

# Singularities in Meaning Systems: Stagewise Reflection and Predictability Horizons

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## Abstract

We study *parity horizons*—the singular points where a meaning system’s optimal reflection of the world changes by stage. Under *reflection parity*, accuracy means a task-sufficient, resource-bounded quotient of the world rather than a 1:1 microstate emulation. As capacity or goals change, the MDL-optimal reflection is piecewise-constant with discrete transitions (singularities). We formalize stages, predictability horizons, early warnings, governance; add a universality and cross-layer resonance account; and demonstrate eureka synchrony in compact simulations.

## 1 Introduction

Minds do not copy reality; they mirror it. Reflection parity reframes accuracy: a representation is sufficient when it preserves the invariants that matter for goals under resource bounds. This implies *stagewise reflection*: as  $B$  and  $G$  evolve, the optimal partition changes by jumps. We call the jump points *parity horizons*.

## 2 Preliminaries: reflection parity

Let  $W_t$  be the micro-world,  $\sim_{B,G}$  a task-indexed equivalence over world states, and  $\pi_{B,G}(W_t)$  the quotient. A representation  $P_t$  is reflection-sufficient if there exists a homomorphism  $h : P_t \rightarrow \pi_{B,G}(W_t)$  with bounded task error and  $P_t$  is MDL-minimal under an equilibrium objective  $\mathcal{J}$ .

## 3 Stagewise reflection and parity horizons

**Definition 1** (Stage). *An interval where  $P$  is reflection-sufficient and MDL-minimal for  $(B, G)$ .*

**Definition 2** (Parity horizon). *A critical budget/time where the MDL-optimal partition changes identity (topology or cardinality).*

**Definition 3** (Predictability horizon). *Largest window with bounded-regret forecasts under the current partition; beyond it, a partition transition is required.*

## 4 Theory: piecewise optimality (sketch)

With a Lagrangian  $\mathcal{L} = \text{MDL}(P) + \lambda \text{PredErr}(P)$  and mild regularity, optimal assignments are stable except where multipliers hit constraints, forcing discrete reassignments (IB/deterministic-annealing analogy).

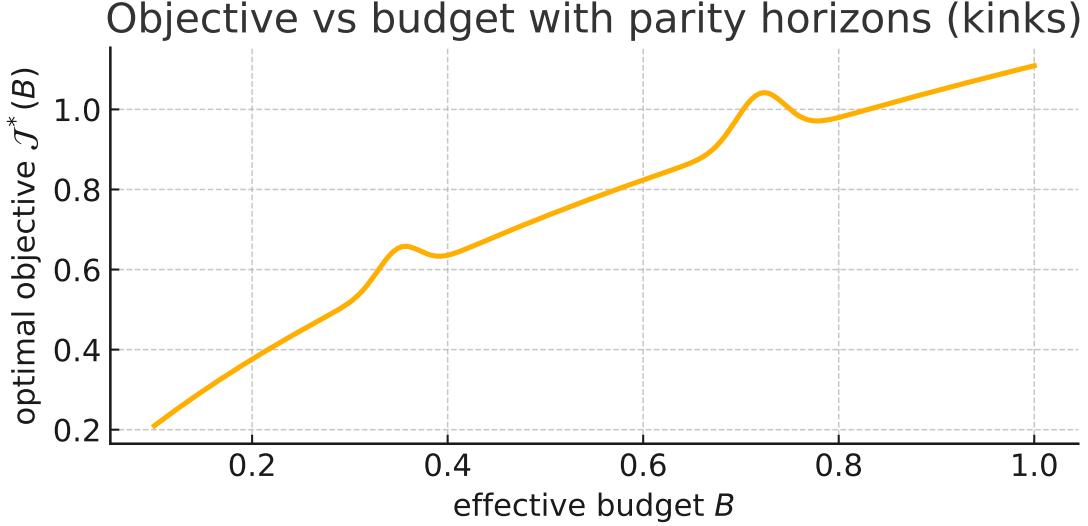


Figure 1: **Objective vs budget.** Kinks at horizons indicate partition changes.

