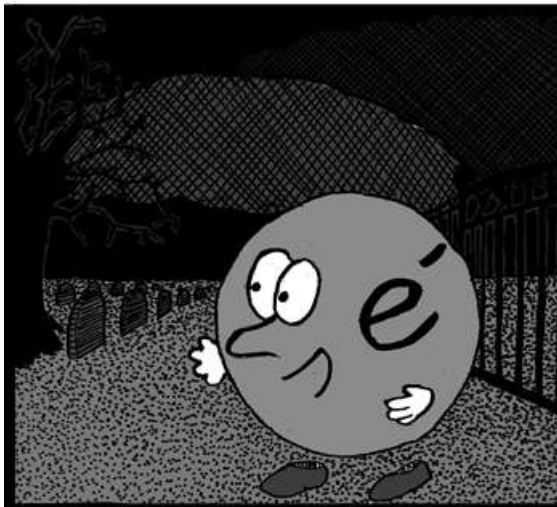
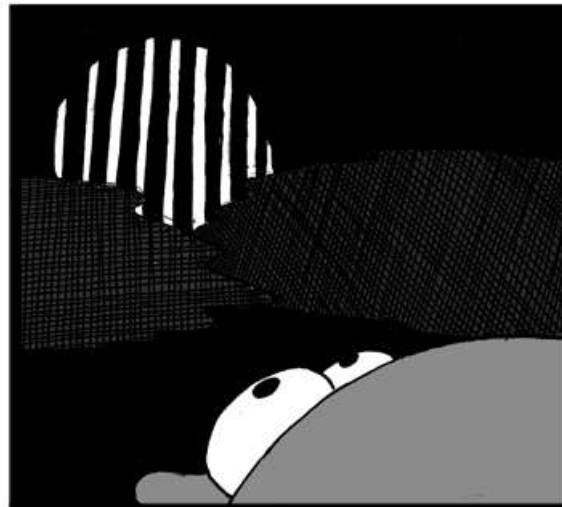


WAVE QUANTUM MECHANIC MODEL

WAVE QUANTUM MECHANIC THEORY



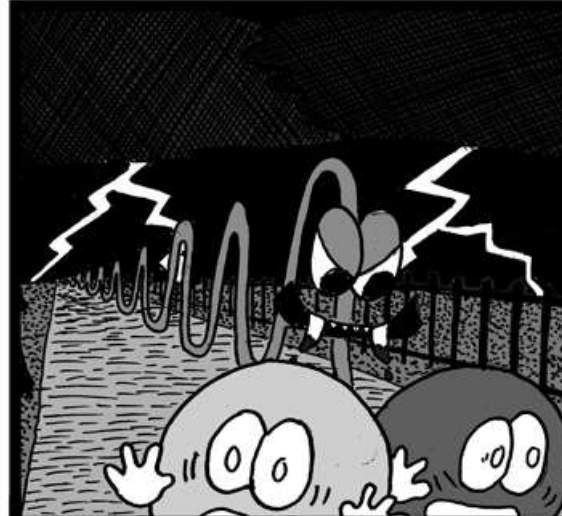
My, what a lovely night
to be a particle!



Gadzooks! Is that a
diffraction grating?



Good heavens!
What is happening to me?



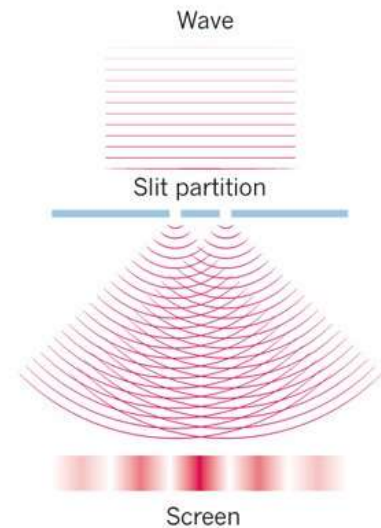
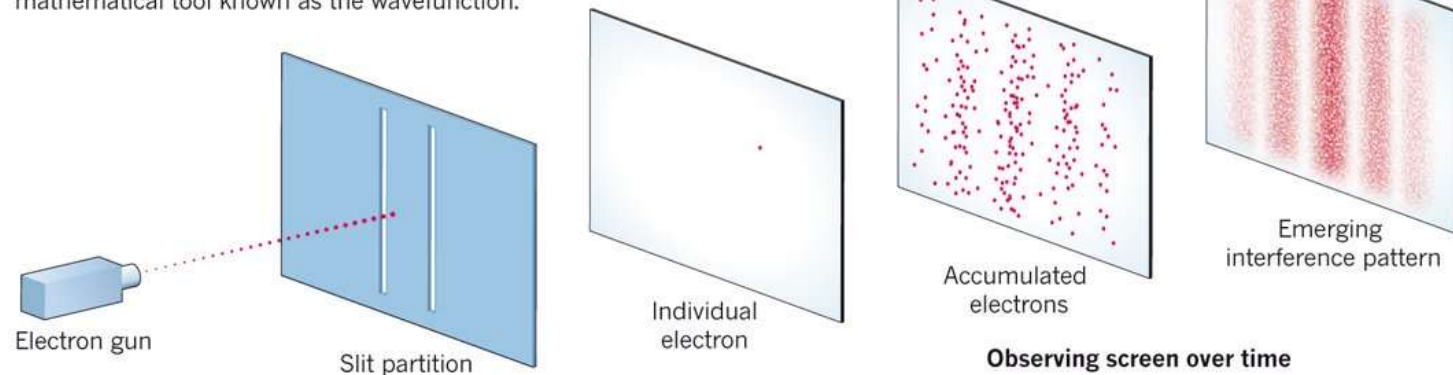
Growl! Grrrr!
Rarrgh!

WAVE QUANTUM MECHANIC THEORY

quantum mechanics – mathematical description of **wave-particle duality** of energy / matter

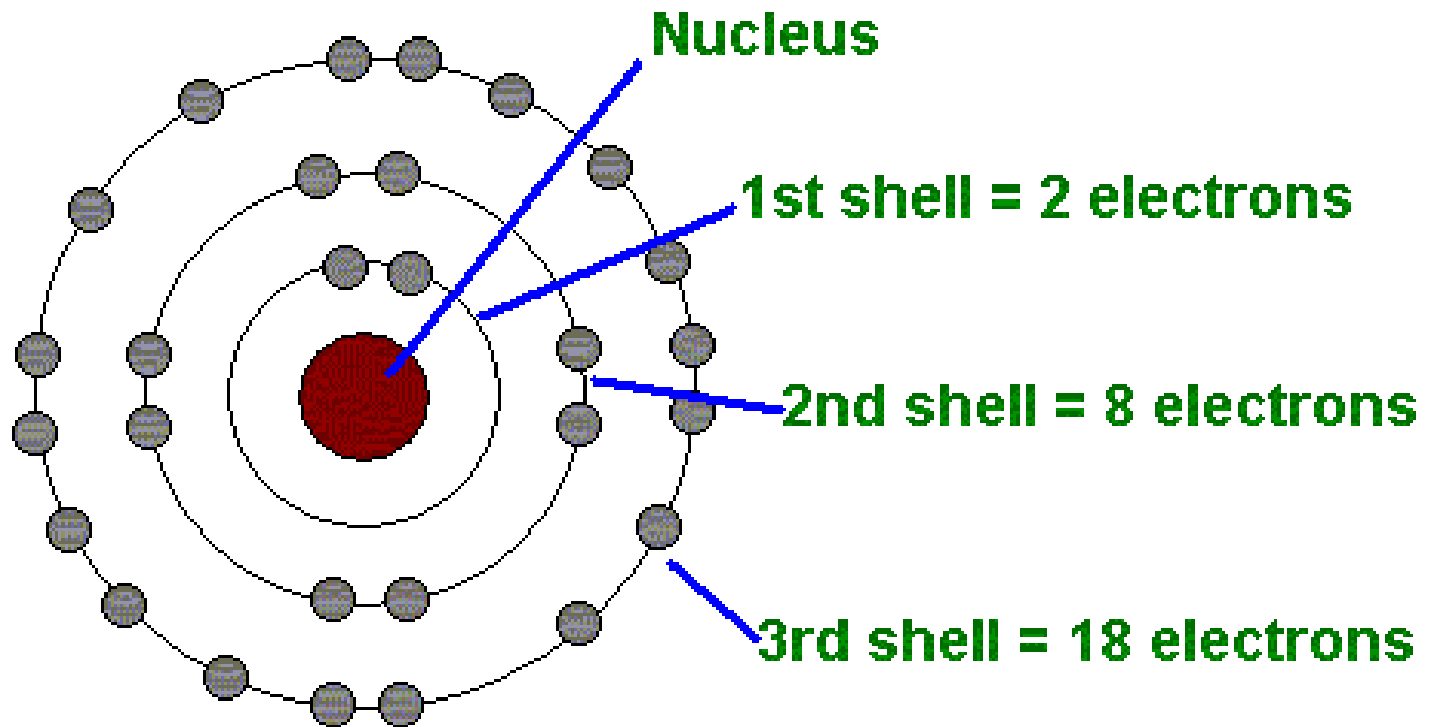
WAVE-PARTICLE WEIRDNESS

When quantum objects such as electrons are fired one by one through a pair of closely spaced slits, they behave like particles: each one hits a screen placed on the far side at exactly one point. But they also behave like waves: successive hits build up a banded interference pattern exactly like that generated by a wave passing through the slits (right). This wave-particle duality is described by a mathematical tool known as the wavefunction.



PREVIOUS ATOMIC MODEL

Old model:



Electrons occupy specific energy levels/shells in an atom.

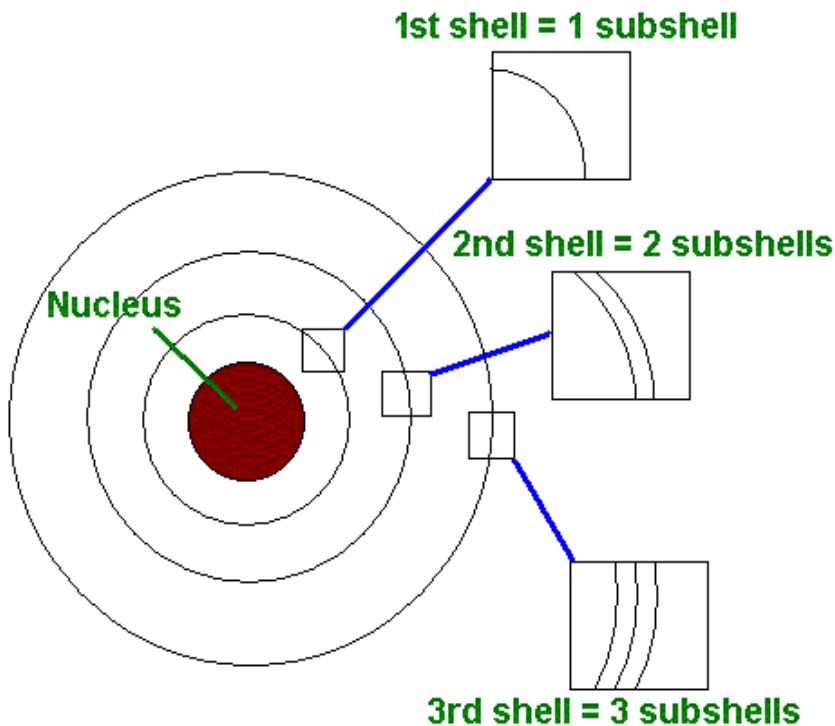
$$\text{number of electrons per level} = 2n^2$$

SCHRÖDINGER

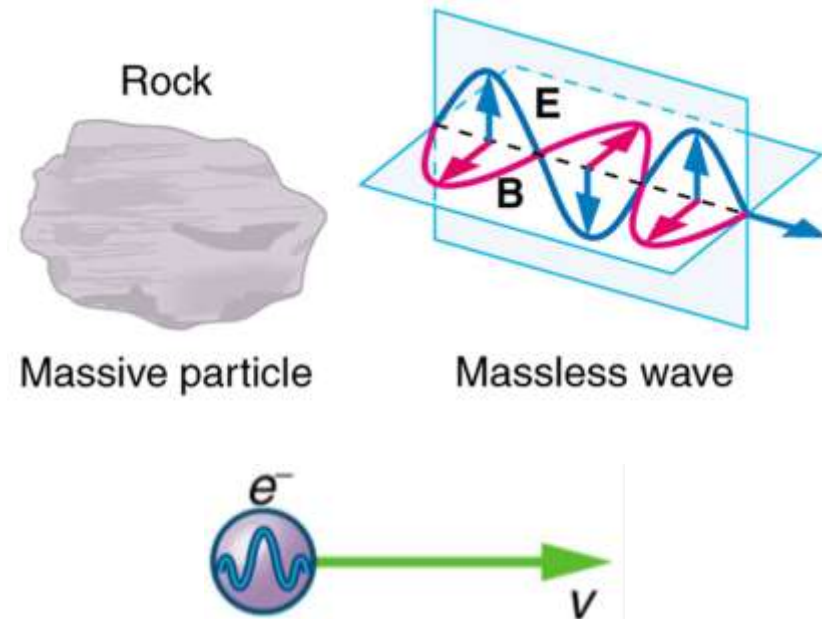


Erwin Schrödinger proposed that:

