

Bottom-up NAF proof procedure

$C := \{\}$;

repeat

either select " $h \leftarrow b_1 \ \& \ \dots \ \& \ b_m$ " in KB such that
 b_i in C for all i , and h not in C ;

$C := C \text{ union } \{h\}$

or select h such that

for every rule " $h \leftarrow b_1 \ \& \ \dots \ \& \ b_m$ " in KB

either for some $b_i \sim b_i$ in C

or some $b_i = \sim g$ and g in C

$C := C \text{ union } \{ \sim h \}$

until no more selections are possible