## 5 Detection and governance

Early warnings: conflict curvature, residual bimodality, MES churn,  $d_R$  slowdown. Governance: sandbox transitions; provenance gating; value floors; reversible rewrites; external validation; explainability; staggered multi-agent crossings.

## 6 Universality and Cross-Layer Coupling

Any meaning substrate  $S = (X, \mathcal{O}, U, G, B)$  faces the same trade-off: choose a coarse-graining  $\pi$  and representation  $P$  that minimize MDL under bounded task error. This yields stagewise reflection and parity horizons at *every* layer: physics/cosmology, evolution/genetics, minds, language, institutions. Layers  $\ell$  couple via encoders/decoders  $E_{\ell \rightarrow \ell+1}, D_{\ell+1 \rightarrow \ell}$ ; horizons induce upstream pressure and downstream back-reaction. When multiple layers share an emergent invariant, stacked cliffs appear (synchronized transitions).

## 7 Convergence and Eureka Synchrony

Let a target invariant  $I^*$  have minimal prerequisites  $\{I_1, \dots, I_k\}$  forming a dependency DAG. Define a eureka hazard  $h(t) = \sigma(w^\top s(t)) \cdot \prod_i \mathbb{1}\{I_i \text{ present}\}$ , where  $s(t)$  aggregates early-warning signals. In a population with coupling  $\kappa_{i \rightarrow j}$ , an exposure-driven reproduction term  $\mathcal{R}_e = \sum_{j \neq i} \kappa_{i \rightarrow j} p(\text{MES accepted by } j)$  predicts clustered first hits when  $\mathcal{R}_e > 1$ .

### 7.1 Everyday singularities

Object permanence, mirror self-recognition, and vocabulary spurts are everyday parity horizons: small refactors with large reuse.

## 8 Simulations

Capacity sweeps reveal plateaus and kinks; multi-agent communication shows message-size cliffs at shared horizons; reflection distance exhibits a transient bump before improved convergence.

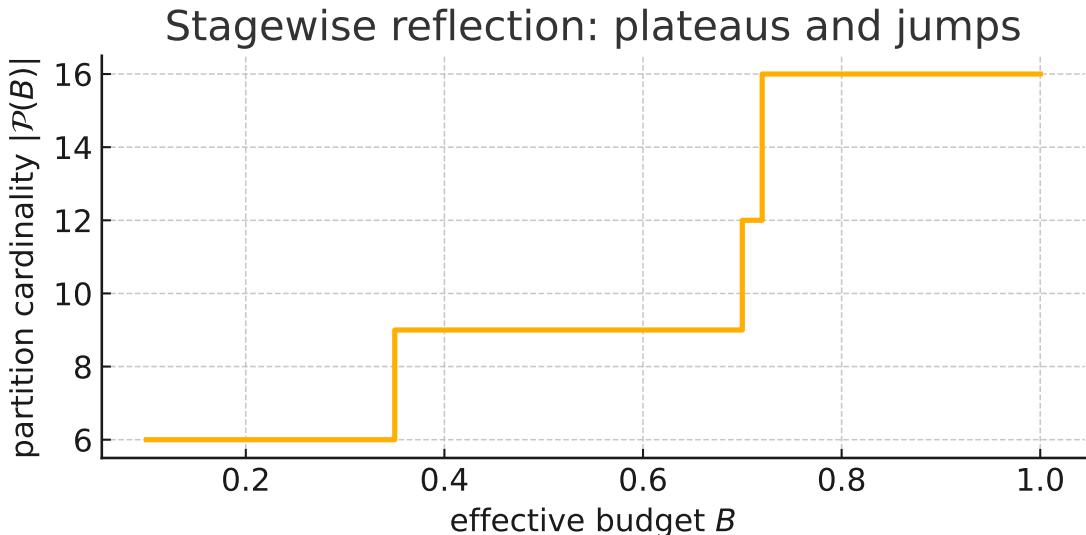


Figure 2: **Partition size.** Plateaus with discrete jumps as capacity increases.

