## k-NN Implementation

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# k-NN application to the dataset wisc\_bc\_data.csv on the variable diagnosis.

### Data loading and first exploration

First of all, we upload the dataset. Specifying the file location is done under the hood (not shown).

```
dataset = read.csv(file, stringsAsFactors = T)
```

We explore the dataset using the str function.

```
str(dataset)
```

```
## 'data.frame': 569 obs. of 32 variables:
## $ id
                     : int 87139402 8910251 905520 868871 9012568 906539 925291 87880 862989 89827 .
## $ diagnosis
                      : Factor w/ 2 levels "B", "M": 1 1 1 1 1 1 1 2 1 1 ...
   $ radius mean
                            12.3 10.6 11 11.3 15.2 ...
                      : num
## $ texture_mean
                            12.4 18.9 16.8 13.4 13.2 ...
                      : num
##
  $ perimeter_mean
                      : num
                            78.8 69.3 70.9 73 97.7 ...
##
   $ area_mean
                            464 346 373 385 712 ...
                      : num
   $ smoothness_mean : num
                             0.1028 0.0969 0.1077 0.1164 0.0796 ...
##
  $ compactness_mean : num
                            0.0698 0.1147 0.078 0.1136 0.0693 ...
                             0.0399 0.0639 0.0305 0.0464 0.0339 ...
  $ concavity_mean
                      : num
##
   $ points_mean
                             0.037 0.0264 0.0248 0.048 0.0266 ...
                      : num
##
   $ symmetry_mean
                      : num
                            0.196 0.192 0.171 0.177 0.172 ...
## $ dimension_mean : num
                             0.0595 0.0649 0.0634 0.0607 0.0554 ...
## $ radius_se
                      : num
                            0.236 0.451 0.197 0.338 0.178 ...
## $ texture_se
                            0.666 1.197 1.387 1.343 0.412 ...
                      : num
                      : num 1.67 3.43 1.34 1.85 1.34 ...
   $ perimeter_se
## $ area_se
                      : num 17.4 27.1 13.5 26.3 17.7 ...
## $ smoothness se
                      : num 0.00805 0.00747 0.00516 0.01127 0.00501 ...
```

```
: num 0.0118 0.03581 0.00936 0.03498 0.01485 ...
   $ compactness se
                       : num 0.0168 0.0335 0.0106 0.0219 0.0155 ...
## $ concavity_se
                       : num 0.01241 0.01365 0.00748 0.01965 0.00915 ...
## $ points se
## $ symmetry_se
                       : num 0.0192 0.035 0.0172 0.0158 0.0165 ...
## $ dimension_se
                       : num 0.00225 0.00332 0.0022 0.00344 0.00177 ...
## $ radius worst
                       : num 13.5 11.9 12.4 11.9 16.2 ...
## $ texture worst
                       : num
                              15.6 22.9 26.4 15.8 15.7 ...
## $ perimeter_worst : num
                              87 78.3 79.9 76.5 104.5 ...
                       : num
## $ area_worst
                              549 425 471 434 819 ...
## $ smoothness_worst : num
                              0.139 0.121 0.137 0.137 0.113 ...
## $ compactness_worst: num
                              0.127 0.252 0.148 0.182 0.174 ...
                              0.1242 0.1916 0.1067 0.0867 0.1362 ...
## $ concavity_worst : num
## $ points_worst
                              0.0939 0.0793 0.0743 0.0861 0.0818 ...
                       : num
## $ symmetry_worst
                       : num
                              0.283 0.294 0.3 0.21 0.249 ...
## $ dimension_worst : num 0.0677 0.0759 0.0788 0.0678 0.0677 ...
We drop the id variable.
dataset <- dataset[-1]</pre>
We check how many of the tumors are bening (B) and how many are malignant (M)
table(dataset$diagnosis)
##
##
    В
         М
## 357 212
We recode the variable of interest to a factor.
if (is.factor(dataset[[variable of interest]])) {
  dataset[[variable_of_interest]] <- factor(dataset[[variable_of_interest]], levels = c("B", "M"), labe</pre>
}
round(prop.table(table(dataset[[variable_of_interest]])) * 100, digits = 1)
##
##
      Benign Malignant
##
        62.7
                  37.3
Min/max normalization
We normalize all features.
dataset_normalized = as.data.frame(lapply(dataset[, -which(colnames(dataset) == variable_of_interest)],
                                          normalize))
We check everything worked out A-OK.
summary(dataset_normalized$area_mean)
     Min. 1st Qu. Median
                              Mean 3rd Qu.
  0.0000 0.1174 0.1729 0.2169 0.2711
get_splits_percentage <- function(n_dataset){</pre>
  if (n_{dataset} >= 500){
   n_{test} = 100
   n_train = n_dataset - 100
  }
  else {
```

```
n_train = ceiling(n_dataset * 0.8) # random split decided by moi
    n_test = floor(n_dataset * 0.2)
}
return(c(n_train, n_test))
}
```