1) Each energy level had sub-levels



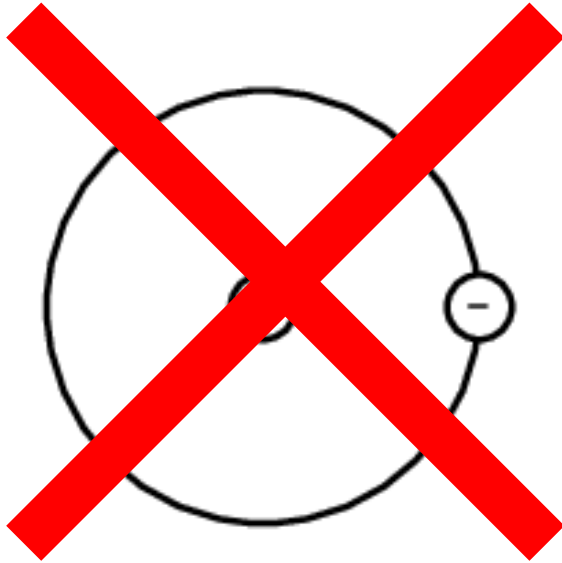
2) Electrons are both particles and waves at the same time (not localized in 2-D orbits)



HEISENBERG UNCERTAINTY PRINCIPLE

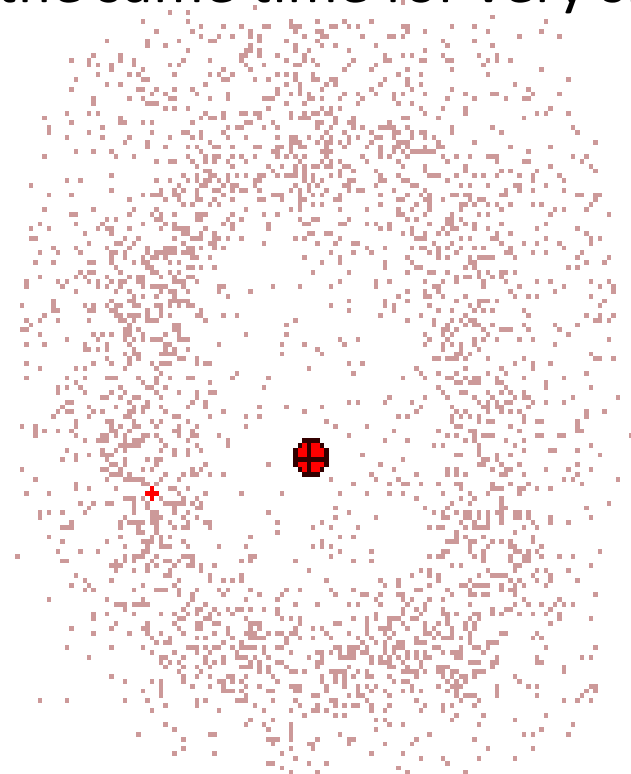
Heisenberg's Uncertainty Principle

- cannot predict speed and location at the same time for very small particles



orbit – a defined 2-D circle/ellipse around a nucleus where an e^- is found

VS.

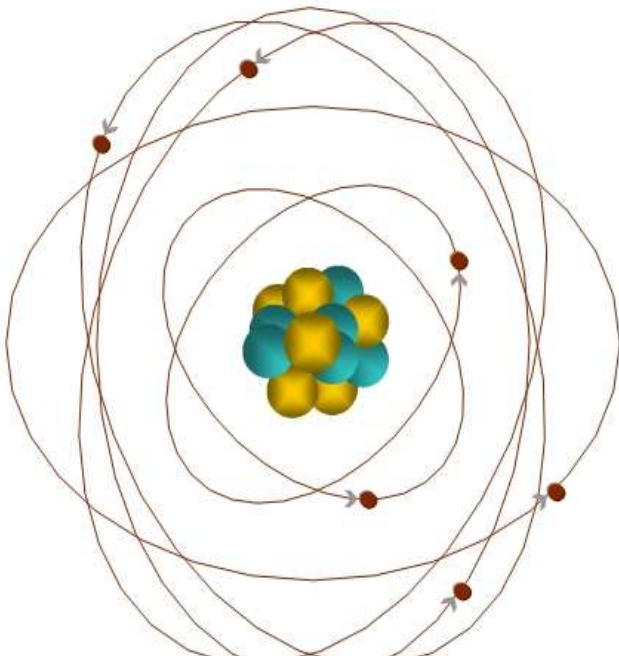
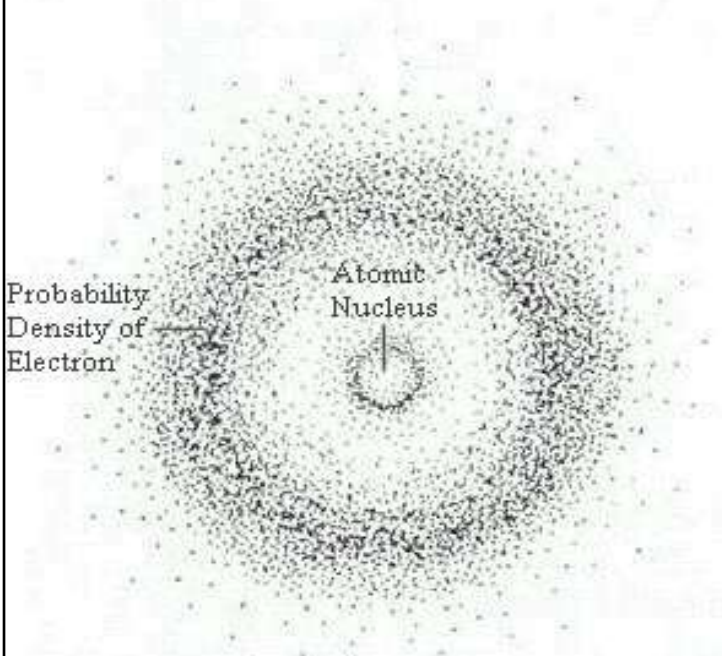


orbital – a space defined by the Schrödinger Wave Equation around a nucleus where an e^- is *probably* found

$$i\hbar \frac{\partial}{\partial t} \Psi(\mathbf{r}, t) = \hat{H} \Psi = \left(-\frac{\hbar^2}{2m} \nabla^2 + V(\mathbf{r}) \right) \Psi(\mathbf{r}, t) = -\frac{\hbar^2}{2m} \nabla^2 \Psi(\mathbf{r}, t) + V(\mathbf{r}) \Psi(\mathbf{r}, t)$$

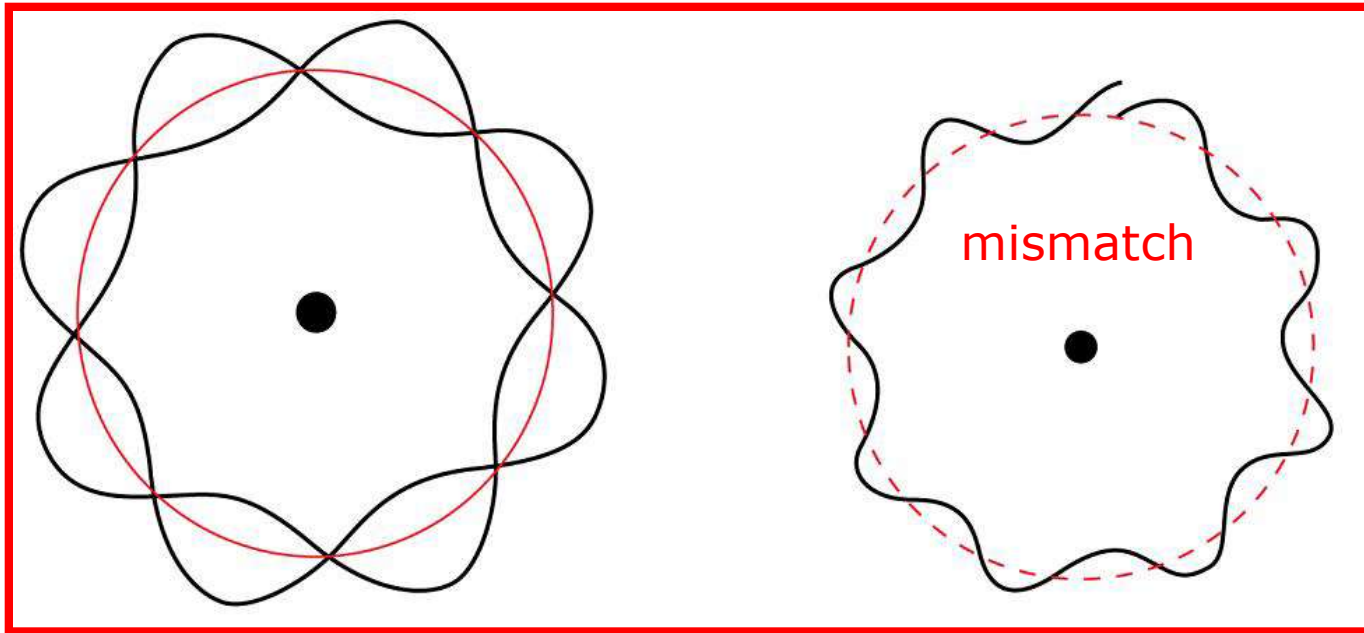
ORBITS VS ORBITALS

Orbits Vs. Orbitals

2-D path	3-D path
Fixed distance from nucleus	Variable distance from nucleus
Circular or elliptical path	No path; varied shape of region
$2n^2$ electrons per orbit	2 electrons per orbital
	

FIXED ENERGY LEVELS ONLY

Since electrons are like waves around the nucleus, they cannot have wavelengths that result in destructive interference (which can collapse the wave).




As a result, the wavelengths must be multiples of whole numbers ($n = 1, 2, 3, 4, \dots$), which explains why there are areas where electrons cannot exist.

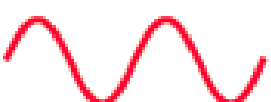
FIXED ENERGY LEVELS ONLY

This causes electrons to be confined to certain probabilities (orbitals) around the nucleus.

For a hydrogen atom:

Electron wave resonance

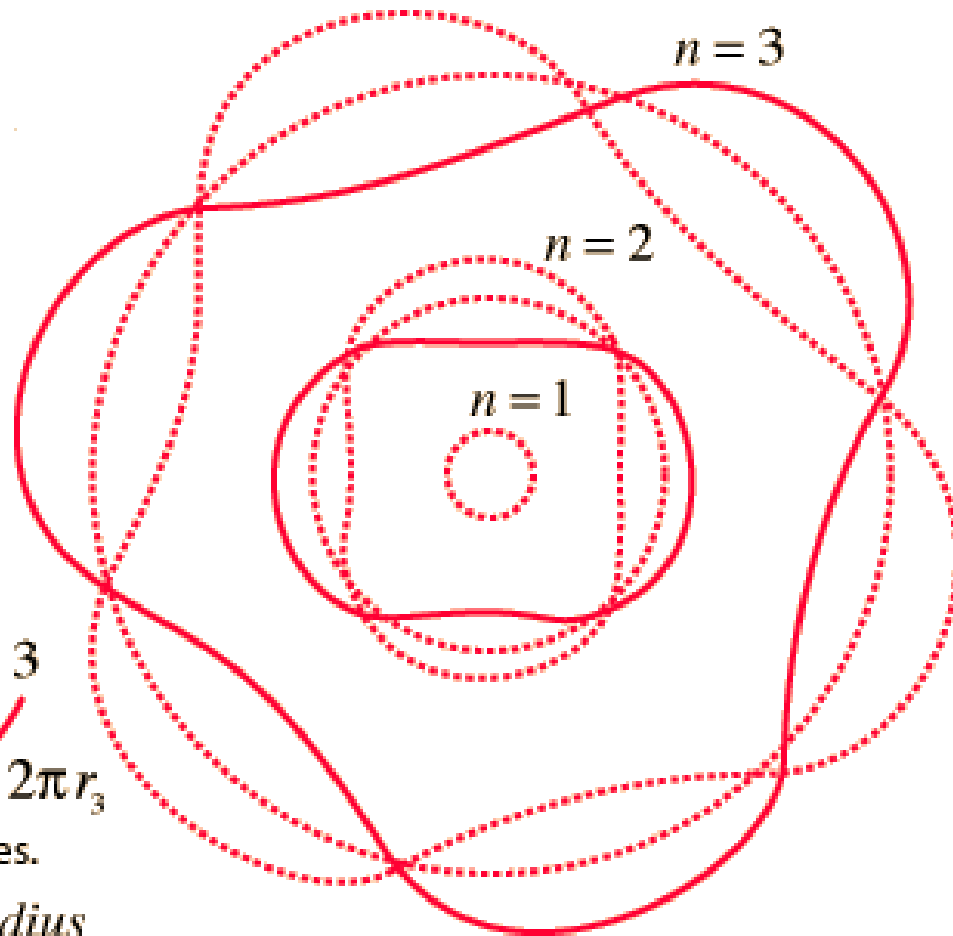
$n = 1$
 $\lambda_1 = 2\pi r_1 = 6.28a_0$

$n = 2$
 $2\lambda_2 = 2\pi r_2$
 $\lambda_2 = 12.57a_0$

$n = 3$
 $\lambda_3 = 18.85a_0$ $3\lambda_3 = 2\pi r_3$

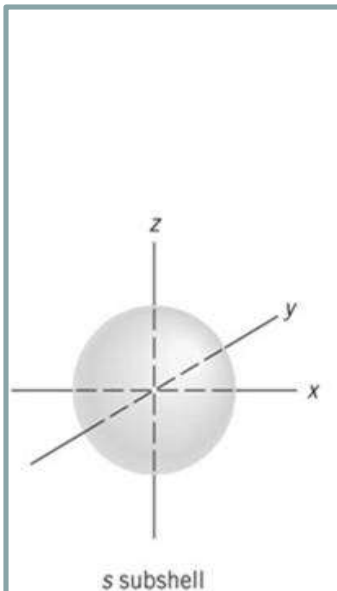
Wavelengths for hydrogen states.

