

## Assignment-1

Github Link - <https://github.com/vdarapan/Quant-Management-Modeling>

2. Back Savers is a company that produces backpacks primarily for students. They are considering offering some combination of two different models—the Collegiate and the Mini. Both are made out of the same rip-resistant nylon fabric. Back Savers has a long-term contract with a supplier of the nylon and receives a 5000 square-foot shipment of the material each week. Each Collegiate requires 3 square feet while each Mini requires 2 square feet. The sales forecasts indicate that at most 1000 Collegiates and 1200 Minis can be sold per week. Each Collegiate requires 45 minutes of labor to produce and generates a unit profit of \$32. Each Mini requires 40 minutes of labor and generates a unit profit of \$24. Back Savers has 35 laborers that each provides 40 hours of labor per week. Management wishes to know what quantity of each type of backpack to produce per week.

- a. Clearly define the decision variables
- b. What is the objective function?
- c. What are the constraints?
- d. Write down the full mathematical formulation for this LP problem.

- a) The decision variables are the unknown variable which needs to be determined. Here in this question,

We need to find what quantity of each type of backpack to produce in a week.

We are defining variables as:

$X$  = A number of Collegiate to be produced in each week

$Y$  = A number of Mini to be produced in each week

- b) We need to maximize the profits by selling the Backpacks. The number of backpack sold each week should be increased.

We define the objective functions as

$$Z = 32X + 24Y$$

- c) There are two constraints mentions in the question that is Material availability of nylon and time taken by the labor to manufacture the backpacks

1) Material availability:

$$3X+2Y \leq 5000$$

2) Time taken by Labor for production of Backpacks are:-

$$45X+40Y \leq 84000$$

d) The full mathematical formulation for this LP problem is:

$$\text{Maximize } Z = 32X + 24Y$$

$$3X+2Y \leq 5000$$

$$45X+40Y \leq 84000$$

$$\text{AND } X \geq 0, Y \geq 0$$