#### Fitting the model

##

0.020 |

We define the dataset to used for training and testing.

```
splits_to_use=get_splits_percentage(nrow(dataset_normalized))
dataset_train = dataset_normalized[1:splits_to_use[1], ]
dataset_test = dataset_normalized[(splits_to_use[1]+1):nrow(dataset_normalized), ]
labels_train = dataset[[variable_of_interest]][1:splits_to_use[1]]
labels_test = dataset[[variable_of_interest]][(splits_to_use[1]+1):nrow(dataset_normalized)]
```

```
Now we'll use the knn function from the class package to fit the model.
require(class)
## Loading required package: class
test_pred = knn(train = dataset_train, test = dataset_test,
              cl = labels_train, k = 21)
require(gmodels)
## Loading required package: gmodels
CrossTable(x = labels_test, y=test_pred, prop.chisq = F)
##
##
     Cell Contents
## |-----|
## |
                       ΝI
## |
           N / Row Total |
           N / Col Total |
## |
         N / Table Total |
## |
##
##
##
## Total Observations in Table: 100
##
##
##
              | test_pred
   labels_test |
##
                 Benign | Malignant | Row Total |
##
  -----|-----|
                             0 |
##
       Benign |
                     61 |
                                        0.610 l
##
                   1.000 |
                             0.000 |
             ##
              0.968 |
                             0.000 |
             0.610 |
                            0.000 |
##
      -----|----|
                   2 |
                              37 |
                                           39 l
##
     Malignant |
                          0.949 |
##
              1
                   0.051 |
                                        0.390 l
##
              0.032 |
                            1.000 |
```

Ι

0.370 |

```
## ------| -------| ## Column Total | 63 | 37 | 100 | ## | 0.630 | 0.370 | | ## ------| ## ## ##
```

### Improving the model

#### **Z-score** Transformation

Now we try with z-score normalization.

```
dataset_zscored = as.data.frame(scale(dataset[, -which(colnames(dataset) == variable_of_interest)]))
summary(dataset_zscored$area_mean)

## Min. 1st Qu. Median Mean 3rd Qu. Max.
## -1.4532 -0.6666 -0.2949 0.0000 0.3632 5.2459

We define the training and test set again.

train_zscore = dataset_zscored[1:splits_to_use[1], ]
test_zscore = dataset_zscored[(splits_to_use[1]+1):nrow(dataset_zscored), ]
```