$a_0 = 0.0529\text{nm} = \text{Bohr radius}$

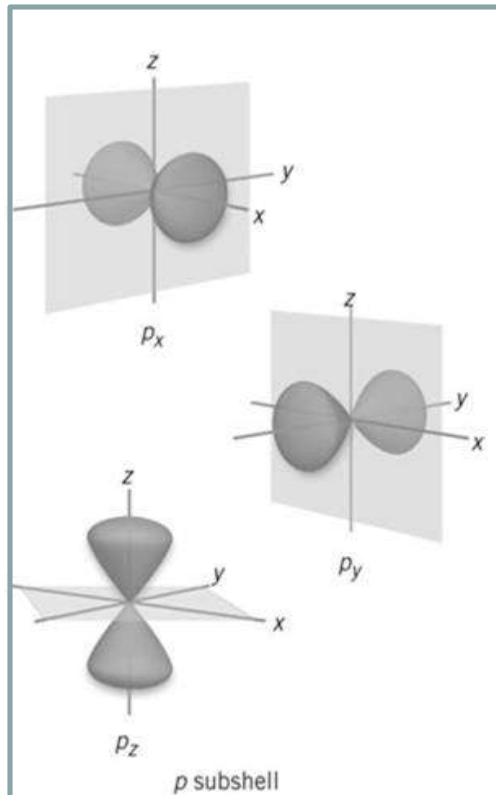


ORBITAL SHAPES

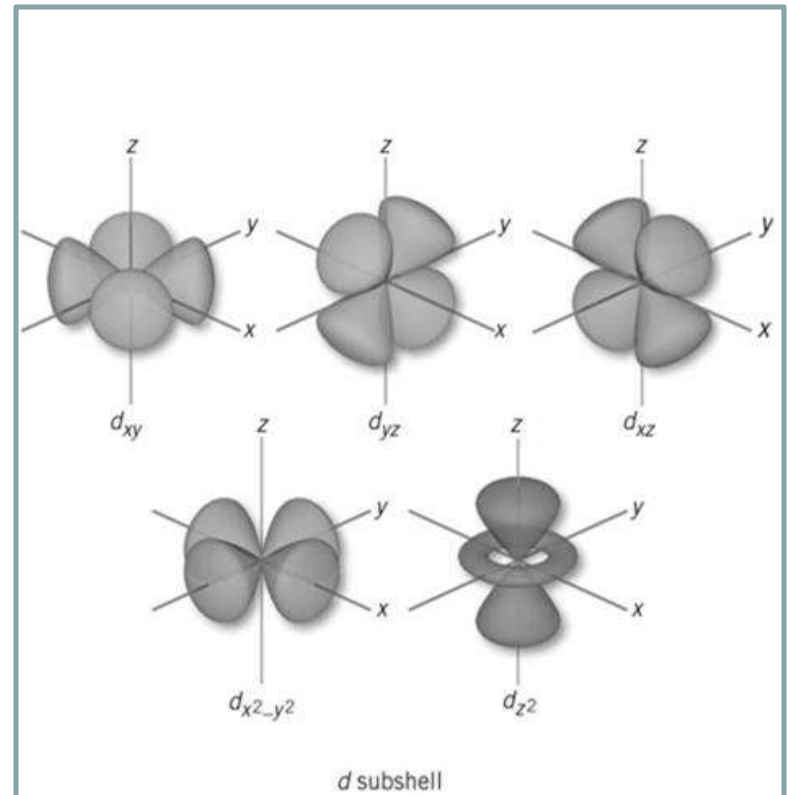
Each orbital (containing 2 electrons) is further classified under different categorizations based on their shape



s - orbital



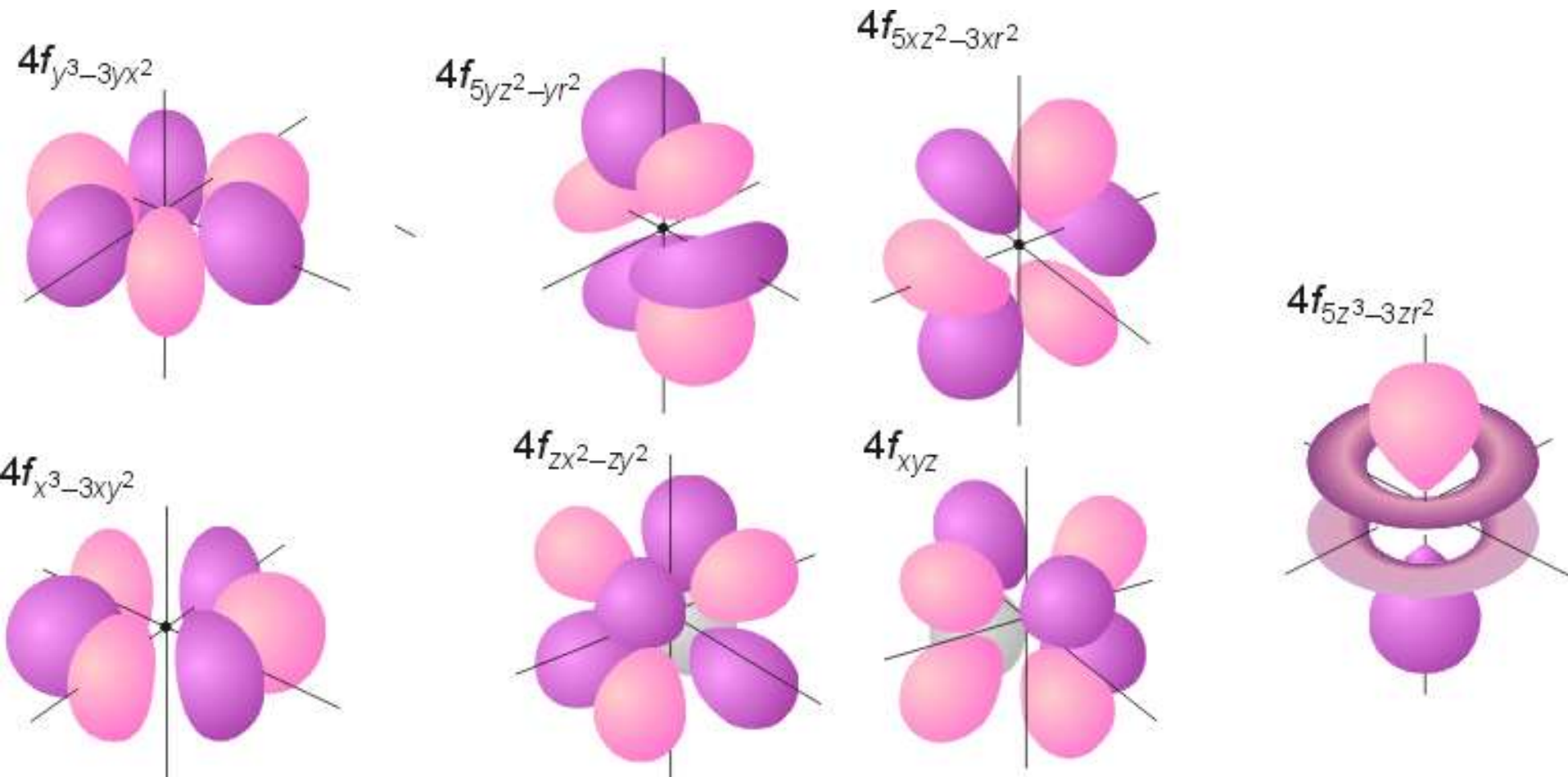
p - orbitals



d - orbitals

ORBITAL SHAPES

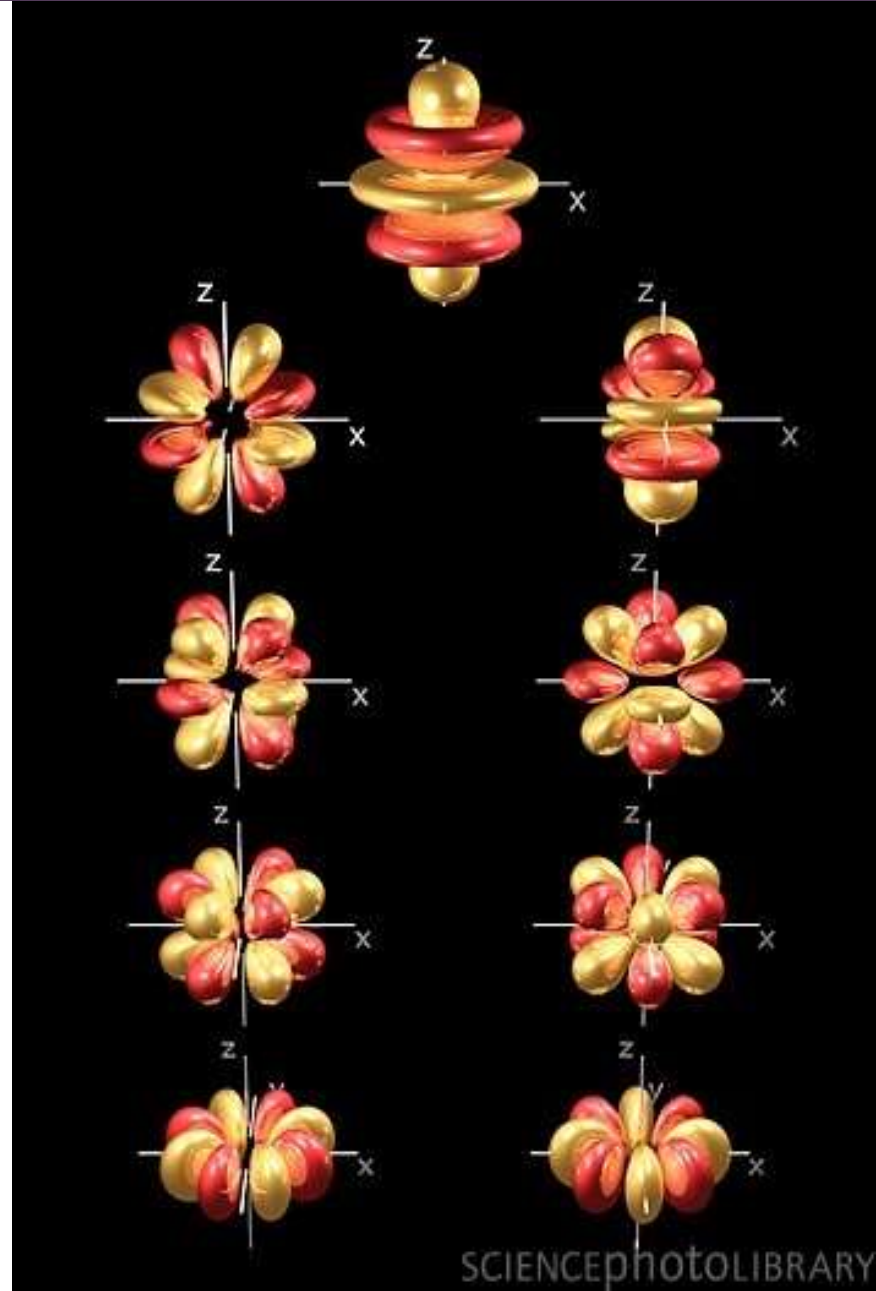
f- orbitals



ORBITAL SHAPES

g – orbitals

Orbital shapes are energy dependent and can be solved through Schrödinger's wave equation.