## References (inline)

## References

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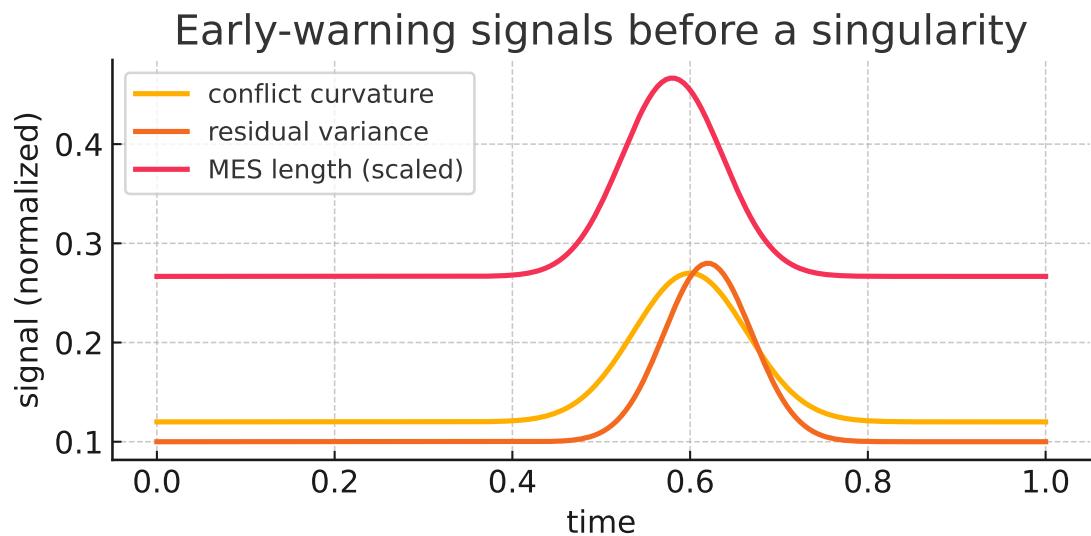


Figure 3: **Early warnings.** Signals spike before a horizon crossing.

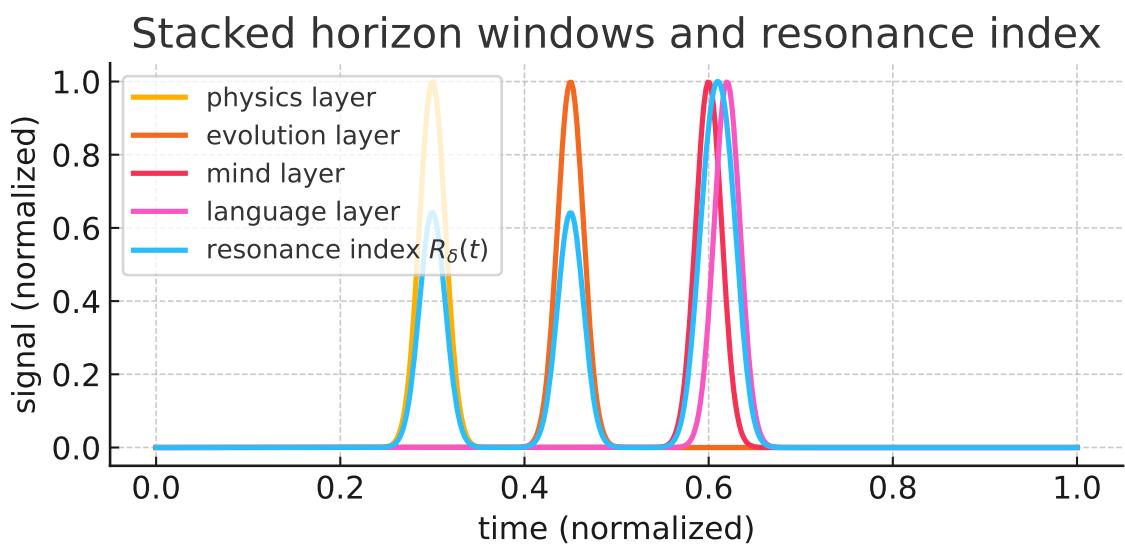


Figure 4: **Cross-layer resonance.** Overlapping horizon windows and a resonance index  $R_\delta(t)$  (normalized sum). Peaks mark “stars aligning.”

