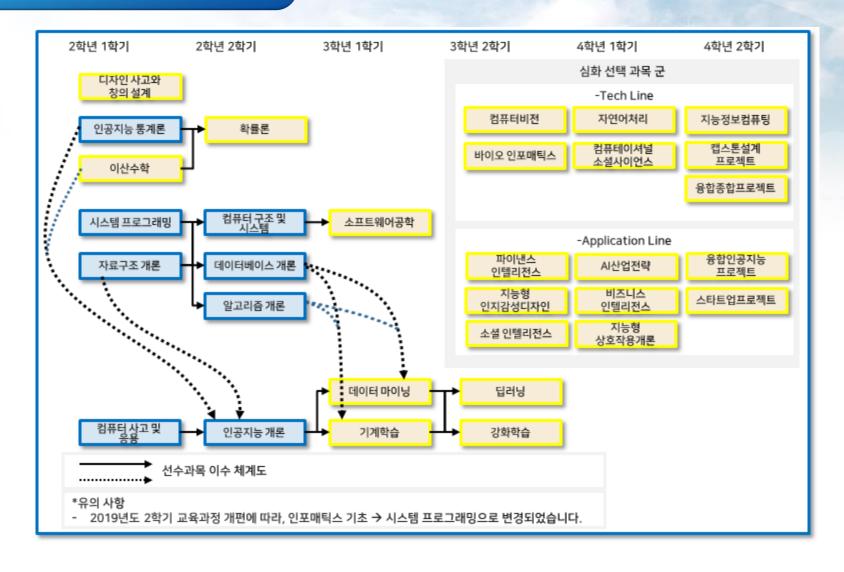


In This Lecture

Outline

- Course Logistics
- 2. Algorithm Basic
- 3. Level Test
- 4. Programming Environment Setting

Course Position



Course Info

- Instructor: 한진영 교수
 - Office: 국제관 313호
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 - Office hour: Wed. 13:00-15:00
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Course Overview

- Goals
 - Understanding basic computer algorithms
 - Hands-on experience on solving problems with programming
- Course Structure
 - Lecture (6:00pm~7:30pm)
 - Practice (7:30pm~9:00pm)
 - PC or Notebook
- Prerequisite
 - Data Structure, Programming
 - C or Python?

Grading Policy

- Scores breakdown
 - Lecture attendance (10)
 - Quiz or Homework (10)
 - Practice (20)
 - Midterm/Final (50)

Resources

- Lecture slides
 - Will be uploaded to the system
 - All the information will be given in the system, so please check the system frequently
- Reference material
 - Introduction to Algorithms
 - 쉽게 배우는 알고리즘
 - 뇌를 자극하는 알고리즘

No Cheating

- No submission is better than cheating
 - Zero Tolerance Cheating Policy
- Definition of cheating in this class
 - Knowingly or unknowingly participating in the submission of unoriginal work for any test (e.g., lab exercise, project)
 - Answer to roll-call instead of another student is also regarded as cheating
- Penalty
 - Assign a fail grade

Tentative Schedule

수업일	내용	
9/4	Course Introduction, Algorithm Basic, Level Test	
9/11	Order of Complexity, List	
9/18	Stack, Queue	
9/25	Tree, Binary Search Tree (BST), 건학 기념일	
10/2	Priority Queue, Heap	
10/9	Graph (1), 한글날	
10/16	Graph (2)	
10/23	Sorting	
10/30	Searching	
11/6	Midterm	
11/13	Hash Table	
11/20	Dynamic Programming (1)	
11/27	Dynamic Programming (2)	
12/4	Greedy Algorithms	
12/11	NP-completeness	
12/18	Final	

Algorithm

- An algorithm: a set of instructions, typically to solve a class of problems or perform a computation
- Typical design (or problem solving methods) of algorithms
 - divide-and-conquer, dynamic programming, greedy approach, backtracking, branch-and-bound
- Algorithm Analysis
 - Efficiency analysis through computational complexity
 - Lower bounds for sorting and searching problems
 - Intractability (NP-completeness)

Algorithm Description

- Natural languages
- Programming languages
- Pseudo-code
 - similar, but not identical, to C++/Java.
 - Notable exceptions: unlimited array index, variable-sized array, mathematical expressions, use of arbitrary types, convenient control structure, and etc.
 - E.g., low $\le x & x \le high -> low \le x \le high$
 - E.g., temp = x; x = y; y = temp -> exchange x and y

An Example

- Title: Sequential Search
- Problem
 - Is the key x in the array S of n keys?
- Inputs (parameters)
 - Positive integer n, array of keys S indexed from 1 to n.
- Outputs
 - The location of x in S. (0 if x is not in S.)
- Algorithm
 - Starting with the first item in S, compare x with each item in S in sequence until x is found or S is exhausted. If x is found, answer yes; if x is not found, answer no.