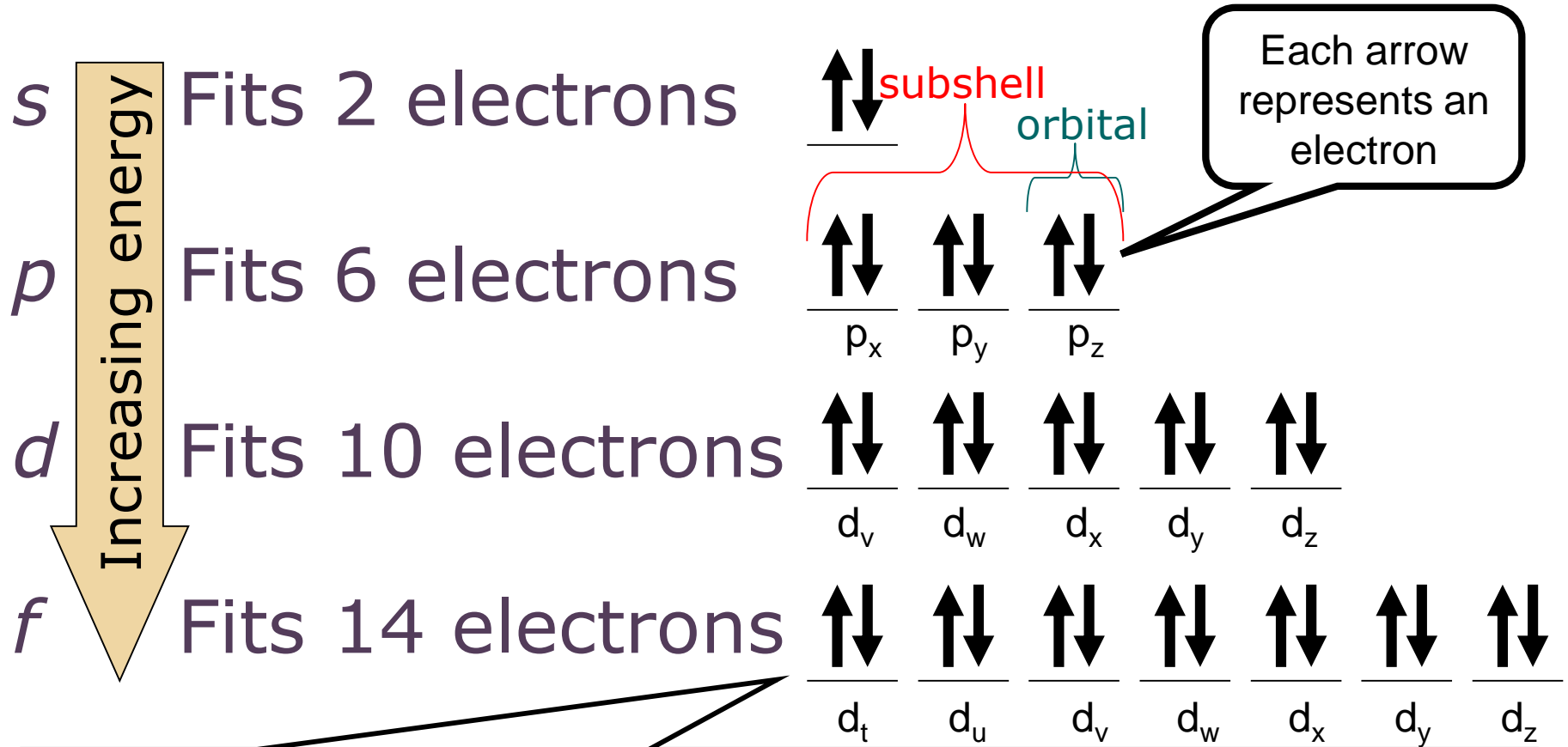


ORBITAL SHAPES

Summary of s, p, d, f orbitals:

Value of l	Sublevel Symbol	Number of Orbitals
0	s (sharp)	1
1	p (principle)	3
2	d (diffuse)	5
3	f (fundamental)	7

ORBITAL CAPACITY

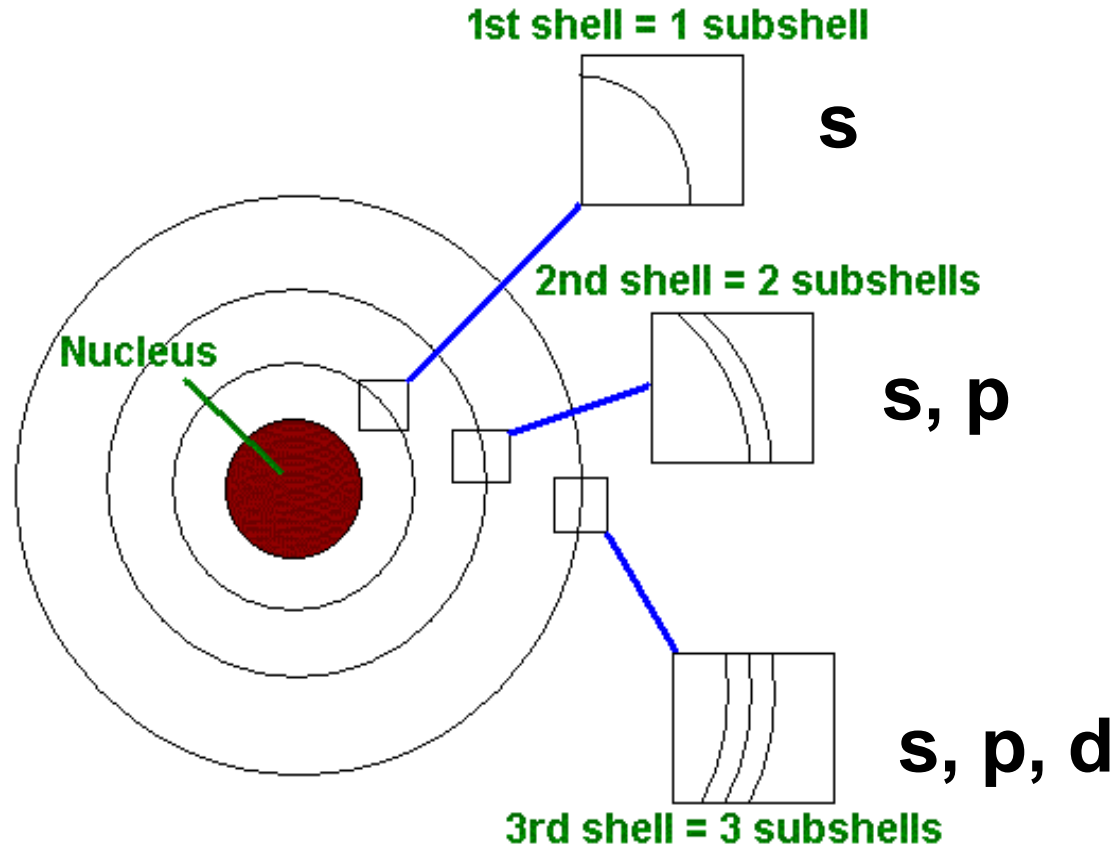


Pauli exclusion principle: No two electrons in an orbital have the same direction (all electrons have angular momentum causing it to have a magnetic direction)

SUBSHELLS IN EACH SHELL



RECALL: Schrödinger proposed that each energy level/shell had a respective number of subshells.



What do you think these subshells are?

SUMMARY

Electron distribution:

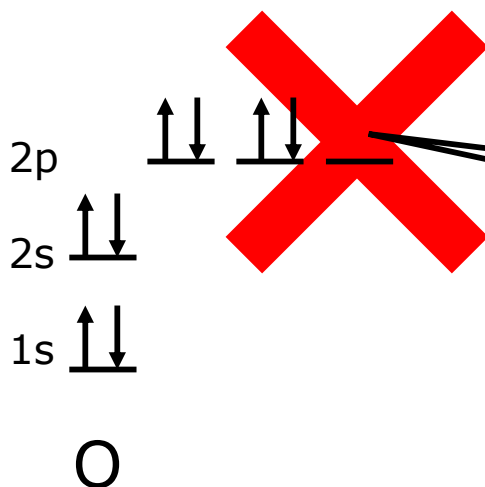
Energy Level	Sublevel	Maximum # of Electrons in Energy Level ($2n^2$)	Number of Each Orbital	Maximum # of Electrons in Orbital Type
1	s	2	1	2
2	s p	8	1 3	2 6
3	s p d	18	1 3 5	2 6 10
4	s p d f	32	1 3 5 7	2 6 10 14

ELECTRON ENERGY-LEVEL DIAGRAMS

Drawing an **electron energy-level diagram**

Example: **Oxygen**

How many electrons does oxygen have? **8**



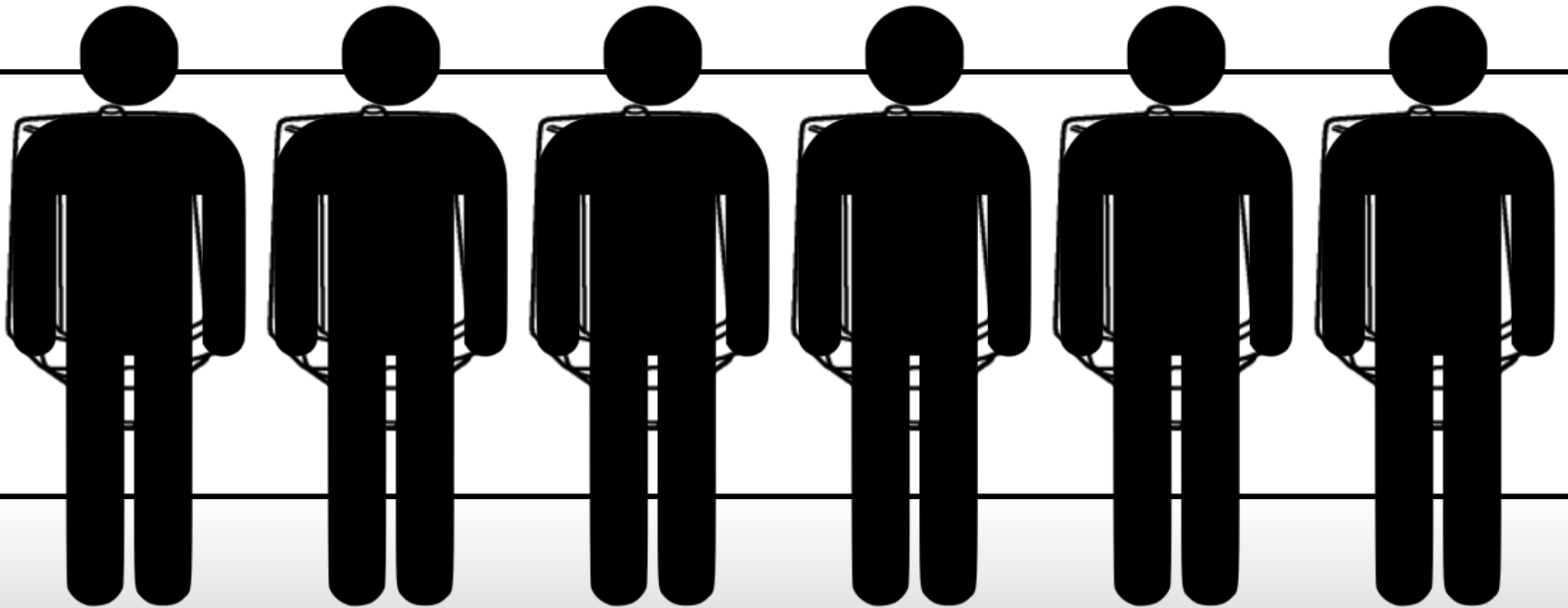
Hund's rule: No two electrons can be put into the same orbital until one electron has been put into each of the equal-energy orbitals

aufbau principle: An energy sublevel must be filled before moving to the next higher sublevel

ELECTRON ENERGY-LEVEL DIAGRAMS

Drawing an **electron energy-level diagram**

Hund's rule analogy:

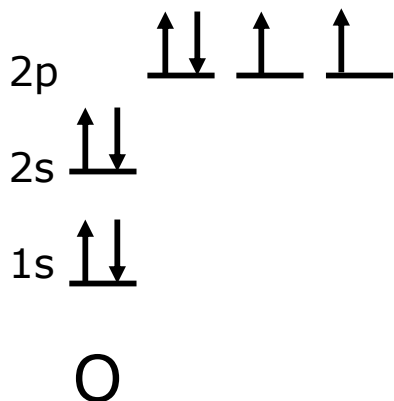


ELECTRON ENERGY-LEVEL DIAGRAMS

Drawing an **electron energy-level diagram**

Example: **Oxygen**

How many electrons does oxygen have? **8**

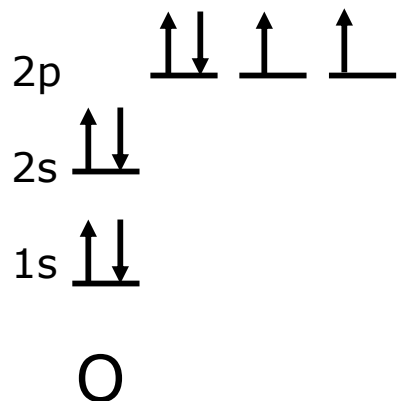


aufbau principle: An energy sublevel must be filled before moving to the next higher sublevel

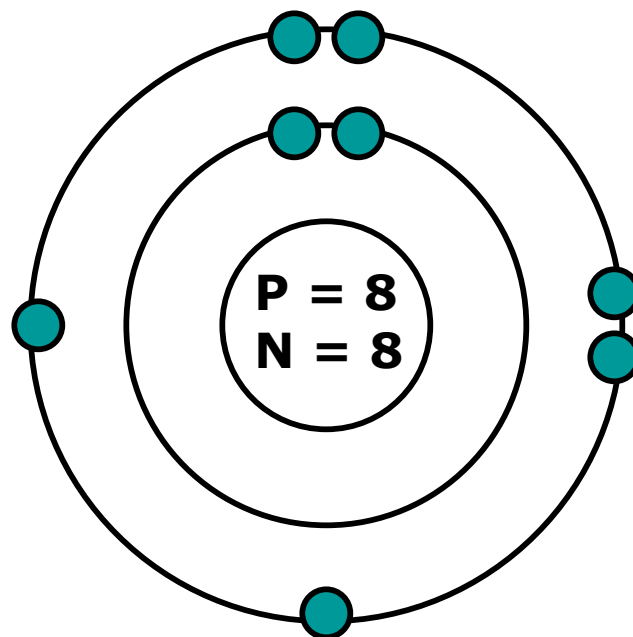
ELECTRON ENERGY-LEVEL DIAGRAMS

Drawing an **electron energy-level diagram**

Example: **Oxygen**



Compare with its Bohr-Rutherford diagram:



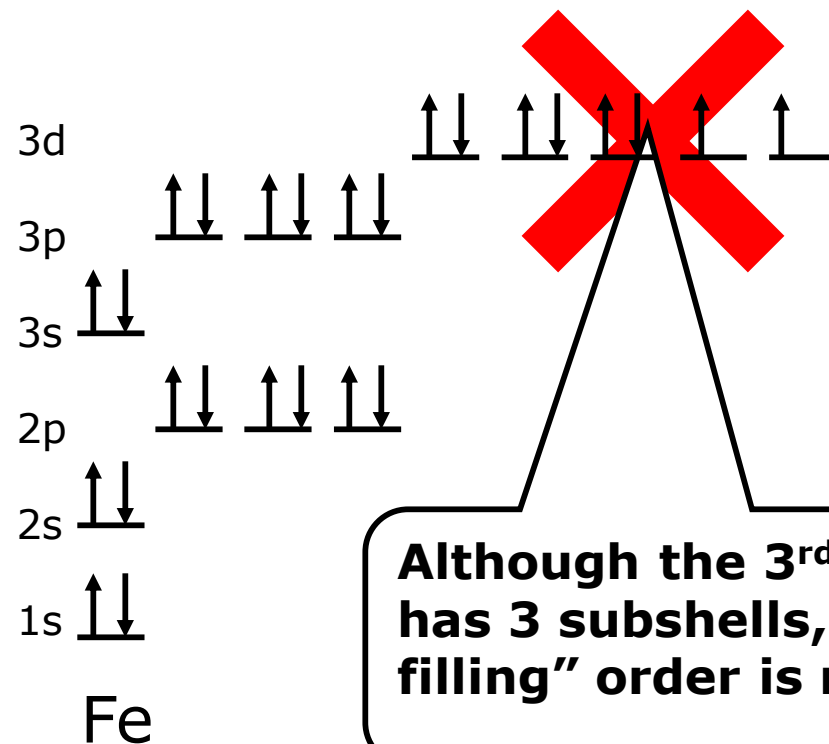
Notice how the pairing of electrons in the Bohr-Rutherford diagram matches the energy level diagram

ELECTRON ENERGY-LEVEL DIAGRAMS

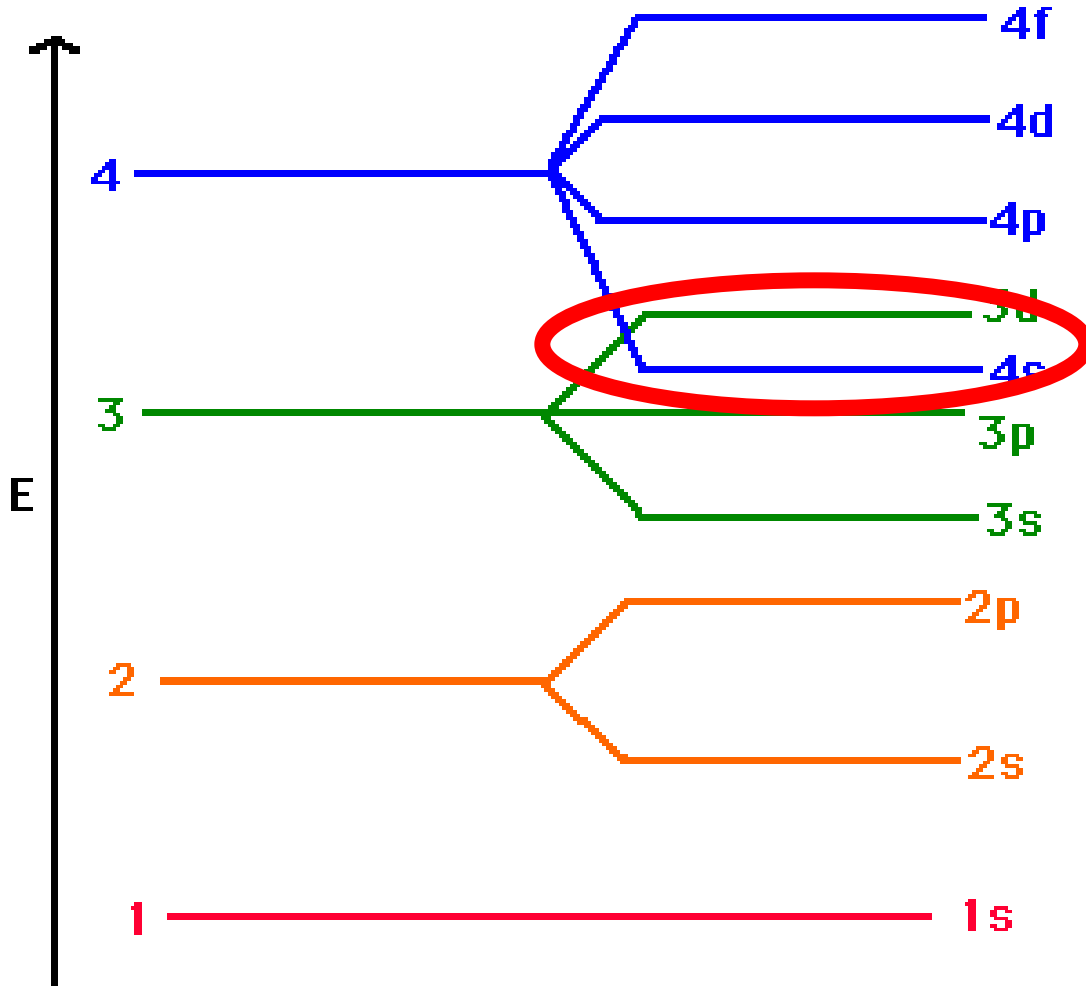
Drawing an **electron energy-level diagram**

Example: **Iron**

How many electrons does iron have? **26**



ELECTRON ENERGY-LEVEL DIAGRAMS



Each energy level is supposed to begin with one s orbital, and then three p orbitals, and so forth.

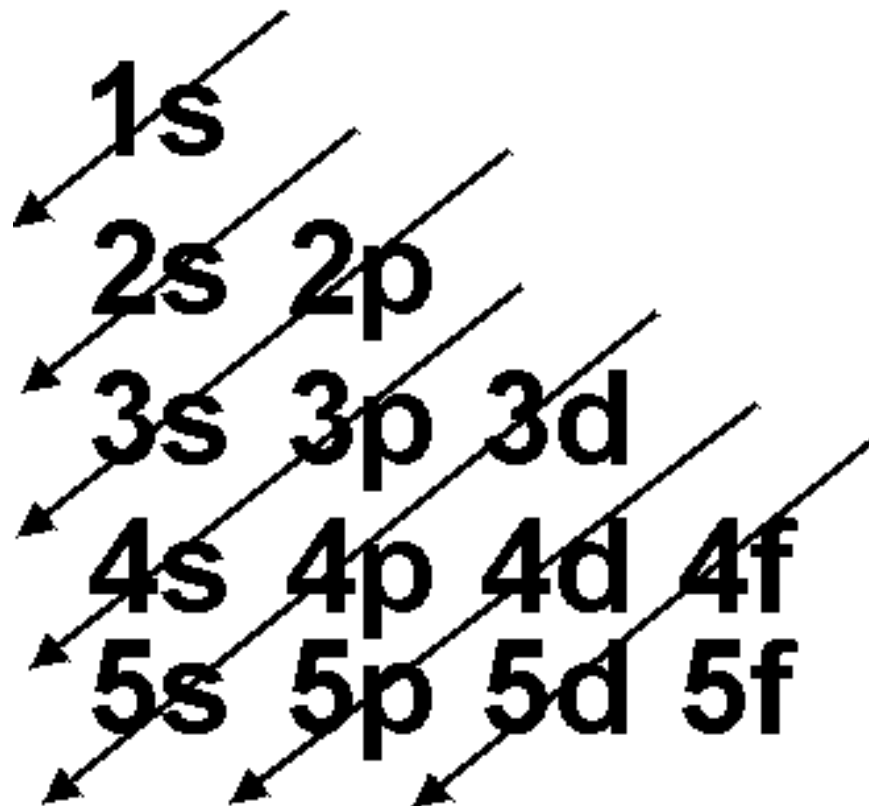
There is often a bit of overlap.

In this case, the 4s orbital comes before the 3d orbitals.

ELECTRON ENERGY-LEVEL DIAGRAMS

aufbau diagram:

Start at the top and add electrons in the order shown by the diagonal arrows.

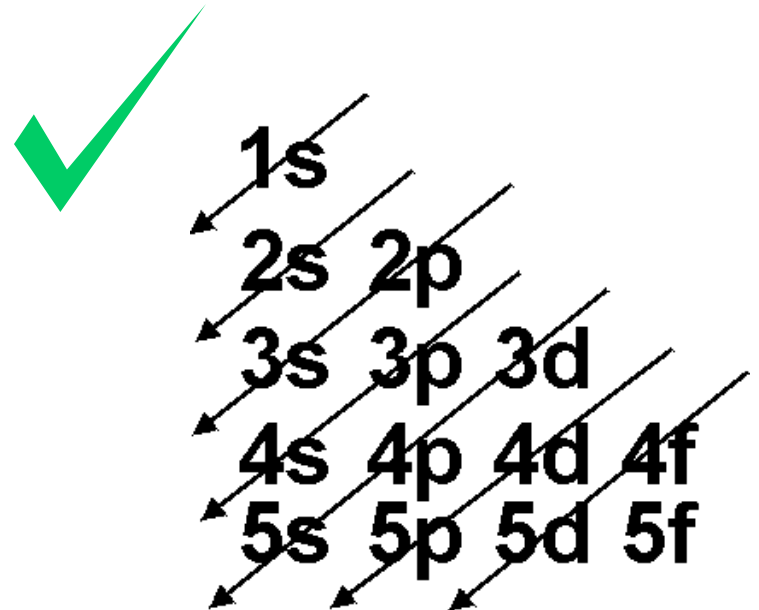
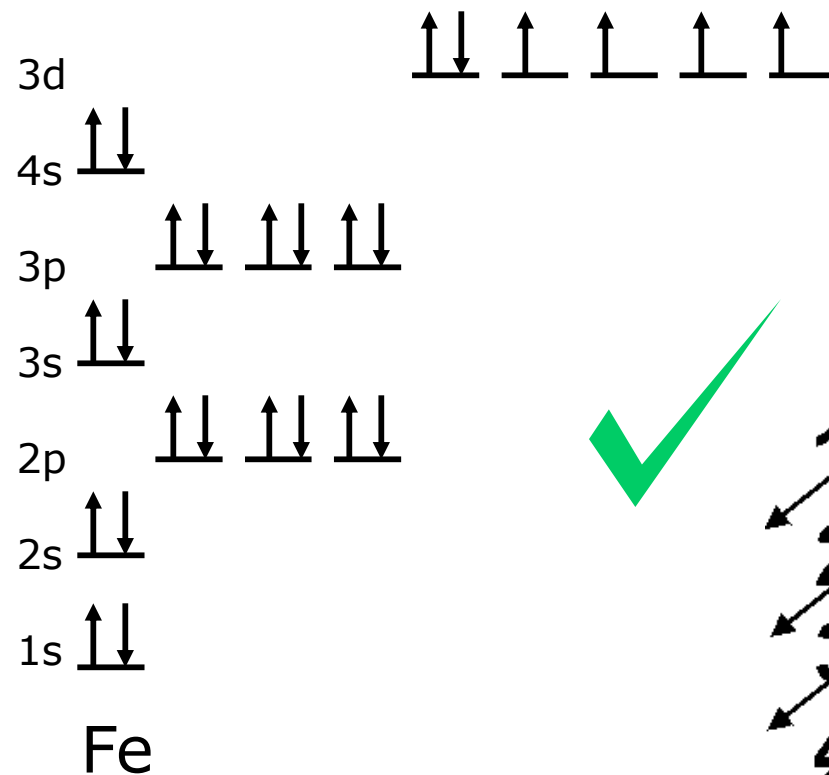


