Unimont Ocens 2018
Dunperhas unaniemannika NI
Bayara NI Bepno un pabenesto A, Buli Bonourseiner pabenesto
Bomoursenice pabencibo
1) $(A \setminus B) \cap ((A \cup B) \setminus (A \cap B)) = A \setminus B$
1) $(A \setminus B) \cap ((A \cup B) \setminus (A \cap B)) = A \setminus B$ $A \setminus B \cap A \cap B \cap A \cap B \cap A \cap B \cap B \cap B \cap B \cap$
Ombern: Da
2) $((A \setminus B) \cup (A \setminus C)) \cap (A \setminus (B \cap C)) = A \setminus (B \cup C)$
A\B @ A\C ®
$(A \setminus B) \cup (A \setminus C)$ $A \setminus (B \cap C)$
B A B B
C
A (BUC)
Onten: Her