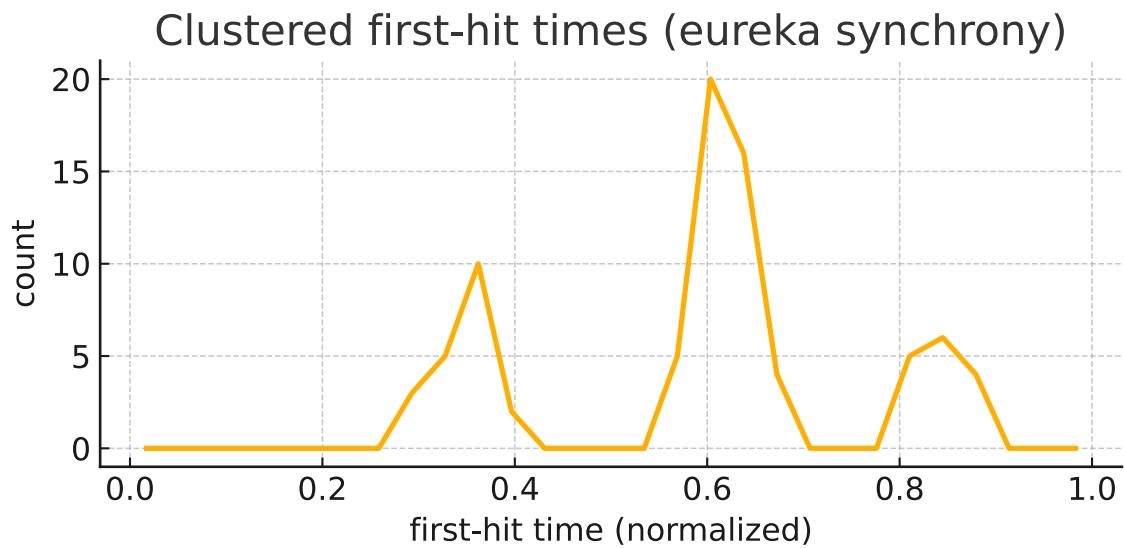


Figure 5: **Eureka synchrony.** Clustered first-hit times in a coupled population (simulated).

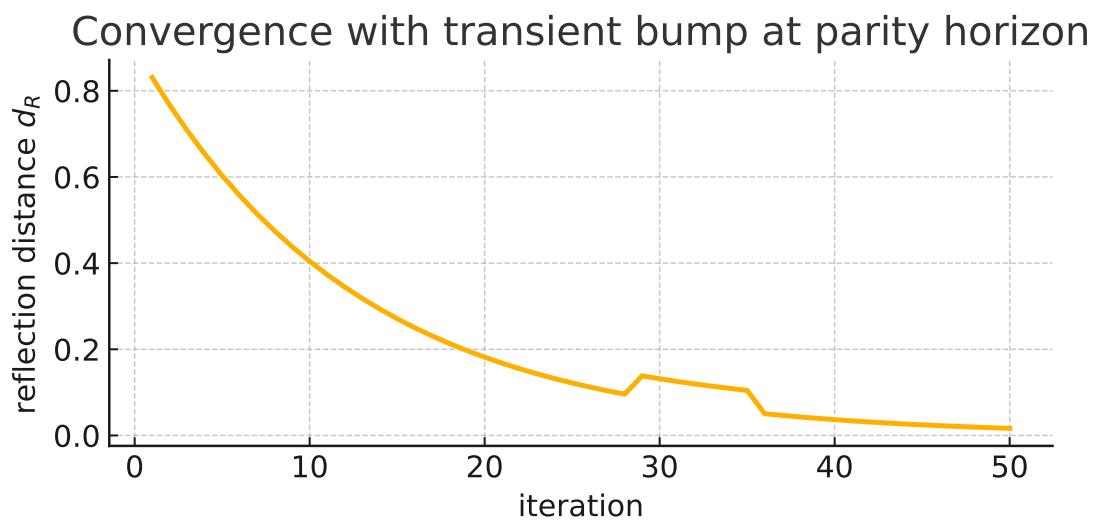


Figure 6: **Reflection distance.** Transient bump then stronger convergence after crossing.