, H, O, O].

v 1 O

v 5 H.

e-multiset of 4.

e 2 6.

{[O, H], [C, H]}.

e 7, 2

e 6, 1

, [O, O], [O, H]}

e 6 5

If we now use the Naïve way
we checking all nC_2 pairs. $4C_2 = 6$

~~Naïve~~ Let us take 1 pair for
example

1, 2

V-multiset-1 $\rightarrow \{2 \cdot C, 1 \cdot O, 1 \cdot H\}$

V-multiset-2 $\rightarrow \{2 \cdot C, 2 \cdot O\}$

$$V_1 \cap V_2 = \{2 \cdot C, 1 \cdot O\} \quad \begin{matrix} V_1, V_2 \\ \downarrow \\ \{2, 0, 2, 0\} \\ \downarrow \\ 1, 1 \end{matrix}$$

$$|V_1 \cap V_2| = 3, \min(|V_1|, |V_2|) = 4$$

V-multiset-3 $\rightarrow \{1 \cdot C, 1 \cdot H, 1 \cdot O\}$

V-multiset-4 $\rightarrow \{1 \cdot C, 2 \cdot H, 2 \cdot O\}$

$$V_1 \cap V_2 = \{1 \cdot C, 1 \cdot H, 1 \cdot O\}$$

$$|V_1 \cap V_2| = 3, \min(|V_1|, |V_2|) = 3$$

Similarity



Thus we can represent it as.

$$|V_1 \cap V_2| \leq \min(|V_1|, |V_2|)$$

Now Lets go to edges.

E -multiset \rightarrow

$$\rightarrow \{ [C, 0], [C, H], [0, H] \}$$

E multiset -2

$$\rightarrow \{ [C, 0] \cdot 2, [0, 0] \cdot 1 \}$$

$$G_1 \cap G_2 = \{ [C, 0] \cdot 1 \}$$

Similarity Here as well it will be.

$$(G_1 \cap G_2) \leq \min(G_1, G_2)$$

$$CG_1 \cup G_2 \geq \max(G_1, G_2)$$

\therefore By

$\text{Sim}(G, G')$

$$CG, G') = \frac{|V \cap V'| + |E \cap E'|}{|V \cup V'| + |E \cup E'|}$$

~~max~~ Union

$$CG, G') = \frac{|V \cap V'| + |E \cap E'|}{|V \cup V'| + |E \cup E'|}$$

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Similar Modifications will be made in the code as well.

$$\leq \min(|V|, |V'|) + \max(|E|, |E'|)$$
$$|V| + |V'| + |E| + |E'|$$

For in ~~over~~selection we can also use set intersection in C.F.
multi.