Vincent Yasi

CS 370 -Intro to Security-

Programming Project 1

<u>3.1</u>

Cipher 1

Method: -aes-128-cbc

Plaintext: "Hello World"

Ciphertext (hex): 5361 6c74 6564 5f5f 1bbe 4e0a fc63 6f3e 9d33 f9ac bba2 142d 44be 02b3 95c8 88df

Cipher 2

Method: -aes-128-cfb

Plaintext: "Secret Message"

Ciphertext (hex): 5361 6c74 6564 5f5f a9cb 9633 cf68 815c adc8 7d28 5415 227f 57d6 218c b4b5

Cipher 3

Method: -bf-cbc

Plaintext: "Cryptography is fun!"

Ciphertext (hex): 5361 6c74 6564 5f5f b0fe f47a 6849 85b2 072e e4de 199e ec5b 8237 9b00 8975 3181

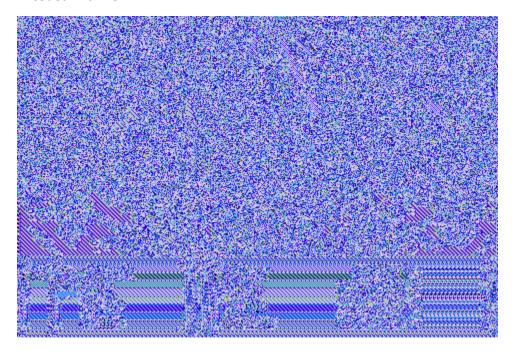
3521 c076 476c 5079

<u>3.2</u>

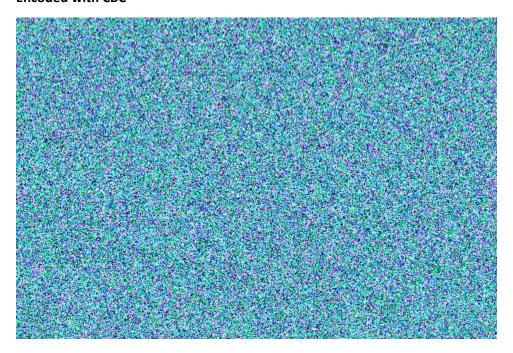
Original



Encoded with ECB



Encoded with CBC



I should have probably used a simpler picture for this section, but we can still see some patterns and "information leak" with the ECB picture. Toward the bottom where the battle menu is displayed (and the colors are mostly uniform) we can see the outline of the sections between the text. As well, a bit above that, we can also see patches where the clouds are rather uniform in the original picture. This all shows that some of the information of the original picture is still partially recognizable in the encrypted version for ECB.

The CBC version, however, shows none of these patterns, and overall looks like a bunch of random noise.

This demonstrates that CBC produces generally (pseudo)random ciphertexts, while ECB can create patterns in its ciphertexts, making them not truly random.

<u>3.3</u>

Key Used: 1234567890

IV for Run 1 and 2: 0987654321

IV for Run 3: 555555555

My initial runs to produce encrypt1 and encrypt2 gave different ciphertexts, even though the inputs were the same. This is because I found out OpenSSL v.1.1.1 (the one I have installed) automatically salts encryptions. When I ran them again with the -nosalt flag, the two files were the same. This is because

the two encryptions use the same key, IV, and plaintext. Therefore, because of the way CBC works, it gives the same output.

For the third run (with -nosalt used), the ciphertext was different than the first two. This is because, even though it uses the same key, the IV is different. With a different IV, the results of the first cycle will be different.

3.5

Plaintext: "Hello World"

Hash Digest -sha1: 0a4d55a8d778e5022fab701977c5d840bbc486d0

Hash Digest -sha256: a591a6d40bf420404a011733cfb7b190d62c65bf0bcda32b57b277d9ad9f146e

Hash Digest -sha512:

2c74fd17edafd80e8447b0d46741ee243b7eb74dd2149a0ab1b9246fb30382f27e853d8585719e0e67cbd a0daa8f51671064615d645ae27acb15bfb1447f459b

3.6

Plaintext: "Hello World"

HMAC-SHA256 Key: bongo

HMAC-SHA256 MAC: bd9e40f6733e868fa502a98109d42871818527d57fa2d5749f70af789b3345af

HMAC-SHA1 Key: key

HMAC-SHA1 MAC: cc24f1acdb06cf429bcf9861b6d708b6ec20a8fa

The answer to if the key needs to be a certain size is yes and no. HMAC uses blocks, so the key needs to be one blocklength in size. However, if the key is larger than a blocklength, then it can be trimmed down to size, and if it is shorter, than it can be padded to the correct length. So, the key should be a certain size, but if it is not, then it can easily be adjusted and keep the security of the hash.

Plaintext: "The cow jumps over the moon"

Key: bongo

H1-SHA256: aa2f7b095a4e2fb3918fa20b2221544d61632aba9fd9e8afa353eaaefde776db

Binary:

H2(1 flip)-SHA256: d6708757feafa410bcdd428ae0311c7c4dd3c79970ed0962d166f130d516bf1e

Binary:

H2(1, 49, 73, and 113 flip)-SHA256:

14727c57d4285b442a51be83c45048ab1d8b9fb6c60cfacc7be35d1d547d6adb

Binary:

H1-SHA512:

c2e6c46087c682b62e51aa38d30b15146285f7960f45c5531af3967f170cbbb85b0f7aac13f1e4b1eec2e64 0b4e8f28eb1e1f756f30f6bdc4c909fe31fe43229

Binary:

H2(1 flip)-SHA512:

edf3eea01a79eb68531d6a64cc4bf988304c33a340d620f885d1812e3814ca79b64b0499949cd963384b3c8a2d7c6c20d490da40b2adbd4600b9199e0303ee1f

Binary:

H2(1, 49, 73, and 113 flip)-SHA512:

c6948ea468c0b848cccd3cdd48a4acad0ff4dfca8de73bc8674b8d30589b2b3491cc448353a5e41b81b0cfd f2cccf59f5b8ec4e69bfcb57c54a216533868efcf

Binary:

For the SHA256 H1 and H2(1 flip), I got that they shared 131 bits out of 257. This is approximately 50%, which is what is to be expected from a good algorithm. When one bit is flipped, it should avalanche into about 50% of the total bits flipping in the result.

This trend continued regardless of which bit was flipped, or if multiple bits were flipped. For H2 (four bits flipped), the total shared also came out to about 50% also (123/257). This makes sense, too, as each bit change flips about 50% of the bits in the result. Do this with four bits, and with each 50% flip, some of the previously flipped bits (about 50% of those, or 25% overall) will flip back to being the same. Overall, this will average out to 50% of the bits being different with all the flipping.

The same trend was also seen with the SHA512 hashes, with each HS, when compared to H1, had about 50% different bits.