ELECTRON ENERGY-LEVEL DIAGRAMS

Drawing an **electron energy-level diagram**

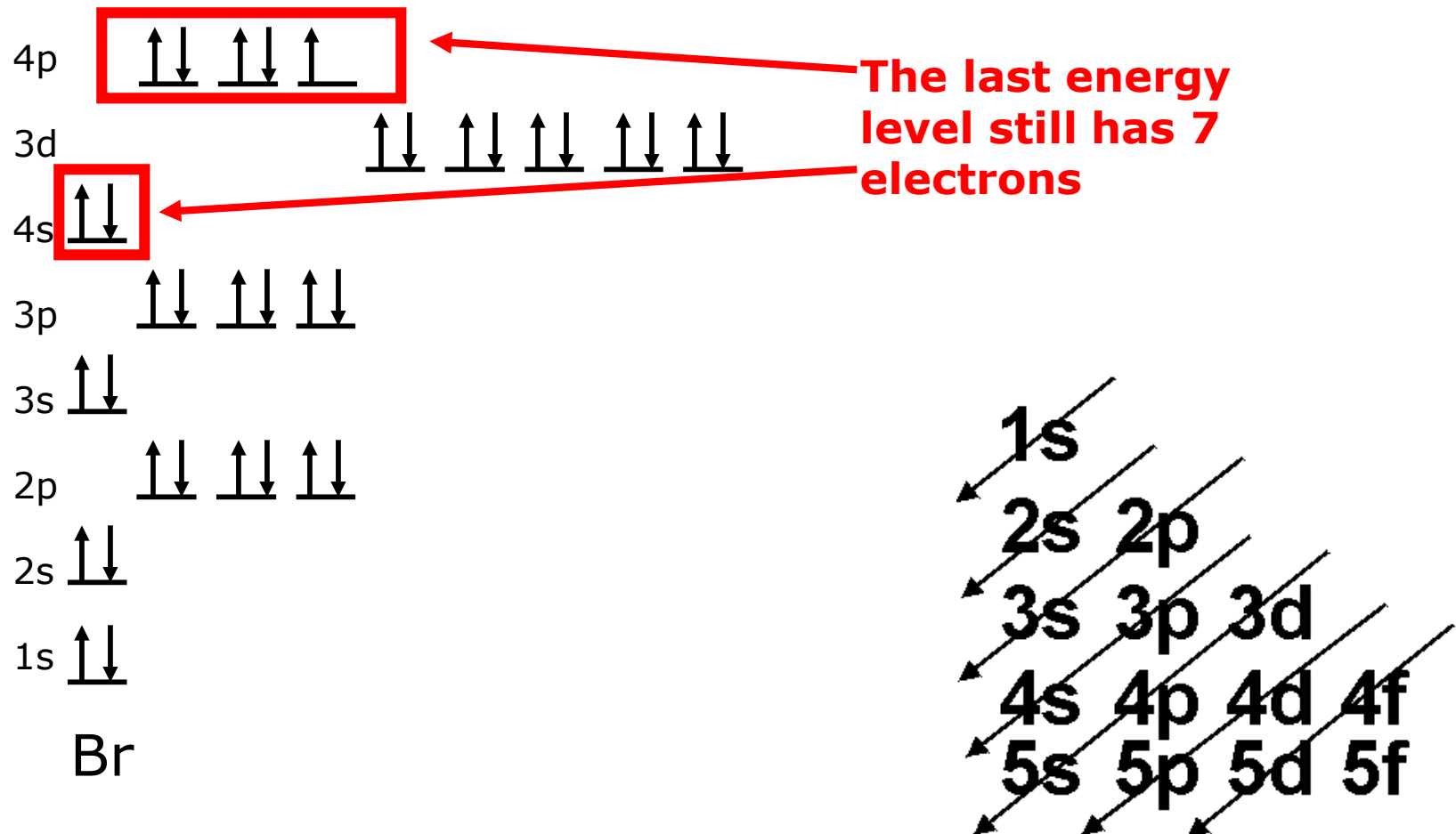
Example: **Iron**

How many electrons does iron have? **26**



ELECTRON ENERGY-LEVEL DIAGRAMS

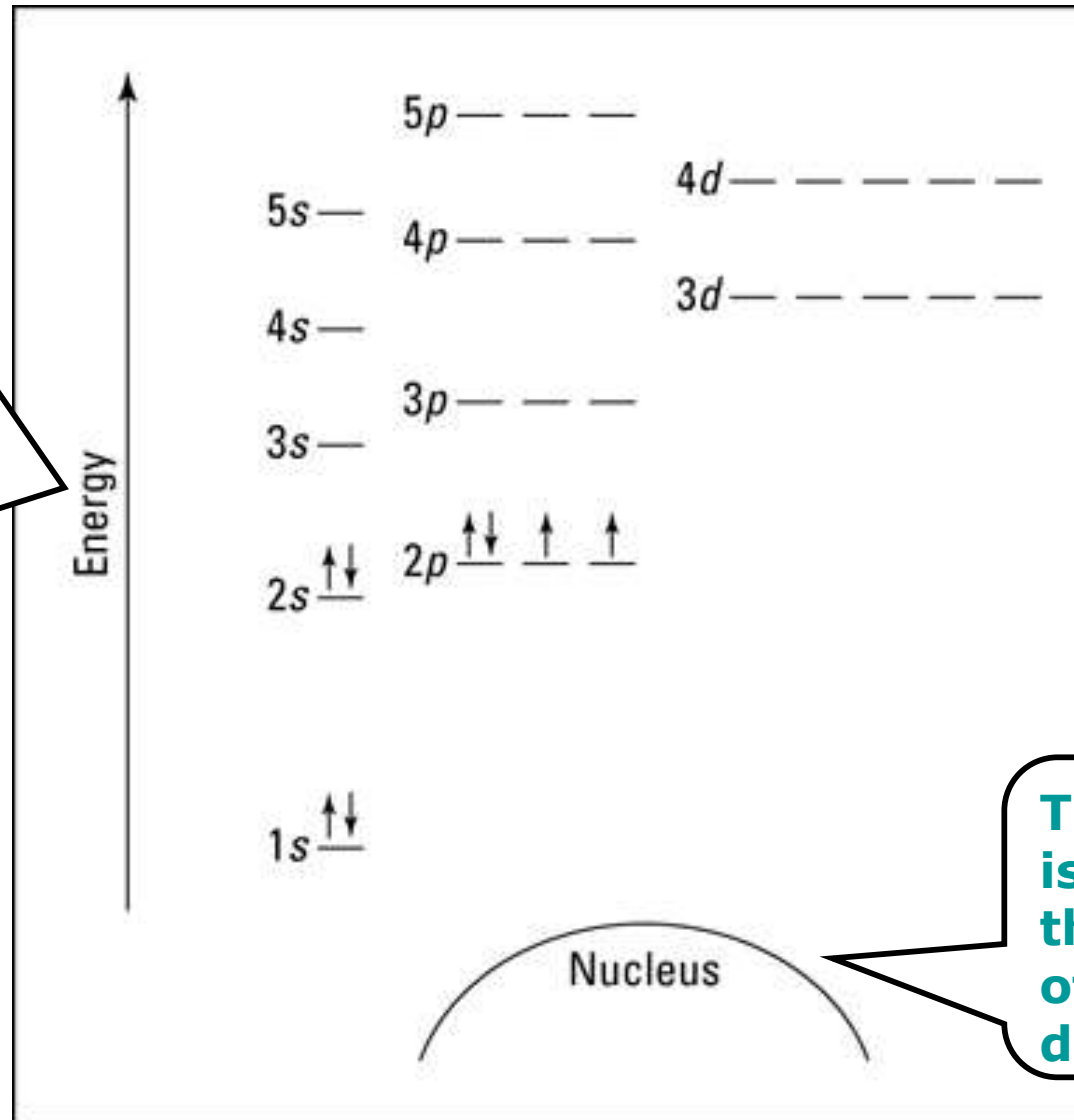
So why does bromine still have 7 valence electrons despite how the 3rd energy level can hold 18 electrons?



ELECTRON ENERGY-LEVEL DIAGRAMS

Why is an electron energy-level diagram drawn as such?

The greater the orbital number, the greater the energy of the electrons



The nucleus is located at the bottom of the diagram

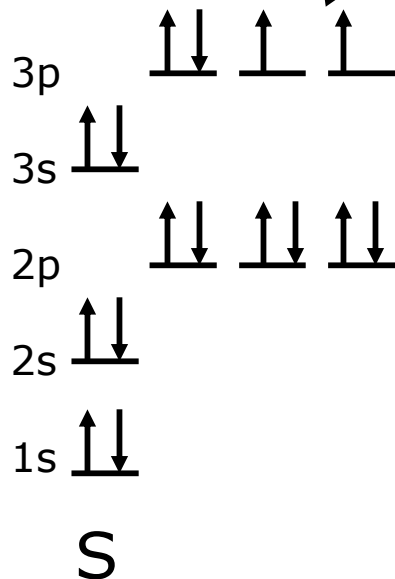
IONS

Drawing an **electron energy-level diagram**

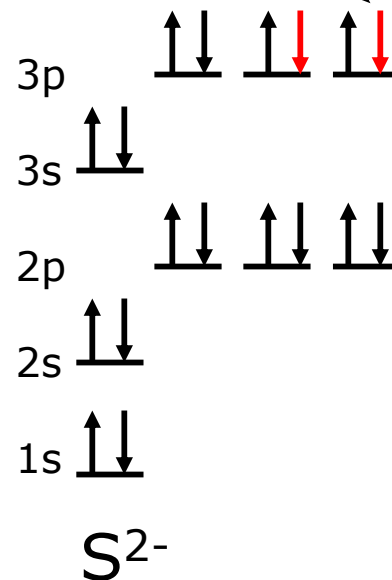
Example:

sulfur vs sulfide ion

Observe how there are two unpaired electrons in sulfur



This explains why sulfur gains 2 electrons in ionic form



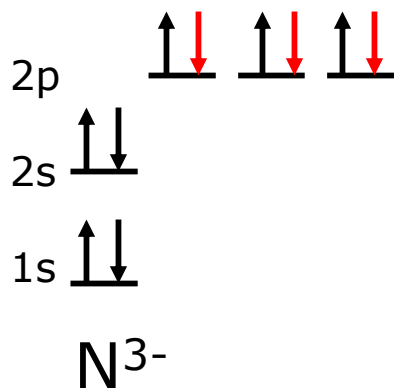
*This is despite the fact that sulfur has 5 unfilled **d** orbitals*

IONS

General rule for **anions**:

Add the extra electrons corresponding to the ion charge to the total number of electrons

Example: N^{3-}

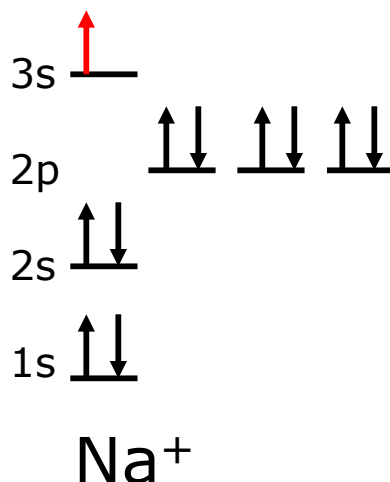


IONS

General rule for **cations**:

Remove the number of electrons corresponding to the charge from the orbitals within the highest energy level number

Example: Na^+

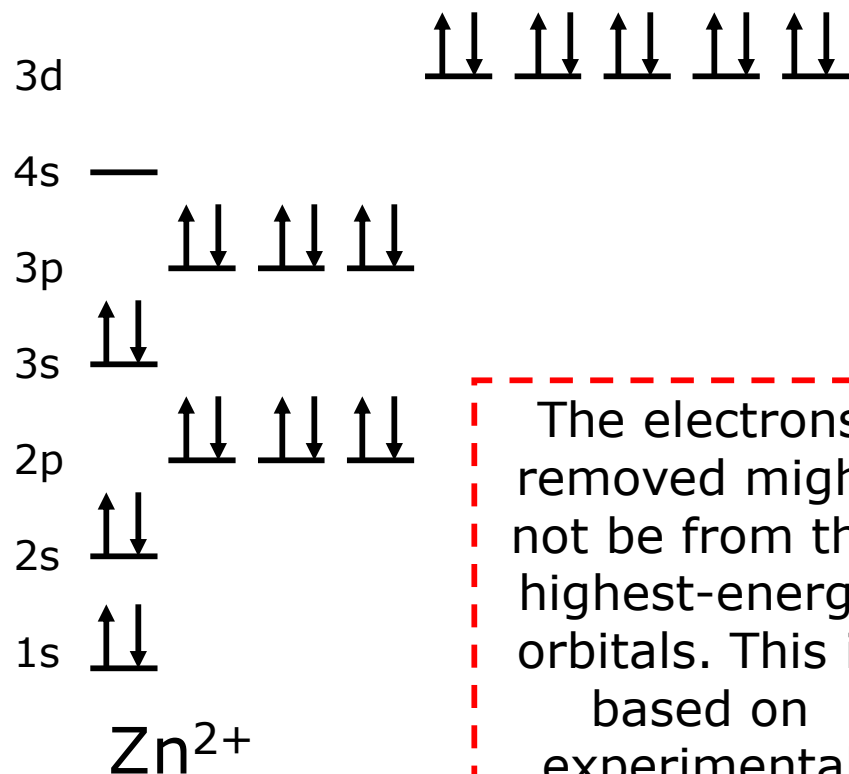
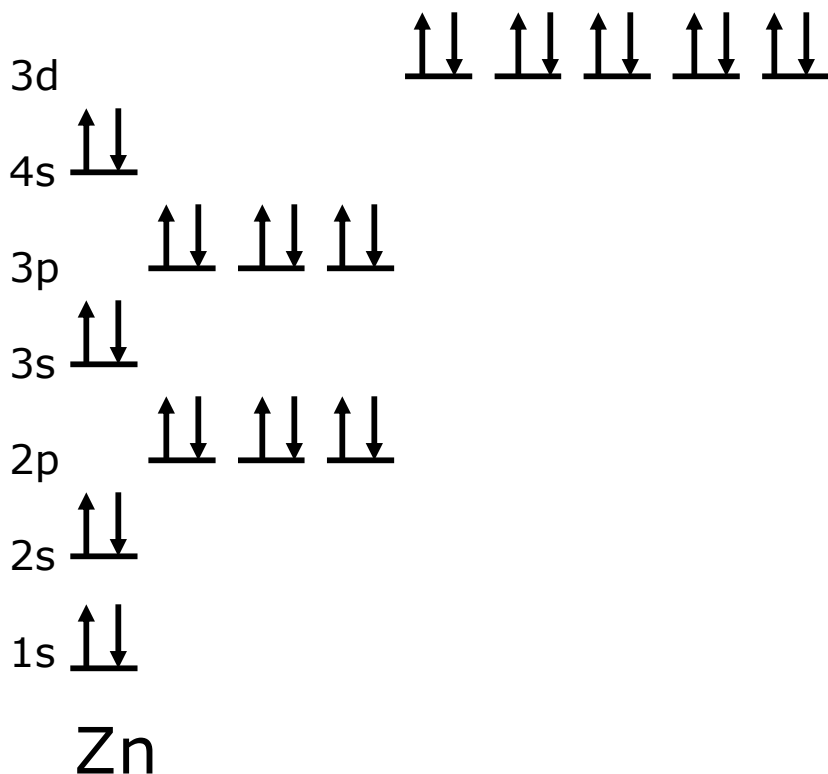


EXCEPTIONS TO AUFBAU PRINCIPLE

Exception to Aufbau Principle:

Example:

zinc vs zinc ion



The electrons removed might not be from the highest-energy orbitals. This is based on experimental evidence.