An Example

Pseudo-code

```
void seqsearch(int n, // Input(1)
         const keytype S[], // (2)
         keytype x, // (3)
         index& location) // Output
  location = 1;
  while (location <= n && S[location] != x)
         location++;
  if (location > n)
         location = 0;
```

An Example

- How many comparisons for searching x in S?
 - Depends on the location of x in S
 - In worst case, we should compare (n) times.
 - In best case,
- Any better algorithm to get the same solution?
 - No, we can't, unless there is an extra information in S.

An Example

- Next approach: Binary Search
- Problem
 - Is the key x in the array S of n keys?
 - Determine whether x is in the <u>sorted array S</u> of n keys.
- Inputs (parameters)
 - Positive integer n, sorted (non-decreasing order) array of keys S indexed from 1 to n
- Outputs
 - The location of x in S. (0 if x is not in S.)

An Example

Pseudo-code

```
void binarysearch(int n, // Input(1)
            const keytype S[], // (2)
            keytype x, // (3)
            index& location) // Output
    index low, high, mid;
    low = 1; high = n;
    location = 0;
    while (low \leq high && location = 0) {
            mid = (low + high) / 2; // integer div
            if (x == S[mid]) location = mid;
            else if (x < S[mid]) high = mid - 1;
            else low = mid + 1;
```

An Example

- How many comparisons for searching x in S?
 - S is already sorted. We know it.
 - For each statement in a while-loop, the number of searching targets will be half.
 - In worst case, we should compare (log₂n + 1) times.
 - e.g. n = 32. S[16], S[16+8], S[24+4], S[28+2], S[30+1]. S[32]
 - In best case, trivial to answer.
- Any better algorithm to get the same solution?

An Example

Number of comparisons done by sequential search and binary search
when x is larger than all the array items

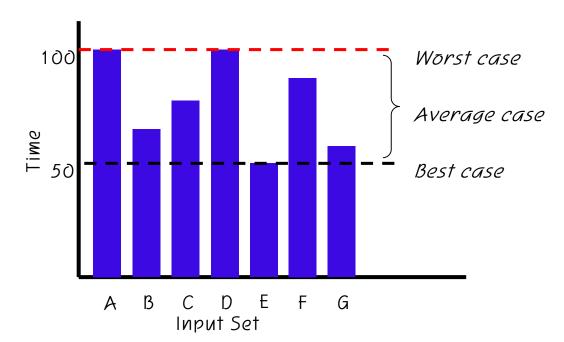
Array Size	Number of Comparisons by Sequential Search	Number of Comparisons by Binary Search
128	128	8
1,024	1,024	11
1,048,576	1,048,576	21
4,294,967,296	4,294,967,296	33

Analysis

- Time complexity analysis
 - Determination of how many times the basic operation is done for each value of the input size
 - Should be independent of CPU, OS, Programming languages...
- Metrics
 - Basic operation
 - Comparisons, assignments, etc.
 - Input size
 - The number of elements in an array
 - The length of a list
 - The number of columns and rows in a matrix
 - The number of vertices and edges in a graph

Analysis

- We can consider the following three cases:
 - Best case
 - Average case
 - Worst case



Analysis

- Among four possible analysis, WC, AC, and BC, which one is the right one?
- Think about ...
 - you are working for a nuclear power plant
 - what if you are working for an internet shopping mall
- Which one do you think is the most useless?
- Which one do you think is the hardest to analyze?

Correctness

- Efficiency analysis vs. Correctness analysis
- In this course, when I say an algorithm analysis, I mean an efficiency analysis
- We can also analyze the correctness of an algorithm by developing a mathematical proof that the algorithm actually does what it is supposed to do
- An algorithm is incorrect...
 - if it does not stop for a given input or
 - if it gives a wrong answer for an input

Level Test

Programming Environment Setting