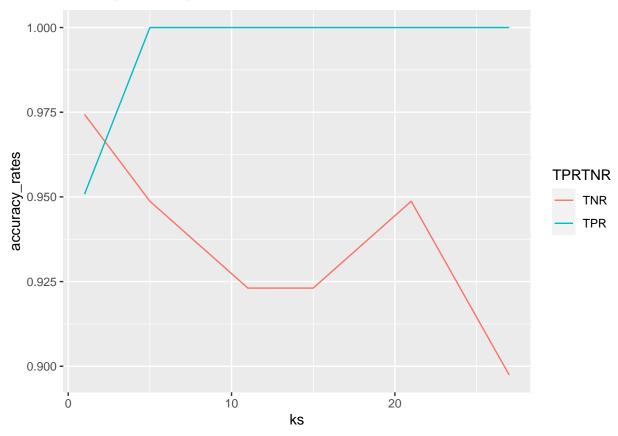
We predict again the labels now using the zscore normalized dataset, and visualize the results using the CrossTable function.

```
##
##
##
     Cell Contents
##
                        NI
## |
## |
            N / Row Total |
            N / Col Total |
          N / Table Total |
      -----|
##
## Total Observations in Table: 100
##
##
##
              | zscore_pred_test
##
   labels test |
                  Benign | Malignant | Row Total |
   -----|-----|
##
                      61 |
##
        Benign |
                                  0 |
##
              Ι
                    1.000 |
                               0.000 |
                                          0.610 |
##
                    0.924 |
                               0.000 |
##
                    0.610 |
                               0.000 |
##
                       5 |
                                 34 |
##
     Malignant |
                    0.128 | 0.872 | 0.390 |
0.076 | 1.000 | |
##
              1
##
```

##		0.050	0.340	1
##				
##	Column Total	l 66	J 34	100
##		0.660	0.340	1
##				
##				
##				

#### Alternative values of k

I'm not showing the code used to generate the data because it's ugly. If you wanna know my secrets open the Rmd file directly (please don't).



# Appendix: "(Super-slow) Manual implementation of k-NN algorithm"

Just for fun I'm gonna implement the k-NN algorithm myself.

```
get_distance_obs <- function(vector1, vector2){
   return(sqrt(sum((vector1 - vector2)**2)))
}

compute_distance_y_to_train_observations <- function(y, train_obs){
   distances = c()
   for (row in 1:nrow(train_obs)){
      distances = append(distances, get_distance_obs(y, train_obs[row, ]))
   }
}</pre>
```

```
return(distances)
}
subset_k_distances <- function(vector_distances, k){</pre>
 # Returns indices of values that minimize our distance function
 k_min_distances = which(vector_distances <= max(sort(vector_distances, decreasing = F)[1:k]))</pre>
 return(k_min_distances)
get_labels_corresponding_to_k_neighbors <- function(train_labels, indices){</pre>
 return(train_labels[indices])
7
predict_one_observation <- function(y_obs, train_data, k, train_labels){</pre>
 distances_to_train_data <- compute_distance_y_to_train_observations(y_obs, train_data)
 k_distance_indices = subset_k_distances(distances_to_train_data, k=k)
 labels_sliced = get_labels_corresponding_to_k_neighbors(train_labels, k_distance_indices)
 return(names(sort(summary(labels_sliced), decreasing = T)[1]))
}
predict_all_observations <- function(dataset_with_ys, train_data, k, train_labels){</pre>
 predicted_labels_vec = c()
 if (is.data.frame(dataset_with_ys)){
   n_observations_to_predict = nrow(dataset_with_ys)
   for (obs in 1:n observations to predict){
     predicted_label = predict_one_observation(y_obs=dataset_with_ys[obs, ],
                                           train data = train data,
                                           k=k, train_labels = train_labels)
     predicted_labels_vec = append(predicted_labels_vec, predicted_label)
   }
 }
 else if (is.vector(dataset_with_ys)){
   for (obs in dataset_with_ys){
     predicted_label = predict_one_observation(y_obs=obs,
                                           train_data = train_data,
                                           k=k, train_labels = train_labels)
     predicted_labels_vec = append(predicted_labels_vec, predicted_label)
   }
 }
 else {
   stop("Non supported data type")
 return(predicted_labels_vec)
labels_by_moi = predict_all_observations(dataset_with_ys = dataset_test, train_data = dataset_train,
                                     k=21, train_labels = labels_train)
using_knn_already_implemented = knn(train=dataset_train, test=dataset_test, cl=labels_train, k=21)
labels_by_moi == using_knn_already_implemented
```

Com veiem, em dóna igual (aleluya). El meu codi és probablement 10000000 vegades més lent que la funció knn del paquet class, però ara mateix no tinc temps per a millorar-ho (i crec que tampoc és l'objectiu de l'activitat). Ho faria utilitzant apply enlloc de utilitzar for loops, i si fos en Python faria servir numpy i vectorització, no sé si a R hi ha algun equivalent.