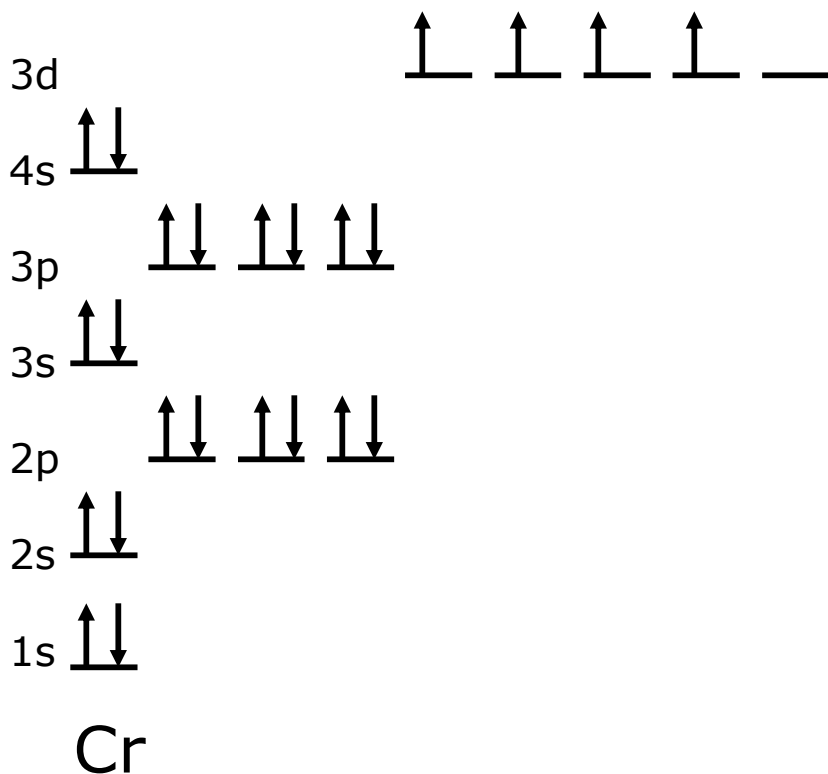
EXCEPTIONS TO AUFBAU PRINCIPLE

Exceptions to Aufbau Principle:

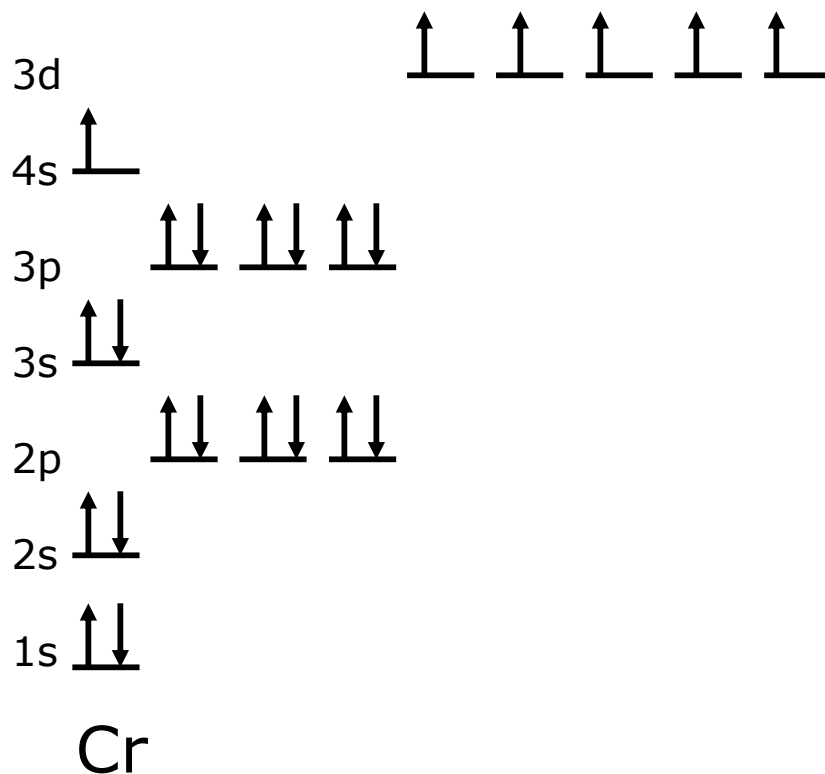
Example:

chromium

Following the Aufbau Principle:



What actually happens:



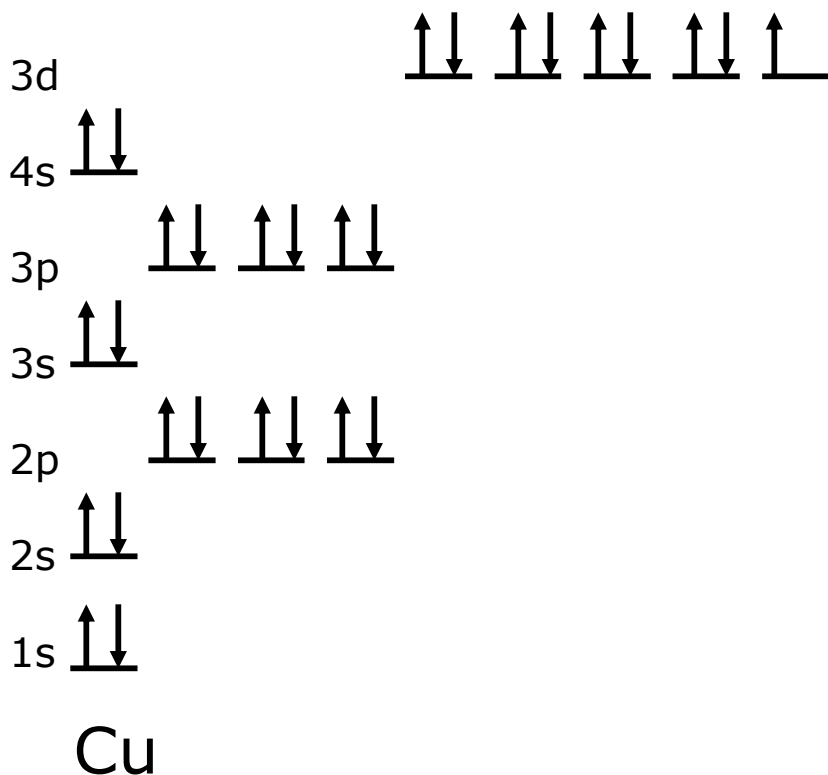
EXCEPTIONS TO AUFBAU PRINCIPLE

Exceptions to Aufbau Principle:

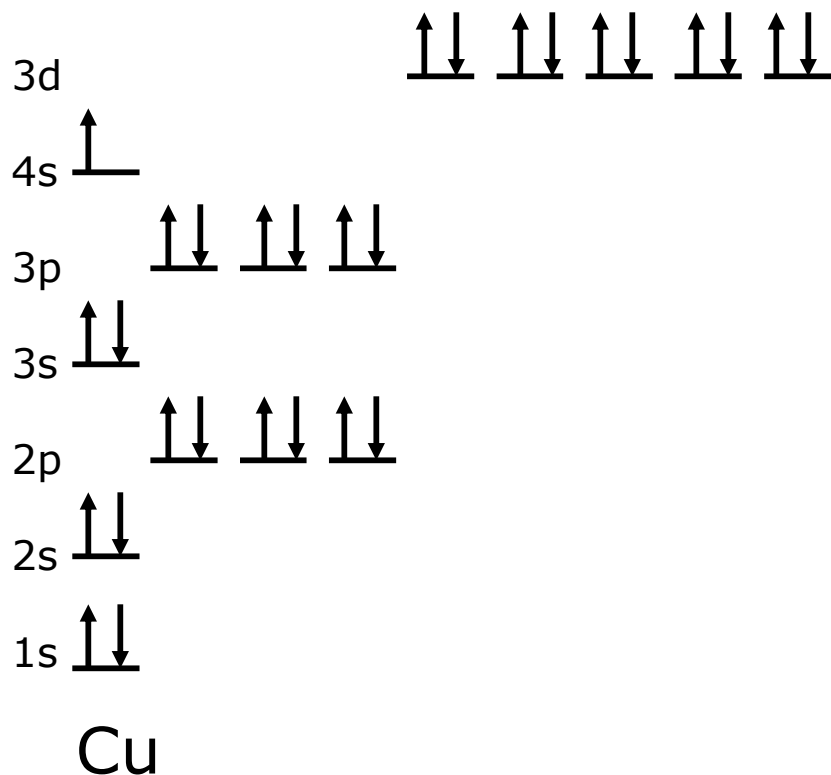
Example:

copper

Following the Aufbau Principle:



What actually happens:

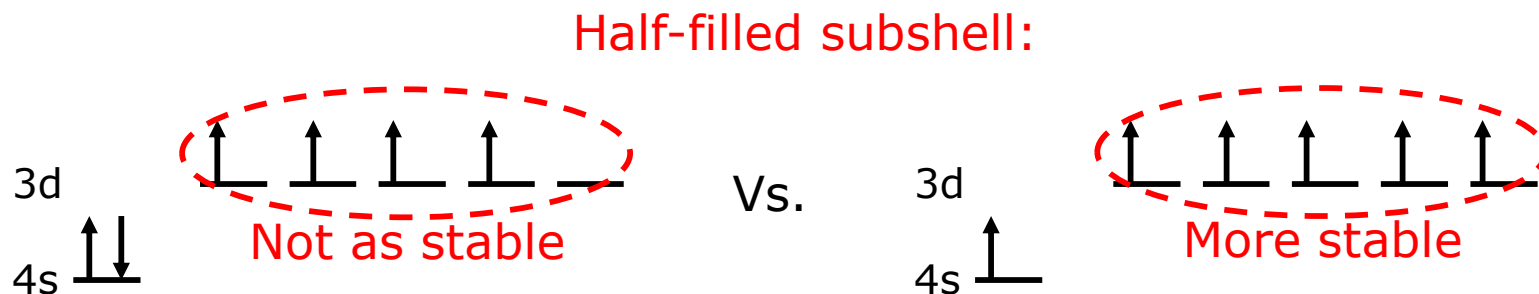
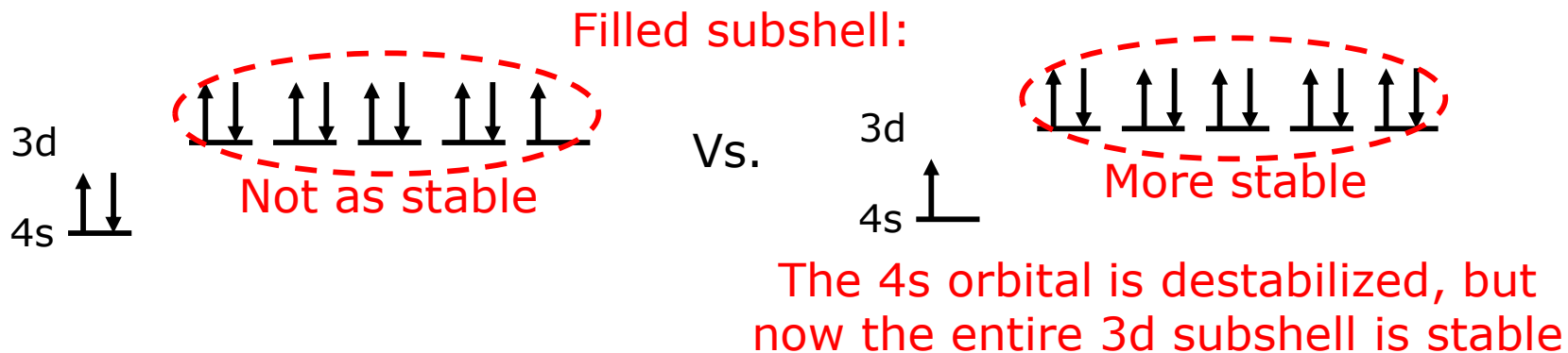


EXCEPTIONS TO AUFBAU PRINCIPLE

Why do these exceptions exist?

Experimental evidence indicates unfilled subshells are less stable than half-filled & filled subshells (have higher energy)

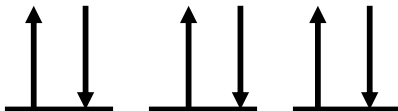
Filled and half-filled subshells have a lower energy state & are more stable



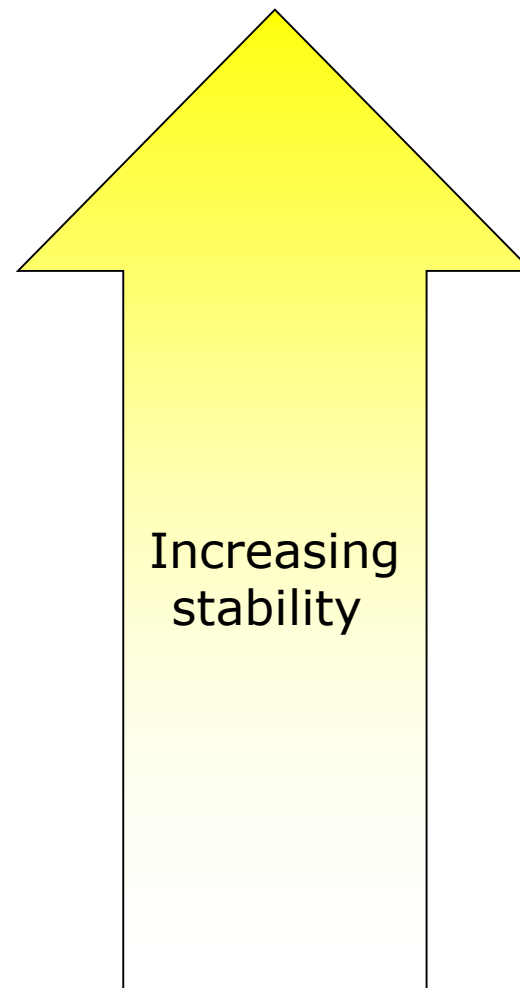
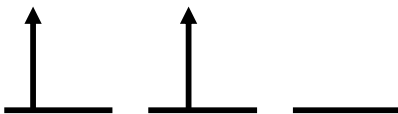
EXCEPTIONS TO AUFBAU PRINCIPLE

Stability: Rank the following from most to least stable

Most
stable



Least
stable

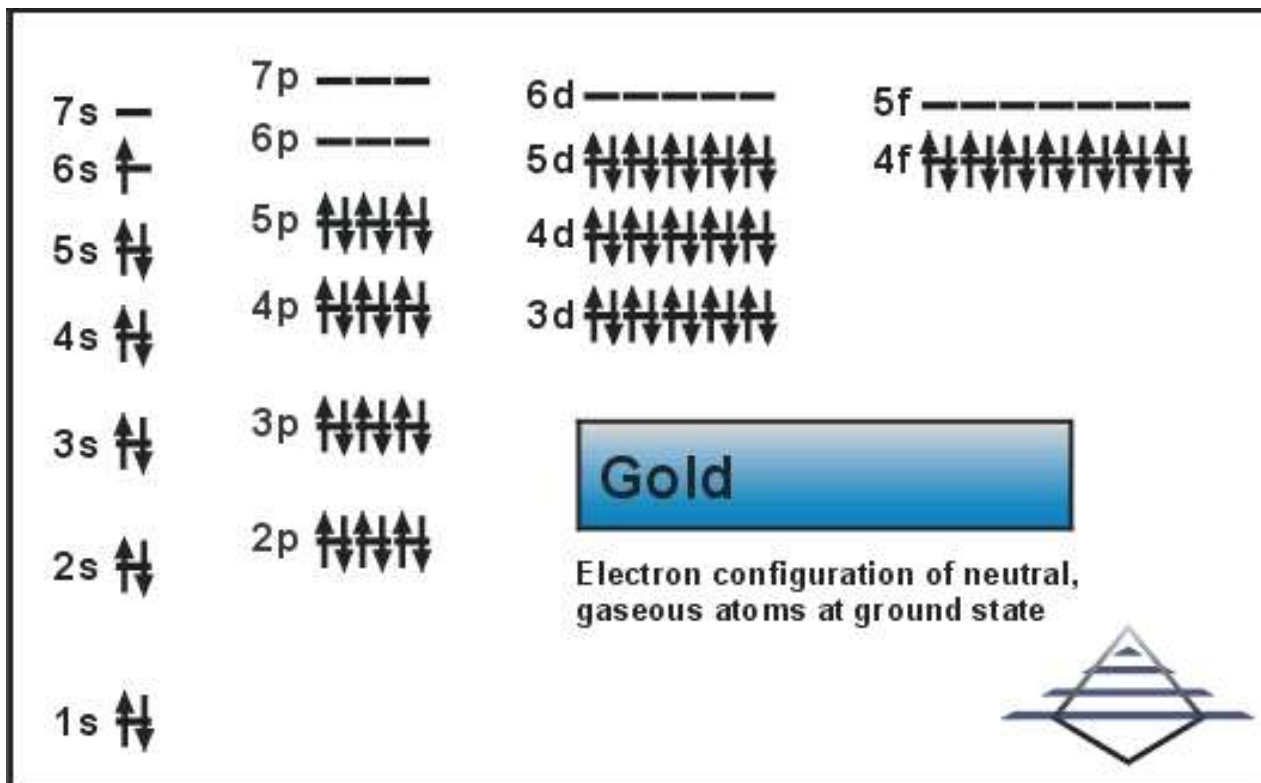


EXCEPTIONS TO AUFBAU PRINCIPLE

Working with exceptions:

Only use **d** orbitals where there is a possibility of moving an electron from an **s** to **d** orbital to achieve a half-filled or filled set of orbitals

Example: Au

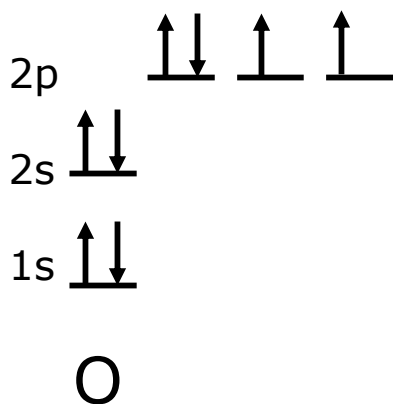


ELECTRON CONFIGURATIONS

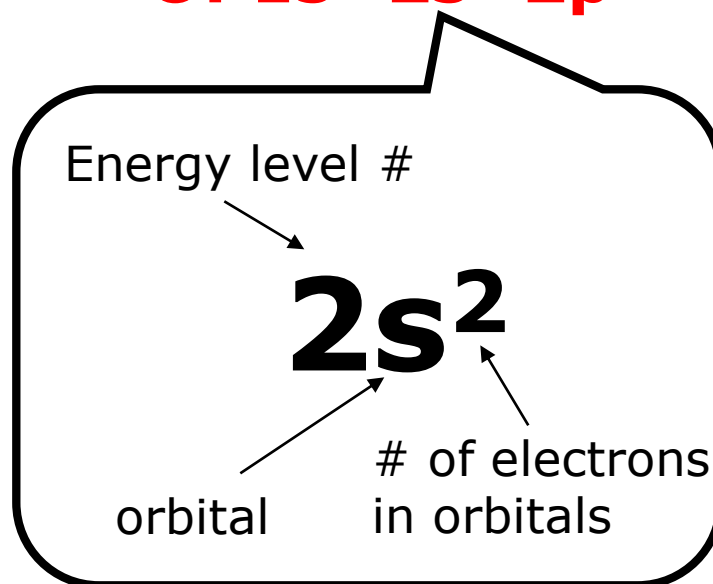
Writing Electron Configurations

Electron configurations condense the information from electron energy-level diagrams

Electron energy level diagram



Electron configuration



ELECTRON CONFIGURATIONS

Writing Electron Configurations

Electron configurations:

Cl:

Sn:

S²⁻:

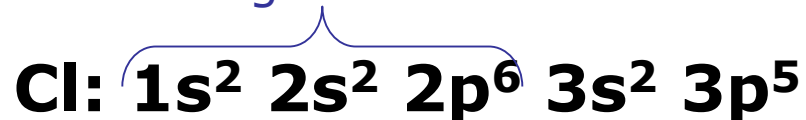
Fe:

ELECTRON CONFIGURATIONS

Writing Electron Configurations

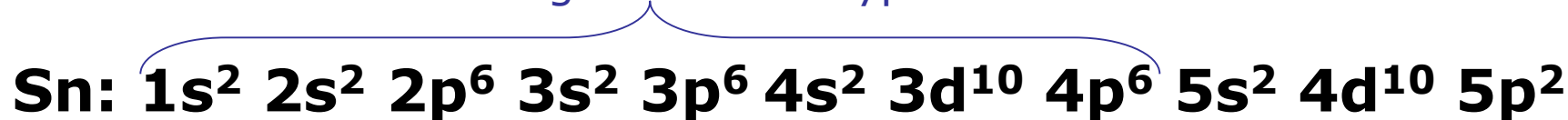
Shorthand form of Electron configurations:

Same configuration as Neon



Cl:

Same configuration as krypton



Sn:

In the shorthand version, the “core electrons” of an atom are represented by the preceding noble gas

ELECTRON CONFIGURATIONS

Writing Electron Configurations

Identify the element that has the following electron configuration:

$1s^2 2s^2 2p^6 3s^2 3p^6 4s^2 3d^{10} 4p^6 5s^2 4d^{10} 5p^6 6s^2 4f^{14} 5d^{10} 6p^4$

1 H 1s																	2 He 1s														
3 Li 2s	4 Be 2s											5 B 2p	6 C 2p	7 N 2p	8 O 2p	9 F 2p	10 Ne 2p														
11 Na 3s	12 Mg 3s											13 Al 3p	14 Si 3p	15 P 3p	16 S 3p	17 Cl 3p	18 Ar 3p														
19 K 4s	20 Ca 4s	21 Sc 3d	22 Ti 3d	23 V 3d	24 Cr 3d	25 Mn 3d	26 Fe 3d	27 Co 3d	28 Ni 3d	29 Cu 3d	30 Zn 3d	31 Ga 4p	32 Ge 4p	33 As 4p	34 Se 4p	35 Br 4p	36 Kr 4p														
37 Rb 5s	38 Sr 5s	39 Y 4d	40 Zr 4d	41 Nb 4d	42 Mo 4d	43 Tc 4d	44 Ru 4d	45 Rh 4d	46 Pd 4d	47 Ag 4d	48 Cd 4d	49 In 5p	50 Sn 5p	51 Sb 5p	52 Te 5p	53 I 5p	54 Xe 5p														
55 Cs 6s	56 Ba 6s	57 La 5d	72 Hf 5d	73 Ta 5d	74 W 5d	75 Re 5d	76 Os 5d	77 Ir 5d	78 Pt 5d	79 Au 5d	80 Hg 5d	81 Tl 6p	82 Pb 6p	83 Bi 6p	84 Po 6p	85 At 6p	86 Rn 6p														
87 Fr 7s	88 Ra 7s	89 Ac 6d	104 Rf 6d	105 Db 6d	106 Sg 6d	107 Bh 6d	108 Hs 6d	109 Mt 6d	110	111	112	113	114																		
																		58 Ce 4f	59 Pr 4f	60 Nd 4f	61 Pm 4f	62 Sm 4f	63 Eu 4f	64 Gd 4f	65 Tb 4f	66 Dy 4f	67 Ho 4f	68 Er 4f	69 Tm 4f	70 Yb 4f	71 Lu 4f
																		90 Th 5f	91 Pa 5f	92 U 5f	93 Np 5f	94 Pu 5f	95 Am 5f	96 Cm 5f	97 Bk 5f	98 Cf 5f	99 Es 5f	100 Fm 5f	101 Md 5f	102 No 5f	103 Lr 5f

by Sarah Patel

It is the 4th element from the left

It is polonium (Po)

ELECTRON CONFIGURATIONS

Explaining multivalent metals:

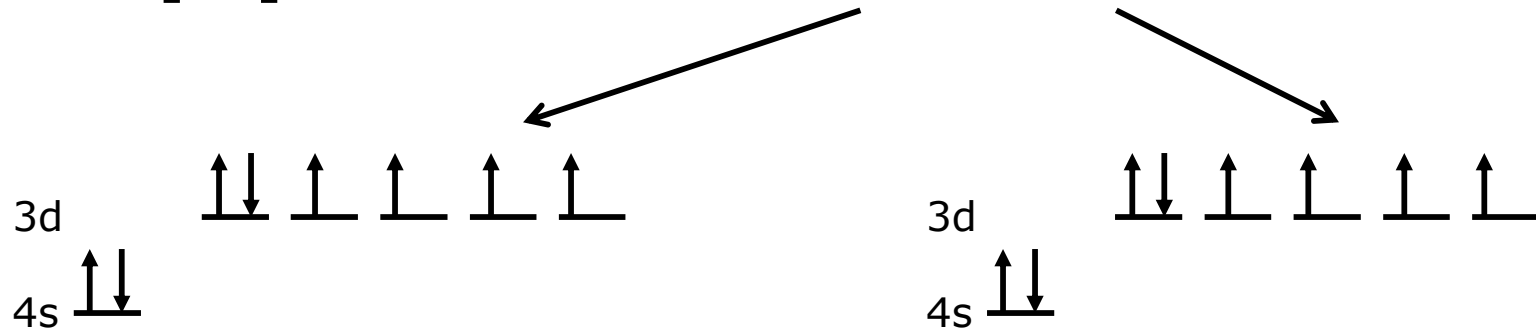
Electrons are lost to achieve stability:

Cd: $[\text{Kr}]5s^2 4d^{10}$ becomes Cd^{2+}

We can now explain why some transition metals can form multiple ions:

Pb: $[\text{Xe}]6s^2 4f^{14} 5d^{10} 6p^2$ becomes Pb^{2+} or Pb^{4+}

Fe: $[\text{Ar}]4s^2 3d^6$ becomes Fe^{2+} or Fe^{3+}



ELECTRON CONFIGURATIONS

Homework:

- Read page 171 on magnetism
- Complete page 172 #3 and 10